

1. Write a function that, given a number n , returns another number where the k^{th} bit from the right is set to 0.

Examples:

`killKthBit(37, 3) = 33` because $37_{10} = 100101_2 \sim> 100001_2 = 33_{10}$

`killKthBit(37, 4) = 37` because the 4^{th} bit is already 0.

```
int killKthBit(int n, int k) {
    return (n & ~(1 << (k-1)));
}
```

2. `mov` vs `leaq` - describe the difference between the following:

`movq (%rdx), %rax` → takes contents of whatever is stored in `%rdx` and
`leaq (%rdx), %rax` moves it to `%rax`
 ↳ computes load effective address and stores in `%rax`.

3. Invalid `mov` Instructions - Explain why these instructions would not be found in an assembly program.

a) `movl %eax, %rdx`

destination operand has incorrect size.

b) `movb %di, 8(%rdx)`

instruction suffix and register size do not match.

c) `movq (%rsi), 8(%rbp)`

source and destination cannot both be memory references.

d) `movw 0xFF, (%eax)`

`%eax` cannot be used as an address register
 (not 64 bits)

4. What would be the corresponding instruction to move 64 bits of data from register `%rax` to register `%rcx`?

`movq (%rax), %rcx`

5. Operand Form Practice (see page 181 in textbook)

Assume the following values are stored in the indicated registers/memory addresses.

Address	Value	Register	Value
0x104	0x34	<code>%rax</code>	0x104

0x108	0xCC	%rcx	0x5
0x10C	0x19	%rdx	0x3
0x110	0x42	%rbx	0x4

Fill in the table for the indicated operands:

<u>Operand</u>	<u>Value</u>	<u>Operand</u>	<u>Value</u>
\$0x110	<u>0x110</u>	3(%rax, %rcx)	<u>0x19</u>
%rax	<u>0x104</u>	256(, %rbx, 2)	<u>0xCC</u>
0x110	<u>0x42</u>	(%rax, %rbx, 2)	<u>0x19</u>
(%rax)	<u>0x34</u>		
8(%rax)	<u>0x19</u>		
(%rax, %rbx)	<u>0xCC</u>		

6. Condition Codes and Jumps - Assume the addresses and registers are in the same state as in Problem 6. Does the following code result in a jump to .L2?

```
leaq (%rax, %rbx), %rdi - ①
cmpq $0x100, %rdi - ②
jg .L2 - ③
```

YES

① $0x104 + 0x04 = 0x108 \rightarrow \%rdi$

② sets codes according to $0x108 - 0x100$,
no codes set.

③ jg is calculated as $\sim(SF \wedge OF) \& \sim ZF$, i.e.
 $\sim(0 \wedge 0) \& \sim 0 = 1 \& 1 = 1$. Hence jump.