

Word 2 vec Notebook

1, window - size

2, model

Doc2Vec

Project Milestone

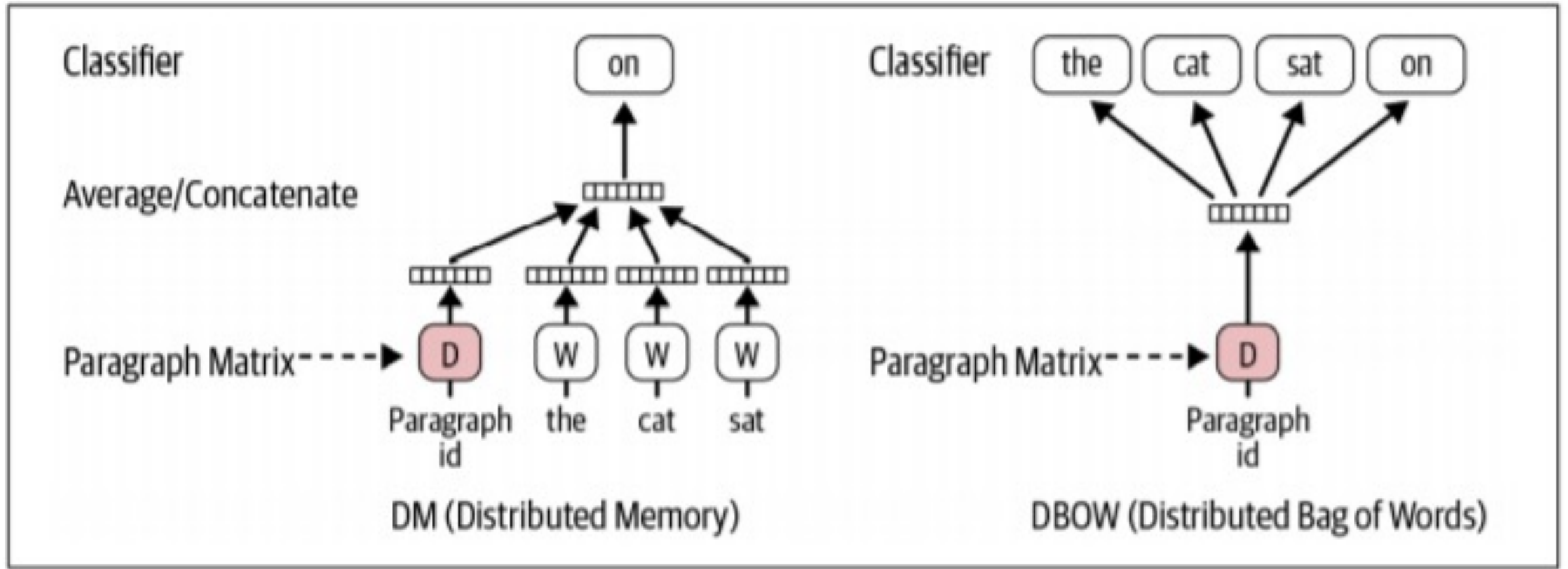


Figure 3-13. Doc2vec architectures: (a) DM and (b) DBOW

Doc 2 Ver

GloVE *Git Hub Link*

Document 1: The farm was home.

Document 2: I liked the farm.

Window size: Let's say it is 3

	the	farm	was	home	I	liked
the	0	2	0	0	0	1
farm	2	0	1	0	0	0
was	0	1	0	1	0	0
home	0	0	1	0	0	0
I	0	0	0	0	0	1
liked	1	0	0	0	1	0

Co-occurrence matrix

GloVe

Document 1: The farm was home.

Document 2: I liked the farm.

Window size: Let's say it is 3

	the	farm	was	home	I	liked
the	0	2	0	0	0	1
farm	2	0	1	0	0	0
was	0	1	0	1	0	0
home	0	0	1	0	0	0
I	0	0	0	0	0	1
liked	1	0	0	0	1	0

Co-occurrence matrix

→ within our window,
"home" appear with
"liked" 0 time

of times the word
home occurs in the
context of the word
liked

Generalization: Each
cell is the number of
times word j occurs in
the context of word i

$$X_{ij}$$

GloVe

Document 1: The farm was home.

Document 2: I liked the farm.

Window size: Let's say it is 3

	the	farm	was	home	I	liked
the	0	2	0	0	0	1
farm	2	0	1	0	0	0
was	0	1	0	1	0	0
home	0	0	1	0	0	0
I	0	0	0	0	0	1
liked	1	0	0	0	1	0

of times any word appears in the context of word home.

$$X_i = \sum_{j=1}^N X_{ij}$$

Co-occurrence matrix

GloVe

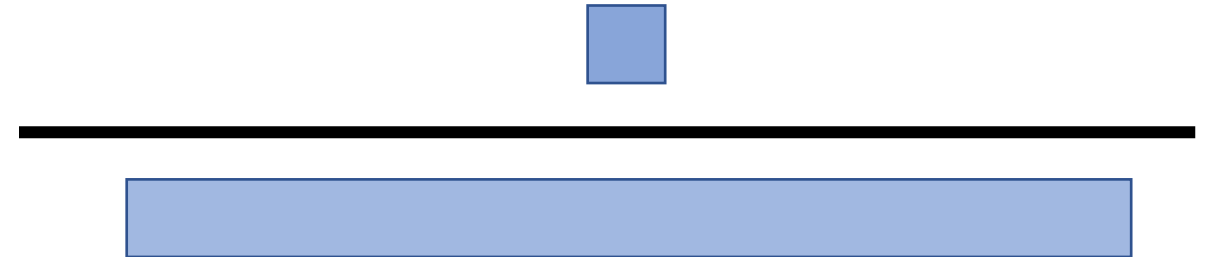
	the	farm	was	home	I	liked
the	0	2	0	0	0	1
farm	2	0	1	0	0	0
was	0	1	0	1	0	0
home	0	0	1	0	0	0
I	0	0	0	0	0	1
liked	1	0	0	0	1	0

Co-occurrence matrix

Document 1: The farm was home.

Document 2: I liked the farm.

Window size: Let's say it is 3



$= P(j | i) =$ The probability word j will appear in the context of word i .

GloVe

- Finding relevant words for the given words among probe words

Probability and Ratio	k = solid	k = gas	k = water	k = fashion
$P(k \text{ice})$	1.9×10^{-4}	6.6×10^{-5}	3.0×10^{-3}	1.7×10^{-5}
$P(k \text{steam})$	2.2×10^{-5}	7.8×10^{-4}	2.2×10^{-3}	1.8×10^{-5}
$P(k \text{ice}) / P(k \text{steam})$	8.9	8.5×10^{-2}	1.36	0.96

Ice appear with k
more than steam

Ice at
fashion
don't
frequently
appear
together

GloVe (alternative of word2vec

$$F(w_i, w_j, \tilde{w}_k) = \frac{P_{ik}}{P_{jk}}$$

$$F(w_i - w_j, \tilde{w}_k) = \frac{P_{ik}}{P_{jk}}$$

$$F((w_i - w_j)^T \tilde{w}_k) = \frac{P_{ik}}{P_{jk}}$$

factorization of the logarithm of co-occurrence matrix

bias

$$w_i^T \tilde{w}_k + (b_i + b_k) = \log(X_{ik})$$

- Cost Function = $f(X_{ij}) * [\sum_{i,j=1}^V w_i^T \tilde{w}_j + b_i + \tilde{b}_j - \ln(X_{ij})]^2$

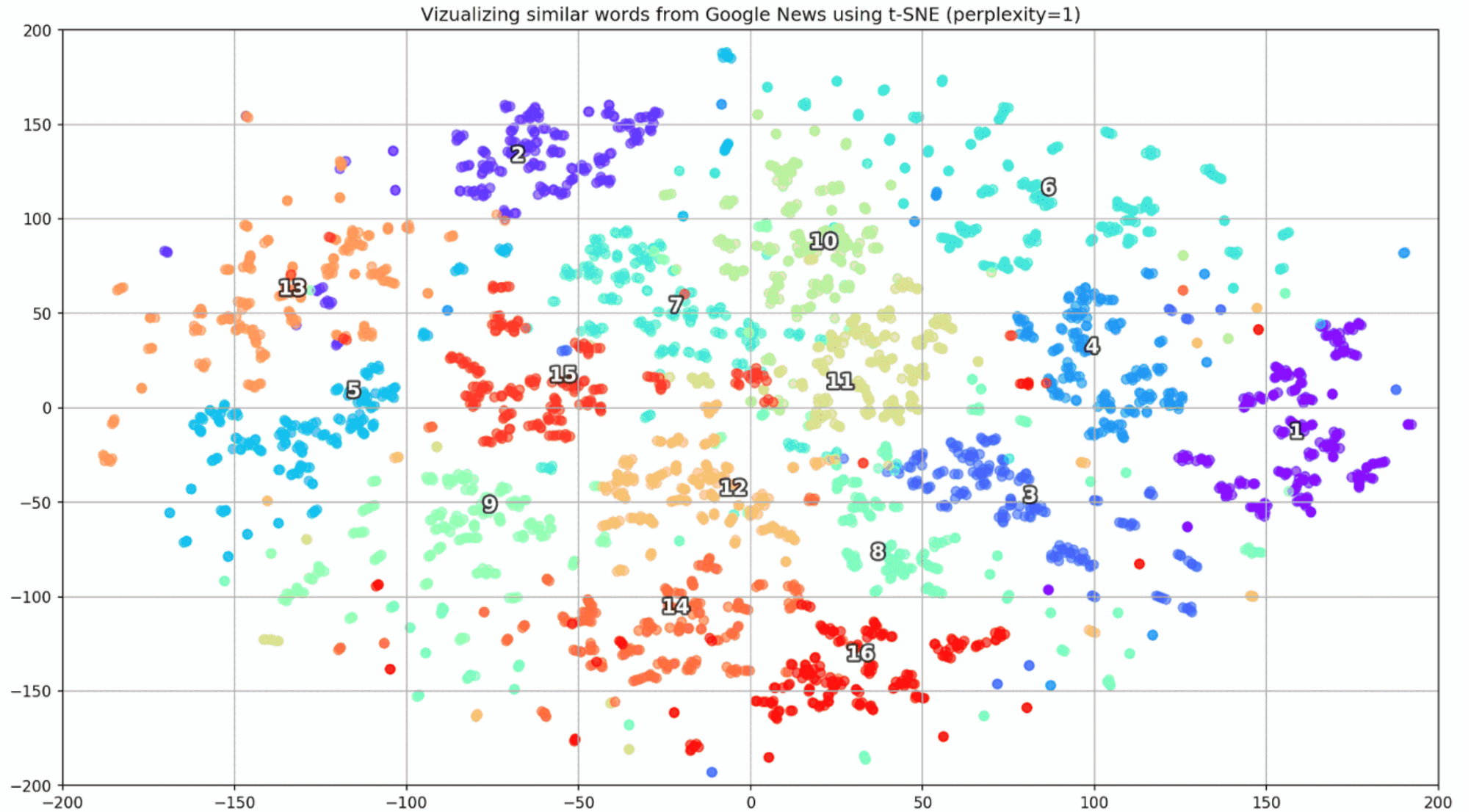
Visually inspecting word vectors

- We still have quite a high-dimensional vector representation for each word...

```
[6] #What is the vector representation for a word?  
w2v_model['beautiful']
```

```
array([-0.01831055,  0.05566406, -0.01153564,  0.07275391,  0.15136719,  
       -0.06176758,  0.20605469, -0.15332031, -0.05908203,  0.22851562,  
       -0.06445312, -0.22851562, -0.09472656, -0.03344727,  0.24707031,  
        0.05541992, -0.00921631,  0.1328125 , -0.15429688,  0.08105469,  
       -0.07373047,  0.24316406,  0.12353516, -0.09277344,  0.08203125,  
        0.06494141,  0.15722656,  0.11279297, -0.0612793 , -0.296875 ,  
       -0.13378906,  0.234375 ,  0.09765625,  0.17773438,  0.06689453,  
       -0.27539062,  0.06445312, -0.13867188, -0.08886719,  0.171875 ,  
        0.07861328, -0.10058594,  0.23925781,  0.03808594,  0.18652344,  
       -0.11279297,  0.22558594,  0.10986328, -0.11865234,  0.02026367,  
        0.11376953,  0.09570312,  0.29492188,  0.08251953, -0.05444336,  
       -0.0090332 , -0.0625 , -0.17578125, -0.08154297,  0.01062012,  
       -0.04736328, -0.08544922, -0.19042969, -0.30273438,  0.07617188,  
        0.125 , -0.05932617,  0.03833008, -0.03564453,  0.2421875 ,  
        0.36132812,  0.04760742,  0.00631714, -0.03088379, -0.13964844,  
        0.22558594, -0.06298828, -0.02636719,  0.1171875 ,  0.33398438,  
       -0.07666016, -0.06689453,  0.04150391, -0.15136719, -0.22460938,  
        0.03320312, -0.15332031,  0.07128906,  0.16992188,  0.11572266,  
       -0.13085938,  0.12451172, -0.20410156,  0.04736328, -0.296875 ,  
       -0.17480469,  0.00872803, -0.04638672,  0.10791016, -0.203125 ,  
       -0.27539062,  0.2734375 ,  0.02563477, -0.11035156,  0.0625 ,  
        0.1953125 ,  0.16015625, -0.13769531, -0.09863281, -0.1953125 ,  
       -0.22851562,  0.25390625,  0.00915527, -0.03857422,  0.3984375 ,  
       -0.1796875 ,  0.03833008, -0.24804688,  0.03515625,  0.03881836,
```

t-SNE



<https://towardsdatascience.com/google-news-and-leo-tolstoy-visualizing-word2vec-word-embeddings-with-t-sne-11558d8bd4d>

T-distributed Stochastic Neighbor Embedding

t-SNE

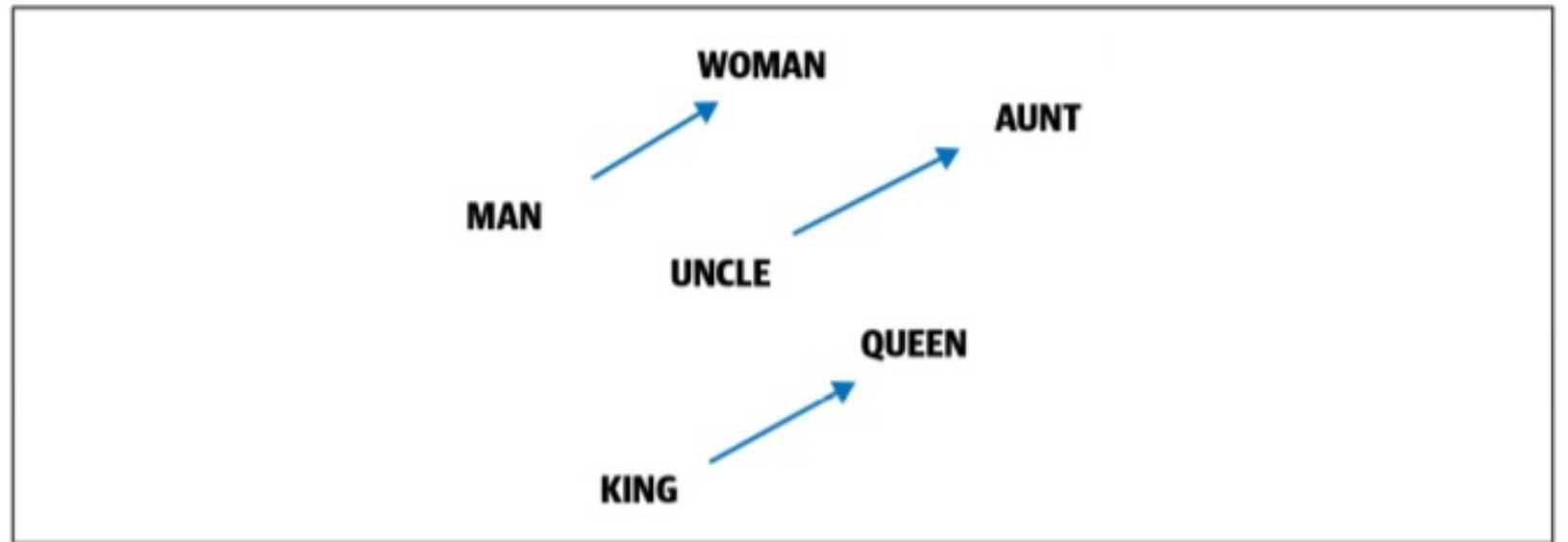


Figure 3-16. *t*-SNE visualization shows some interesting relationships [7]

t-SNE

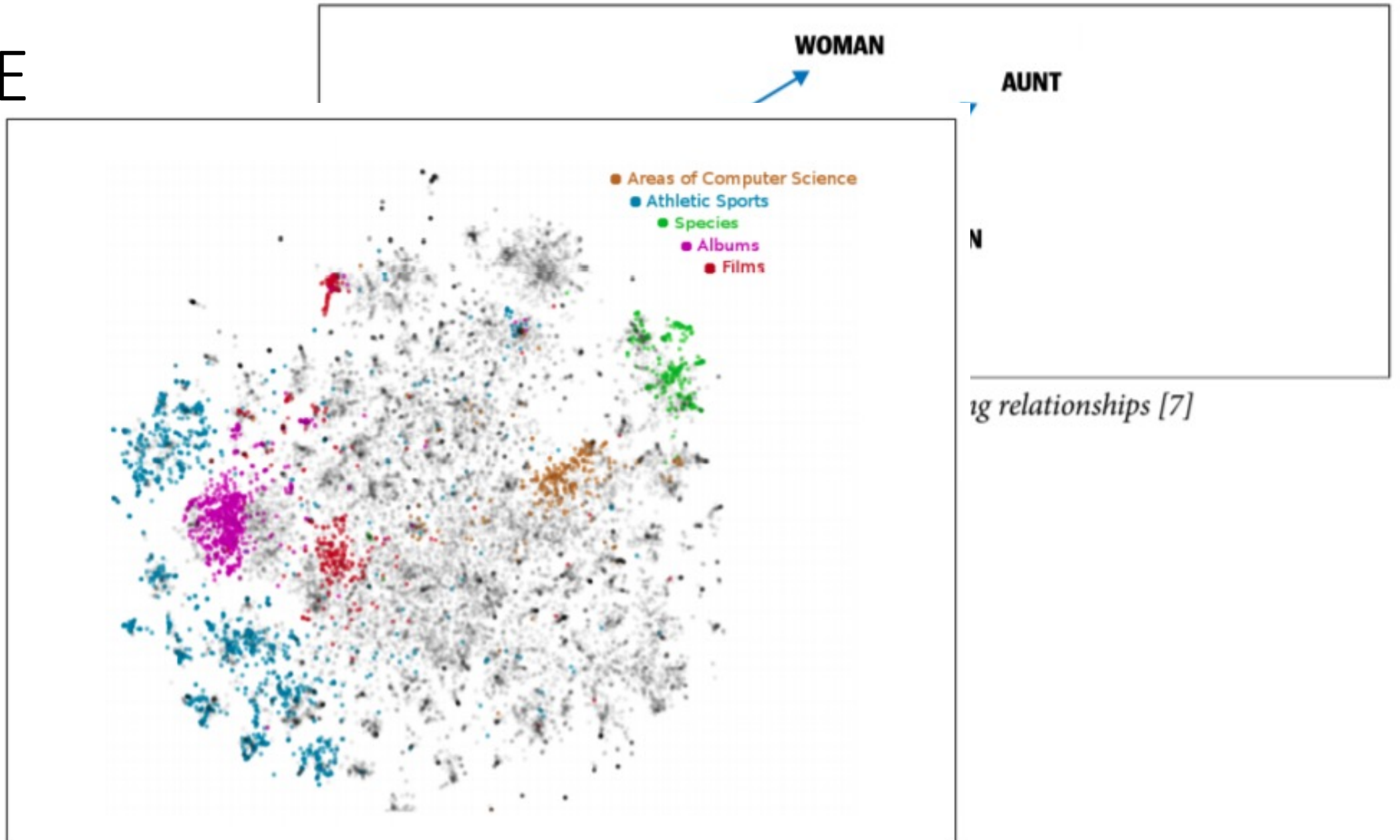
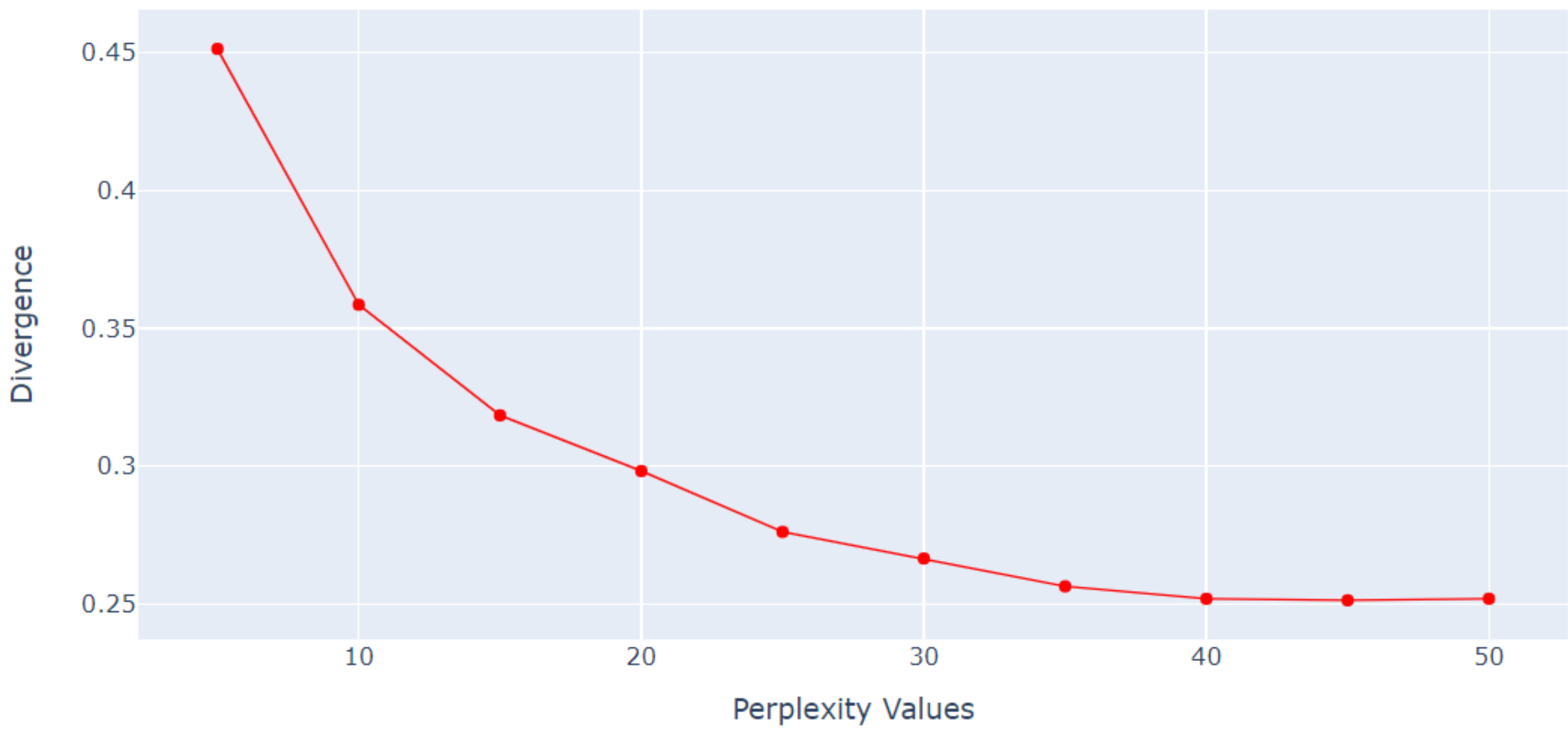


Figure 3-17. Visualization of Wikipedia document vectors [34]

Visualizing Embeddings

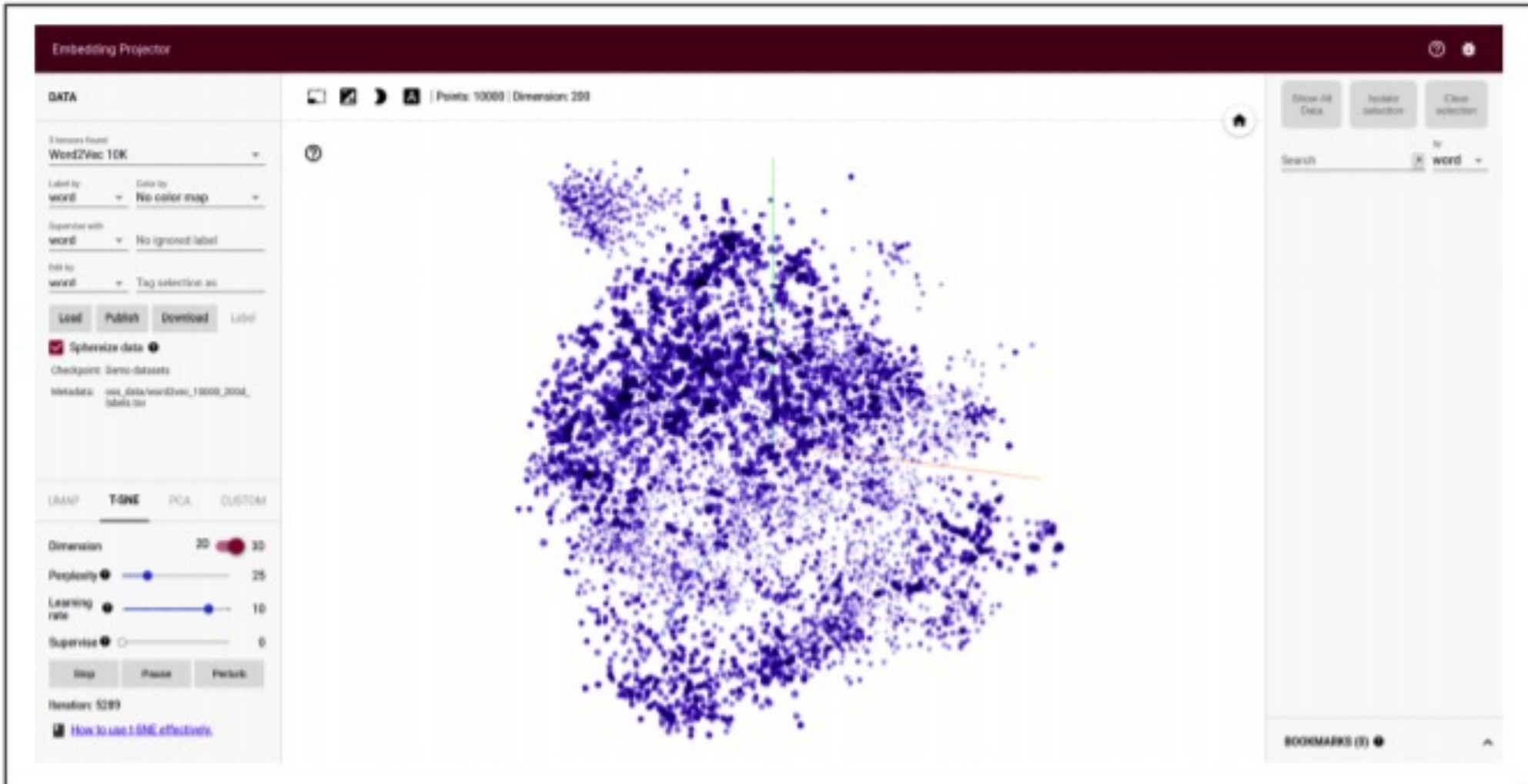
- How do we visualize such a high dimension?
- Dimensionality reduction techniques
 - t-SNE
 - *The number of components*
 - *Perplexity value*
 - *The type of initialization*
 - Mapping Gaussian Distribution to a t-distribution



Steps of t-SNE

1. Compute pairwise similarities between data points
2. Transform similarities into a probability distribution that represents the similarities between datapoints in high-dimensional space
3. Reduce the dimensionality - minimize a cost function measuring difference between the similarities in the high-dimensional space and the low-dimensional space
4. Optimize this mapping between the spaces

The Embedding Projector



<https://projector.tensorflow.org>

Drawbacks of t-SNE

- Perplexity balances the attention t-SNE gives to local and global aspects of the data and can have large effects on the resulting plot
- You cannot see the relative sizes of clusters in a t-SNE plot
- Distances between well-separated clusters in a t-SNE plot may mean nothing
- Clumps of points — especially with small perplexity values — might just be noise

Activity

- Train a Word2Vec model from scratch using Gensim
- Visualize this embedding using t-SNE

④ Types of Similarity between Embeddings

- Euclidean
- Cosine
- Manhattan
- etc.

	Trait #1	Trait #2	Trait #3	Trait #4	Trait #5
Jay	-0.4	0.8	0.5	-0.2	0.3

Person #1	-0.3	0.2	0.3	-0.4	0.9
-----------	------	-----	-----	------	-----

Person #2	-0.5	-0.4	-0.2	0.7	-0.1
-----------	------	------	------	-----	------

`cosine_similarity(`

Jay				
-0.4	0.8	0.5	-0.2	0.3

`,`

Person #1				
-0.3	0.2	0.3	-0.4	0.9

`) = 0.66` ✓

`cosine_similarity(`

Jay				
-0.4	0.8	0.5	-0.2	0.3

`,`

Person #2				
-0.5	-0.4	-0.2	0.7	-0.1

`) = -0.37`

Types of Similarity between Embeddings

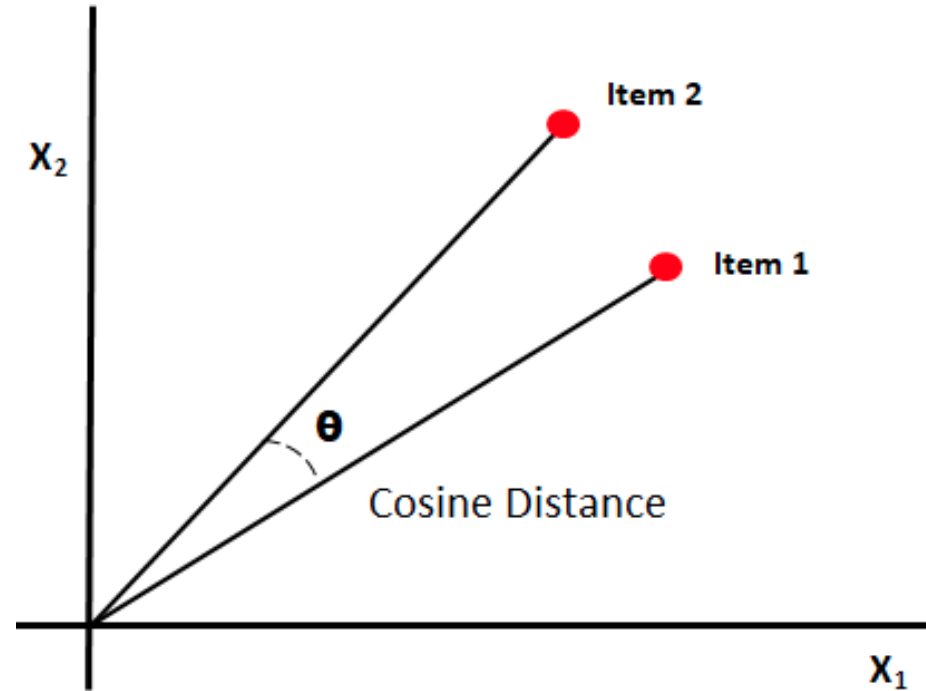
- **Euclidean**
- Cosine
- Manhattan
- etc.

$$A = [a_1, \dots, a_n] \quad B = [b_1, \dots, b_n]$$

$$\text{euclidean_dist} = \text{sqrt}(\sum_i (a_i - b_i)^2)$$

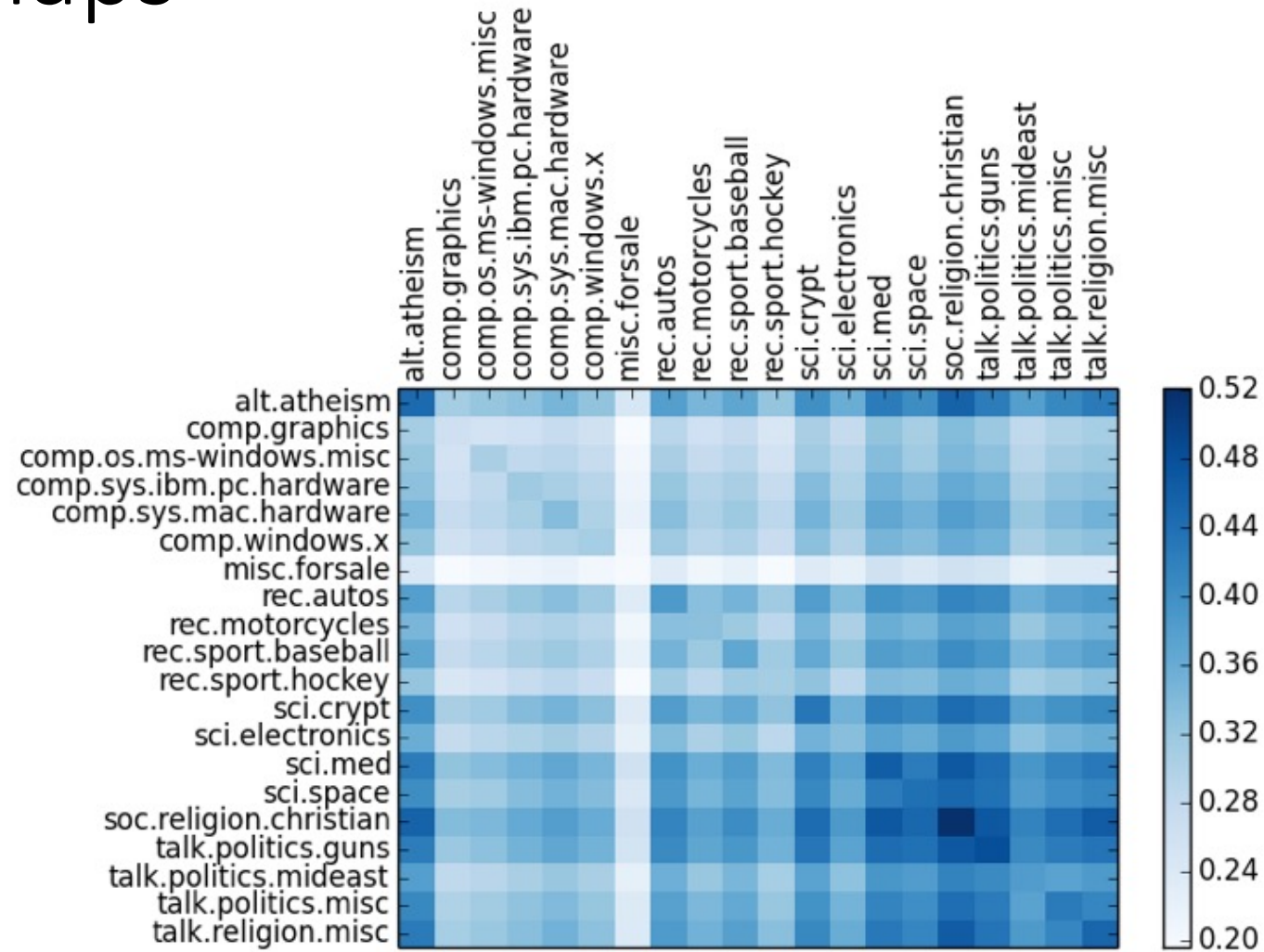
Types of Similarity between Embeddings

- Euclidean
- **Cosine**
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- etc.



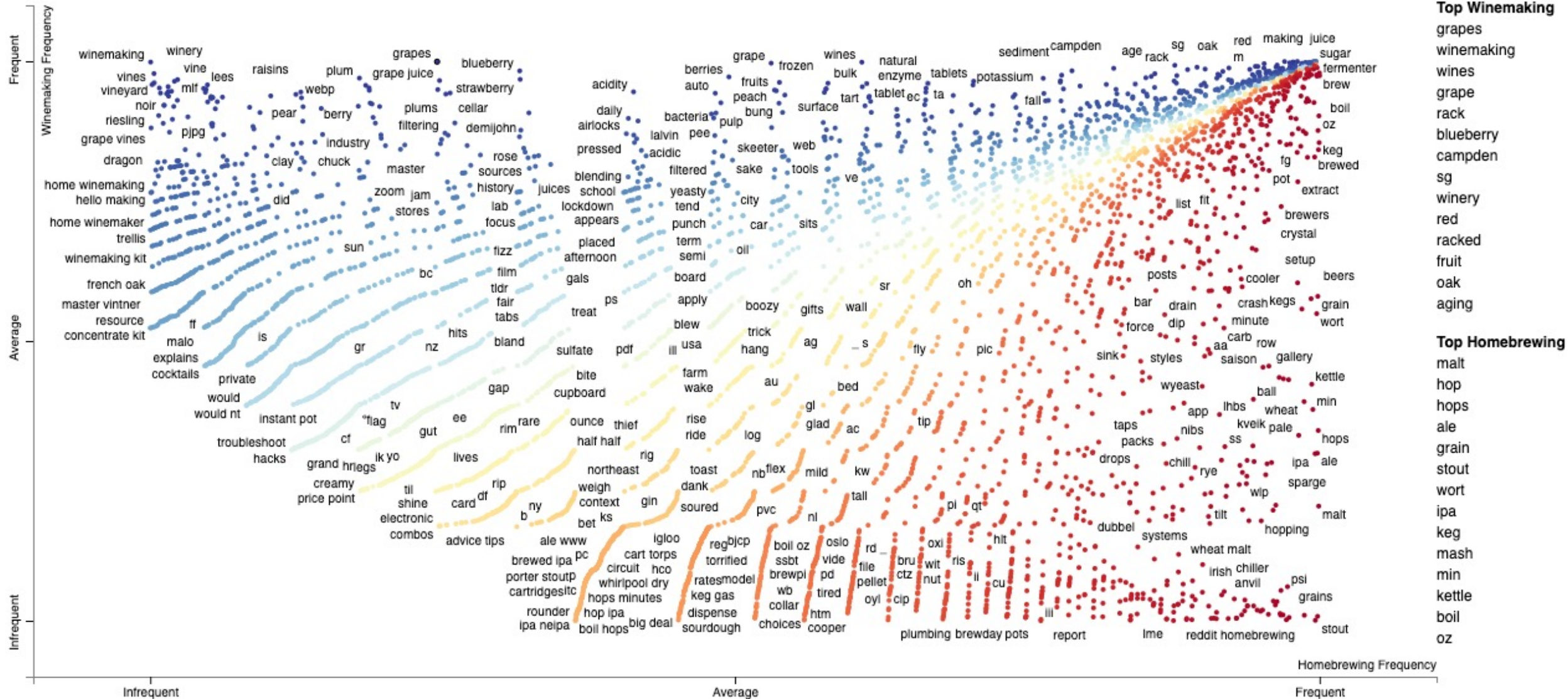
$$\text{similarity}(A,B) = \frac{A \cdot B}{\|A\| \times \|B\|} = \frac{\sum_{i=1}^n A_i \times B_i}{\sqrt{\sum_{i=1}^n A_i^2} \times \sqrt{\sum_{i=1}^n B_i^2}}$$

Heatmaps



<https://www.conniefan.com/2017/03/measures-of-similarity-in-the-20-newsgroups-dataset/>

Scattertext (Example in Exercise Notebook)



Next time

- Finding important topics in a text