

Exercise 1:

Use `lm()` -function to model the connection between shoe-size and body-size:

```
> shoesize<-c(38,38,39,39,40,40,41,41,42,42)
> bodysize<-c(153,161,167,169,173,176,182,181,188,189)
> bspl<-data.frame(shoesize,bodysize)
```

What are the coefficients of the model?

Plot the points and the model in one plot.

Hint: Use the functions

```
> summary( )
> plot( )
> coef( )
> abline( )
```

Exercise 2:

Modify the model by

(A) fitting the model to the log of body-size, i.e. `log(bodysize)`

(B) adding a square term to the model

Hint:

To transform back in the plot use:

```
lines(formula=exp(fitted(...model-name...))~schuhgröße, data=bspl)
```

To add the square term use:

```
lm(bodysize ~ shoesize + I(shoesize^2), data=bspl)
```

Exercise 3:

Use the `lm()` -function in R fit the 2-factor-model of the first lecture in linear modelling:

x_1	x_2	y	\hat{y}	res
-1	-1	3	2,5	0,5
1	-1	5	5,5	-0,5
-1	1	7	7,5	-0,5
1	1	11	10,5	0,5

Calculate coefficients, predictions, residuals for the linear model.

Then calculate coefficients for the interaction model.

What happens if you change x values to 20 instead of -1 and 40 instead of +1 for x_1 and to 20 instead of -1 and 30 instead of +1 for x_2 ?

Have the coefficients changed? Have the predictions changed?