LI L LA REGULARISATION overfitting: y = 0 + 0, x, + 02 x2 +... + 0n xn try to make og. On almost of zero so that we rule out those footoos: shrink parameters to help generalize better o balanced: y = Do + D1K1 + O2K2 MSE = $\frac{1}{h}$ (ye ho (xe))² controllable now, MSE = $\frac{1}{h}$ (ye ho (xe))² $\frac{1}{h}$ \frac L2= 0°2 en L, MSE= 1 & (yp-ho(rp))2 + 1 & 1001

Ridge Regression: 4 L2 Regularization S Addresses problem of multicollinearity among predictor variables which occurs when independent variables are highly correlated -: leads to unreliable estimates How? Adds a regularization term to least squares to penalize large coefficients, in the form of penalty also solves overfitting Example: Price = 1000. Size - 500. Age + Noise Jaffer L2 Price = 800 lize _ 300 Age + Lew Noise - As x1, byon to and var 1 **Bias-Variance Tradeoff** in Ridge Regression - goal: find & that balances blan and variance How to velent a ridge parameter? a cross - validation: data split into subrets; model trains on some and validates on Pros: the others -Blar us voriance - retarns original parameters K-Pold CV: data aplit ento K subcets, trained on K-1 and validated on one; repeated K timen CONR: s.t. each fold serves an - Introduced bian (can lead to underest motion of the validation set once effects of predictions) Leave - One - Out CV - Choosing ridge parameter y Generalized cv