



Fig. 5.13: **The tree conditional is a piece-wise Gaussian.** See text for details.

with ϕ denoting the 1D cumulative normal distribution function

$$\phi_{t,l}(y|x=x^*) = \frac{1}{2} \left[1 + \operatorname{erf} \left(\frac{y - \mu_{y|x,l}}{\sqrt{2\sigma_{y|x,l}^2}} \right) \right].$$

Finally, the forest conditional is:

$$p(y|x=x^*) = \frac{1}{T} \sum_{t=1}^T p_t(y|x=x^*)$$

Figure 5.14 shows the forest conditional distribution computed for five fixed values of x . When comparing *e.g.* the conditional $p(y|x=x_3)$ in fig. 5.14 with the distribution in 4.10b we see that now the conditional shows three very distinct modes rather than a large, uniformly uninformative mass. Although some ambiguity remains (it is inherent in the training set) now we have a more precise description of such ambiguity.

5.6.2 Sampling from conditional densities

We conclude this chapter by discussing the issue of efficiently drawing random samples from the conditional model $p(y|x)$.