

# Run 4 Analysis

Michael Murray

# MTA Lifetime Histograms

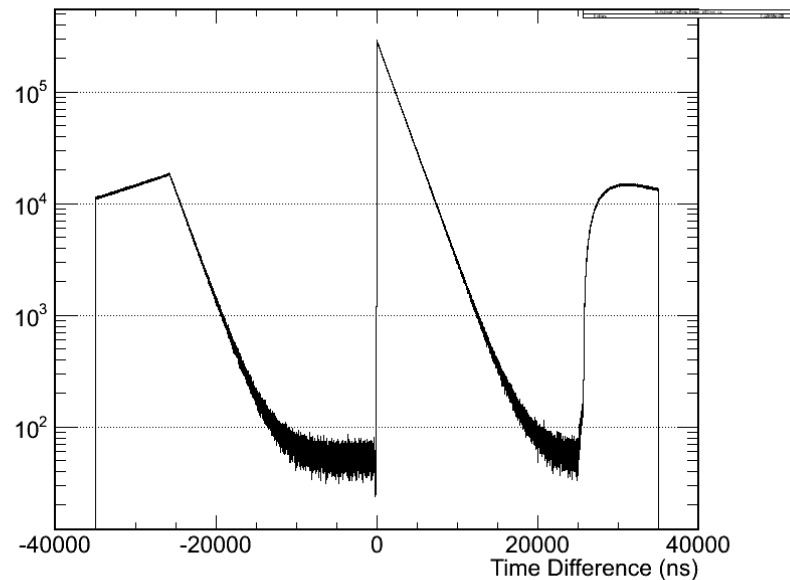
Histogram binning can be 1.25ns or 40ns

The CAEN TDC has a 40ns external clock period, but this is subdivided into 1.25ns bins.

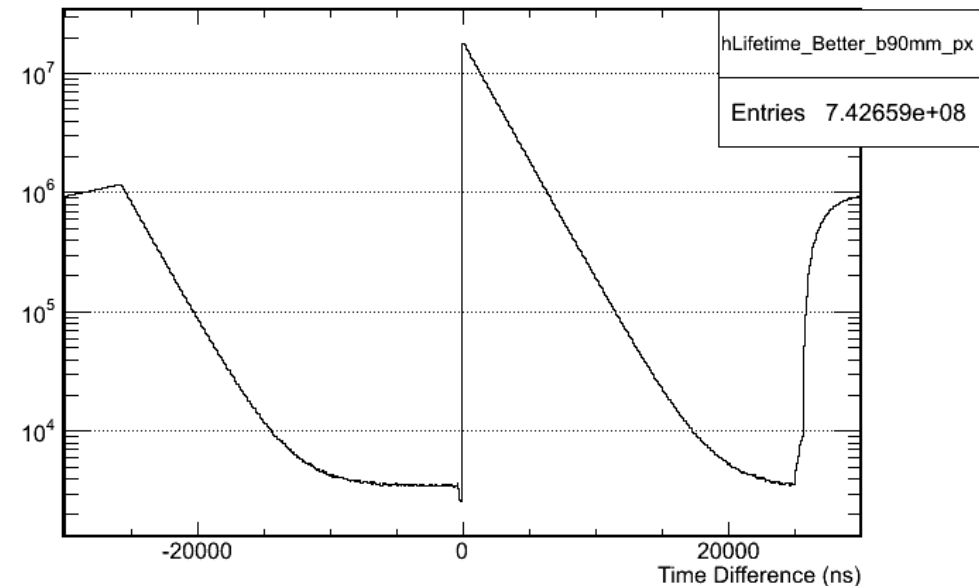
However, MuCap found that the interpolator is non-linear, which can inflate the  $\chi^2$  of the fit.

Thus, 40ns bins or a multiple should be used.

$T_{\text{eDet Track}} - T_{\text{Mu Track}}$ , BetterBox,  $b < 90\text{mm}$



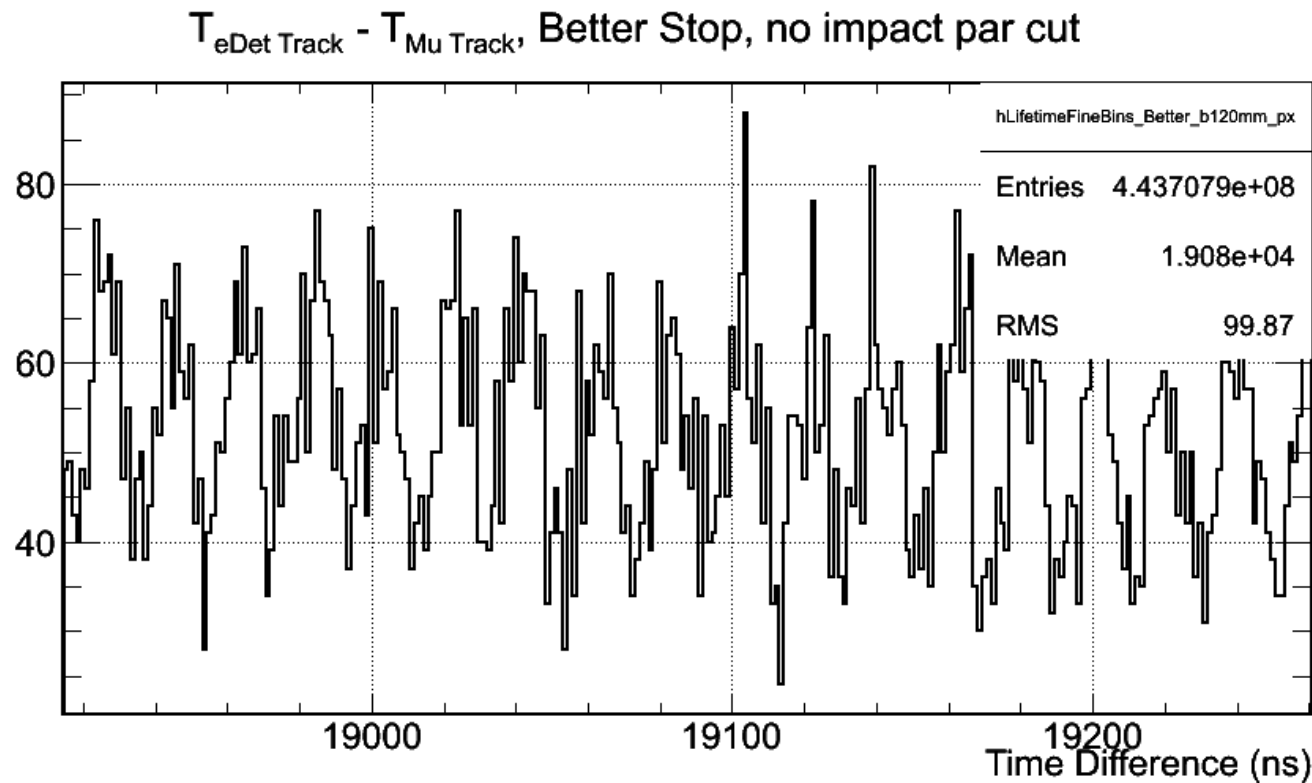
$T_{\text{eDet Track}} - T_{\text{Mu Track}}$ , Better Stop, impact par cut  $b < 90\text{ mm}$



# Residual Cyclotron RF

We see a residual component of the cyclotron RF in the electron background.

The frequency seen in the 40ns binned histograms is close to 1500ns.  
In the 1.25ns bins, the frequency is  $\sim 51\text{MHz}$ .



# Mu+ Lifetime Scans

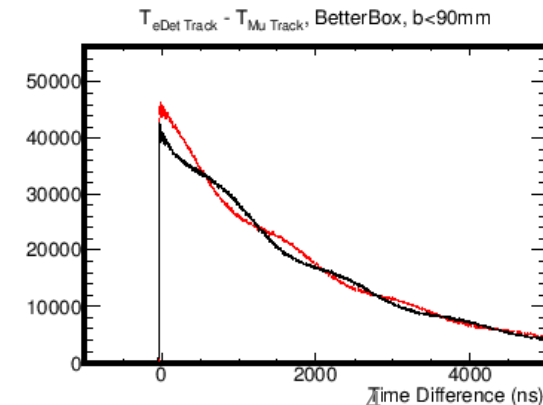
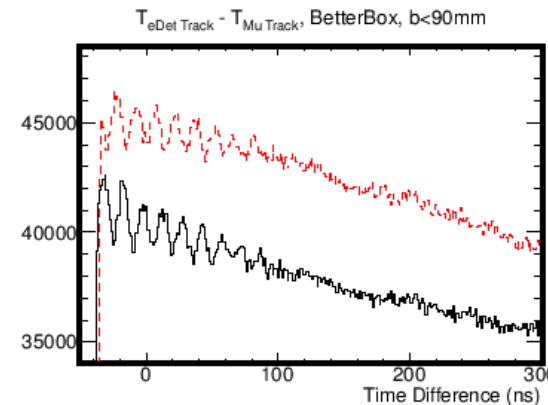
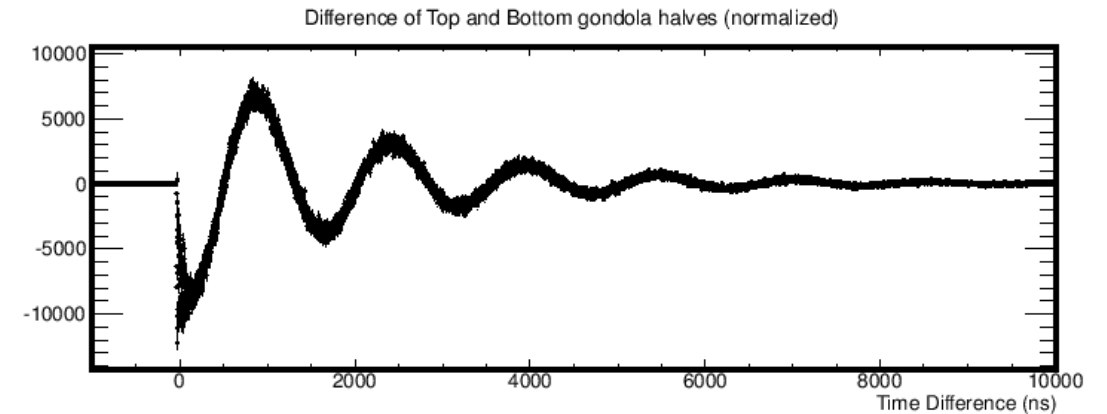
Mu+ does show stability with the geometric scans.

For all of these studies, I used the Mini pulse template fitter, and the basic clustering tracking algorithm (explained later).

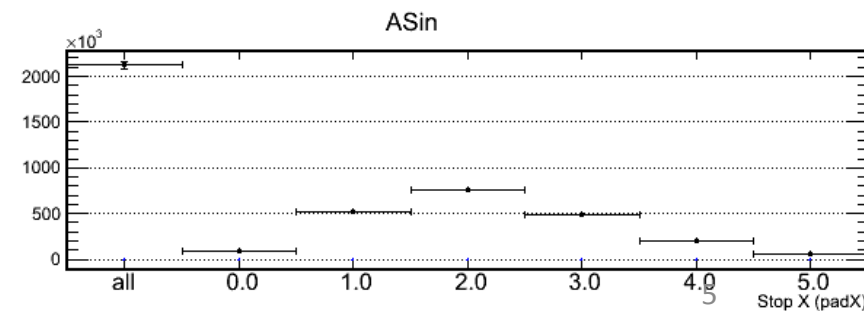
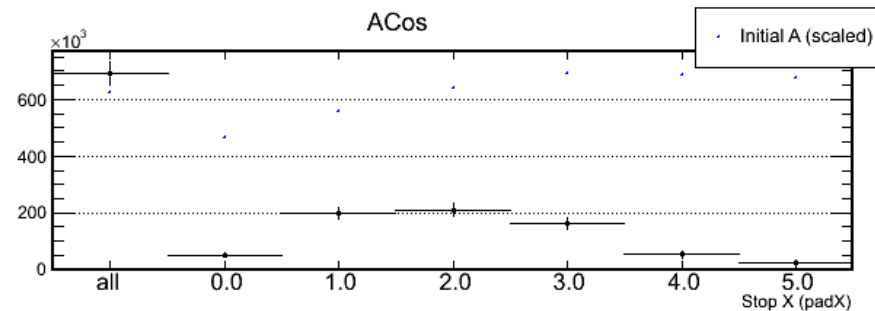
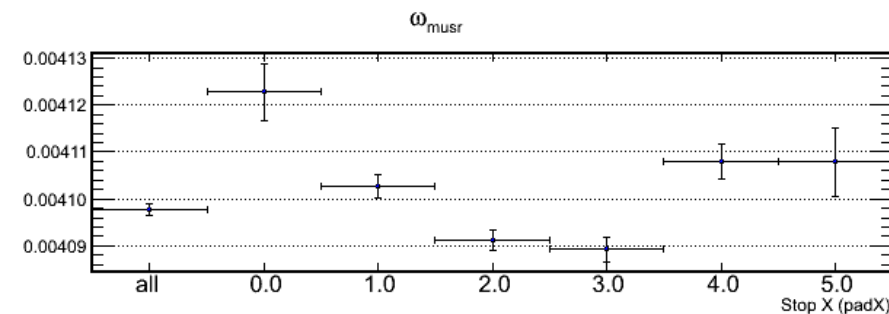
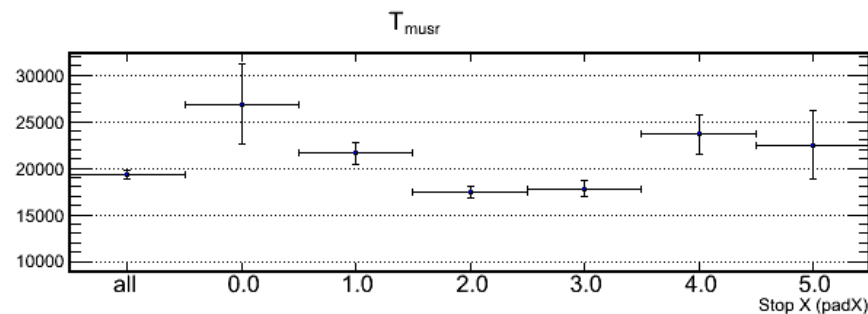
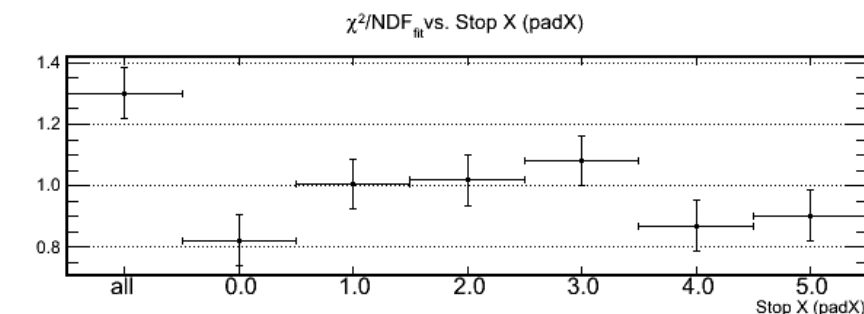
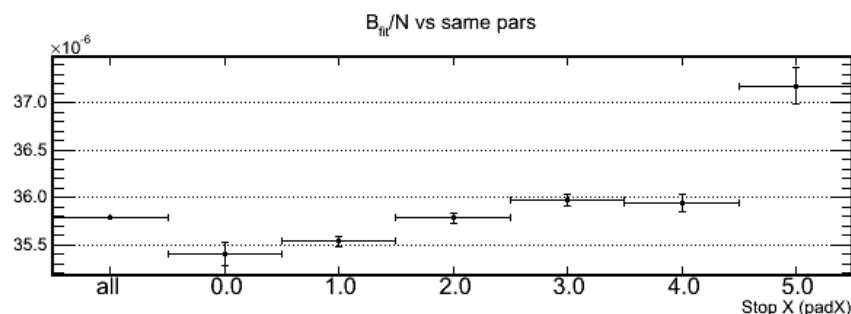
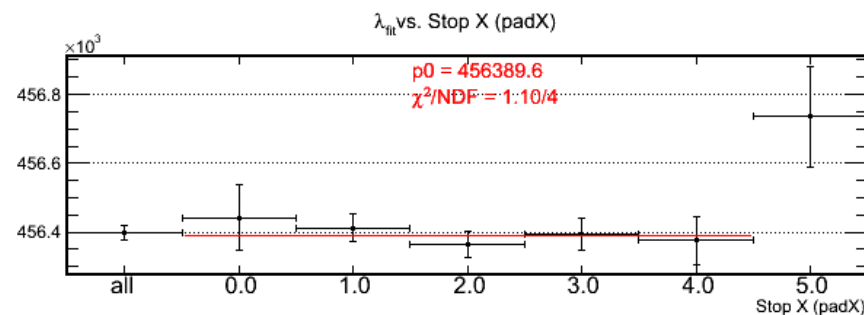
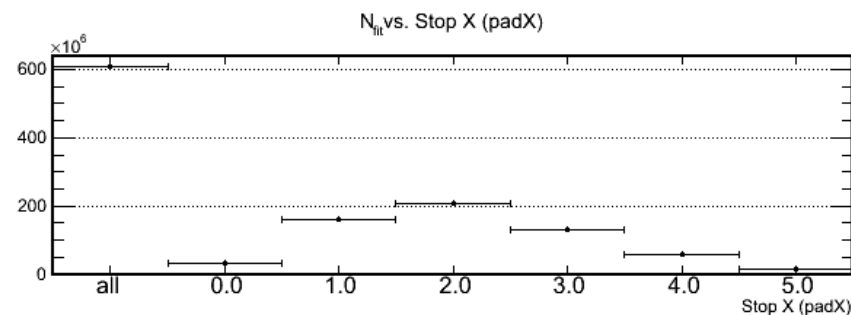
Standard cuts are

- Track length  $\geq 3$  pads
- Track S-Energy  $> 450$  keV (or 300 ch)
- Track stop is in fiducial volume (exclude border pads,  $15\text{mm} < Y < 55\text{mm}$ )
- Impact parameter  $< 90\text{mm}$

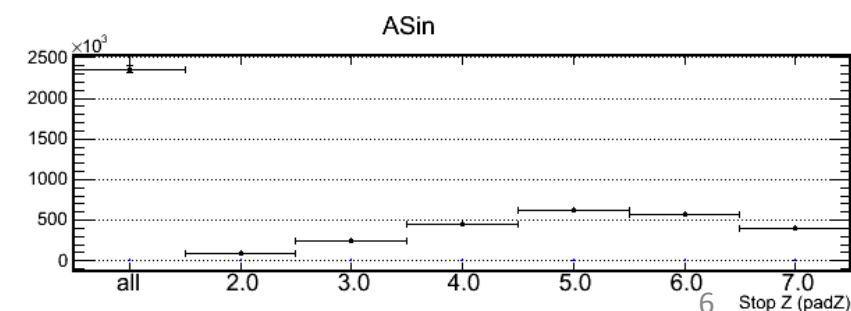
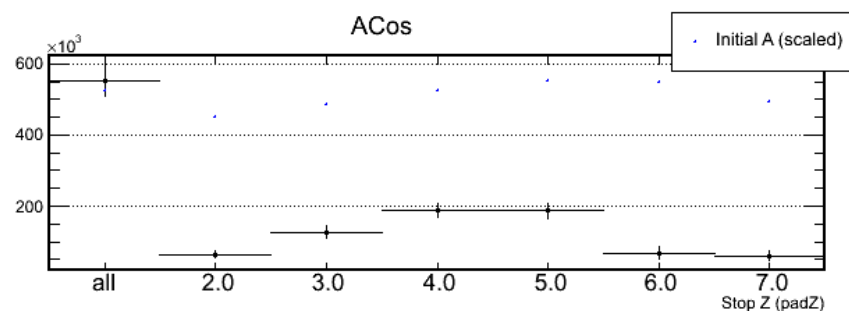
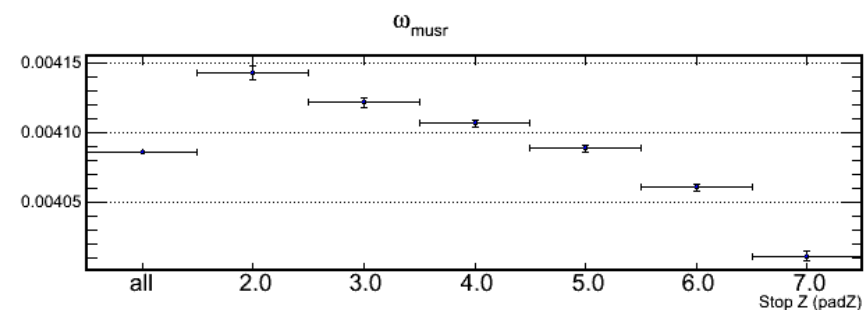
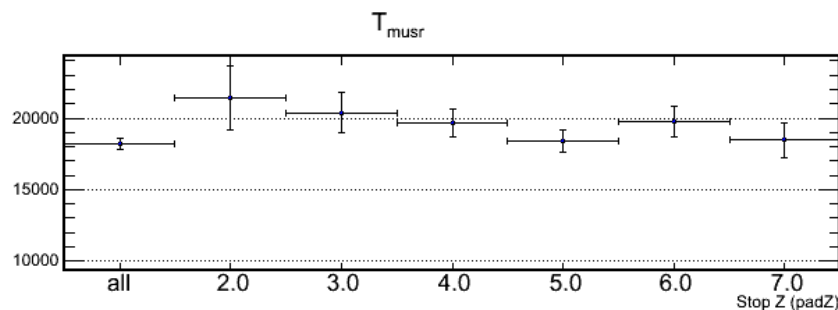
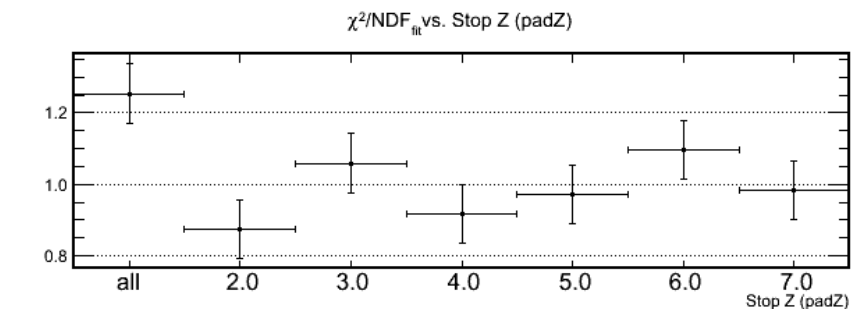
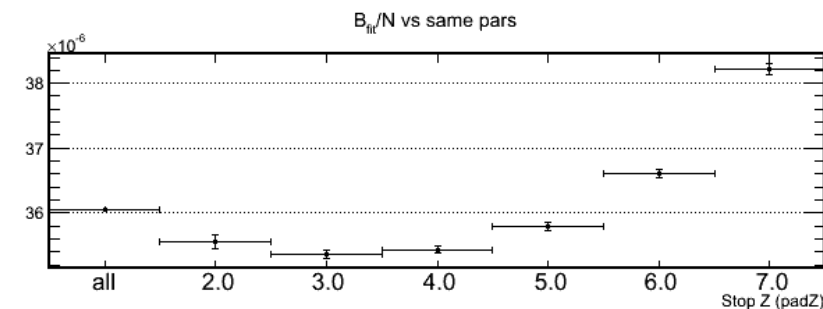
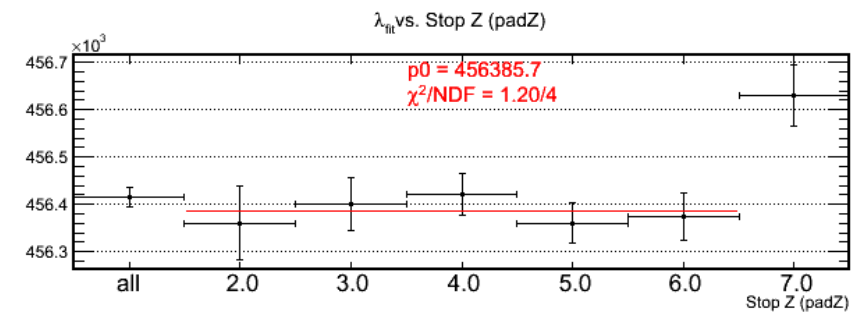
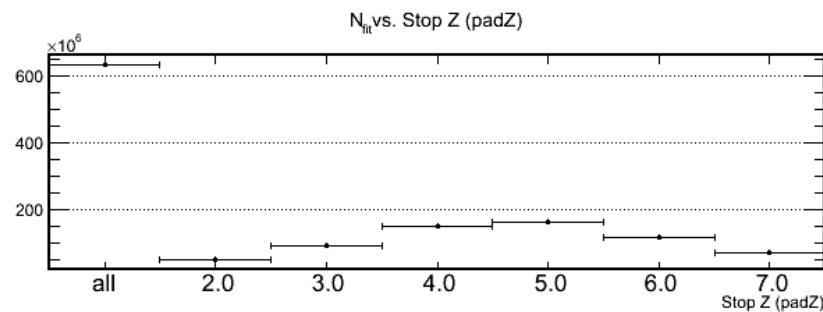
Fit start time 160ns, stop time 24000ns



# Mu+ fitting : Lifetime vs Stop X

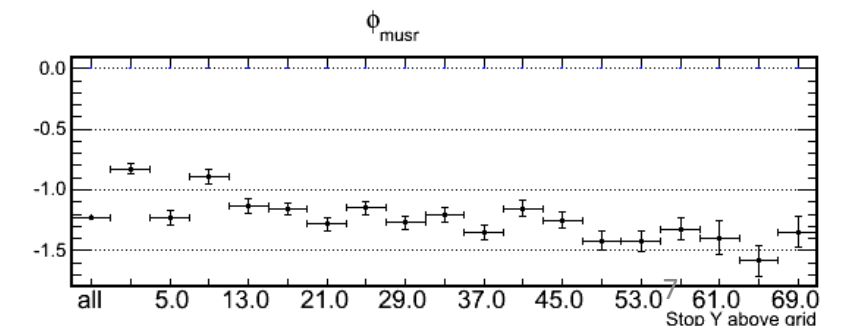
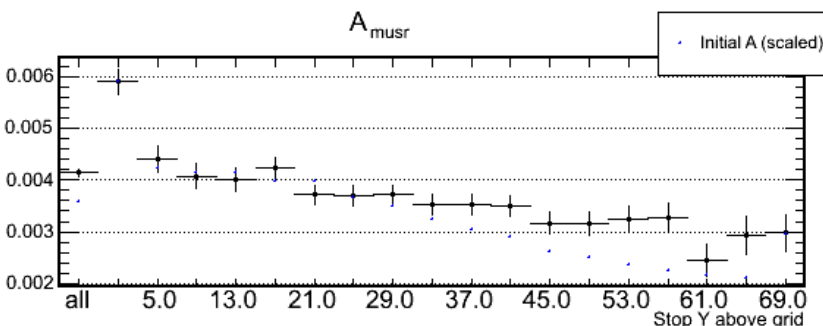
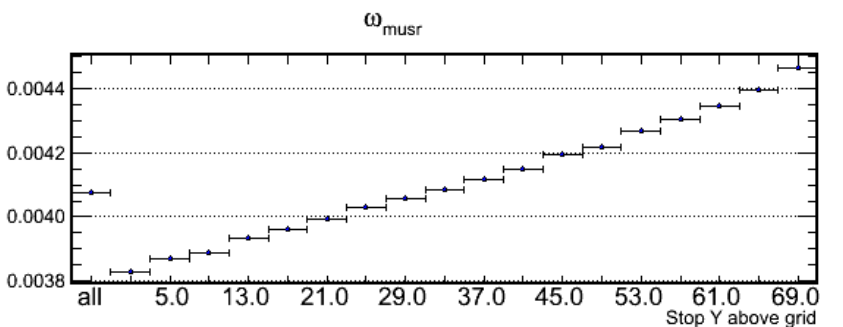
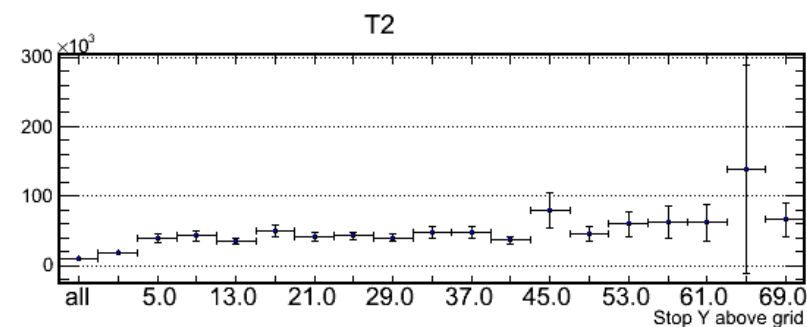
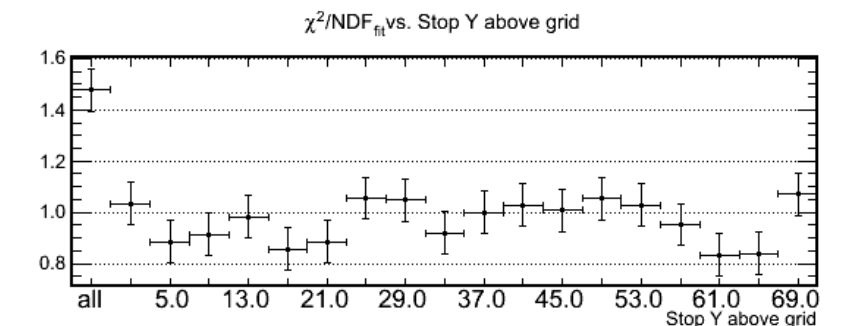
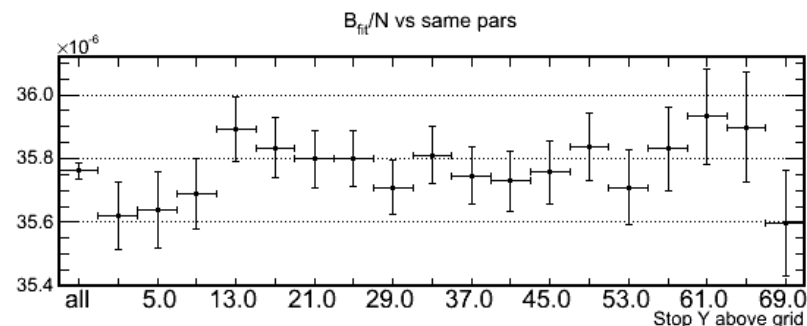
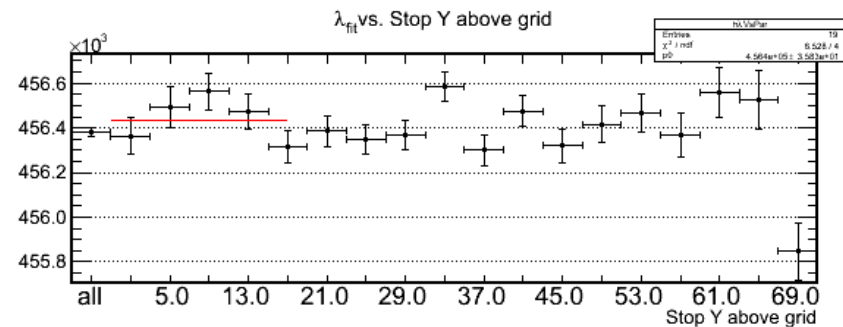
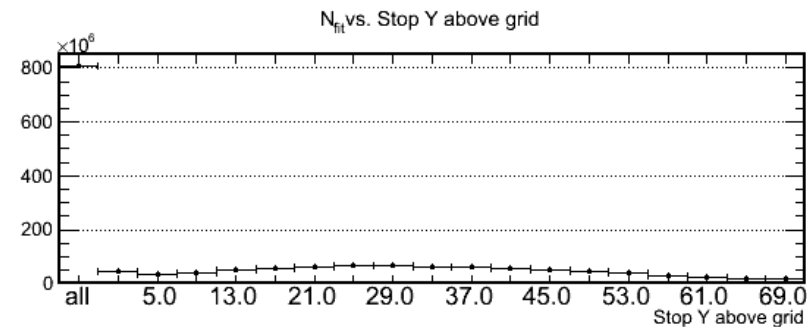


# Mu+ fitting : Lifetime vs Stop Z



# Mu+ fitting Lifetime vs Stop Y

Changing omega\_musr showed  
us that we mounted the magnet  
incorrectly in Run 4.

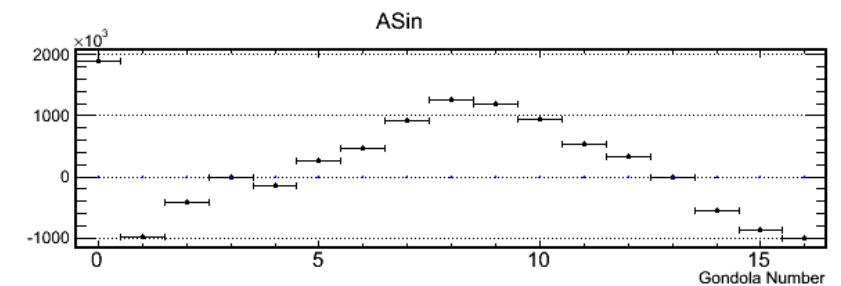
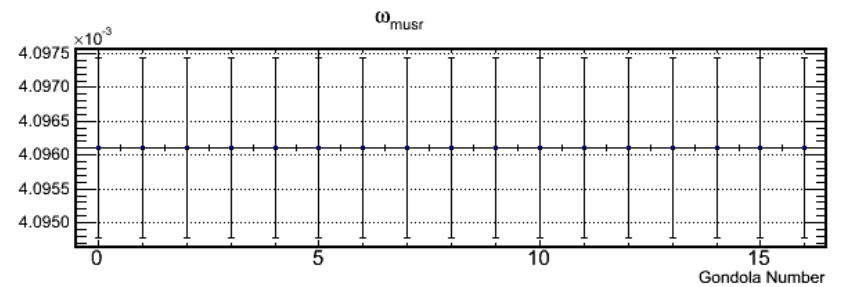
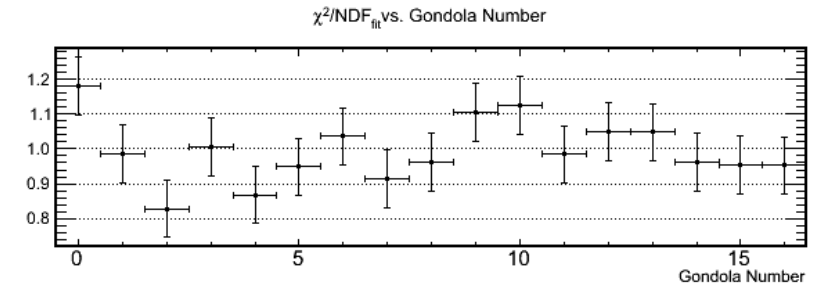
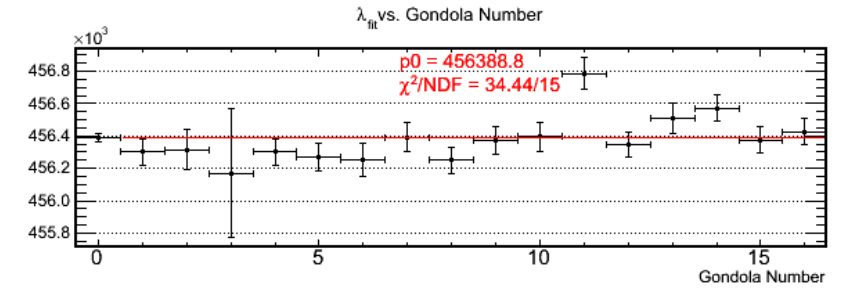
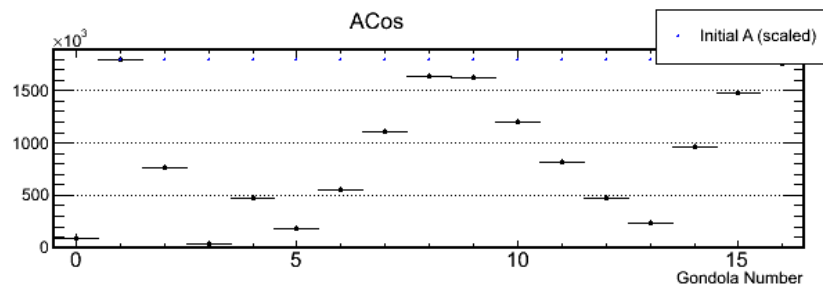
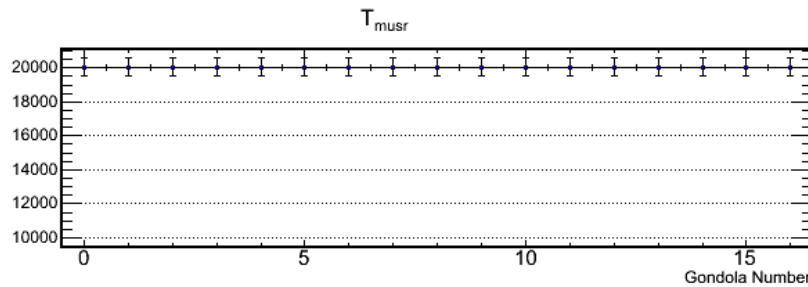
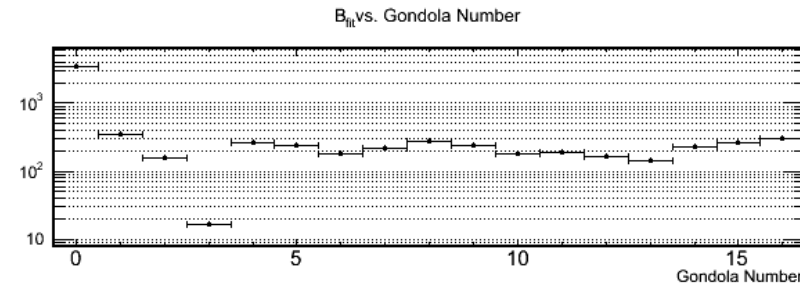
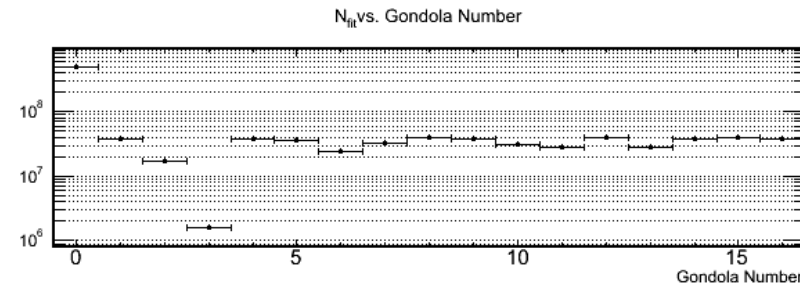


# Mu+ fitting : Lifetime vs Gondola

Fixed  $\omega$  and  $T_{\text{musr}}$ , unlike  
the other fits.

Individual gondolas have  
100 s<sup>-1</sup> error bars

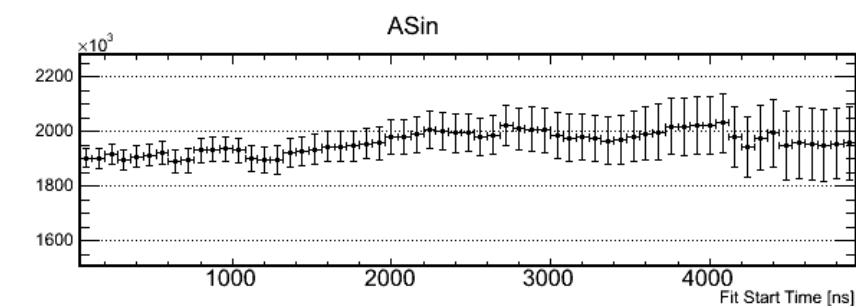
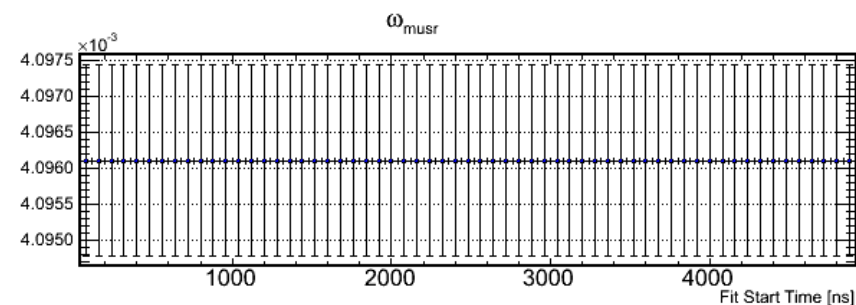
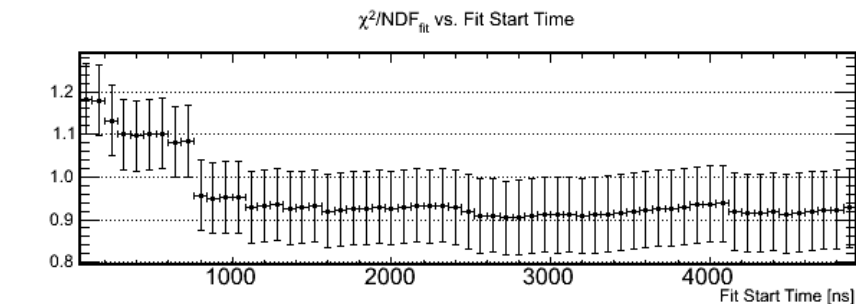
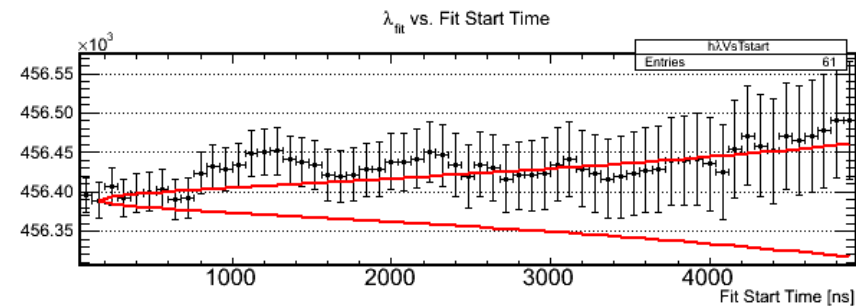
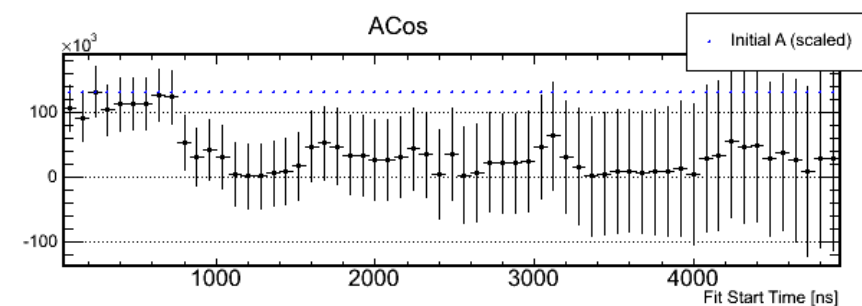
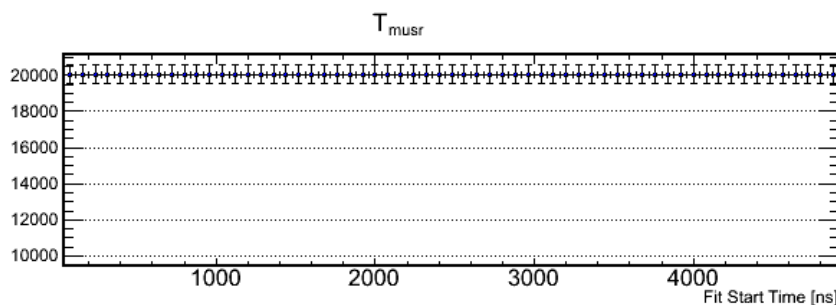
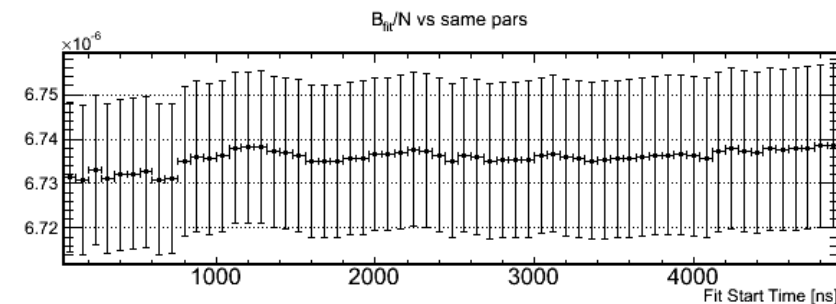
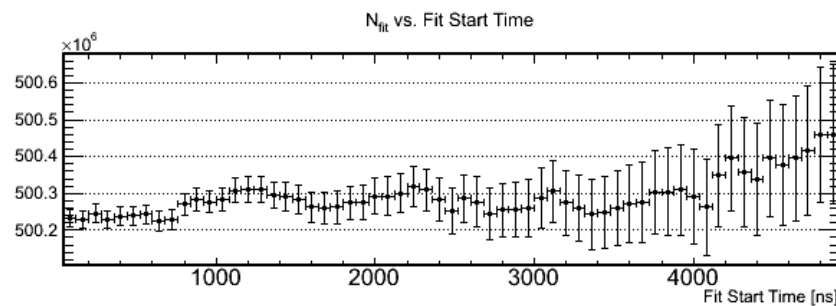
What's going on with gond11?



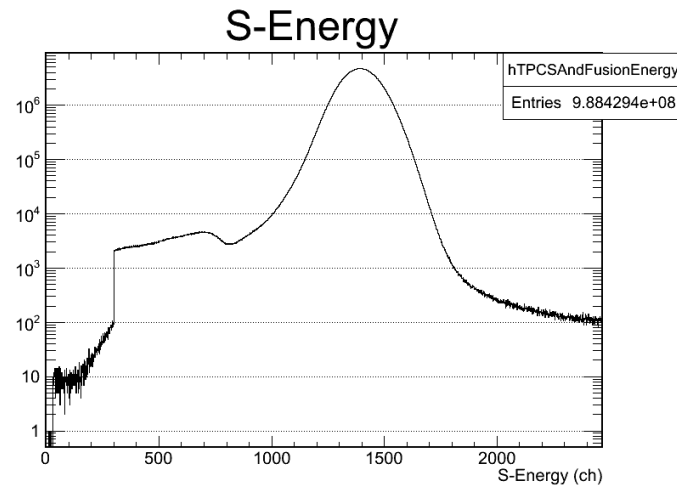


# Mu+ fitting : Start time scan

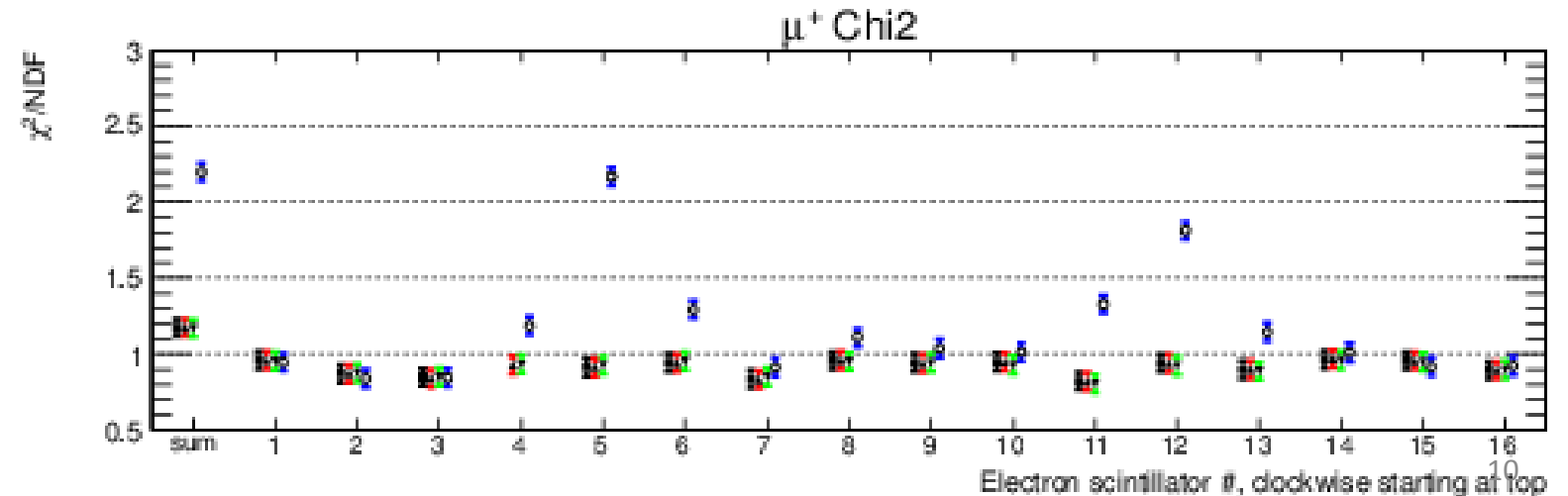
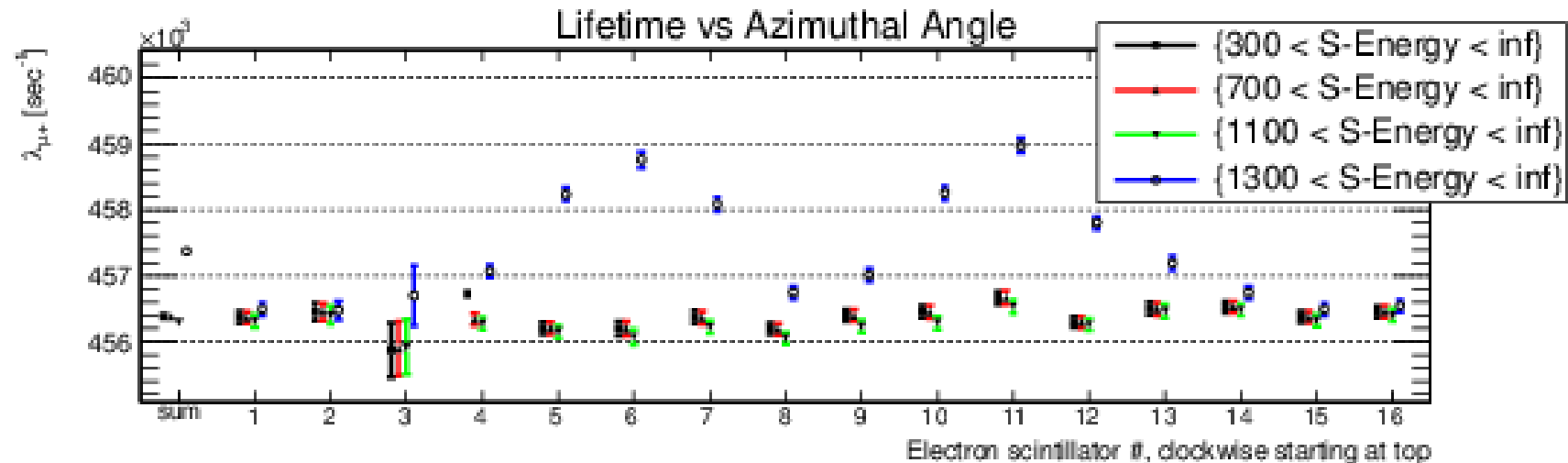
Is early bad  $\chi^2$  due to  
oscillation effect  $< 1\mu s$ ?



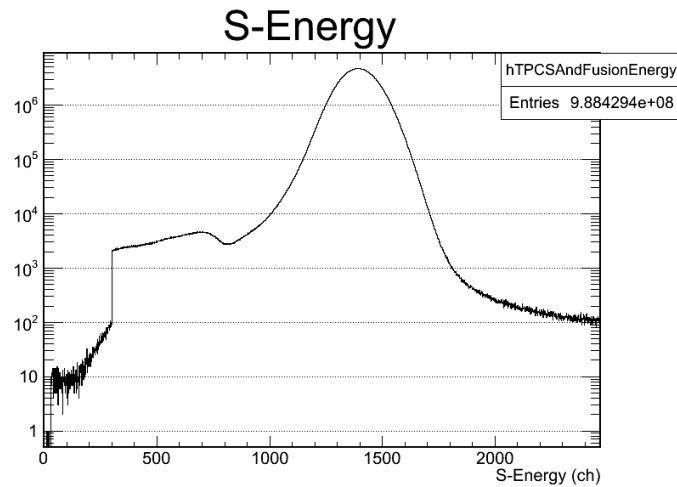
# Mu+ Electron Interference



If the electron interferes with the muon stop threshold, we see a “gondola effect”, where the lifetime is enhanced for horizontal electrons and suppressed for up- or down-going electrons.

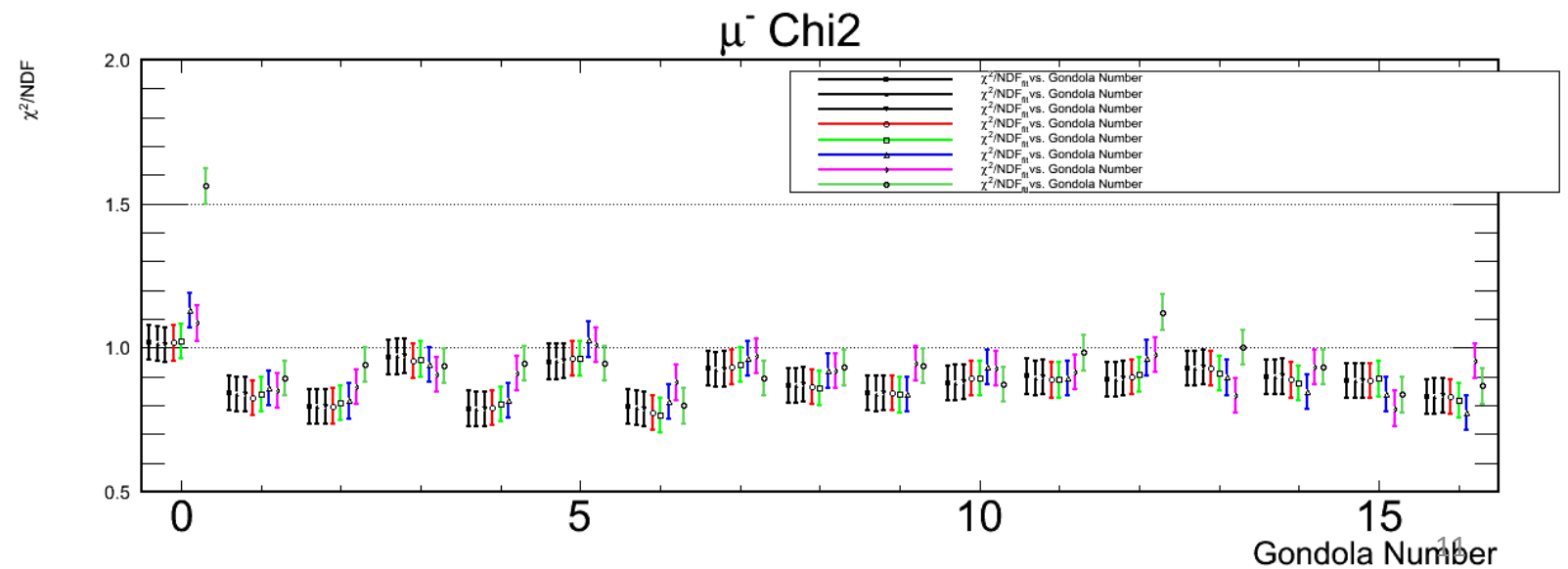
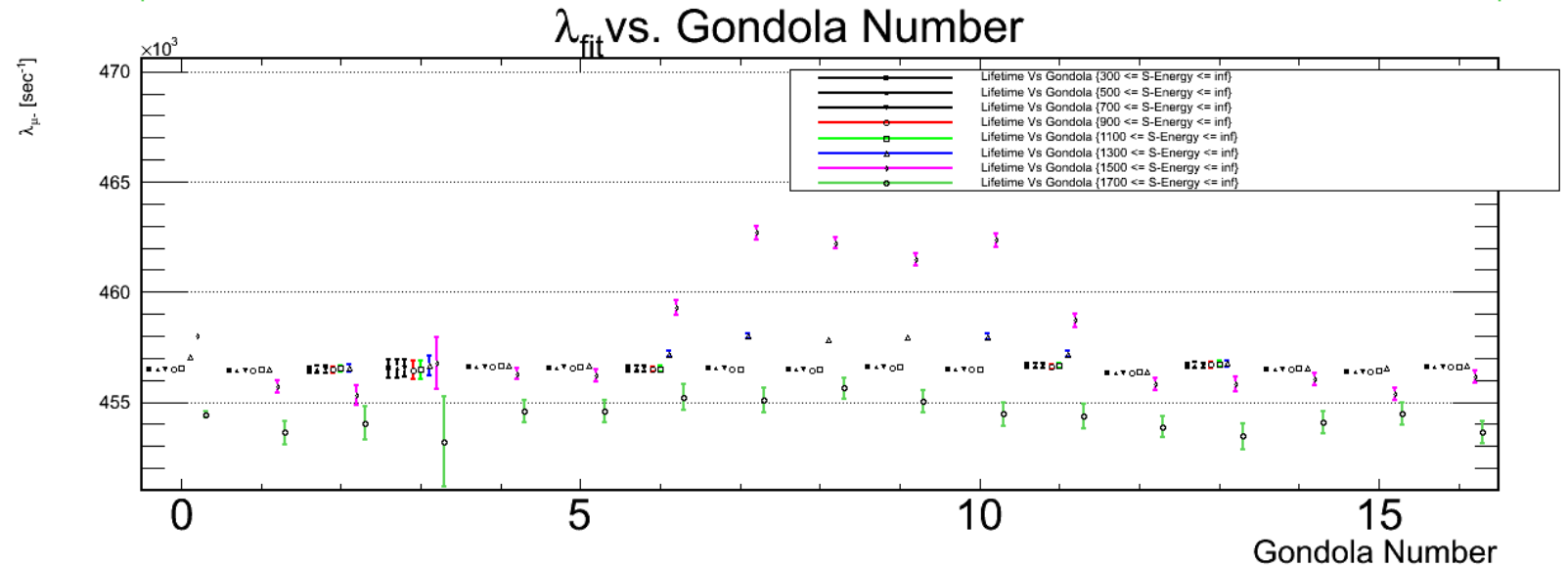


# Mu+ Electron Interference

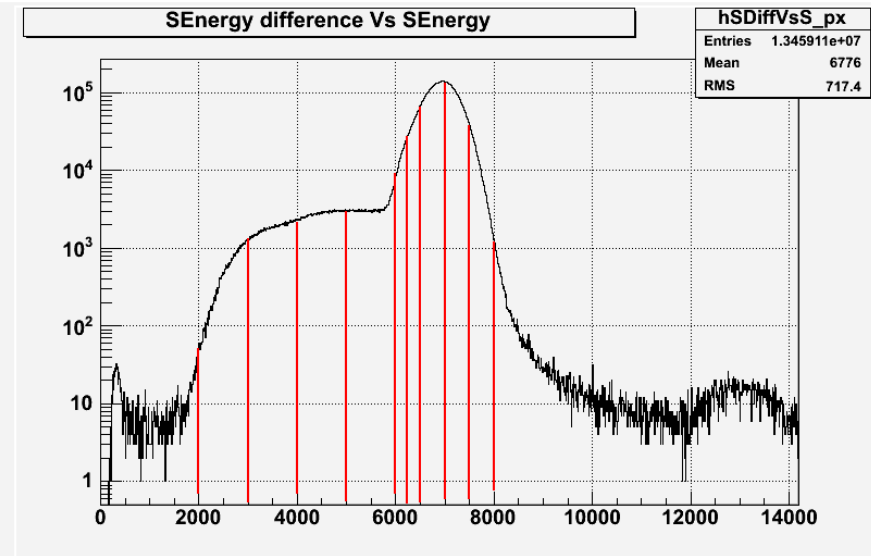


If we use a later start time, the effect is confined to downward-going electrons.

Start time 2000ns  
(gondolas 6-11)



# Mu+ Electron Interference



However, Xiao looked at MC data with the electron energy deposition turned off and on, comparing the lifetime shift.

These shifts could matter for mu-, but not so much for the 30 s<sup>-1</sup> error bar on mu+.

(Xiao uses run6 data for this, so the SEnergy gain is different)

S cut (ch)	WI Lambda (Hz)	Chi2/NDF	error (Hz)	WO Lambda (Hz)	Chi2/NDF	error (Hz)	delta lambda (Hz)	error(Hz)
2000	<b>454605.5</b>	165.4	1.098	<b>454606.2</b>	164.8	1.100	<b>-0.6</b>	<b>13.5</b>
3000	<b>454614.6</b>	165.2	1.103	<b>454611.2</b>	165.2	1.105	<b>3.4</b>	<b>0.7</b>
4000	<b>454617.6</b>	166.3	1.113	<b>454610.9</b>	166.3	1.117	<b>6.7</b>	<b>0.7</b>
5000	<b>454595.5</b>	168.0	1.094	<b>454586.3</b>	168.0	1.097	<b>9.3</b>	<b>1.1</b>
6000	<b>454618.4</b>	170.3	1.088	<b>454582.7</b>	170.3	1.091	<b>35.7</b>	<b>2.2</b>
6250	<b>454778.1</b>	173.4	1.096	<b>454626.5</b>	173.3	1.101	<b>151.6</b>	<b>2.9</b>
6500	<b>455176.0</b>	182.3	1.065	<b>454758.5</b>	182.4	1.076	<b>417.6</b>	<b>4.7</b>
7000	<b>457346.6</b>	263.8	1.123	455338.0	265.4	1.122	<b>2008.6</b>	<b>29.7</b>
7500	<b>463553.0</b>	763.7	1.148	<b>458938.9</b>	779.3	1.143	<b>4614.1</b>	<b>155.1</b>
8000	<b>480382.1</b>	382.3	0.813	<b>473339.1</b>	402.2	0.801	<b>7043.0</b>	<b>1248.0</b>

# Mu+ Electron Interference

## Summary

- S-Energy cut scan can “turn on” the gondola effect from electron interference
- With mu+, the shifts are undetectable for all but the highest cuts, indicating that the electron interference is small. (For mu+ error bars of 30-100 sec<sup>-1</sup> per gondola bin)
- This is only considering the energy of the track. In principle, electrons could extend tracks to pass other cuts (eg. length) with higher probability.
- Xiao's studies indicate that the effect is small but not necessarily negligible. A more in-depth study is warranted.

# Mu- Lifetime Scans

Mu+ does **not** show stability with the geometric scans.

Mini pulse template fitter, and the basic clustering tracking algorithm (explained in a few slides).

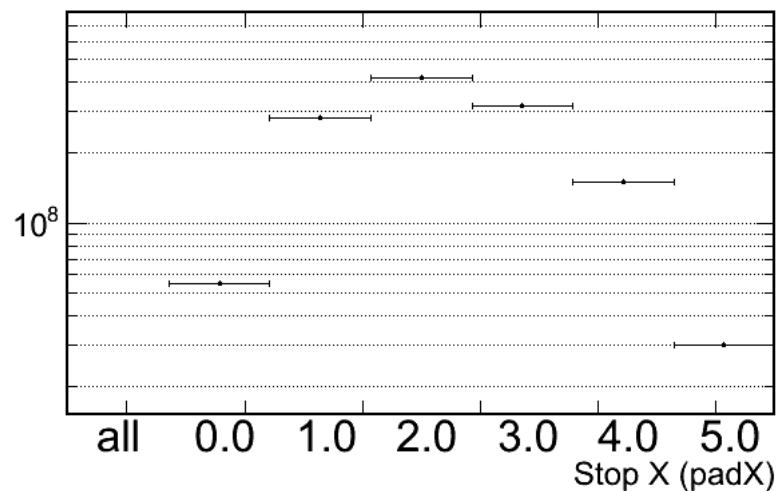
Standard cuts are

- Track length  $\geq 3$  pads
- Track S-Energy  $> 450$  keV (or 300 ch)
- Track stop is in fiducial volume (exclude border pads,  $15\text{mm} < Y < 55\text{mm}$ )
- Impact parameter  $< 90\text{mm}$

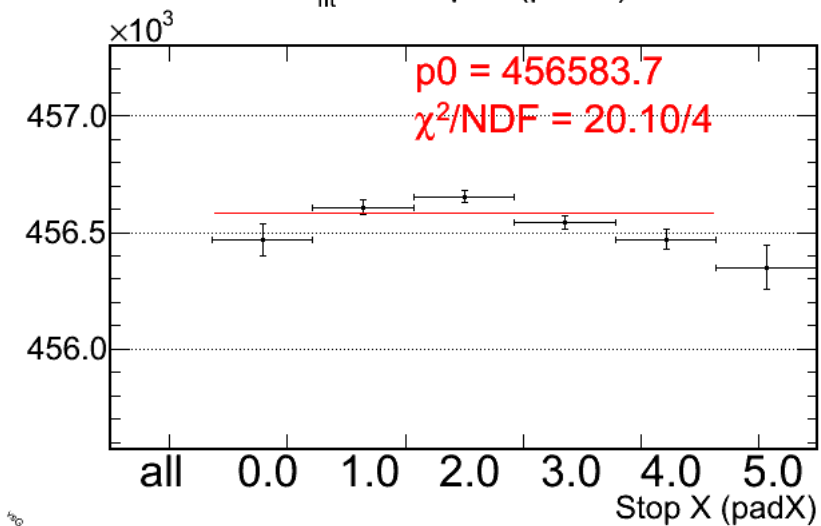
Fit start time 160ns, stop time 24000ns

# Mu- fitting : Lifetime vs Stop X

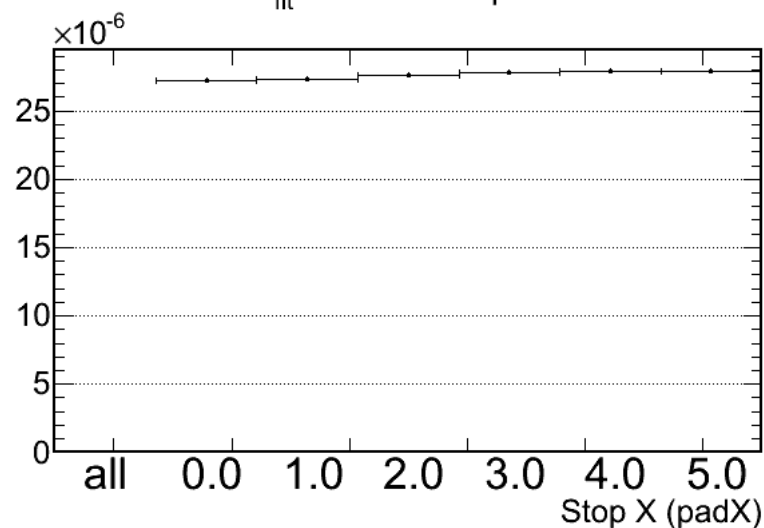
$N_{\text{fit}}$  vs. Stop X (padX)



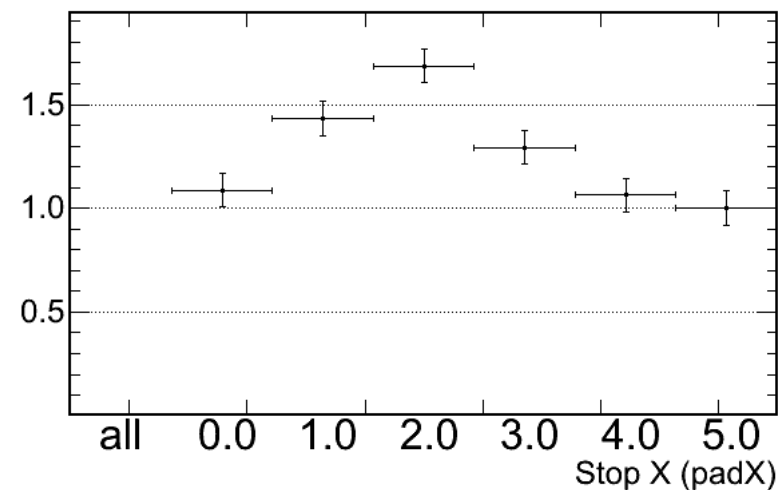
$\lambda_{\text{fit}}$  vs. Stop X (padX)



$B_{\text{fit}}/N$  vs same pars

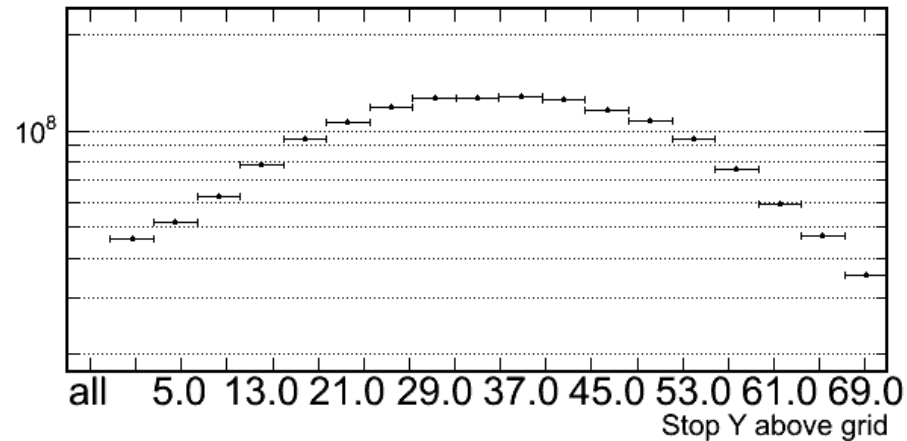


$\chi^2/\text{NDF}_{\text{fit}}$  vs. Stop X (padX)

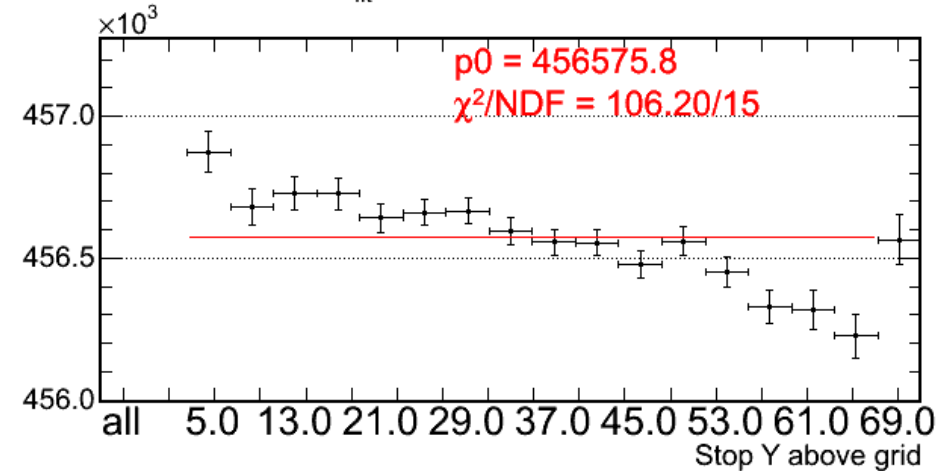


# Mu- fitting : Lifetime vs Stop Y

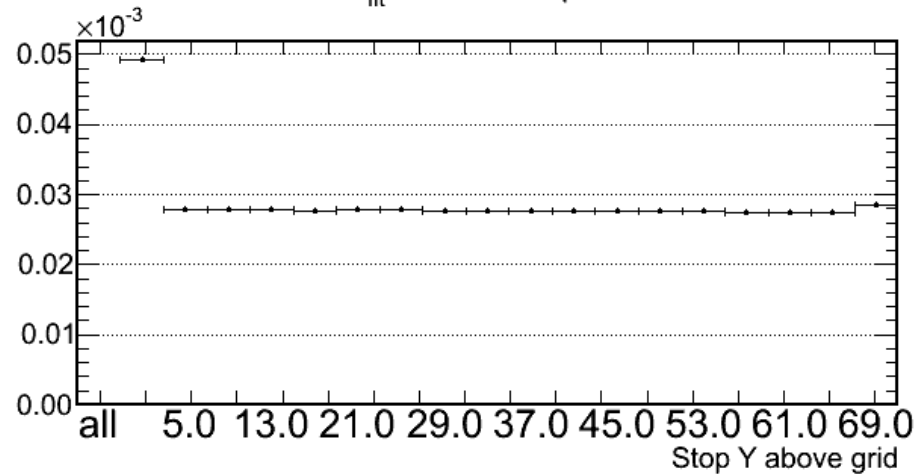
$N_{\text{fit}}$  vs. Stop Y above grid



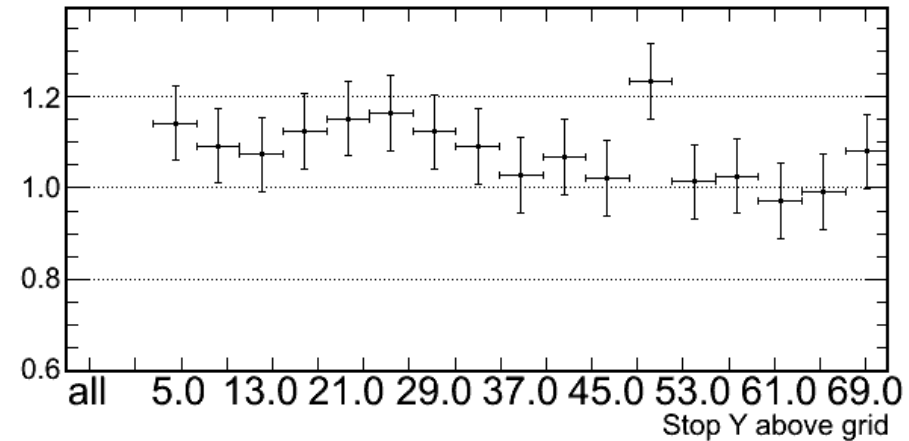
$\lambda_{\text{fit}}$  vs. Stop Y above grid



$B_{\text{fit}}/N$  vs same pars

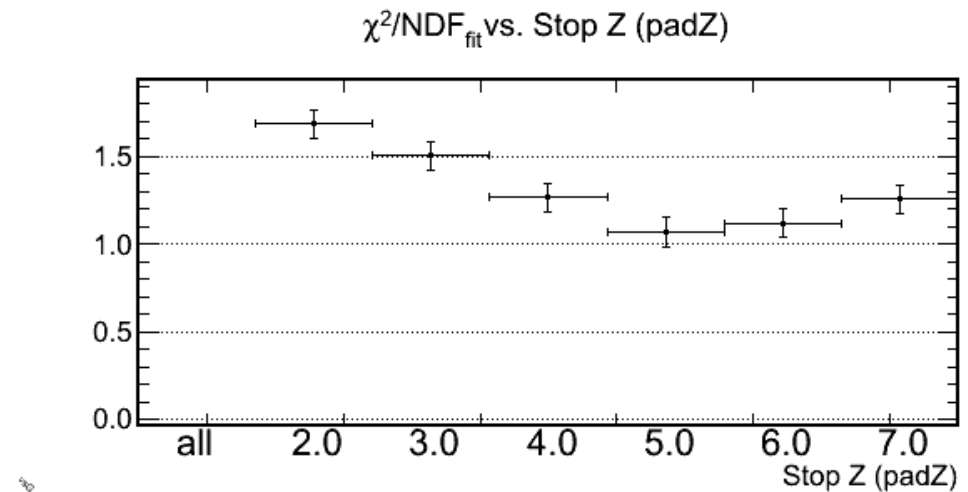
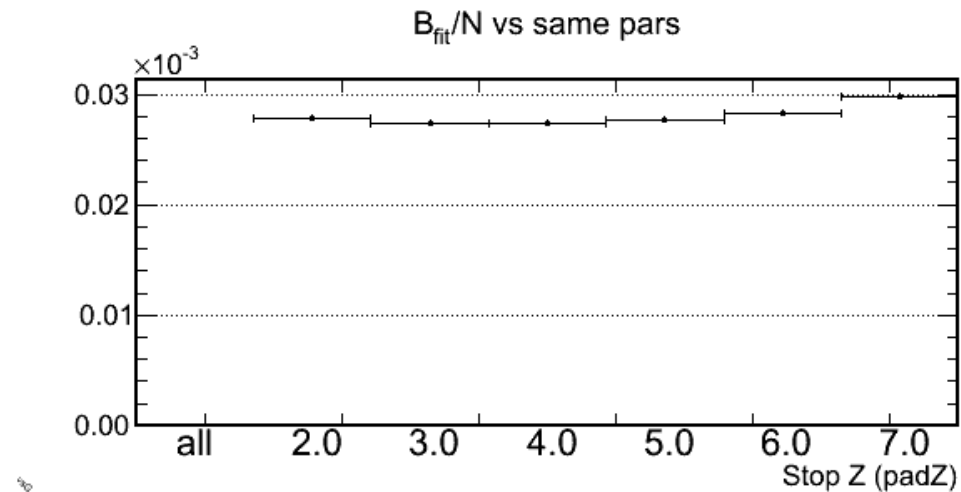
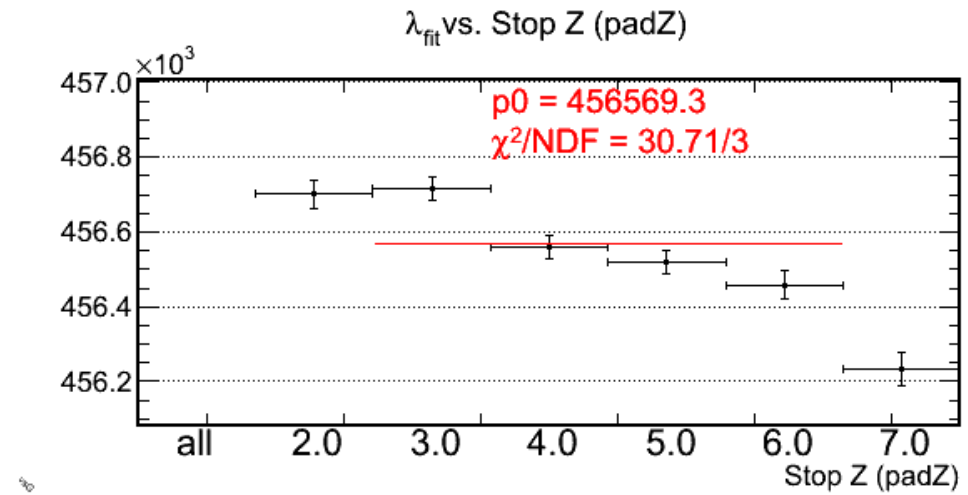
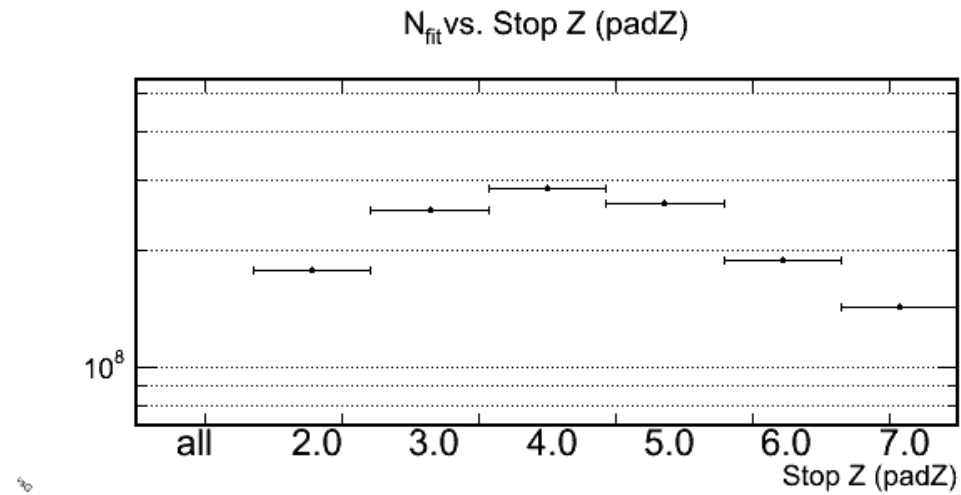


$\chi^2/\text{NDF}_{\text{fit}}$  vs. Stop Y above grid



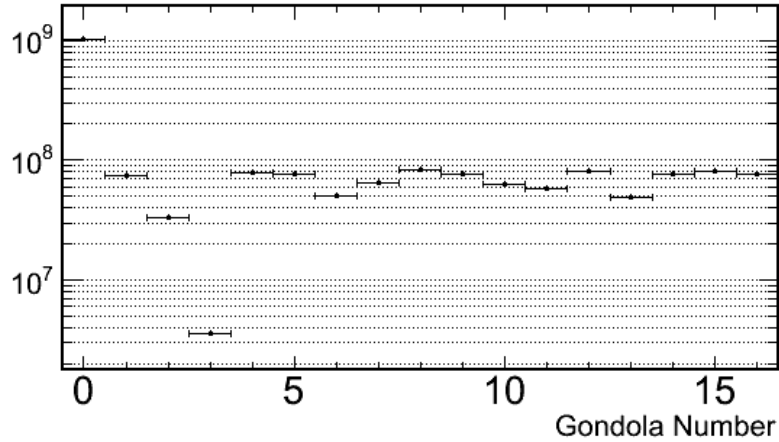


# Mu- fitting : Lifetime vs Stop Z

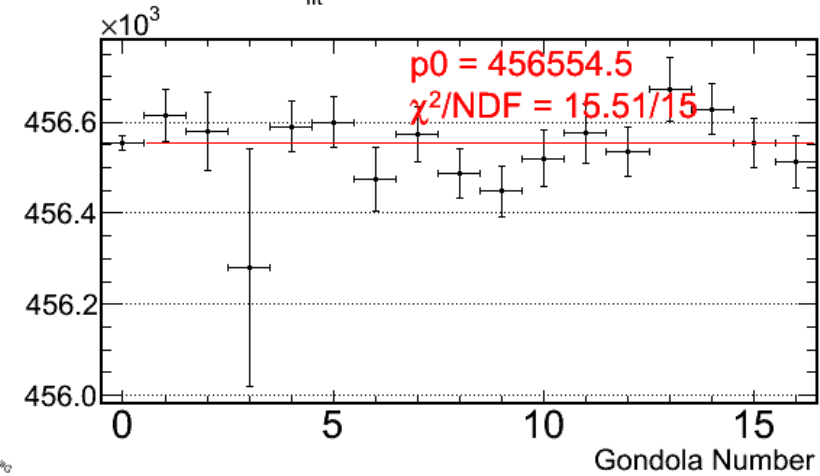


# Mu- fitting : Lifetime vs Gondola

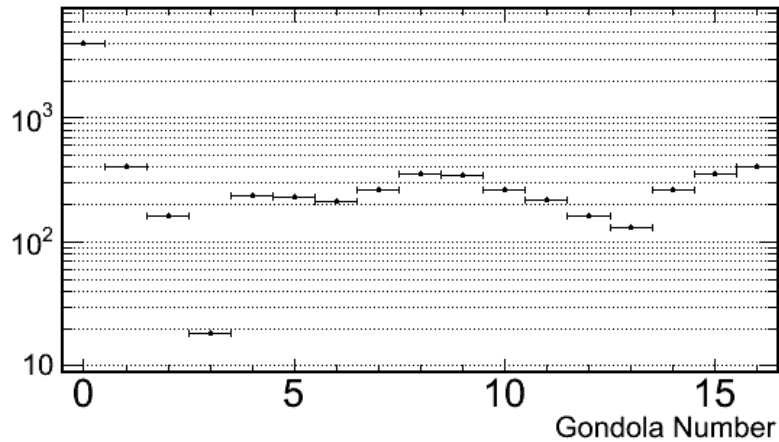
$N_{\text{fit}}$  vs. Gondola Number



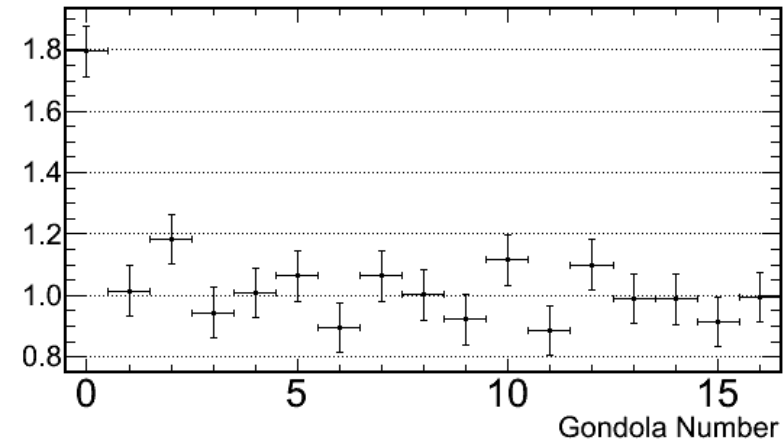
$\lambda_{\text{fit}}$  vs. Gondola Number



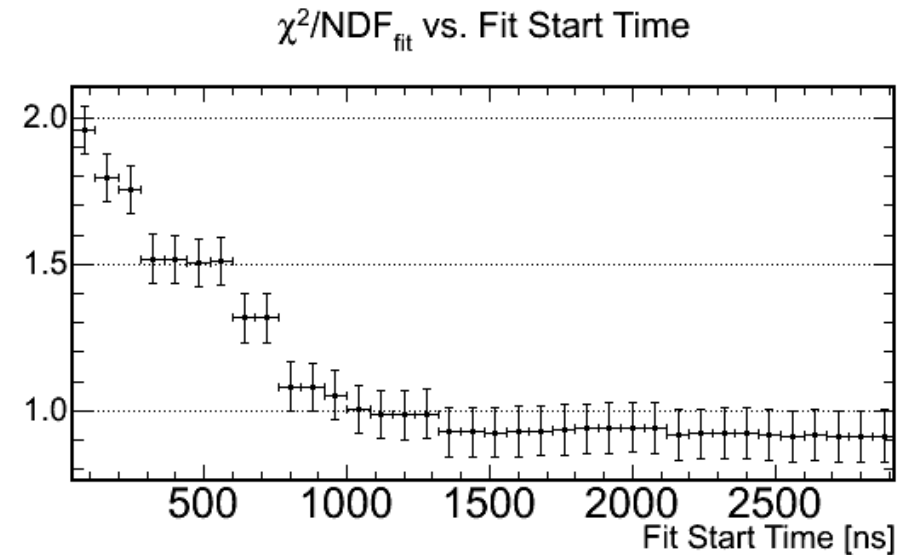
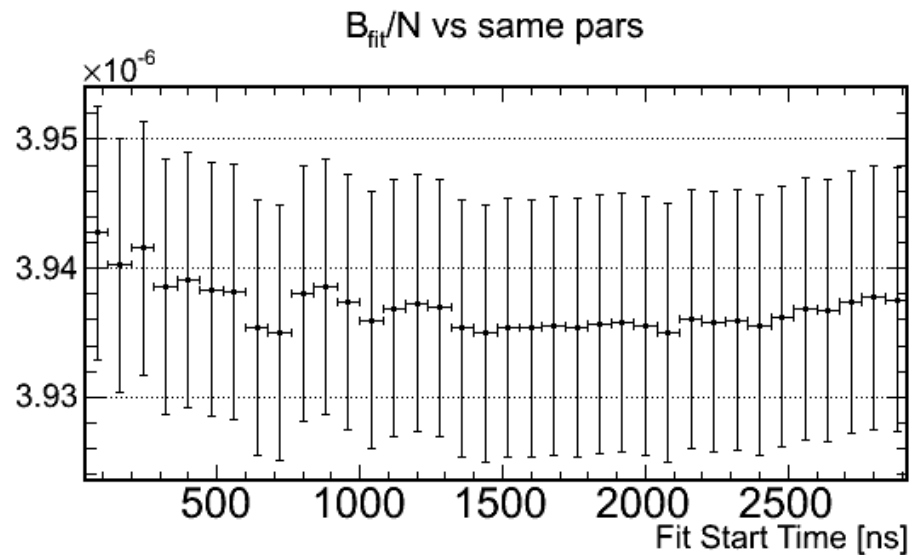
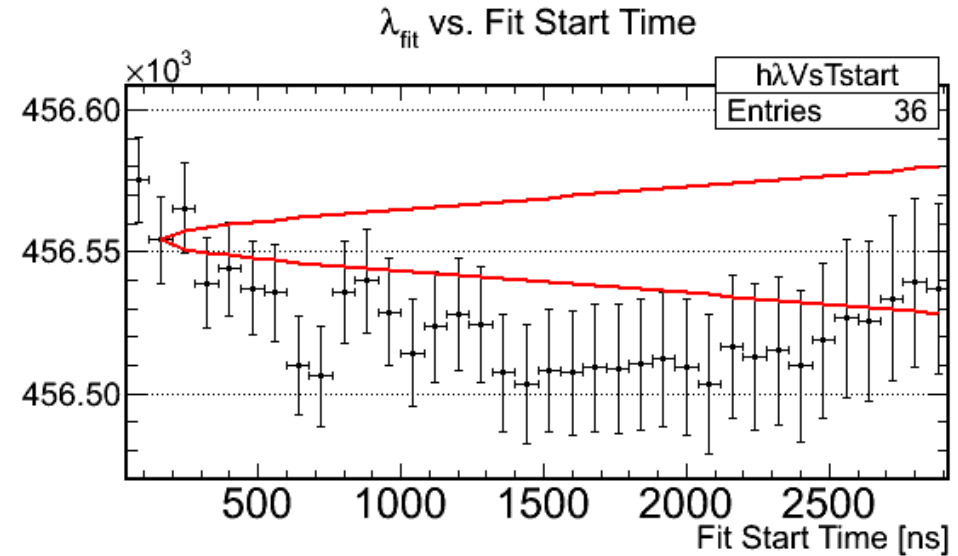
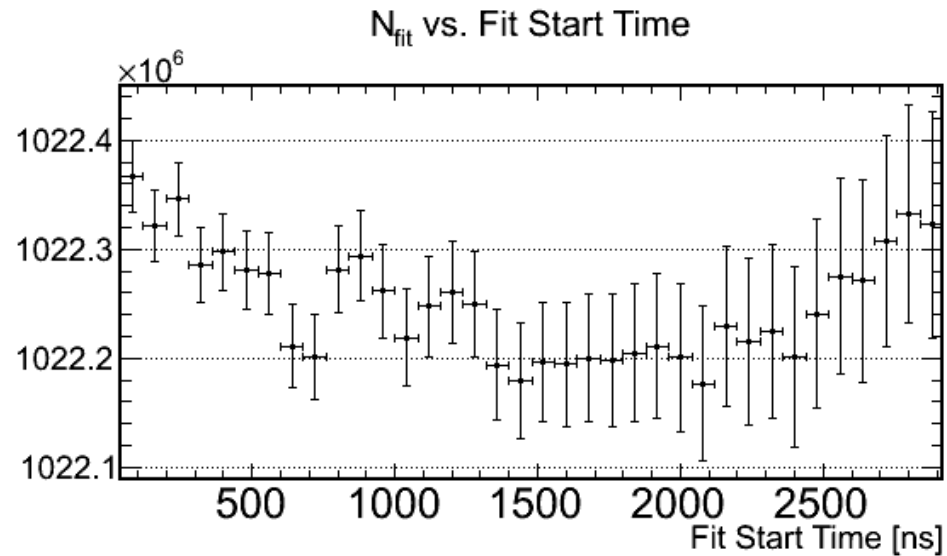
$B_{\text{fit}}$  vs. Gondola Number



$\chi^2/\text{NDF}_{\text{fit}}$  vs. Gondola Number

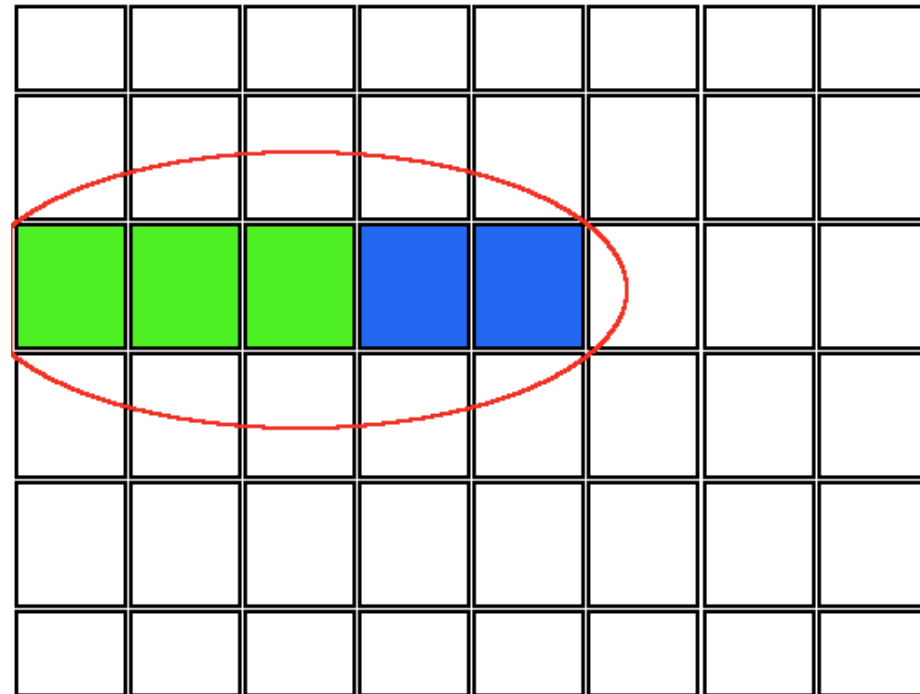


# Mu- fitting : Start time scan

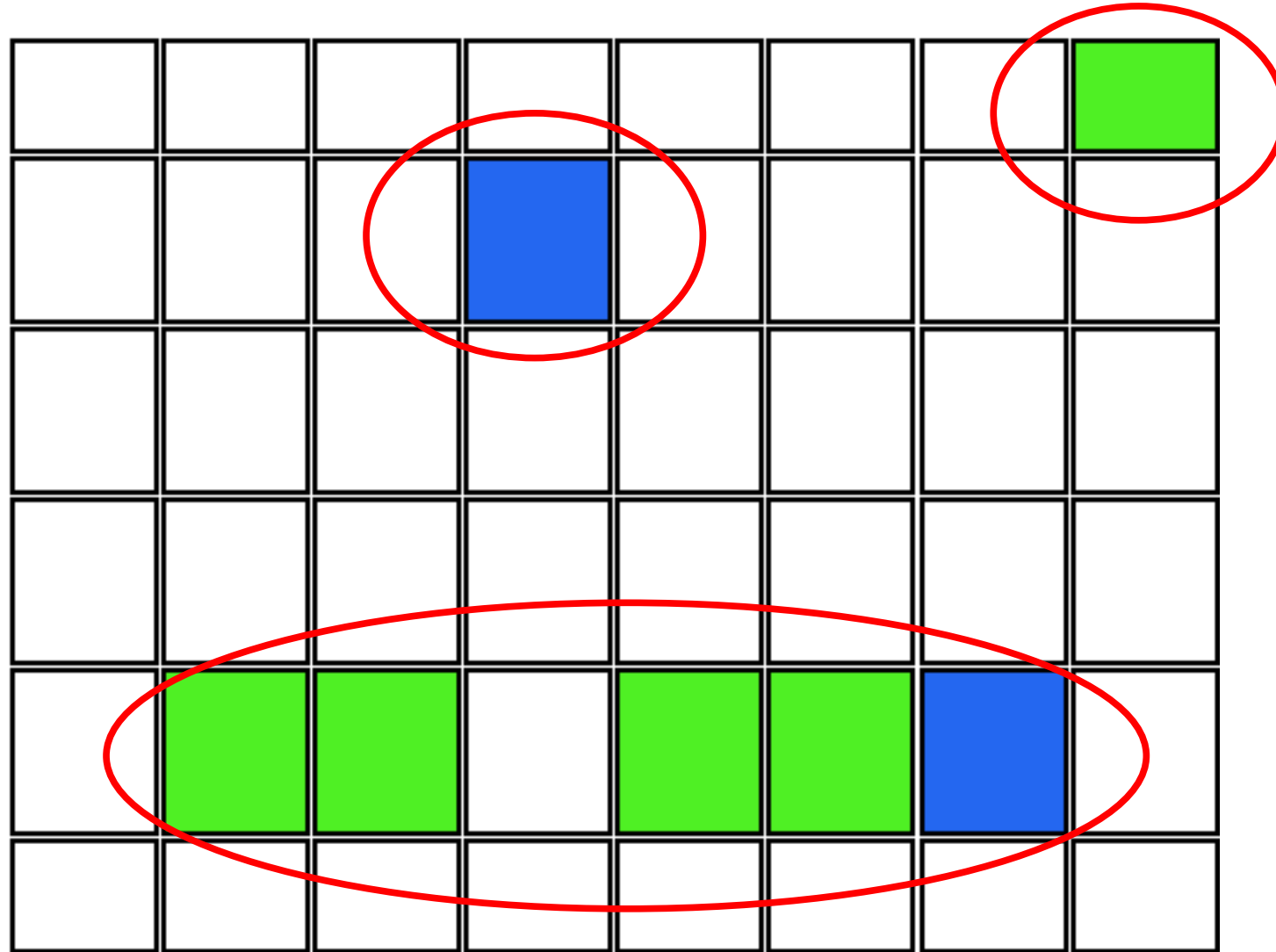


# TPC Basic Cluster Tracking

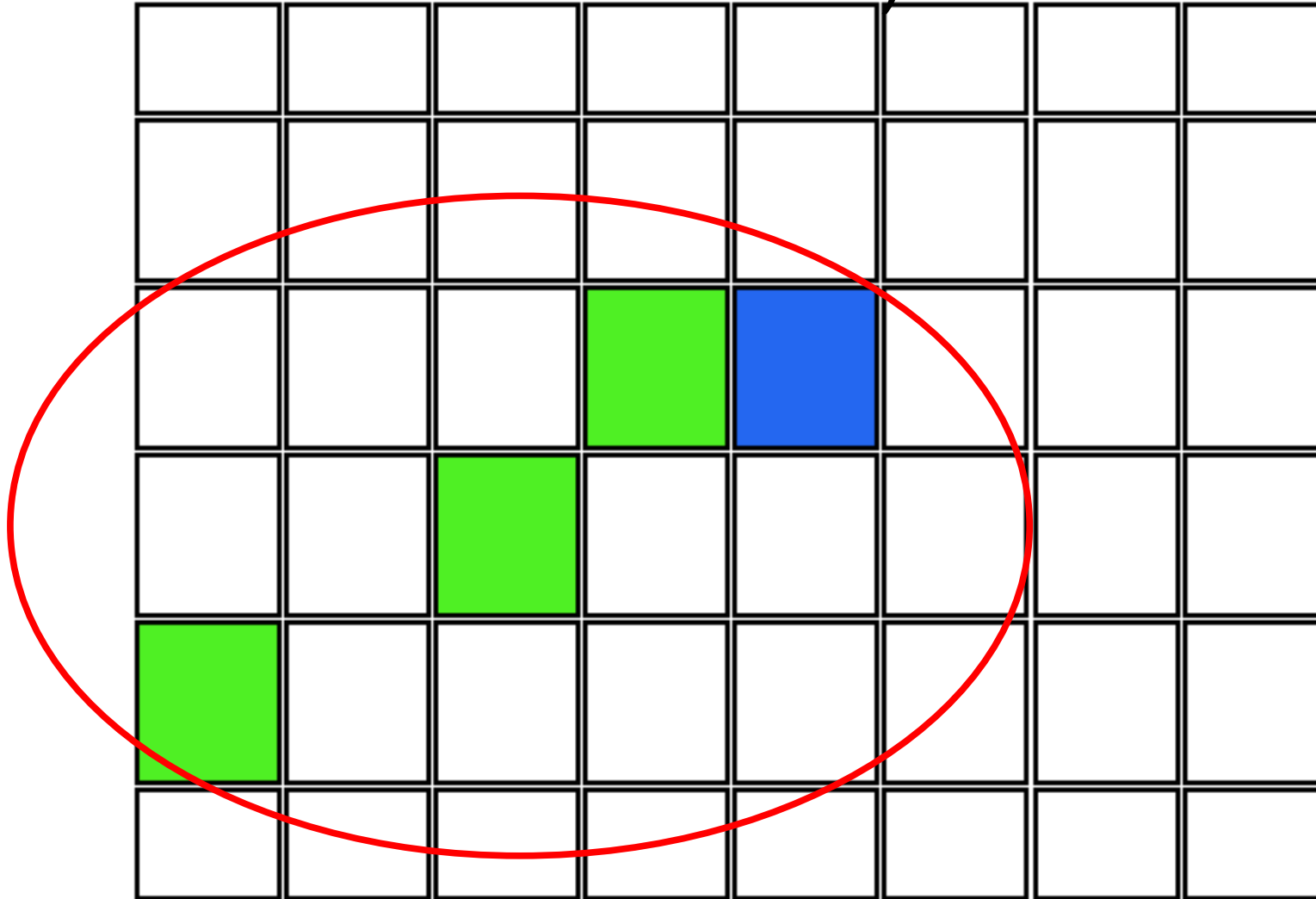
- Form **clusters** from TTPCMiniPulses (or other pulses)
  - Distance to nearby pulses
    - $\Delta X \leq 1$  pad
    - $\Delta Z \leq 2$  pads (one gap allowed)
    - $\Delta Y \leq 2\mu\text{s}$  (= 1cm)
  - S-Energy > 440 keV
  - Length >= 3 pads



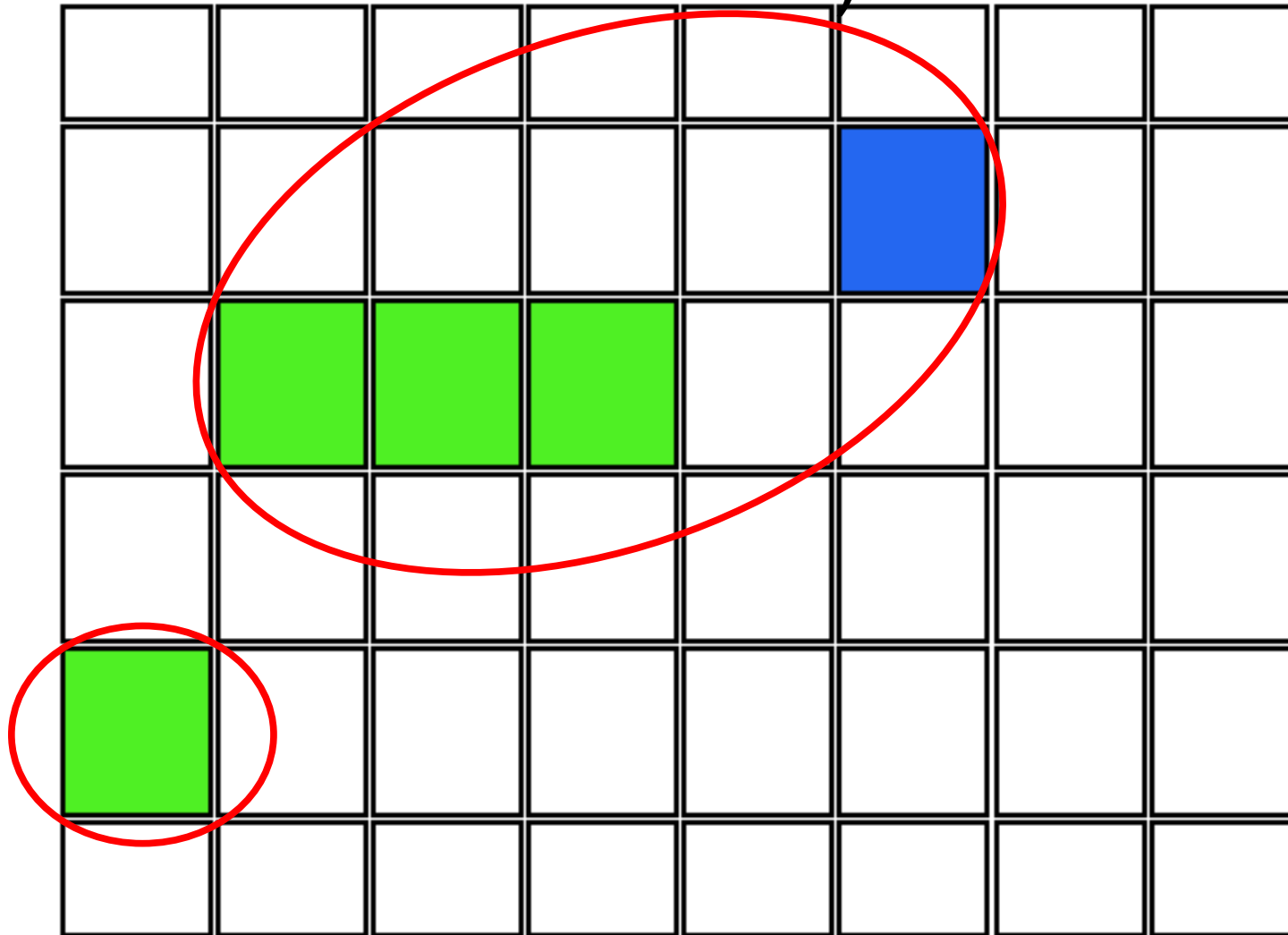
□  $\Delta X \leq 1$     $\Delta Z \leq 2$     $\Delta Y \leq 2\mu s$  ( = 1cm)



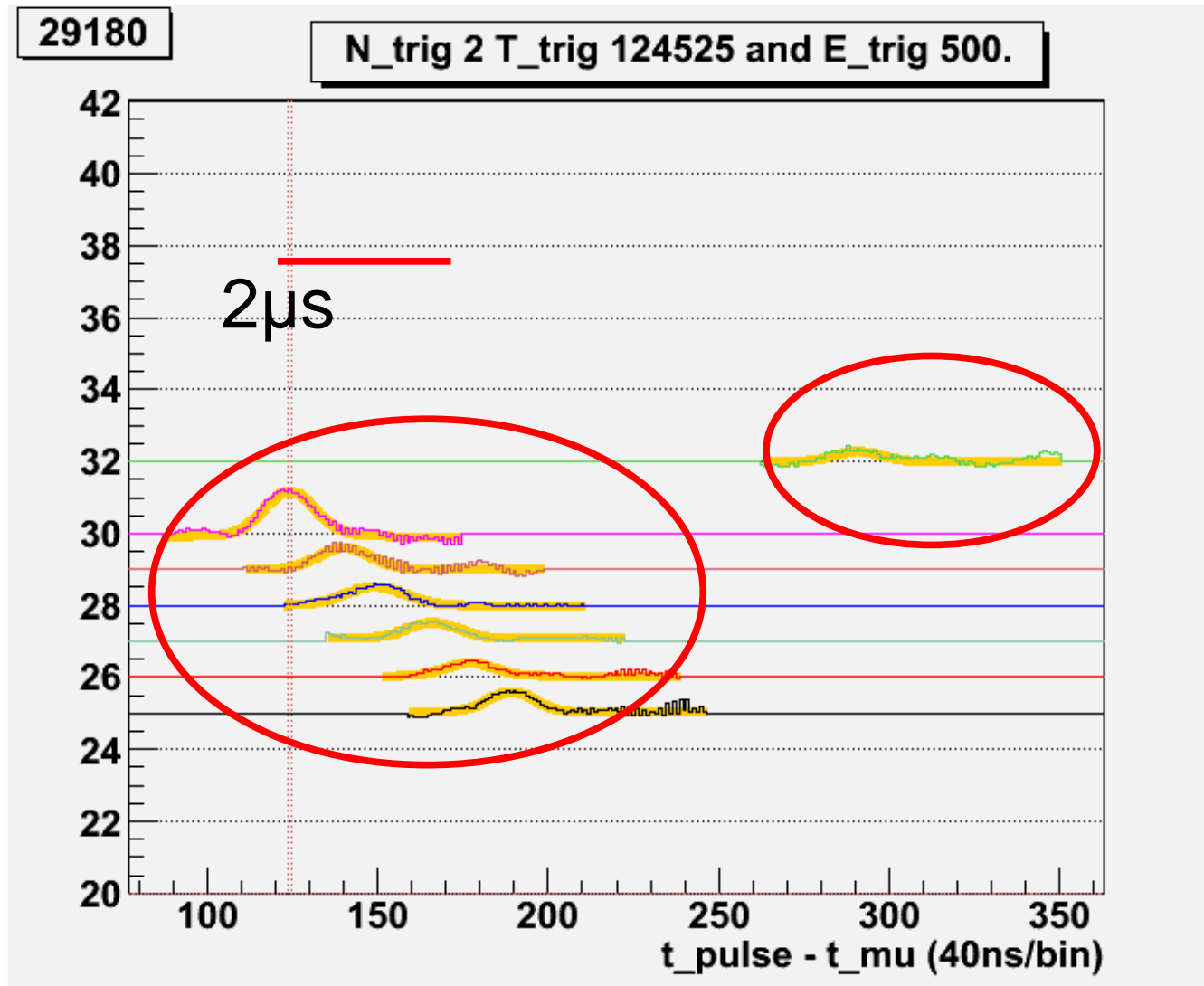
□  $\Delta X \leq 1 \quad \Delta Z \leq 2 \quad \Delta Y \leq 2\mu s (= 1\text{cm})$



□  $\Delta X \leq 1 \quad \Delta Z \leq 2 \quad \Delta Y \leq 2\mu s (= 1\text{cm})$

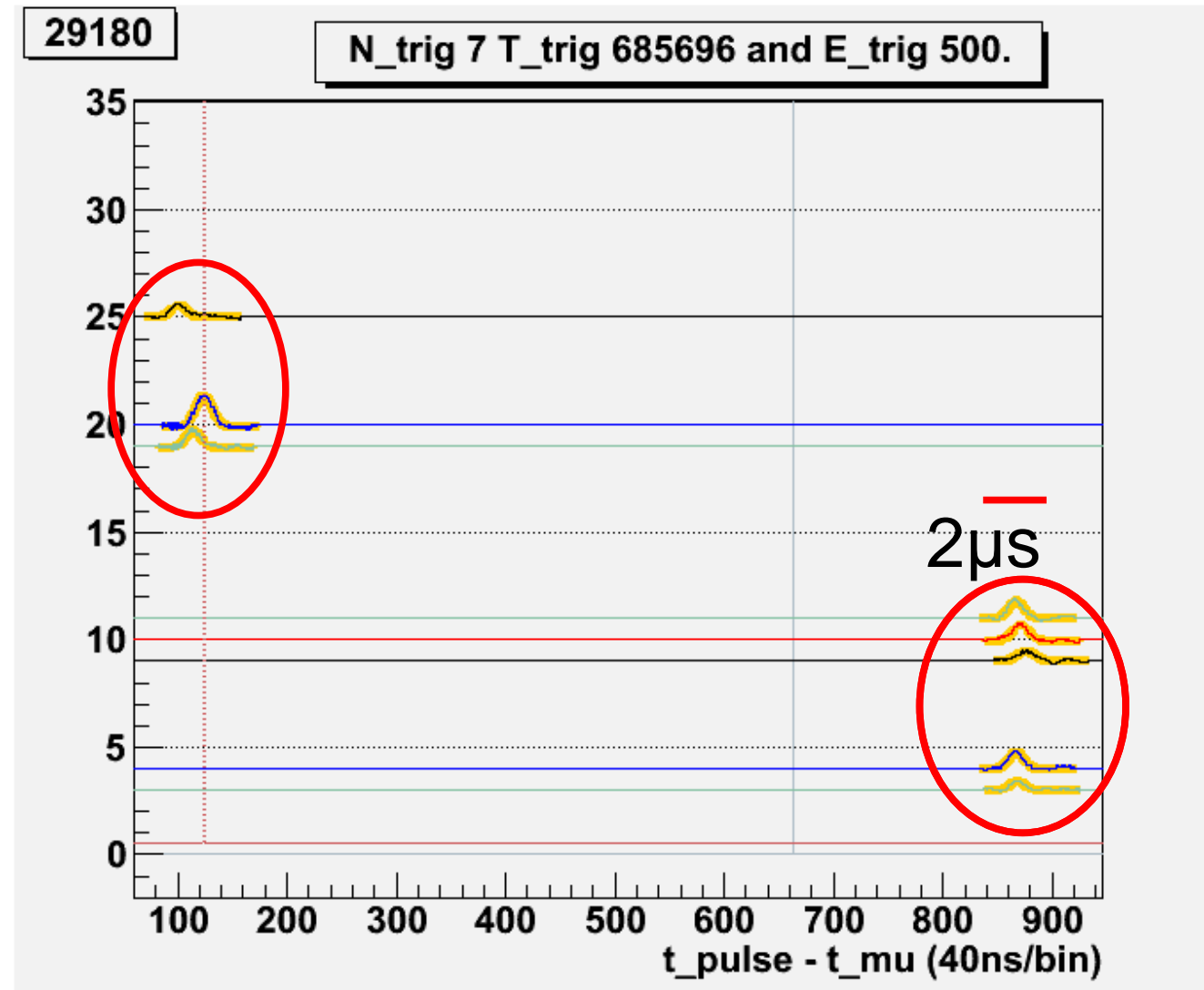


$$\Delta X \leq 1 \quad \Delta Z \leq 2 \quad \Delta Y \leq 2\mu\text{s} (= 1\text{cm})$$

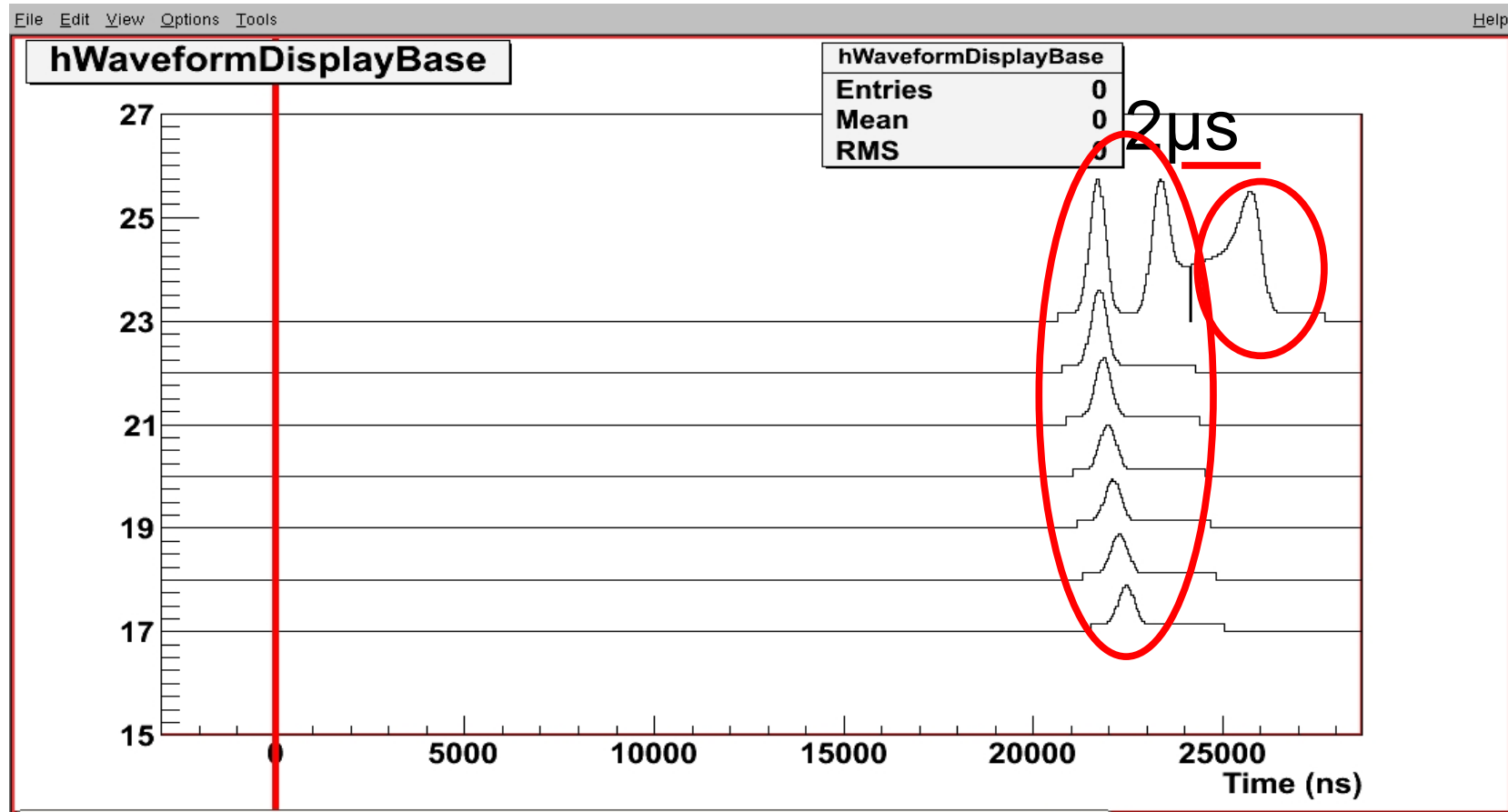




$$\Delta X \leq 1 \quad \Delta Z \leq 2 \quad \Delta Y \leq 2\mu\text{s} \quad (= 1\text{cm})$$

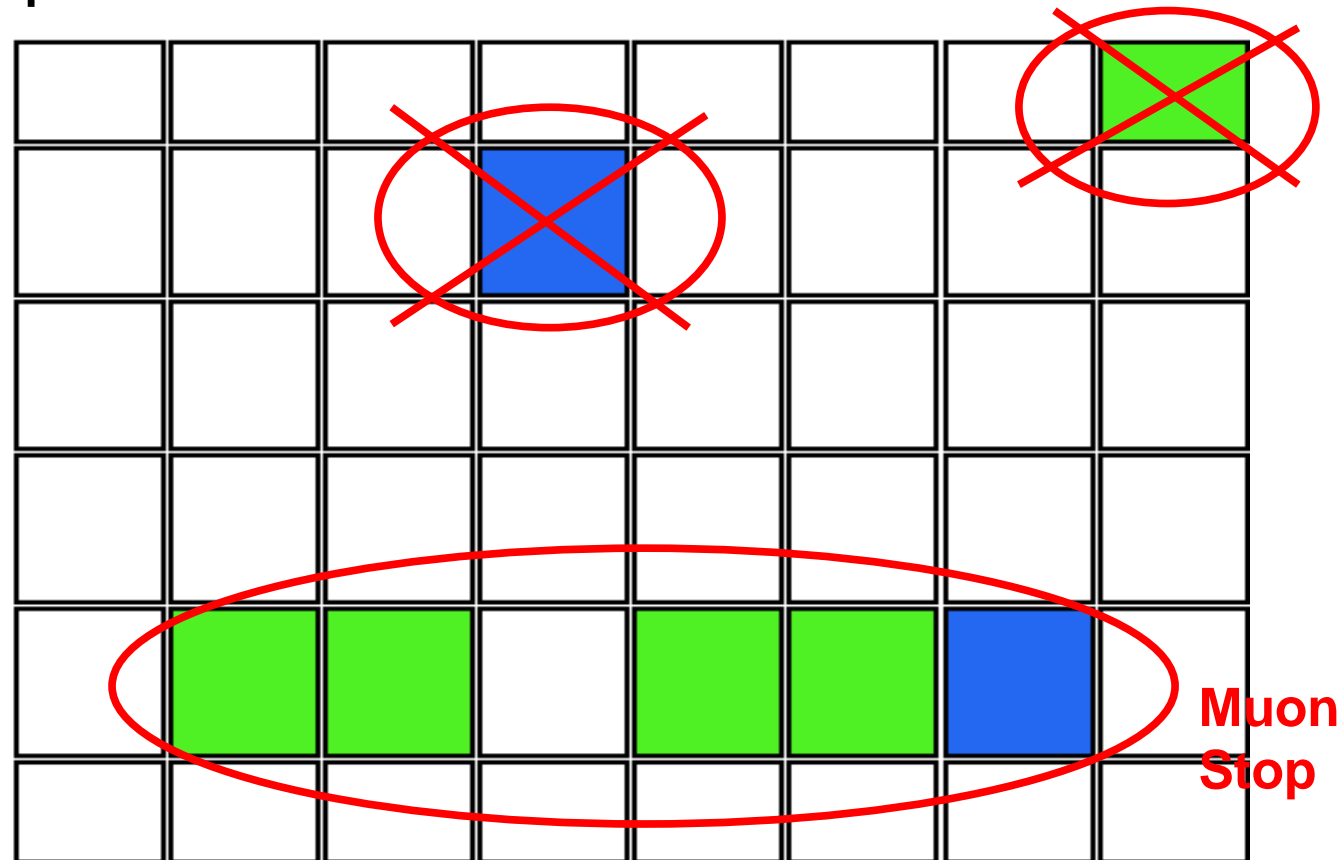


$$\Delta X \leq 1 \quad \Delta Z \leq 2 \quad \Delta Y \leq 2\mu\text{s} (= 1\text{cm})$$

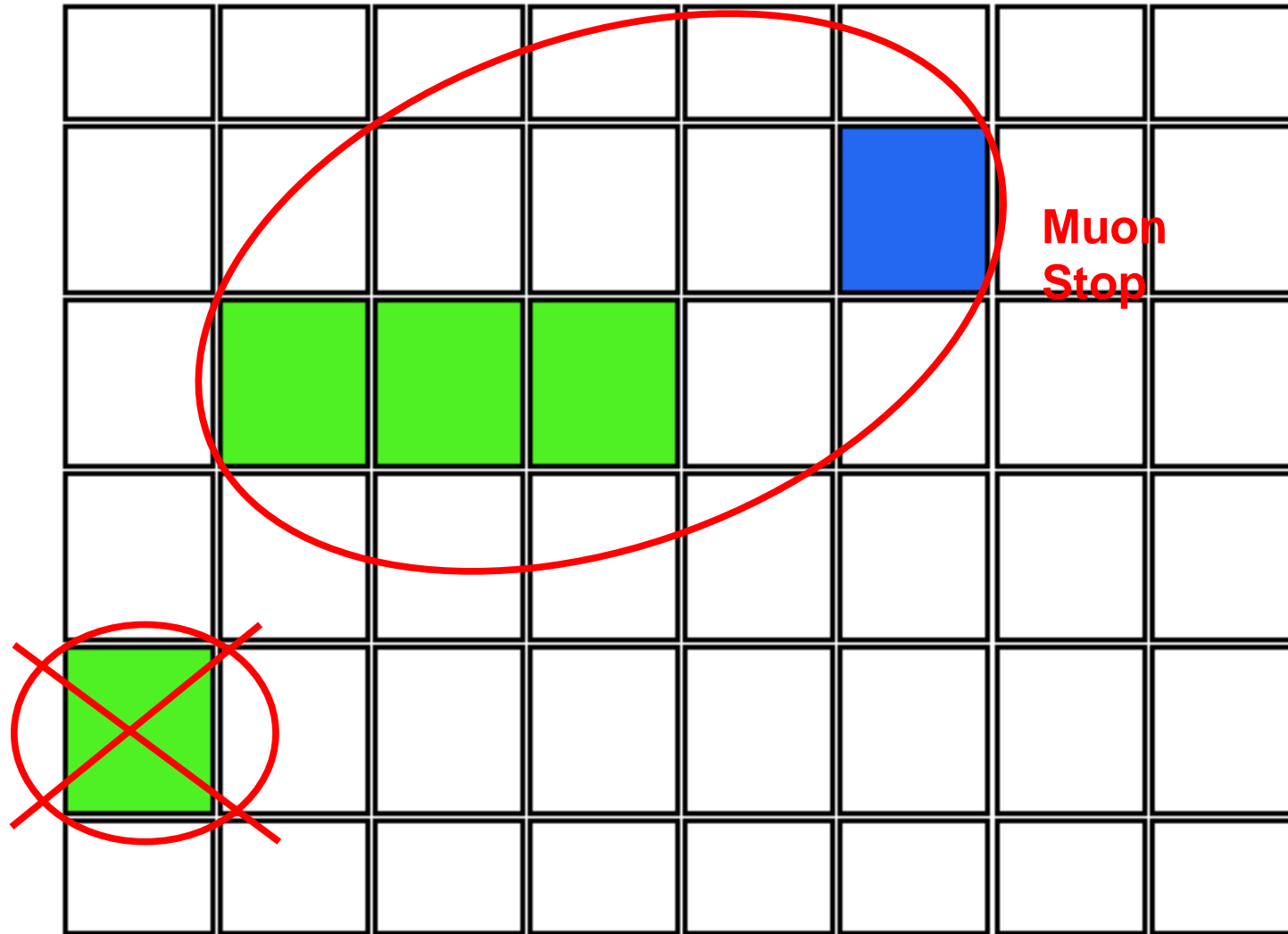


# TPC Muon Stop

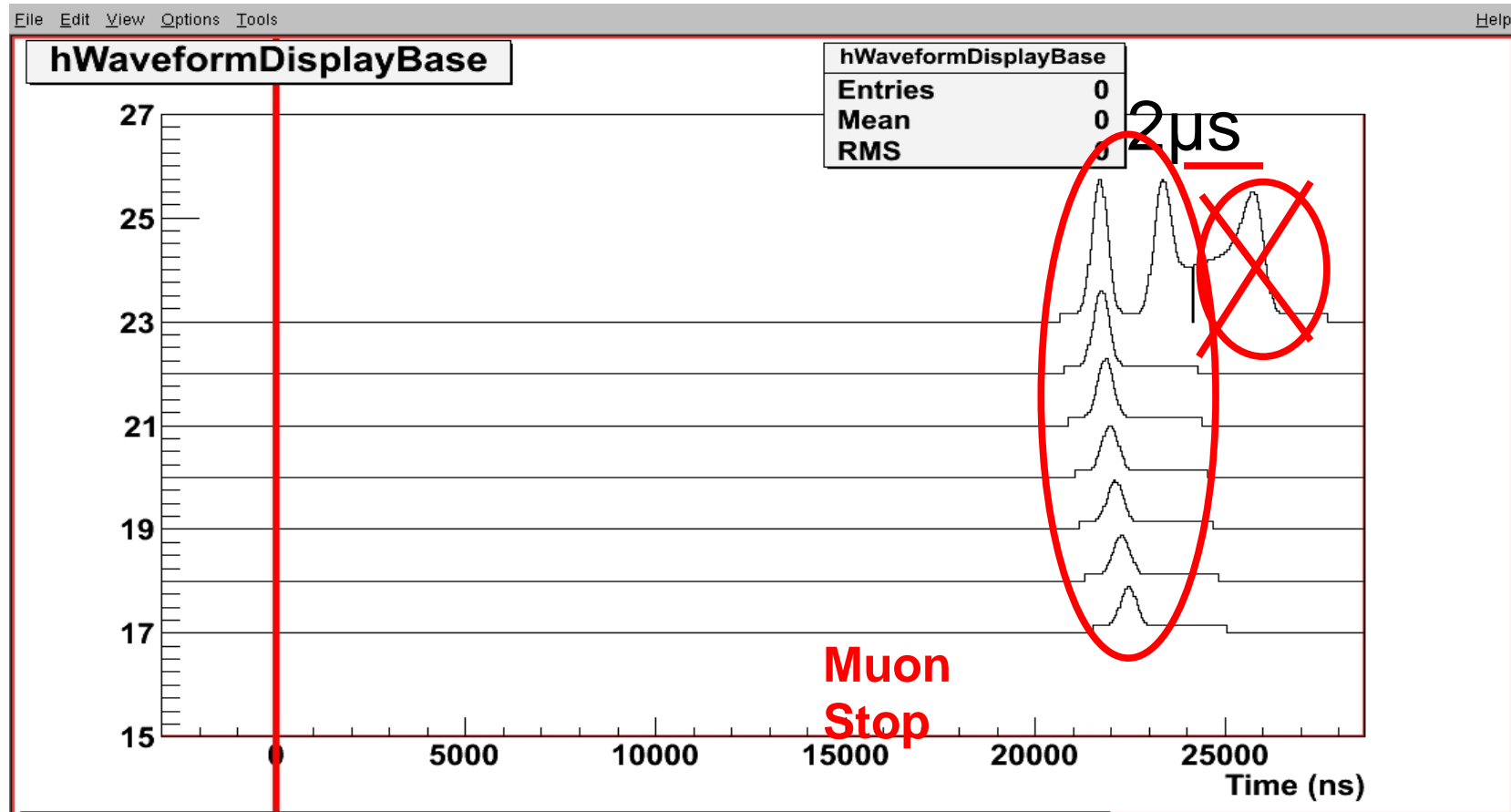
- **Stops** are a more fluid definition. Currently:
- A cluster with (Length in Z) > 2 is defined as a muon stop.



□ Muon Stop = Length in Z > 2

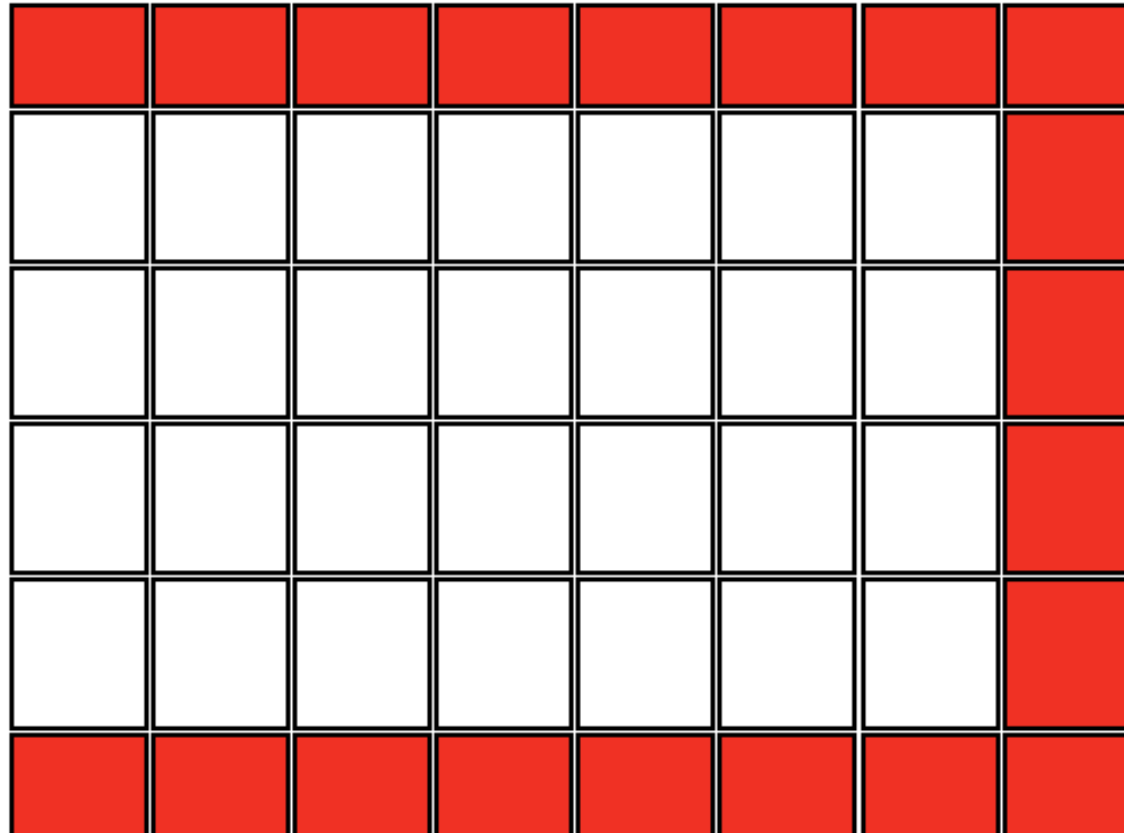


□ Muon Stop = Length in  $Z > 2$



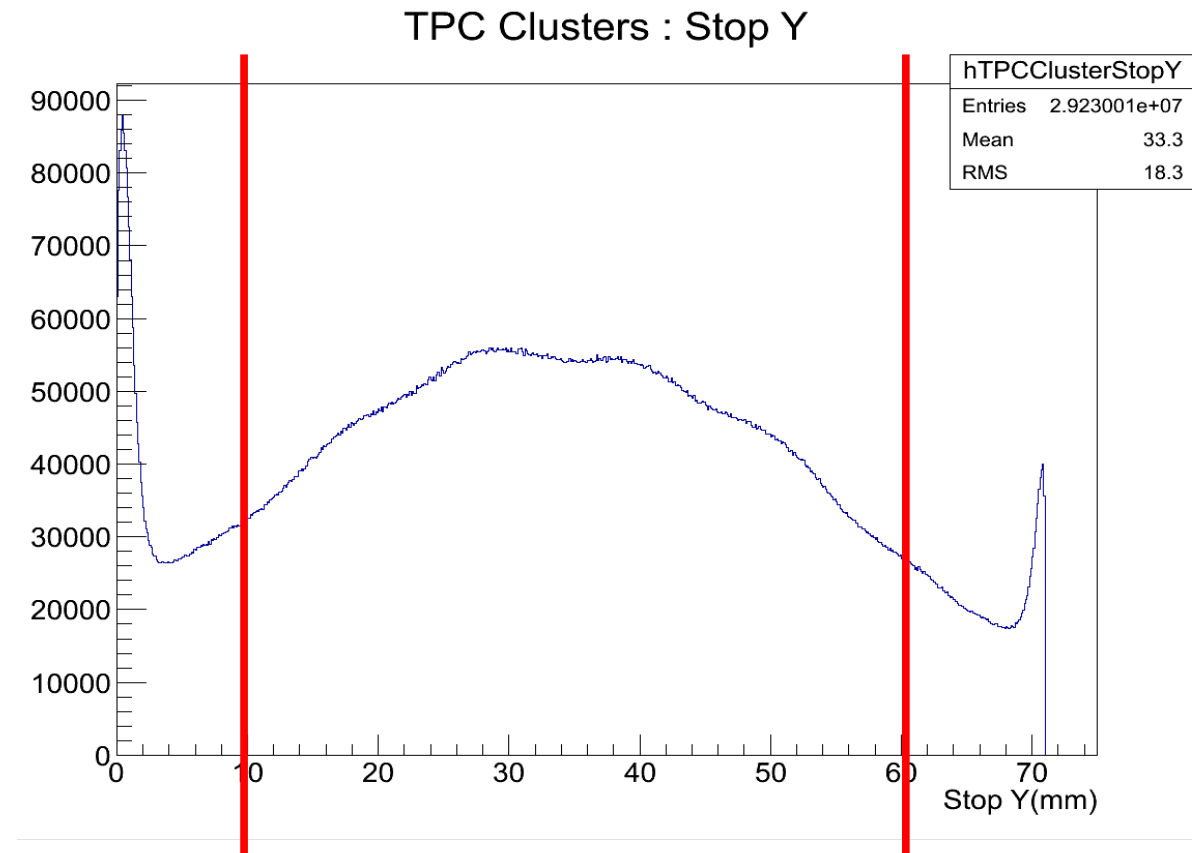
# TPC Fiducial Volume

- The **fiducial volume** cut is given by the border pads in X and Z.



# TPC Fiducial Volume

- Drift times between 2 $\mu$ s and 12 $\mu$ s (10mm and 61mm) are the fiducial volume Y-cut
- This cut is much easier to scan, since our resolution is better.



# Alternate tracking: TPC Road Tracking

- Form **clusters** from TPC Pulses (TTPCTOTPulse)

- Distance to nearby pulses

- $\Delta X \leq 1$  pad

- $\Delta Z \leq 2$  pads (one gap allowed)

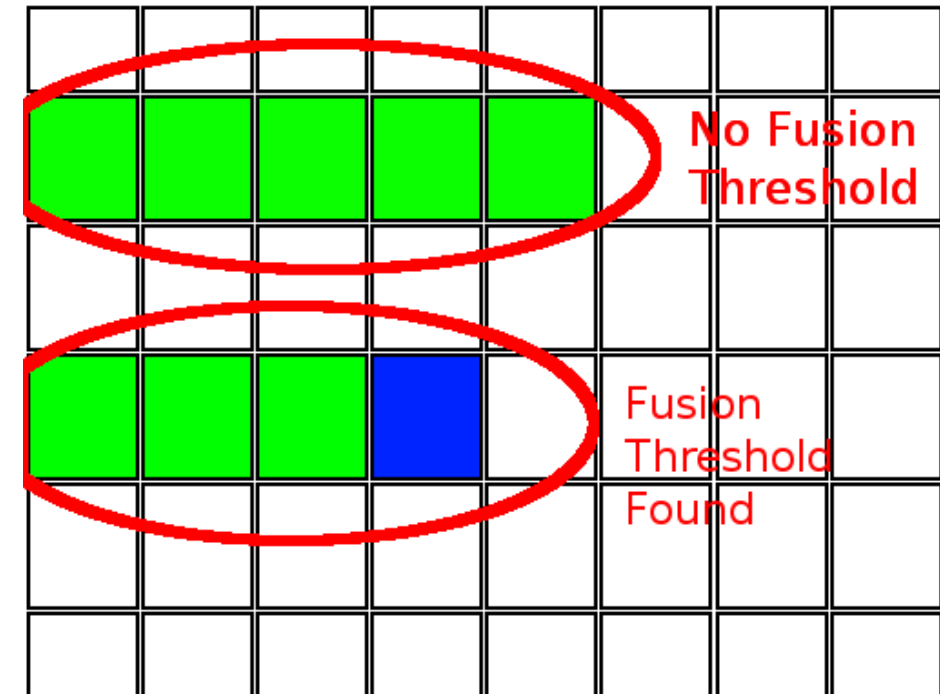
- $\Delta Y \leq 1\mu s$  (edge-matching)

- S-Energy  $> 440\text{keV}$

- Length  $\geq 3$  pads

- Edge-matching : the leading (trailing) edge must be  $< 1\mu s$  from the trailing (leading) edge of the neighboring pulse.

Two Road tracks, one with the fusion threshold (blue pad), one without the fusion threshold.



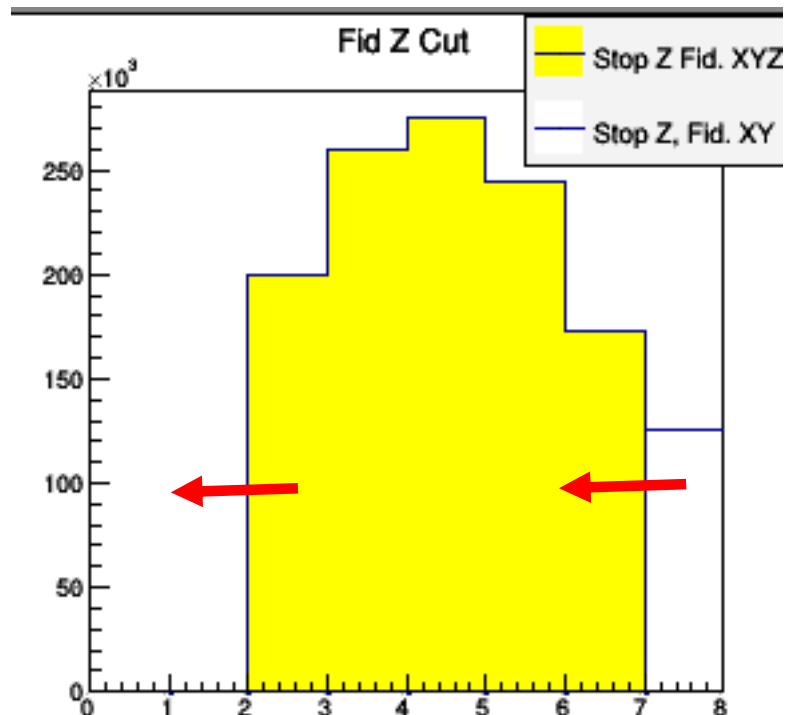


# Motivation : Proton migrates one way

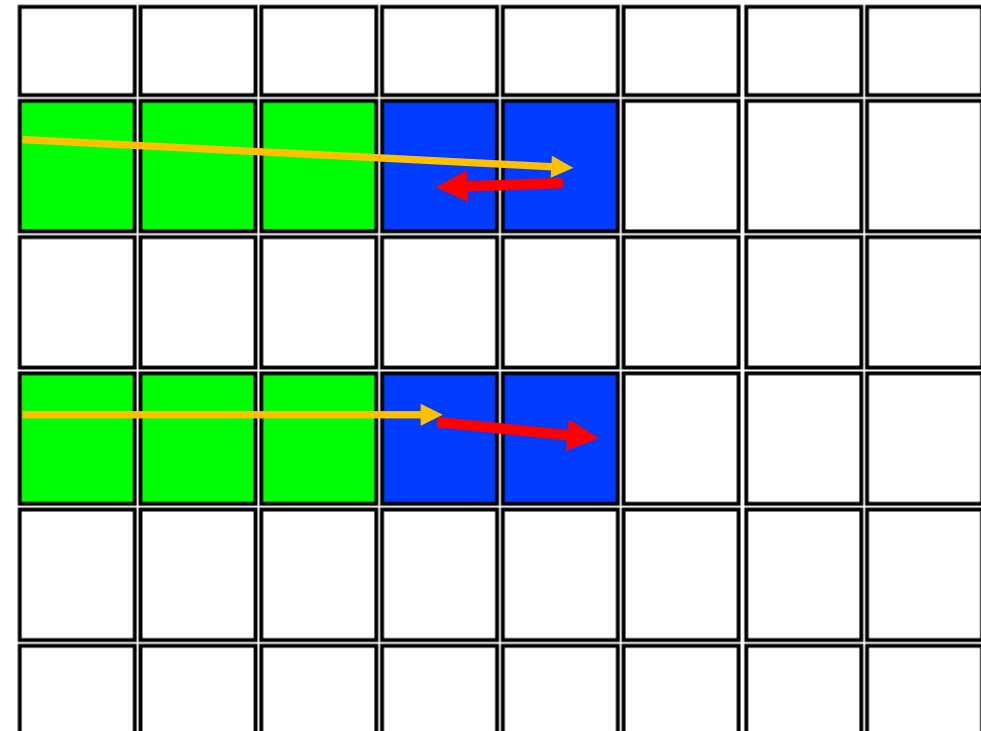
A proton can go forward or backward to confuse the stopZ.

The road tracker makes the stop Z determined from these situations identical (4<sup>th</sup> row in the diagram)

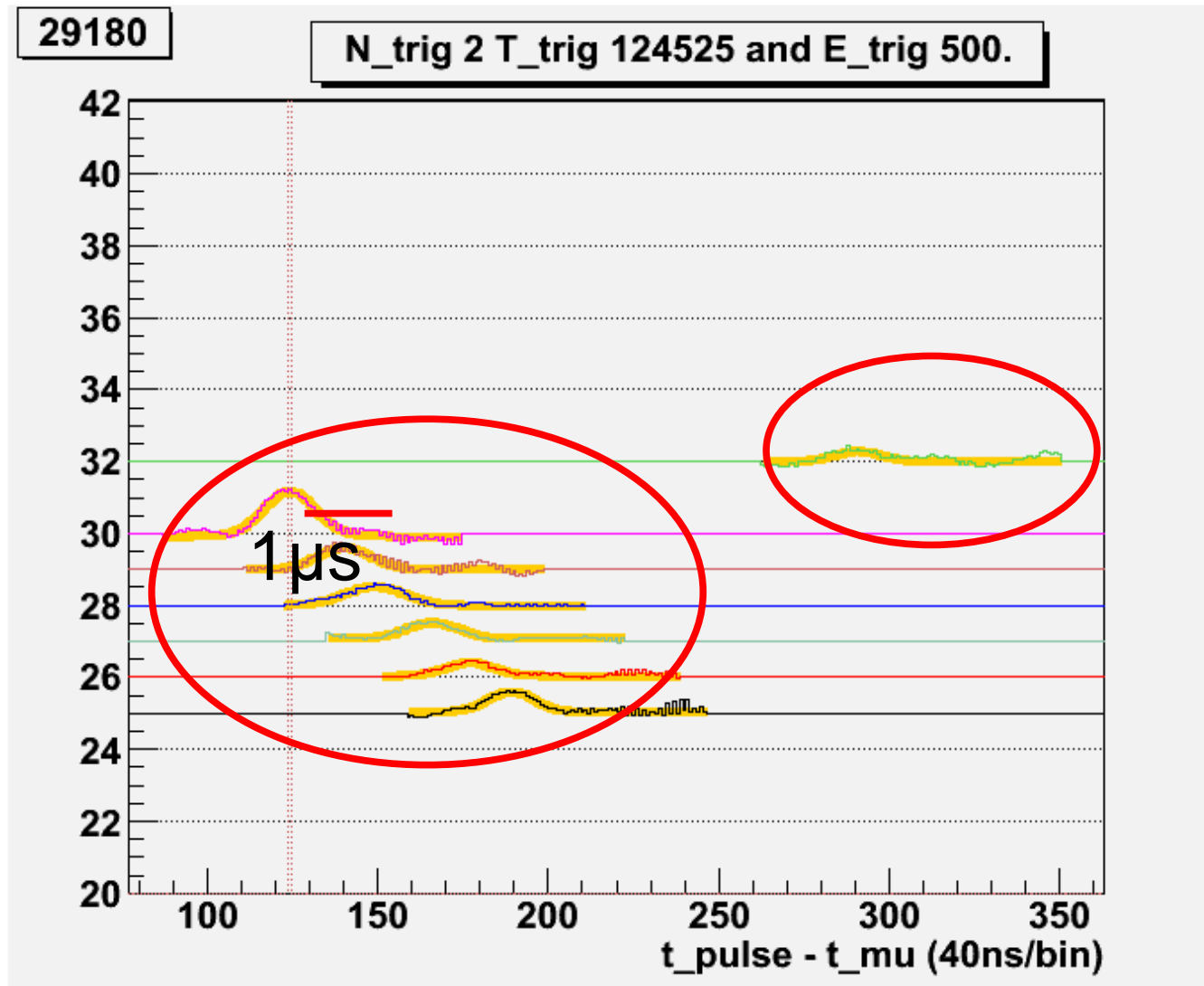
By managing the populations of events, we can balance the number of stops that migrate in and out of the fid. vol.



Two tracks with a p-t, triggering threshold, but with different stop Z. Proton in red, muon in orange.

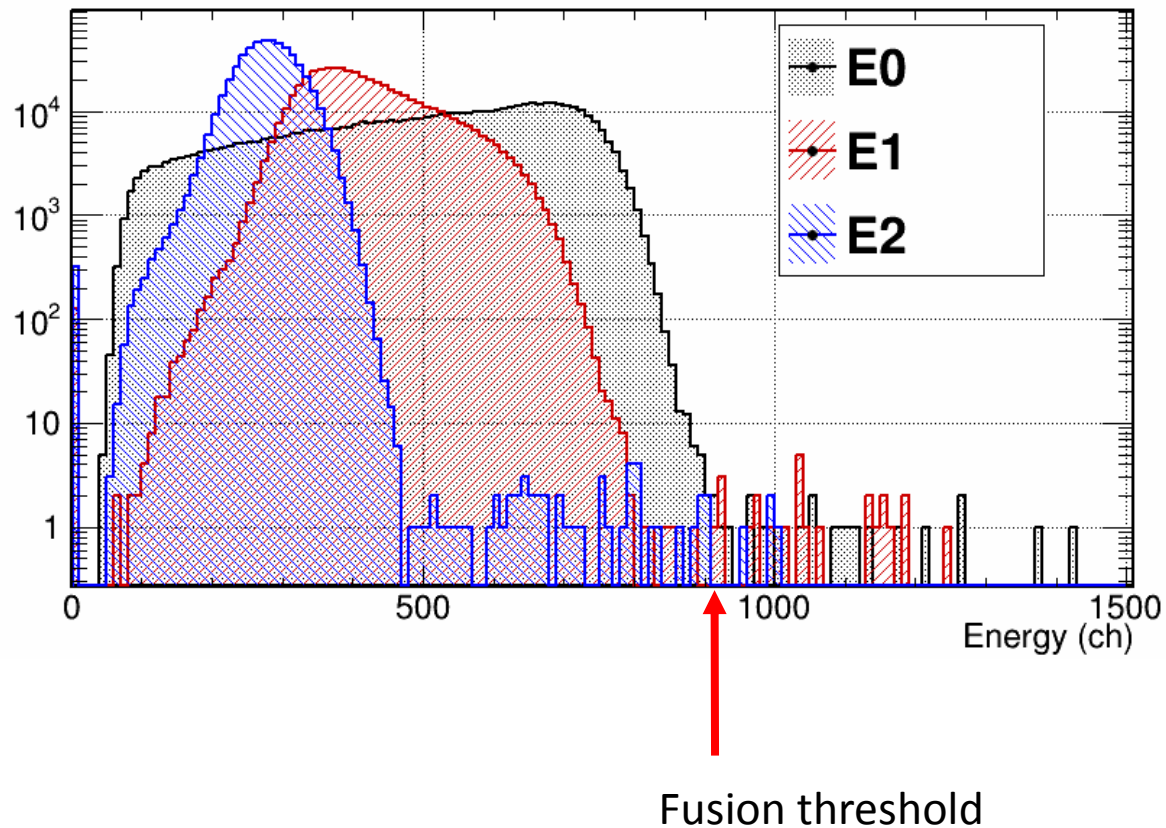


$$\Delta X \leq 1 \quad \Delta Z \leq 2 \quad \Delta Y \leq 1\mu\text{s} (= 0.5\text{cm})$$

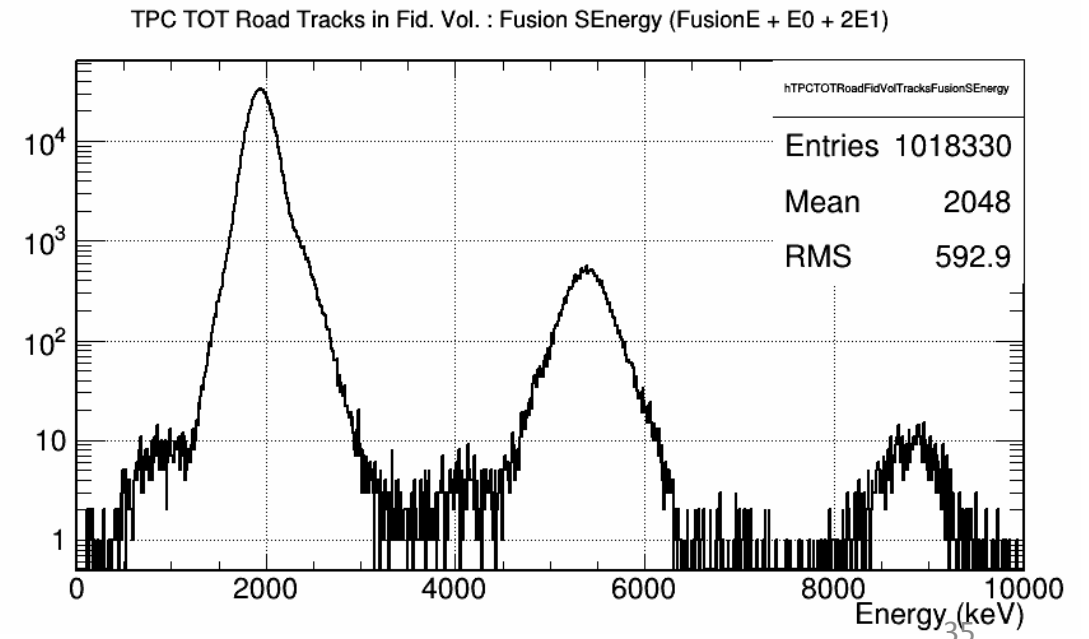


# Road Track : Fusion Energy threshold

Upstream energies,  $\mu^+$   
E0, E1, and E2

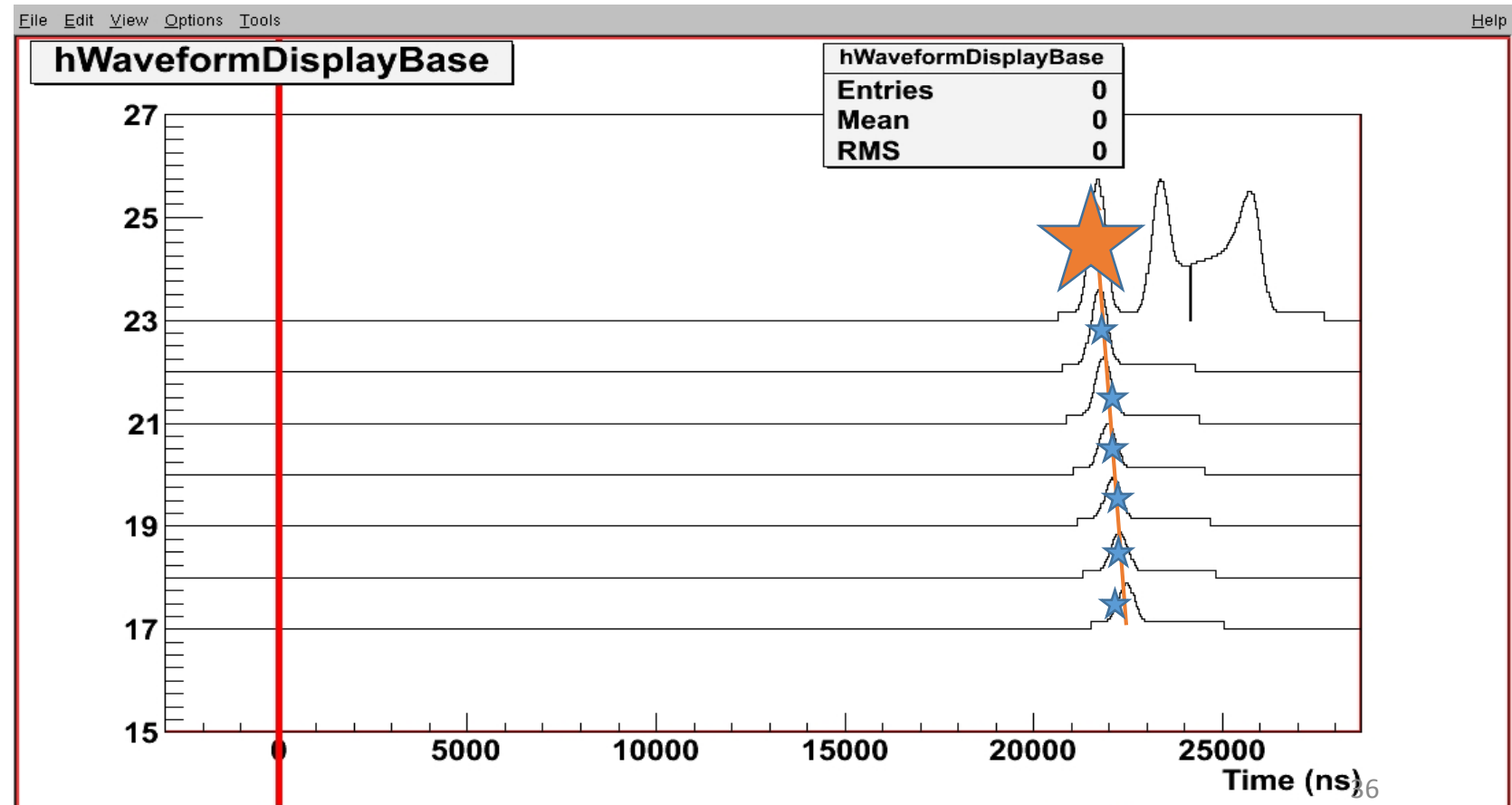


- The “fusion” energy threshold is chosen to be larger than the largest possible E0 for  $\mu^+$ .
- Ideally, only events with fusion products hit this threshold.
- In practice, pileup might sneak in, and fusion products might alter E0 but stay under threshold.



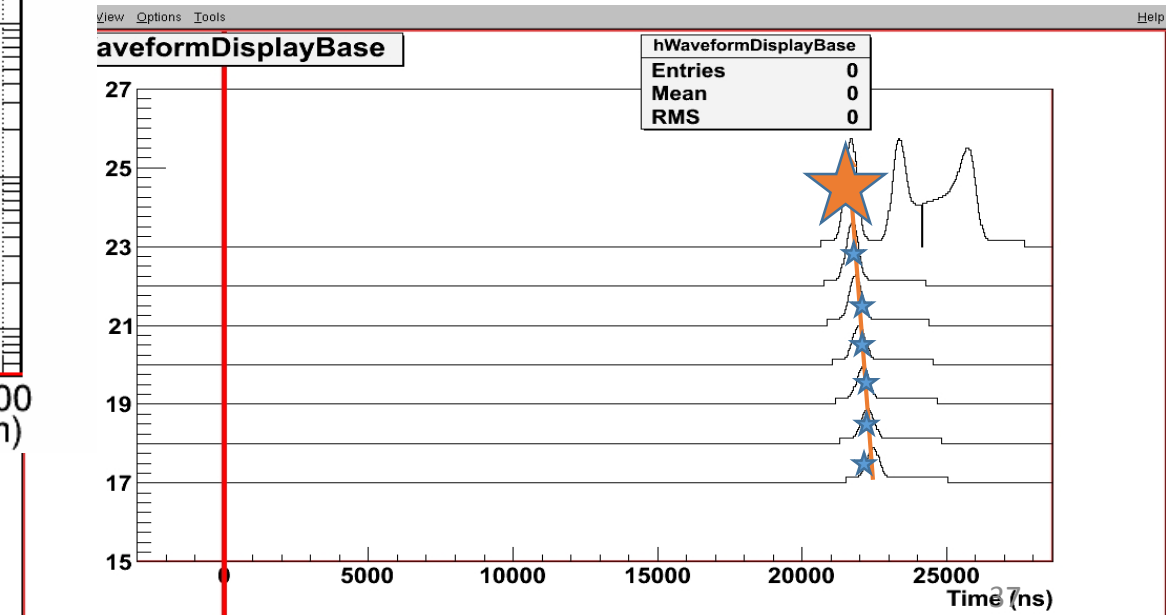
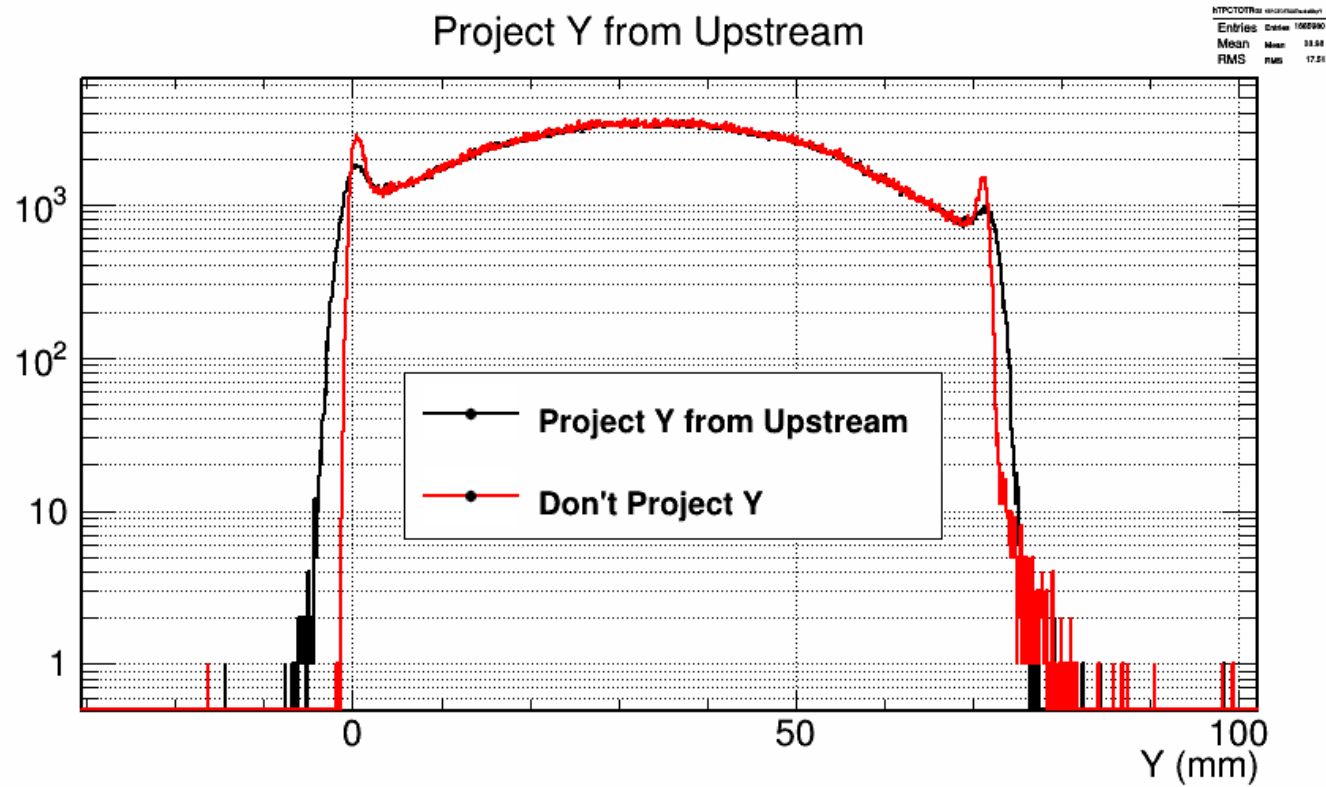
# Road tracking : Projection for Y coord.

Project the upstream pads into the fusion row to get the Y coordinate.  
The pulses on the “fusion” row are ignored, and only the “road;

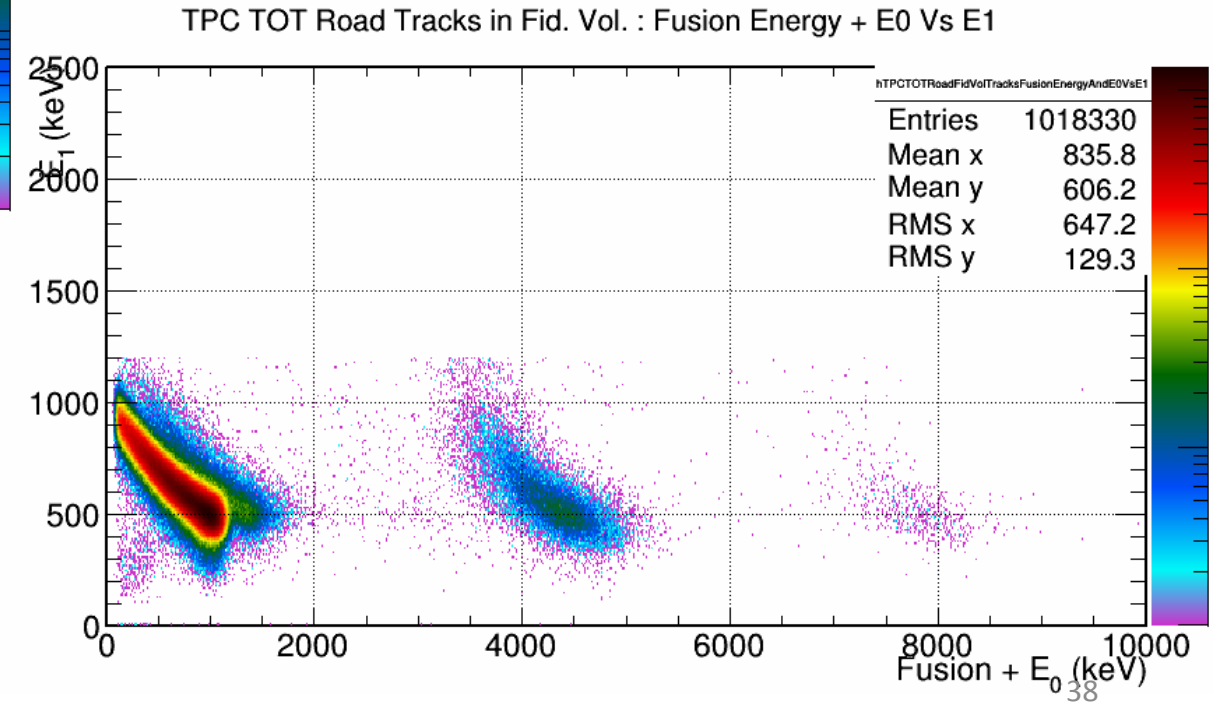
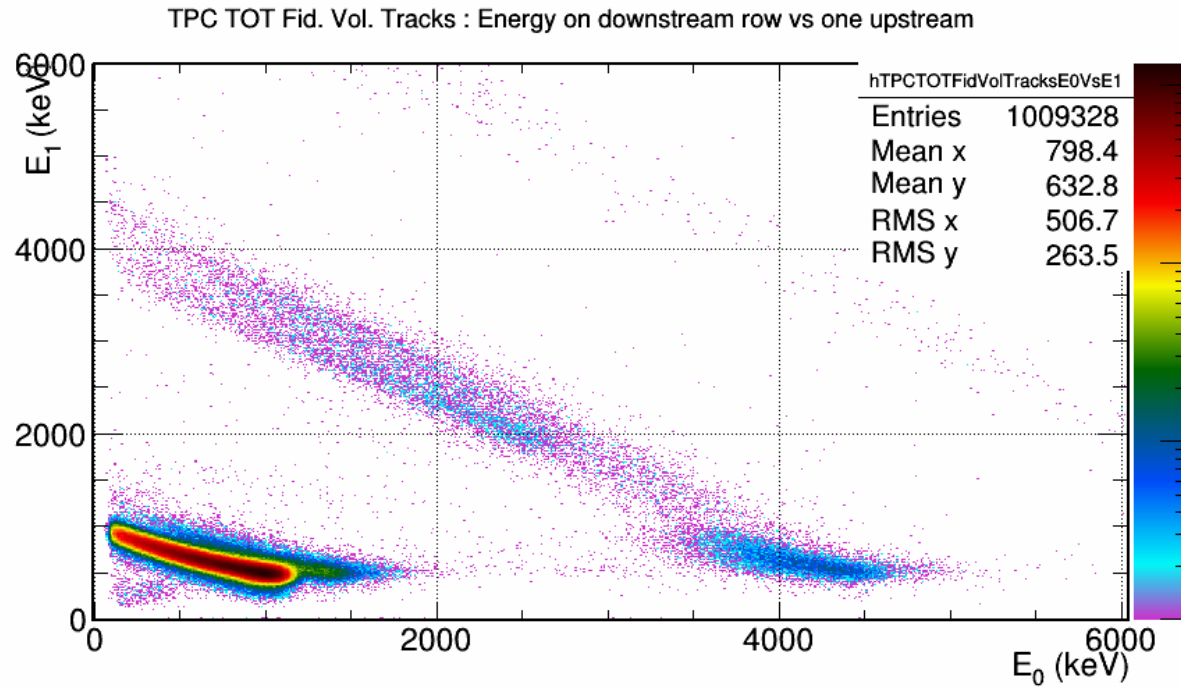


# Variant: Use projection for all tracks, not just fusions

To treat events without the fusion threshold in a similar manner to the fusion events, use the projection method for all tracks. This decreases Y resolution, of course.

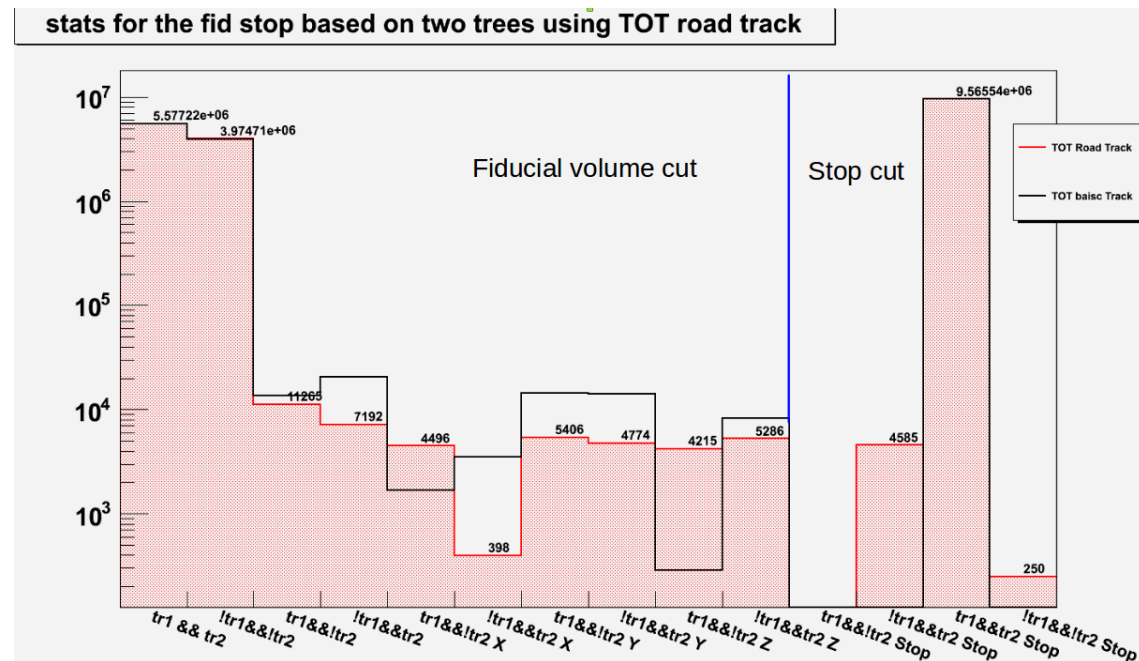


# E1 vs E0 for Basic and Road Tracks



# TPC Muon Stop : The future

- Analyze full data set with Road tracker, compare to Basic tracker. (MU pass ongoing on Lonestar, half-way done 12 Aug 2014)
- (Also incorporates new TOT pulse finder)
- For Road tracker, try different “fusion” thresholds
- Try projection variants, as discussed. Also variants for Stop X.
- Study the migration of events using MC

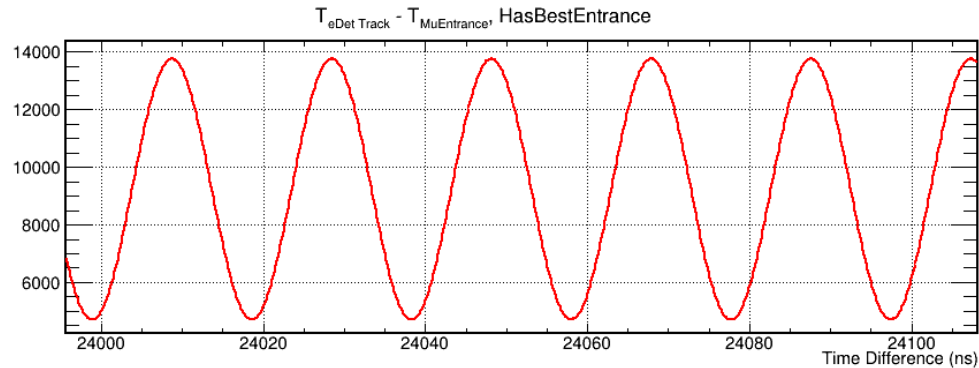


# Backup

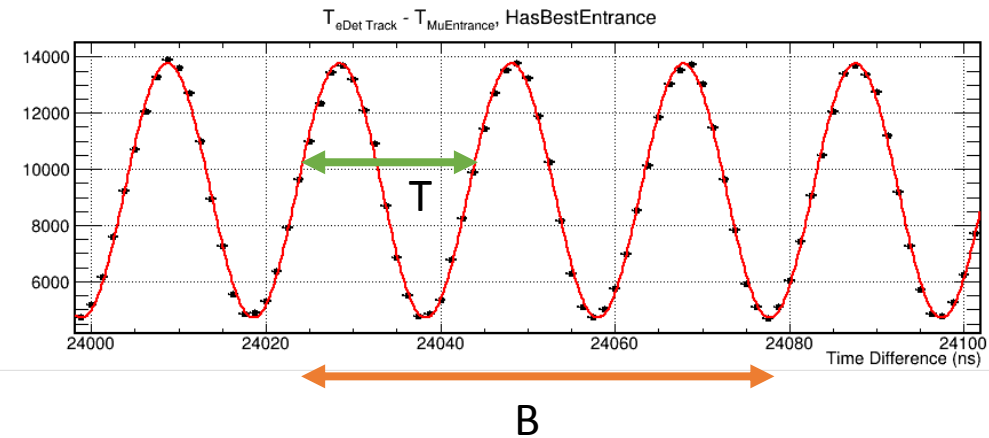


# Rebinning an oscillatory signal

The data has a periodic additive component



This is sampled by an ADC



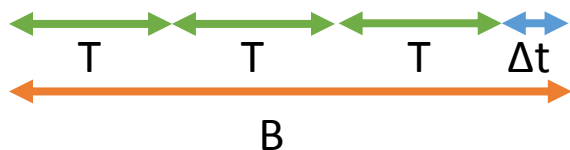
What happens to the period when we rebin the ADC samples?

Properties of our signal,  $f(t)$ .

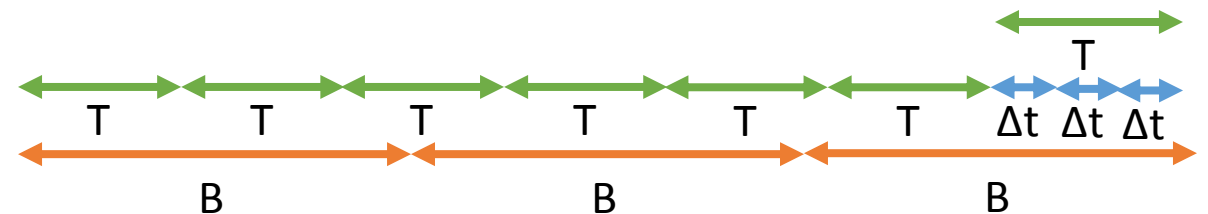
$$f(t + T) = f(t)$$

$$\int_{t'}^{t'+T} dt f(t) = 0$$

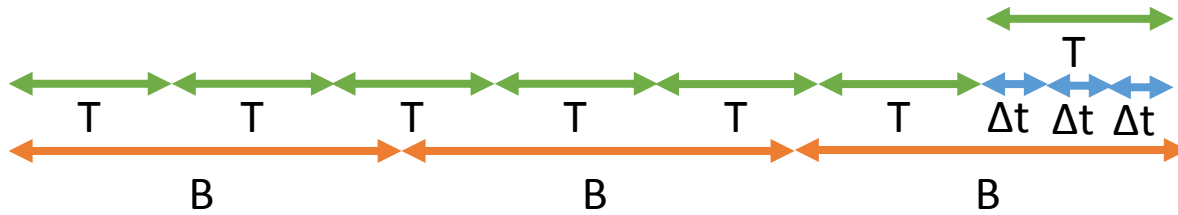
where  $T$  is the period. Rebinning to a bin width  $B$  (in ns), where  $B > T$ , we accumulate an extra bit of the signal,  $\Delta t$ .



Since the integral of the oscillatory signal is zero over one period, only the portion  $\Delta t$  contributes to the new bin content. The period of these new bins is set by how many  $\Delta t$  pieces it takes to get to a whole new period,  $T$ .



# Rebinning an oscillatory signal



## Calculating the new period

Remember that T and B are times in ns.  $\Delta t$  is given by

$$\Delta t = B \bmod T$$

And the rebinned signal reaches zero after N bins, where

$$N = \frac{T}{\Delta t} = \frac{T}{B \bmod T}$$

This translates to a period,  $T_B$  in ns of

$$T_B = NB = \frac{BT}{B \bmod T}$$

This works even if T is not an integer multiple of  $\Delta t$ .

## Some numbers for MuSun

Assume the cyclotron RF determining the correlation of electron background counts to the muon has a period of  $T=19.7$  ns, which is close to the real value.

Our CAEN TDC samples times at 1.25ns, so we can only rebin such that B is an integer multiple of this. For now, consider  $B=40$ ns,  $B=50$ ns, and  $B=100$ ns

$T=19.7$ ns  
 $B=40.0$ ns  
 $\Delta t = B \bmod T = 0.6$ ns  
 $N = T/(B \bmod T) = 32.8$   
 **$T_B = NB = 1310$ ns**

$T=19.7$ ns  
 $B=50.0$ ns  
 $\Delta t = B \bmod T = 10.6$ ns  
 $N = T/(B \bmod T) = 1.81$   
 **$T_B = NB = 90.5$ ns**

$T=19.7$ ns  
 $B=100.0$ ns  
 $\Delta t = B \bmod T = 1.5$  ns  
 $N = T/(B \bmod T) = 13.1$   
 **$T_B = NB = 1310$ ns**

Notice that for  $B=40.0$ ns and  $B=100.0$ ns, we get the same  $T_B$ . This is a general property for bin sizes  $B_1$  and  $B_2$  as long as  $B_1 \bmod T = (B_1 / B_2) * B_2 \bmod T$ . This will be the case when  $(B_1 \bmod T)$  and  $(B_2 \bmod T)$  are small compared to T.