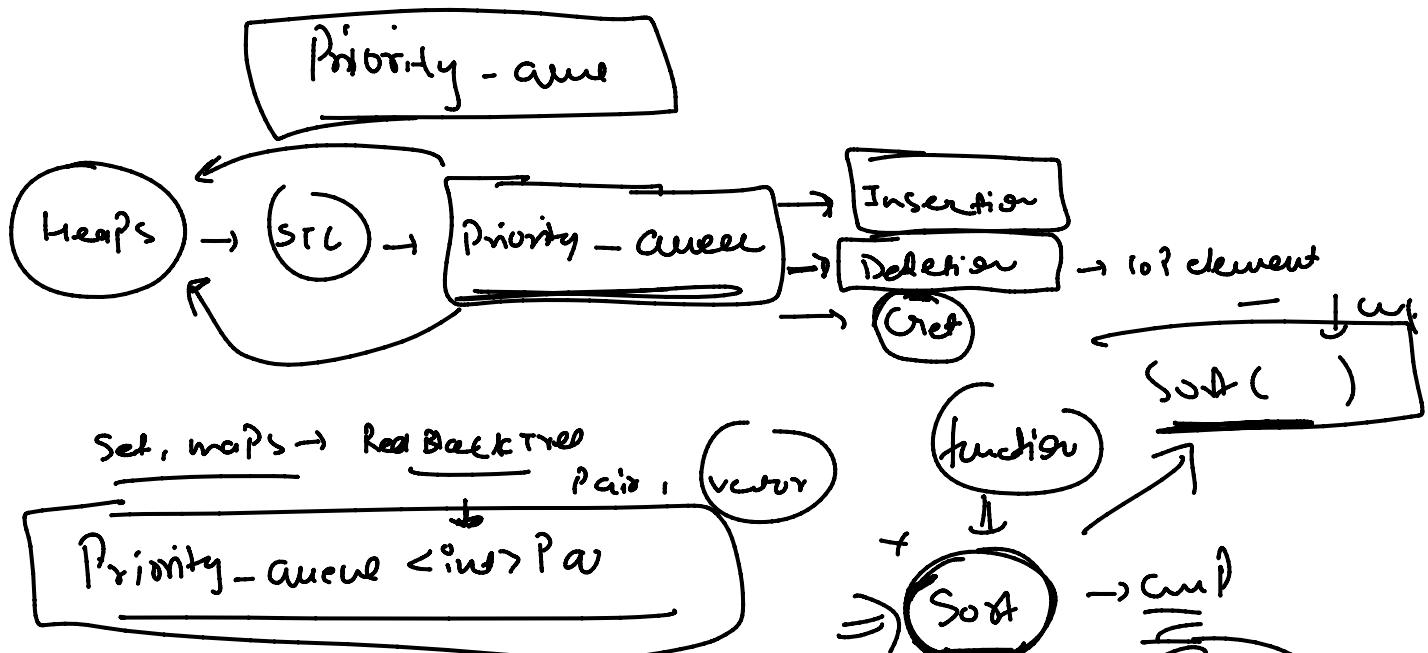


Heaps

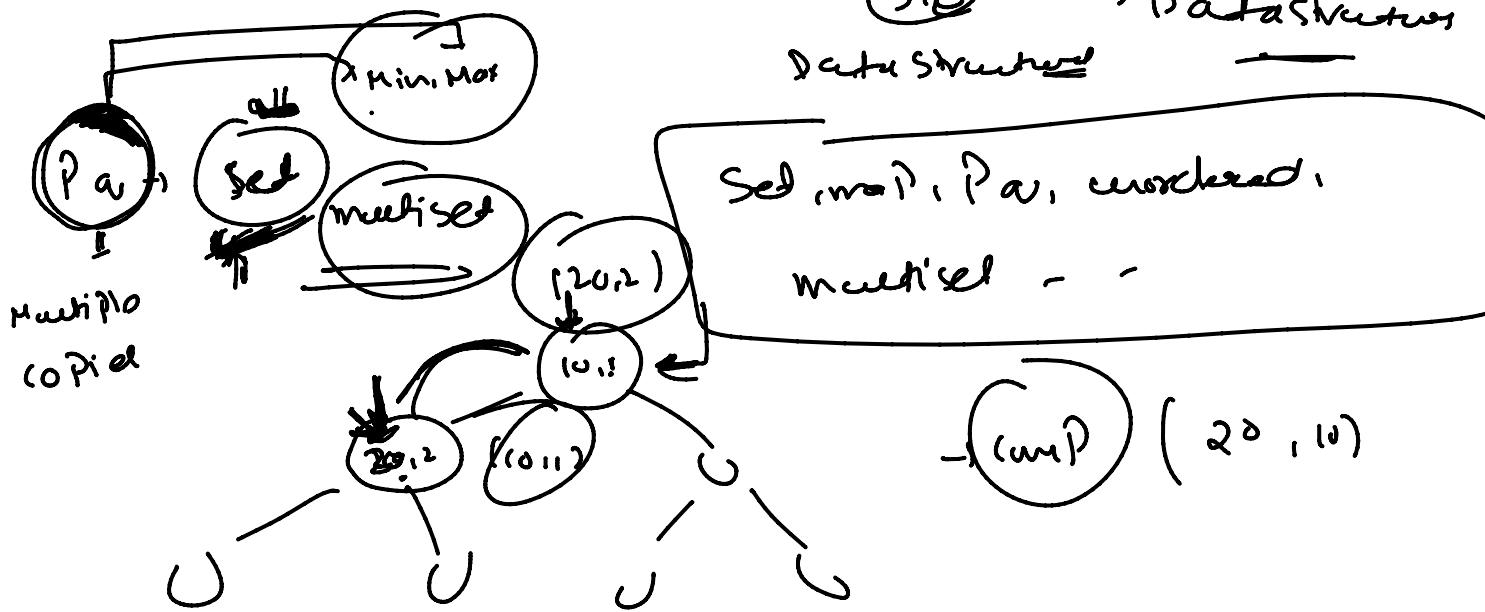
Sort → Ascending, comparators

Descending, greater <⇒ ()

Data Structures

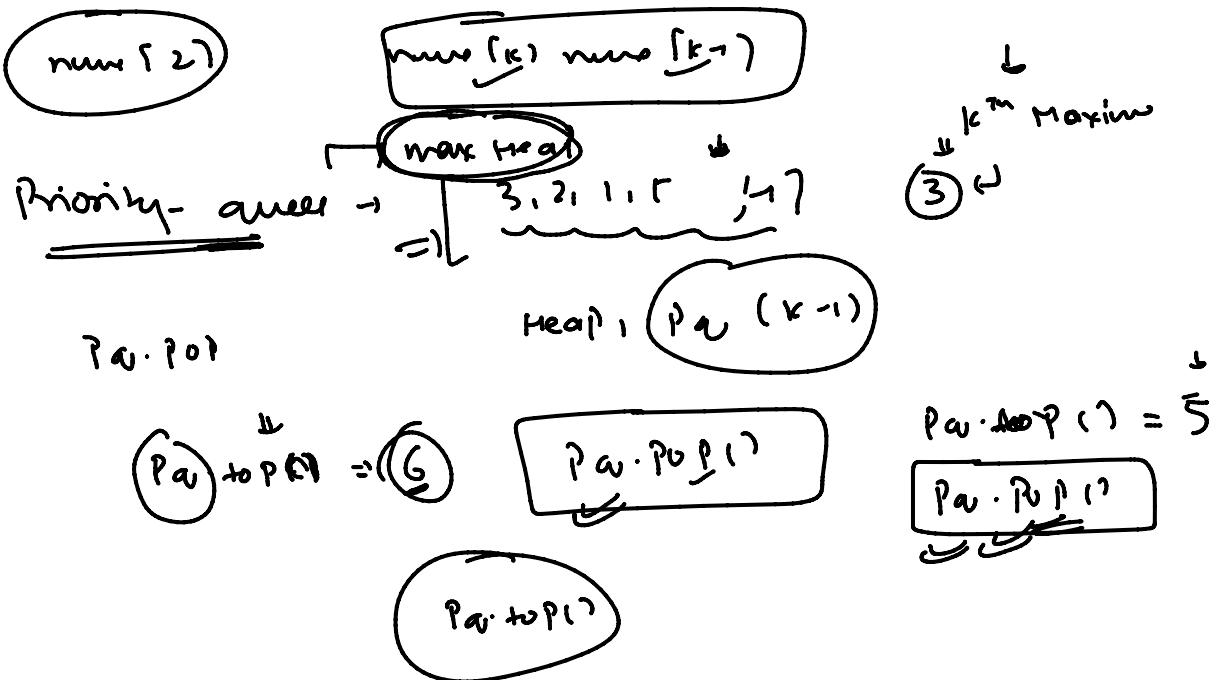
Set, map, Pairs, unordered

multiset - -



kth largest element in Array

sort \rightarrow $[3, 2, 1, 5, 6, 4]$ (k) $(k-1)$



$(k-1) \underline{P_{av}}$

int k^{th} largest (vector<int> &arr, int k)

Priority-queue \leftarrow $\text{int} > P_{av};$

for (auto i: arr)

$\leftarrow P_{av}.\text{push}(i);$

η

for (i: 0; i < k-1; i++)

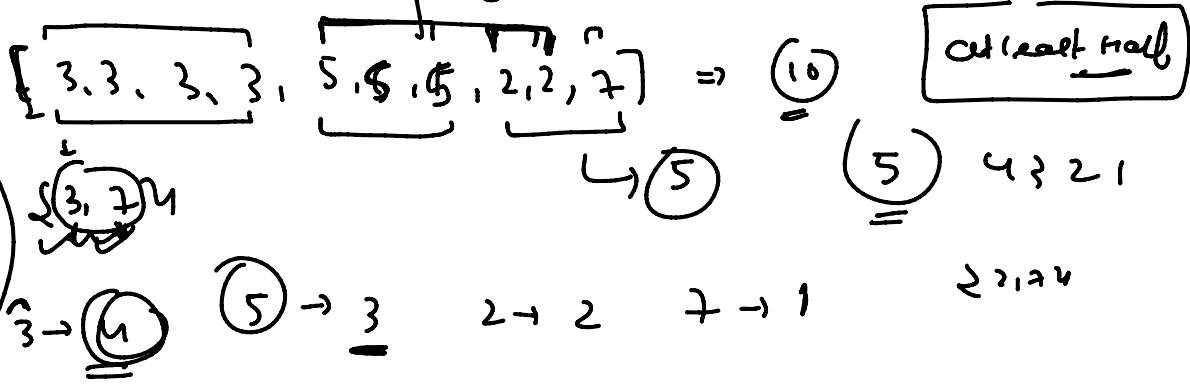
$\leftarrow P_{av}.\text{pop}_P();$

η

return $P_{av}.\text{top}();$

η

Reduce Array Size to Half



map, unordered

map< $\text{int}, \text{int}\rangle$ ma;

For (auto i : nme)

{ ma[i] += i;

Priority - queue< $\text{int} \rangle$ Pa;

For (auto i : ma)

{ Pa.push(i.second)

int count = 0;

int ans = 0;

while (Pa.size())

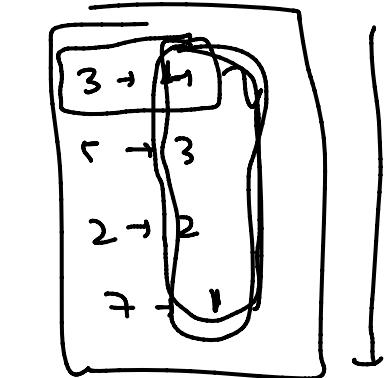
* int tP = Pa.top();

(count += tP;

ans++;

Pa.pop();

if (count > n / 2) {



ans = 1

count = 4 + 3 = 7

n = 10
7 ≥ 5

```

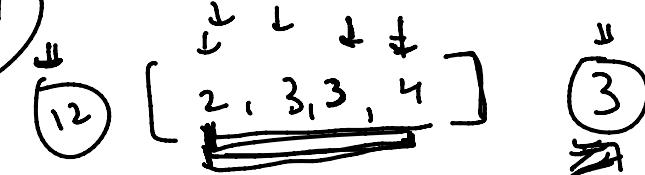
    Pa · push();
    if (cnd ≥ n/2)
    {
        break;
    }
    return ans;

```

$$7 \geq 5$$

Remove stone to minimize total

greedy



pile select remove
n/2 elements

$$\frac{7}{2} = 3 \quad \text{from it}$$

$$(3) + (3) + (2) = 8$$



$$G/2 = 3$$

Priority queue <?> Pa;

int sum = 0;
for (auto i : Pile)

{ Pa · Push (i); sum += i; }

γ

int sum_ = 0;

k=3

$$\underline{[2, 3, 3, 4]}$$

$$\begin{aligned} \text{sum} &= 20 \\ \frac{20}{2} &= 3 \\ \text{sum}_1 &= 6 + 2 = 8 \end{aligned}$$

while (!Pa · empty() and k > 0)

{ int tp = Pa · top();

int y = tp / 2;

sum_ += y;

Pa · pop();

Pa · push (tp - y);

$$20 - 8 = 12$$

|

$y \quad k--;$
 return sum - sum1;

k^{th} largest element in Stream

$F = 3$

$[4, 5, 8, 2, 3, 5, 10, 9, 1]$

$4, 5, 5, 8, 8$

maxheap1

(3) $4, 5, 8, 2, 3$ (1)

$K + 1C$

$O(k)(n)$

$\text{top} \rightarrow \text{min}$

$O(n \times k \times \log(n))$

108

Min heap?

K

5

$\rightarrow K \text{ size}$

$K=5$

5

vector <int>,

Priority queue <int, greater<int>> Pa;

k^{th} largest (int r , vector <int> new)

$\leftarrow \text{this} \rightarrow K = K;$

$(K=3)$

$3, 2, 4$

for (auto i : new)

$\leftarrow \text{Pa}.push(i);$

$\leftarrow \text{if} (\text{Pa}.size() > K)$

new
(3) elements

$\text{Pa}.top();$
 3 largest
 \leftarrow
 $3, 2, 4$
 $\leftarrow \text{Pa}.pop();$
 \leftarrow
 3

