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# **HMM Based POS Tagger**

Semantic Processing System

Term Project

Presented by

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## **Outline**

- Introduction
- Hidden Markov Models
- Simulation Results
- Demonstration
- Conclusion

- The process of classifying words into their parts-of-speech and labeling them accordingly is known as part-of-speech tagging
- Some words can represent more than one part of speech at different times e.g. 'closed'
- POS is important step in many Language and Speech processing tasks



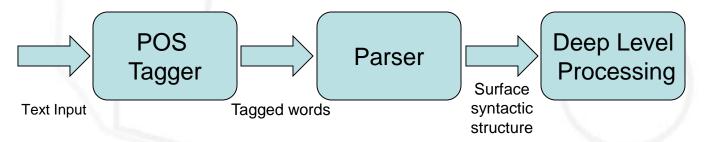
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- High accuracy is required in POS tagging tasks, why?
- Language Processing

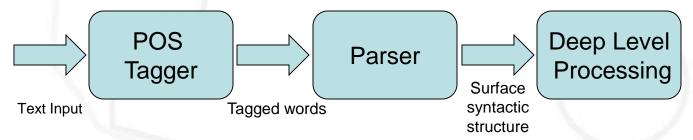


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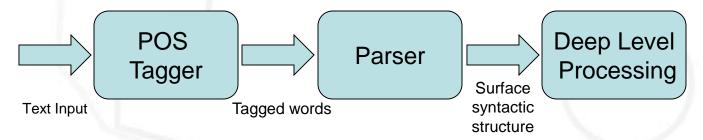
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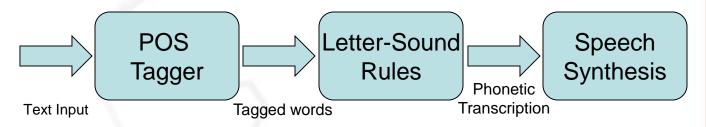
Speech Processing



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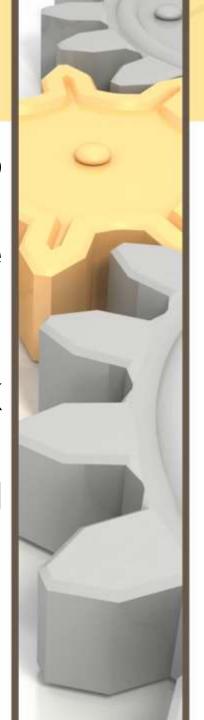


Speech Processing





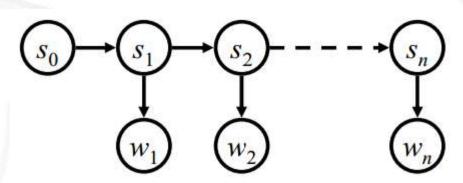
- The HMMs we have seen in the NLK so far i.e. REGULAR EXPRESSION, UNIGRAM, and BIGRAM have accuracies in the range of 80 to 90%
- In this project, I have used the Hidden Markov Model module available in NLTK for POS tagging
- The results of the HMM taggers and other taggers have been compared



- The HMM is a directed graph, with probability weighted edges where each vertex emits an output symbol when entered
- In POS tagging problem the states are the tags and the symbols are the words



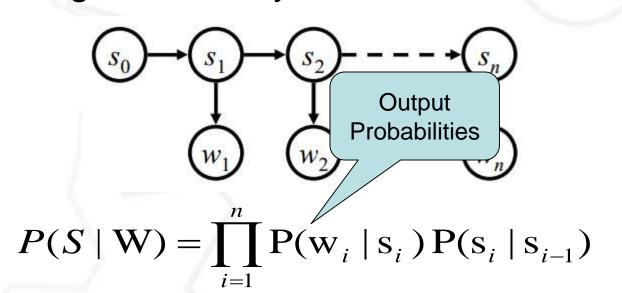
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$$P(S \mid W) = \prod_{i=1}^{n} P(w_i \mid s_i) P(s_i \mid s_{i-1})$$

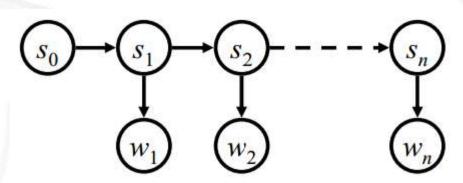


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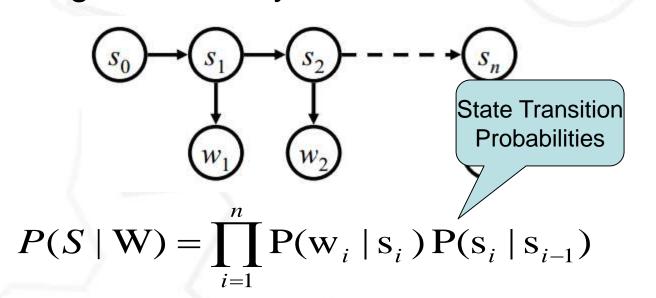
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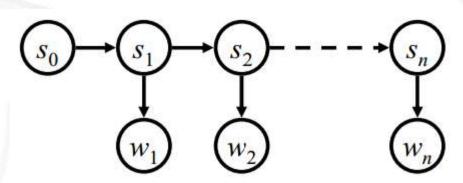


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- There are two steps in using HMMs for POS tagging
  - Estimating the HMM parameters (transition and output probability distributions)
  - Finding the tag sequence S={s<sub>1</sub>...s<sub>n</sub>}
     which maximize the probability P(S|W)
     given a word sequence



## **Estimating HMM Parameters**

- There are many methods for estimating HMM parameters
- Maximum Likelihood Estimate

$$P(s_i | s_{i-1}) = \frac{count(s_i \text{ seen after } s_{i-1})}{count(s_{i-1})}$$

$$P(w_i | s_i) = \frac{count(w_i \text{ seen as } s_i)}{count(s_i)}$$

- MLE suffers from sparse data problem
- Some smoothing technique is required to deal with unseen words

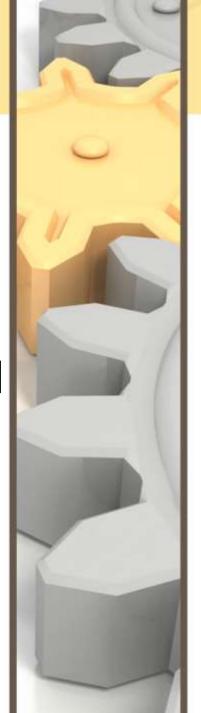


## **Maximizing the Probability**

To find the POS for a sequence of words W={w<sub>1</sub> ... w<sub>n</sub>}, we now need to find the tag sequence S={s<sub>1</sub> ... s<sub>n</sub>} which maximizes P(S|W)

$$\arg \max[P(S \mid W) = \prod_{i=1}^{n} P(w_i \mid s_i) P(s_i \mid s_{i-1})]$$

- Finding this maximum requires very high computational power
- Viterbi Algorithm is used to find out this maximum probability tag sequence efficiently



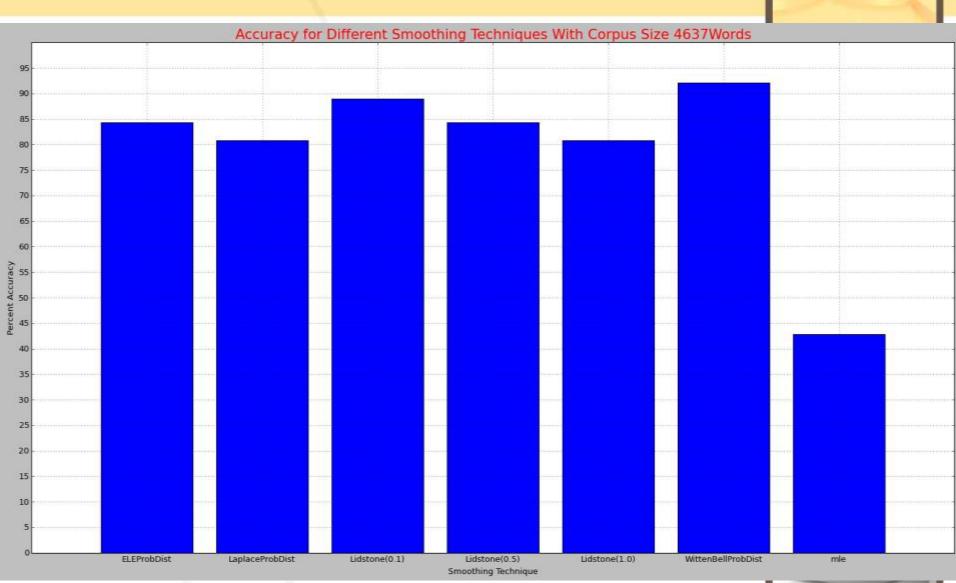
#### **Simulation Results**

- All the taggers presented were trained and tested on Brown corpus
- The testing data was separate and 10 10% of the training data
- The accuracy for different smoothing techniques was obtained for the HMM based tagger
- The Witten Bell smoothing technique yielded best accuracy



## **Simulation Results**





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