```
# Importing numpy as np
import numpy as np
# Consider the Y vector to be a variable labeled "Missed Days at Work";
# there are 12 rows (objects)
Y=np.array([1,0,1,4,3,2,5,6,9,13,15,16])
print(Y)
Y.shape
     [1 0 1 4 3 2 5 6 9 13 15 16]
     (12,)
# Consider column 2 of X to be a variable labeled "Attitude Toward Work" - a 1 to 13 point
# rating scale where 1 is extremely favorable and 13 is extremely unfavorable;
# and consider column 3 of X to be a variable labeled "Years in Present Position";
# X has 12 rows and 3 columns; the first column is all 1's
X=np.array([[1,1,1],
          [1,2,1],
          [1,2,2],
          [1,3,2],
          [1,5,4],
          [1,5,6],
          [1,6,5],
          [1,7,4],
          [1,10,8],
          [1,11,7],
          [1,11,9],
          [1,12,10]])
print(X)
X.shape
 1 2 1]
      [1 2 2]
       1 3 2]
      [ 1
         5 4]
      [156]
      [1 6 5]
      [1 7 4]
      [ 1 10 8]
      [ 1 11 7]
     [ 1 11 9]
     [ 1 12 10]]
     (12, 3)
```

# Here I am taking XT as X-Transpose

# Transpose of X

```
XT=X.T
print(XT)
XT.shape
     [ 1 2 2 3 5 5 6 7 10 11 11 12]
     [1 1 2 2 4 6 5 4 8 7 9 10]]
    (3, 12)
# Multiplication of X-Transpose and X
# Here I am taking XM as multiplication of X-Transpose
XM=XT@X
print(XM)
XM.shape
    [[ 12 75 59]
     [ 75 639 497]
     [ 59 497 397]]
    (3, 3)
# Matrix Inverse
MI=np.linalg.inv((XT)@X)
print(MI)
    [[ 0.3169944 -0.0214686 -0.02023368]
     [-0.02023368 -0.07309775 0.09703619]]
#calculating betas
#for finding betas we have to multiple Matrix Inverse and X Transpose and Y
betas=MI@XT@Y
print(betas)
betas.shape
    (3,)
# Calculating Betas
# Here is another way of finding betas
# betas=np.linalg.inv((XT)@X)@(X.T)@Y
# print(betas)
# betas.shape
# Calculating 3 beta values
beta_0=betas[0]
print("Beta 0 :", beta_0)
```

```
beta_1=betas[1]
print("Beta 1 :", beta_1)
beta_2=betas[2]
print("Beta 2 :", beta_2)
```

Beta 0 : -2.2630379025362557 Beta 1 : 1.5497292675976007 Beta 2 : -0.2385294955827837

**Regression Equation**:  $Y^* = \beta 0^* + \beta 1^* * X1 + \beta 2^* * X2 + \epsilon$ 

 $Y^* = -2.2630379 + 1.54972927 * X1 + -0.2385295 * X2 + \epsilon$ 

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