

This is the class and function reference of iterative methods.

Packages in the project

- **generate**: provides **module generators** that helps generate matrix (A), system of linear equations ($Ax = b$) and store the generated system.
 - **solve**: provides **module solvers** that helps execute iterative methods to solve the stored system.
 - **visualize**: provides **module visualizers** that helps visualize performance of iterative methods.
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Module **generate.generators** [\[source\]](#)

class generate.generators.MatrixGenerator() [\[source\]](#)

Parameters

No parameters.

Attributes

No attributes.

Methods

<code>generate_random(dim, diagonally_dominant)</code>	Generate a random matrix.
<code>generate_nonnegative(dim, diagonally_dominant)</code>	Generate a nonnegative matrix.
<code>generate_positive(dim, diagonally_dominant)</code>	Generate a positive matrix.
<code>generate_Z(dim, diagonally_dominant)</code>	Generate a Z matrix.
<code>generate_Q(dim, diagonally_dominant)</code>	Generate a Q matrix.
<code>generate_tridiagonal(dim, diagonally_dominant)</code>	Generate a tridiagonal matrix.
<code>generate_triangular(dim, diagonally_dominant, upper)</code>	Generate a triangular matrix.
<code>generate(dim, kind, diagonally_dominant)</code>	Generate a given kind of matrix.

class generate.generators.System(A, x_true, b, kind, diagonally_dominant, dim) [\[source\]](#)

Parameters

A	numpy.ndarray	default = None	Matrix A in the system $Ax = b$.
x_true	numpy.ndarray	default = None	True solution vector x in the system $Ax = b$.
b	numpy.ndarray	default = None	Vector b in the system $Ax = b$.
kind	str	default = None	Kind of a matrix A. possible values: 'random', 'nonnegative', 'positive', 'Z', 'Q', 'tridiagonal', 'triangular_U', 'triangular_L'.
diagonally_dominant	bool	default = None	True ensures diagonal dominance.
dim	int	default = None	Dimension of matrix A.

Attributes

No attributes.

Methods

No methods.

class generate.generators.SystemGenerator() [\[source\]](#)

Parameters

No parameters.

Attributes

mg	generate.generators.MatrixGenerator	helps generate matrix A in the system $Ax = b$.
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Methods

load(file, kind, diagonally_dominant)	Load the matrix from .mtx file.
generate(dim, kind, diagonally_dominant)	Generate a system of linear equations.

Module solve.solvers [\[source\]](#)

class solve.solvers.IterativeSolver(system, diagonal_list, x = None, use_modified_method=False, compute_spectral_radius=False, copy=True, warm_start=False) [\[source\]](#)

Parameters

system	generate.generators.System	default = None	System $Ax = b$ that is to be solved.
diagonal_list	list	default = None	List of indices of diagonal.
x	numpy.ndarray	default = None	Initial guess of a solution vector.
use_modified_method	bool	default = False	If False, uses standard iterative method. If True, uses modified iterative method.
compute_spectral_radius	bool	default = False	If True, computes spectral radius of iteration matrix.
copy	bool	default = True	If True, copies the given system.
warm_start	bool	default = False	If True, reuses the solution of previous call as initial guess of a solution vector.

Attributes

A	numpy.ndarray	Matrix A in the system of linear equations $Ax = b$.
b	numpy.ndarray	Vector b in the system of linear equations $Ax = b$.
n	int	Dimension of a matrix A.
kind	str	Kind of a matrix A.
noi	int	Number of iterations taken for convergence.
x_true	numpy.ndarray	True solution vector.
zero_check_passed	bool	If True, diagonal of A contains 0.
splitted	bool	If True, iteration matrix T and vector c in the iteration equation have been computed.
spectral_radius	float	Spectral radius of iteration matrix T.
l_inf_values	list	List of $\ x-x^*\ _\infty$ values for every iteration until convergence.
converged	bool	If True, convergence has been achieved.
x	numpy.ndarray	Solution vector to which the iterations converged.

Methods

zero_along_diagonal()	Check if there is a 0 along the diagonal.
all_ones_along_diagonal()	Check if all diagonal elements are 1.
make_diagonal_zero(diagonal_index)	Apply transformations to make diagonals represented by diagonal_index 0.
compute_spectral_radius()	Compute spectral radius of iteration matrix.
iterate(tol, max_iters)	Perform iterations of the iteration equation.
solve(tol, max_iters)	Solve the system of linear equations $Ax = b$.

`class solve.solvers.Jacobi(system, x = None, use_modified_method=False, compute_spectral_radius=False, copy=True, warm_start=False, diagonal_list=[1])` [\[source\]](#)

Inherits solve.solvers.IterativeSolver.

Parameters

system	generate.generators.System	default = None	System $Ax = b$ that is to be solved.
x	numpy.ndarray	default = None	Initial guess of a solution vector.
use_modified_method	bool	default = False	If False, uses standard jacobi method. If True, uses modified jacobi method.
compute_spectral_radius	bool	default = False	If True, computes spectral radius of iteration matrix.
copy	bool	default = True	If True, copies the given system.
warm_start	bool	default = False	If True, reuses the solution of previous call as initial guess of a solution vector.
diagonal_list	list	default = [1]	List of indices of diagonal.

Attributes

T	numpy.ndarray	Iteration matrix T in the iteration equation.
c	numpy.ndarray	Vector c in the iteration equation.

Methods

split()	Perform the usual splitting and compute iteration matrix T and vector c in the iteration equation $x^{(k+1)} = T x^{(k)} + c$
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`class solve.solvers.GaussSeidel(system, x = None, use_modified_method=False, compute_spectral_radius=False, copy=True, warm_start=False, diagonal_list=[1])` [\[source\]](#)

Inherits solve.solvers.IterativeSolver.

Parameters

system	generate.generators.System	default = None	System $Ax = b$ that is to be solved.
x	numpy.ndarray	default = None	Initial guess of a solution vector.
use_modified_method	bool	default = False	If False, uses standard jacobi method. If True, uses modified jacobi method.
compute_spectral_radius	bool	default = False	If True, computes spectral radius of iteration matrix.
copy	bool	default = True	If True, copies the given system.

warm_start	bool	default = False	If True, reuses the solution of previous call as initial guess of a solution vector.
diagonal_list	list	default = [1]	List of indices of diagonal.

Attributes

T	numpy.ndarray	Iteration matrix T in the iteration equation.
c	numpy.ndarray	Vector c in the iteration equation.

Methods

split()	Perform the usual splitting and compute iteration matrix T and vector c in the iteration equation $x^{(k+1)} = T x^{(k)} + c$
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class solve.solvers.Milaszewicz(system, k, method='jacobi', x = None,
use_modified_method=False, compute_spectral_radius=False, copy=True,
warm_start=False, diagonal_list=[1]) [\[source\]](#)

Parameters

system	generate.generators.System	default = None	System $Ax = b$ that is to be solved.
k	int	default = None	Value of k in milaszewicz method.
method	str	default = 'jacobi'	Method flag that decides the usual splitting and iteration matrix T as well as vector c in the iteration equation $x^{(k+1)} = T x^{(k)} + c$
x	numpy.ndarray	default = None	Initial guess of a solution vector.
use_modified_method	bool	default = False	If False, uses standard jacobi method. If True, uses modified jacobi method.
compute_spectral_radius	bool	default = False	If True, computes spectral radius of iteration matrix.
copy	bool	default = True	If True, copies the given system.
warm_start	bool	default = False	If True, reuses the solution of previous call as initial guess of a solution vector.
diagonal_list	list	default = [1]	List of indices of diagonal.

Attributes

solver	solve.solvers.Jacobi if method = 'jacobi'. solve.solvers.GaussSeidel if method = 'gauss_seidel'	Solver that performs usual splitting and executes iterations.
solver_name	str	Name of the solver.

Methods

perform_elimination()	Perform the gaussian elimination steps of milaszewicz method.
solve(tol, max_iters)	Solve the system of linear equations $Ax = b$.

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Module **visualize.visualizers** [\[source\]](#)

Functions

<code>show_l_inf_plot(kind, dim, method, spectral_radius, l_inf_values, s, folder)</code>	Show a scatter plot with iteration number on x-axis and $\ x-x^*\ _\infty$ on y-axis.
<code>show_iterations_plot(kind, dim, y, iteration_values, s, color, folder)</code>	Show a horizontal bar chart with number of iterations on x-axis and iterative method on y-axis.
<code>show_spectral_radius_plot(kind, dim, y, spectral_radius_values, s, color, folder)</code>	Show a horizontal bar chart with spectral radius on x-axis and iterative method on y-axis.

Dependencies

Iterative methods package uses following standard libraries.

1. operator

Iterative methods package uses following third-party libraries.

1. matplotlib
 2. numpy
 3. scipy
 4. tabulate
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