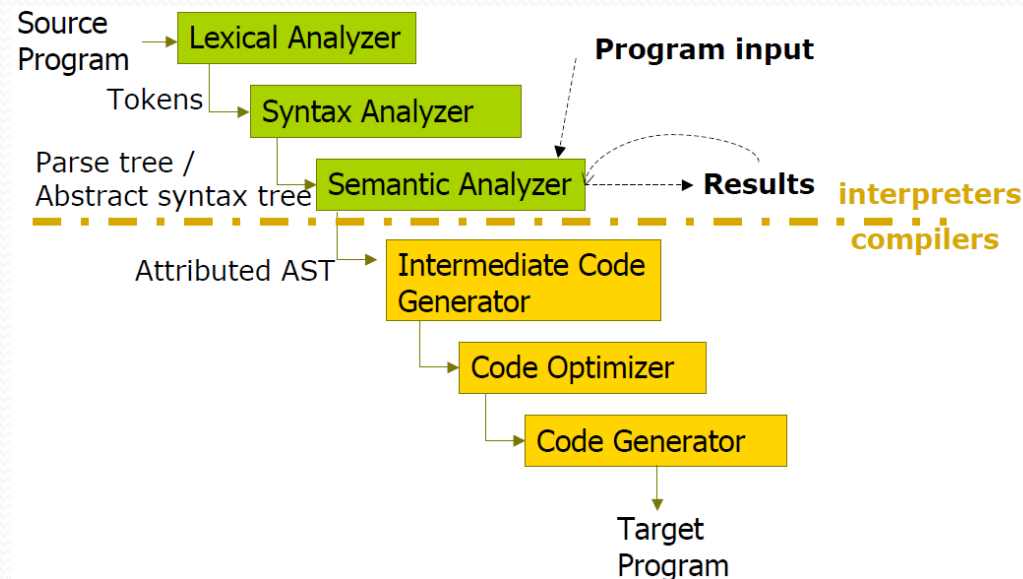


Intermediate Code Generation

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Intermediate Code Generation

- *Intermediate codes* are machine independent codes, but they are close to machine instructions
- The given program in a source language is converted to an **equivalent program** in an intermediate language by the **intermediate code generator**

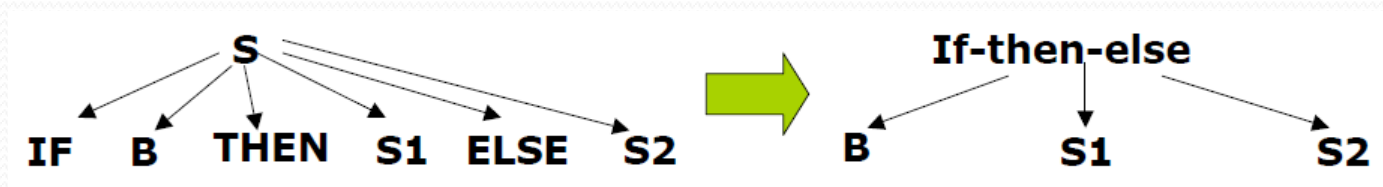


Why do we need intermediate code?

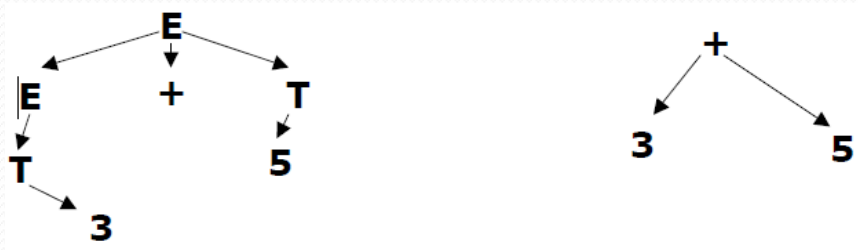
- Convenience for module design
- Machine independence, reducing code generation complexity
- Easier to optimize code

Abstract syntax tree -AST

- Short form of parse tree to represent language constructs
 - Operators and keywords do not appear as leaves
 - ASTs represent only semantically meaningful aspects of input program

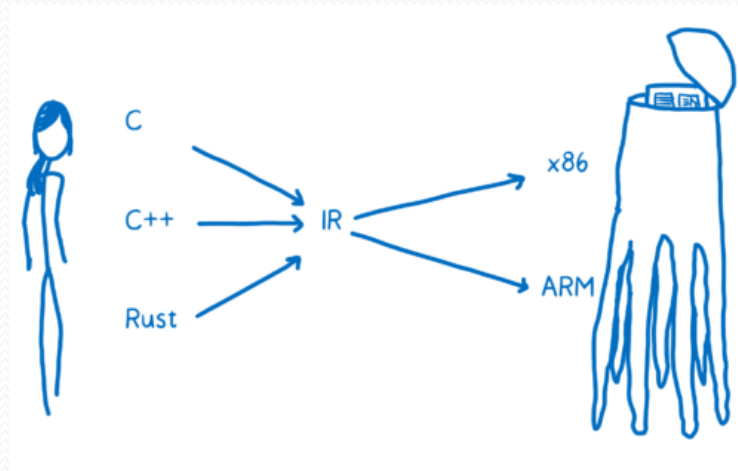


- Chains of single productions are collapsed



Intermediate language

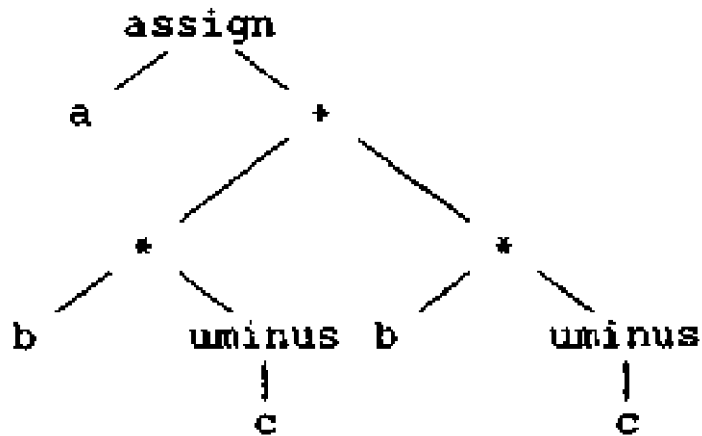
- Goal: Translate AST to low-level machine-independent 3-address IR
- Two alternative ways:
 - Bottom-up tree-walk on AST
 - Syntax-Directed Translation



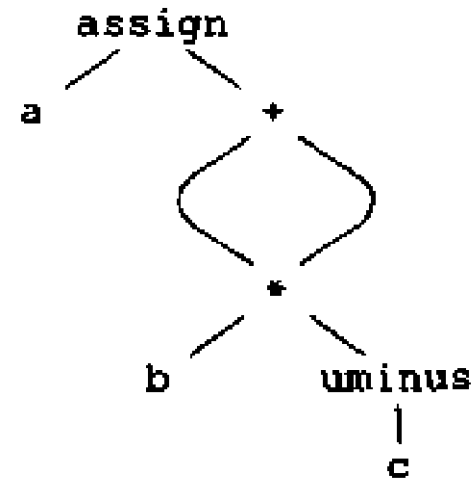
Intermediate representations

- Graph

$a := b * -c + b * -c$



(a) Syntax tree.



(b) Dag.

Intermediate representations (cont)

- Three-address code

$x := y \text{ op } z$

```
t1 := - c
t2 := b * t1
t3 := - c
t4 := b * t3
t5 := t2 + t4
a := t5
```

(a) Code for the syntax tree.

```
t1 := - c
t2 := b * t1
t5 := t2 + t2
a := t5
```

(b) Code for the dag.

Three address statements

- IR (low level) before final code generation
 - Linear representation of AST
 - Every statement that manipulates at most two operands and a result
- Assignment statements $x := y \text{ op } z$, where
 - op : arithmetic or logic operator
 - x, y, z : identifier, constant, or temporary symbol (generated by compilers)
- Assignment statements $x := op \ y$, where
 - op : operator
 - minus, logic negation, type casting, bit shift
- Copy statements $x := y$
- Unconditional jump statements *goto* L
 - L label locates the next statement

Three address statements (cont)

- Conditional jump statements *if x relop y goto L*.
- Function call statement *param x* and *call p, n*. Return statement *return y*
 - For example, to call $p(x_1, x_2, \dots, x_n)$
param x1
param x2
...
param xn
call p, n
- Indexed assignments $x := y[i]$ and $x[i] := y$

Three address statements (cont)

- Pointer and address assignments: $x := \&y$, $y := *x$, và $*x := y$
- Note: The choice of operators is important.

Syntax-directed three address code generation

- The synthesized attribute **S.code** represents the code for the production S
- The nonterminal E has attributes:
 - *E.place* is the name that holds the value of E
 - *newtemp* function: generating a temporary variable, assigned to *E.place*.
 - *E.code* is a sequence of three-address statements evaluating E
 - *gen* function: generating a three address statement

Syntax-directed three address code generation

- For convenience, we use $gen(x \text{ ':=' 'y '+' z})$ to represent three address statement $x := y + z$

Arithmetic expressions

Syntax rules	Semantic rules
$S \rightarrow id := E$	
$E \rightarrow E_1 + E_2$	
$E \rightarrow E_1 * E_2$	
$E \rightarrow - E_1$	
$E \rightarrow (E_1)$	
$E \rightarrow id$	

Arithmetic expressions

Syntac rules	Semantic rules
$S \rightarrow id := E$	$S.code := E.code \parallel gen(id.place \text{ ':=' } E.place)$
$E \rightarrow E_1 + E_2$	$E.place := newtemp;$ $E.code := E_1.code \parallel E_2.code \parallel gen(E.place \text{ ':=' } E_1.place \text{ '+' } E_2.place)$
$E \rightarrow E_1 * E_2$	$E.place := newtemp;$ $E.code := E_1.code \parallel E_2.code \parallel gen(E.place \text{ ':=' } E_1.place \text{ '*' } E_2.place)$

$E \rightarrow - E_1$	$E.place := newtemp;$ $E.code := E_1.code \parallel gen(E.place := 'uminus' E_1.place)$
$E \rightarrow (E_1)$	$E.place := E_1.place$ $E.code := E_1.code$
$E \rightarrow id$	$E.place := id.place$ $E.code := ''$

Logic expressions

- The major purpose of logic expression
 - Conditional expression
- Logic expression
 - Logic operators
 - Logic variables or relation expressions

Logic expressions (cont)

- Two strategies
 - Encoding true and false as numerical values (for example *true* - 1 and *false* - 0) and computing logic expressions similar to arithmetic expressions
 - Representing logic expression value as the position can be reached in the program

Logic expressions (cont)

- Semantics of a programming language decides whether all componets of a logic expression must be computed
 - For example, in *C/C++*, if *E1* is true then it is not necessary to evaluate *E2* in *E1 or E2*

Logic expressions (cont)

- A logic expression E is translated into a sequence of three address statements including jumps to
 - $E.true$: the next statement if E is true
 - $E.false$: the next statement if E is false
- To generate a new label, we use *newlabel*
- Example: $a < b$
if $a < b$ goto $E.true$
goto $E.false$

Logic expressions (cont)

Syntax rules	
$E \rightarrow E_1 \text{ or } E_2$	
$E \rightarrow E_1 \text{ and } E_2$	
$E \rightarrow \text{not } E_1$	
$E \rightarrow (E_1)$	
$E \rightarrow id_1 \text{ relop } id_2$	
$E \rightarrow \text{true}$	
$E \rightarrow \text{false}$	

Logic expressions (cont)

Syntax rules	Semantic rules
$E \rightarrow E_1 \text{ or } E_2$	$E_1.true := E.true;$ $E_1.false := \text{newlable};$ $E_2.true := E.true;$ $E_2.false := E.false;$ $E.code := E_1.code \parallel \text{gen}(E_1.false ':') \parallel E_2.code$
$E \rightarrow E_1 \text{ and } E_2$	$E_1.true := \text{newlable};$ $E_1.false := E.false;$ $E_2.true := E.true;$ $E_2.false := E.false;$ $E.code := E_1.code \parallel \text{gen}(E_1.true ':') \parallel E_2.code$
$E \rightarrow \text{not } E_1$	$E_1.true := E.false;$ $E_1.false := E.true;$ $E.code := E_1.code;$

Logic expressions (cont)

$E \rightarrow (E_1)$	$E_1.true := E.true;$ $E_1.false := E.false;$ $E.code := E_1.code;$
$E \rightarrow id_1 \text{ relop } id_2$	$E.code := \text{gen}('if' id_1.place \text{ relop.op } id_2.place 'goto'$ $E.true) \parallel \text{gen}('goto' E.false)$
$E \rightarrow true$	$E.code := \text{gen}('goto' E.true)$
$E \rightarrow false$	$E.code := \text{gen}('goto' E.false)$

Control statements

- Based on logic expression E to control the action
- $E.true$: the position when E is *true*
- $E.false$: the position when E is *false*
- $S.begin$: begin position of the statement block
- $S.next$: the position after S 's statements

Control statements (cont)

Syntax rules	Semantic rules
$S \rightarrow \text{if } E \text{ then } S_1$	
$S \rightarrow \text{if } E \text{ then } S_1 \text{ else } S_2$	
$S \rightarrow \text{while } E \text{ do } S_1$	

Control statements (cont)

Syntax rules	Semantic rules
$S \rightarrow \text{if } E \text{ then } S_1$	$E.true := \text{newlable};$ $E.false := S.next;$ $S_1.next := S.next;$ $S.code := E.code \parallel \text{gen}(E.true \text{ ':' }) \parallel S_1.code$
$S \rightarrow \text{if } E \text{ then } S_1 \text{ else } S_2$	$E.true := \text{newlable};$ $E.false := \text{newlable};$ $S_1.next := S.next;$ $S_2.next := S.next;$ $S.code := E.code \parallel \text{gen}(E.true \text{ ':' }) \parallel S_1.code \parallel$ $\text{gen}(\text{'goto' } S.next) \parallel \text{gen}(E.false \text{ ':' }) \parallel$ $S_2.code$

Control statements (cont)

$S \rightarrow \text{while } E \text{ do } S_1$

$S.begin := \text{newlable};$
 $E.true := \text{newlable};$
 $E.false := S.next$
 $S_1.next := S.begin;$
 $S.code := \text{gen}(S.begin \text{ ':' }) \parallel E.code \parallel \text{gen}(E.true \text{ ':' }) \parallel S_1.code \parallel \text{gen}(\text{'goto' } S.begin)$

Example

Example 1:

if $a > b$ then

$a := a - b;$

else

$b := b - a;$

Example 2:

if $a > b$ and $c > d$ then

$x := y + z$

else

$x := y - z$

Example (cont)

```
if a>b goto L1
      goto L2
L1:   t1 := a - b
      a := t1
      goto Lnext
L2:   t2 := b - a
      b := t2
Lnext:
```

```
if a>b goto L1
goto L3
L1:  if c>d goto L2
      goto L3
L2:  t1 := y + z
      x := t1
      goto L4
L3:  t2 := y - z
      x := t2
L4:
```

Example (cont)

while $a \neq b$ do

if $a > b$ then

$a := a - b$

else

$b := b - a$

Example (cont)

L1: if $a \neq b$ goto L2

goto Lnext

L2: if $a > b$ goto L3

goto L4

L3: $t1 := a - b$

$a := t1$

goto L1

L4: $t2 := b - a$

$b := t2$

goto L1

Lnext:

Function

```
n = f(a[i]);
```

might translate into the following three-address code:

- 1) $t_1 = i * 4$
- 2) $t_2 = a[t_1]$
- 3) param t_2
- 4) $t_3 = \text{call } f, 1$
- 5) $n = t_3$

Exercise

Convert the following statements or programs into three-address code:

1) $a \leftarrow (b+c)$

1) Segment of program in C

```
int i; int a[100];
```

```
i = 1;
```

```
while(i ≤ 10)
```

```
{
```

```
    a[i] = 0;
```

```
    i = i + 1;
```

```
}
```


Declarations

- There are no corresponding three address statements
- Using symbol table to store
- Intermediate code generation phase results in
 - A set of three address statements
 - Updated symbol table

Declarations (cont)

- For each identifier, we store:
 - type
 - relative address to store value
- So, we can
 - Retrieve the information about type, address to use in statements
 - Replace an identifier by its index in the symbol table
- Note: for an array element, for example $x[i]$, its address is the sum of x 's address and i times the length of each element

Declarations (cont)

- Considering an example, with the following conventions:
 - *offset*: storing relative addresses of identifiers
 - An interger number occupies 4 bytes
 - A real number occupies 8 bytes
 - A pointer has a size of 4 byte
 - *enter* function: entering the information about type and relative address for an identifier

Declarations (cont)

Syntax rules	Semantic rules
$P \rightarrow D$	$offset := 0$
$D \rightarrow D ; D$	
$D \rightarrow id : T$	$enter(id.name, T.type, offset) ;$ $offset := offset + T.width$
$T \rightarrow interger$	$T.type := interger ;$ $T.width := 4$
$T \rightarrow real$	$T.type := real ; T.width := 8$
$T \rightarrow array [num] of T_1$	$T.type := array(num.val, T_1.type) ;$ $T.width := num.val * T_1.width$
$T \rightarrow ^T_1$	$T.type := pointer(T_1.type)$ $T.width := 4$

Three address code implementations

- Using records in which
 - Fields representing operators and operations
- Records with four and three fields are enough (*quadruple* and *triple*)

Quadruple

- Quadruple is a record structure with four fields *op*, *arg1*, *arg2* and *result*.
- Example, $x := y + z$
 - *op* is +, *arg1* is *y*, *arg2* is *z* and *result* is *x*.
- For unary operators, *arg2* is not necessary
- Example, $a := -b * (c+d)$

$t1 := -b$

$t2 := c+d$

$t3 := t1 * t2$

$a := t3$

and can be represented by the following quadruple:

Quadruple (cont)

	op	arg1	arg2	result
0	uminus	b		t1
1	+	c	d	t2
2	*	t1	t2	t3
3	assign	t3		a

Triple

- To avoid the use of many temporary names
 - Replacing a temporary name by the position of the statement computing it
 - Such reference is the pointer containing triple of the statement
- We need only three fields *op*, *arg1*, and *arg2*.

Triple (cont)

	op	arg1	arg2
0	uminus	b	
1	+	c	d
2	*	(0)	(1)
3	assign	a	(2)

Triple (cont)

- Note, $x[i] := y$ needs two records:

	op	arg1	arg2
(0) (1)	[]= assign	x (0)	i y

- Similarly: $x := y[i]$

	op	arg1	arg2
(0) (1)	[]= assign	y x	i (0)