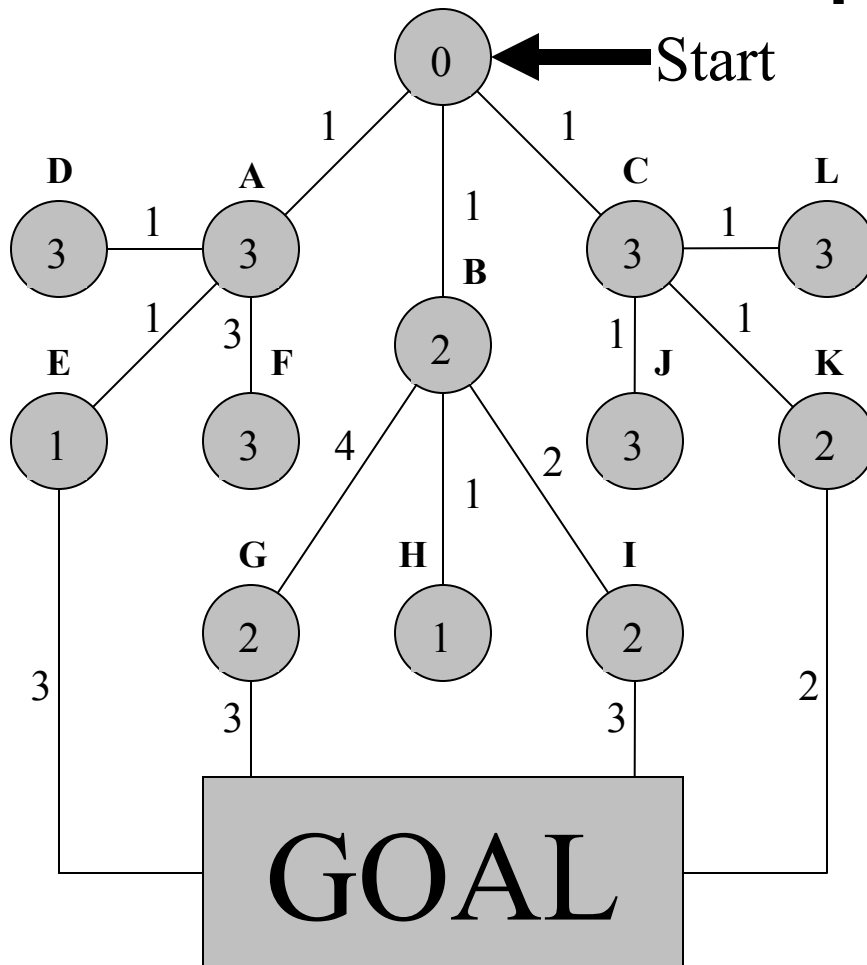
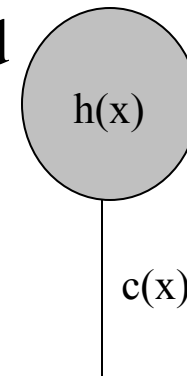


Example (1/5)



Legend



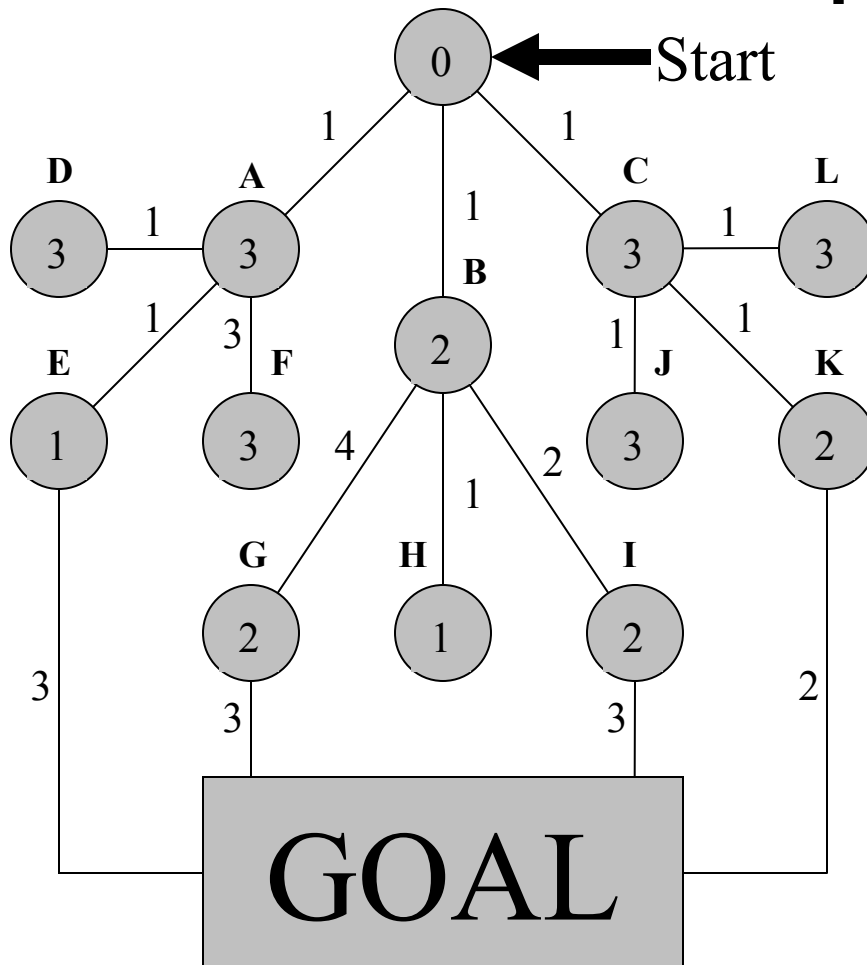
$$\text{Priority} = g(x) + h(x)$$

Note:

$g(x)$ = sum of all previous arc costs, $c(x)$,
from start to x

Example: $c(H) = 2$

Example (2/5)



First expand the start node

B (3)
A (4)
C (4)

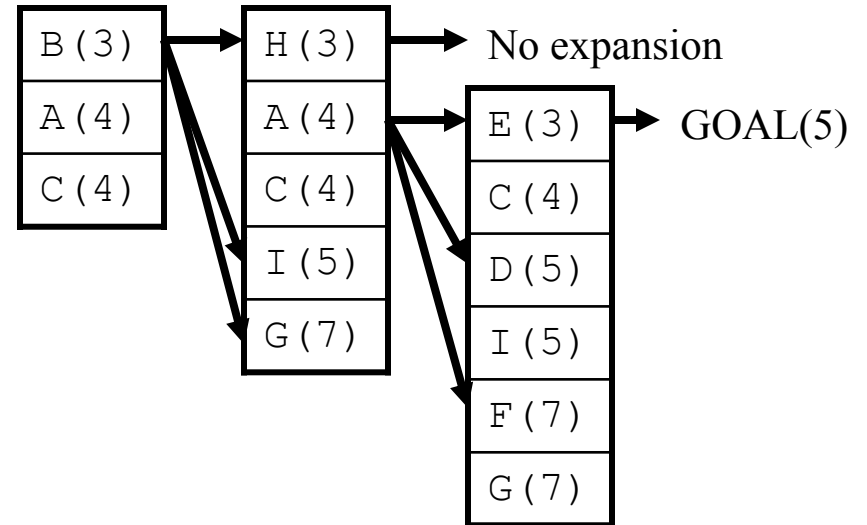
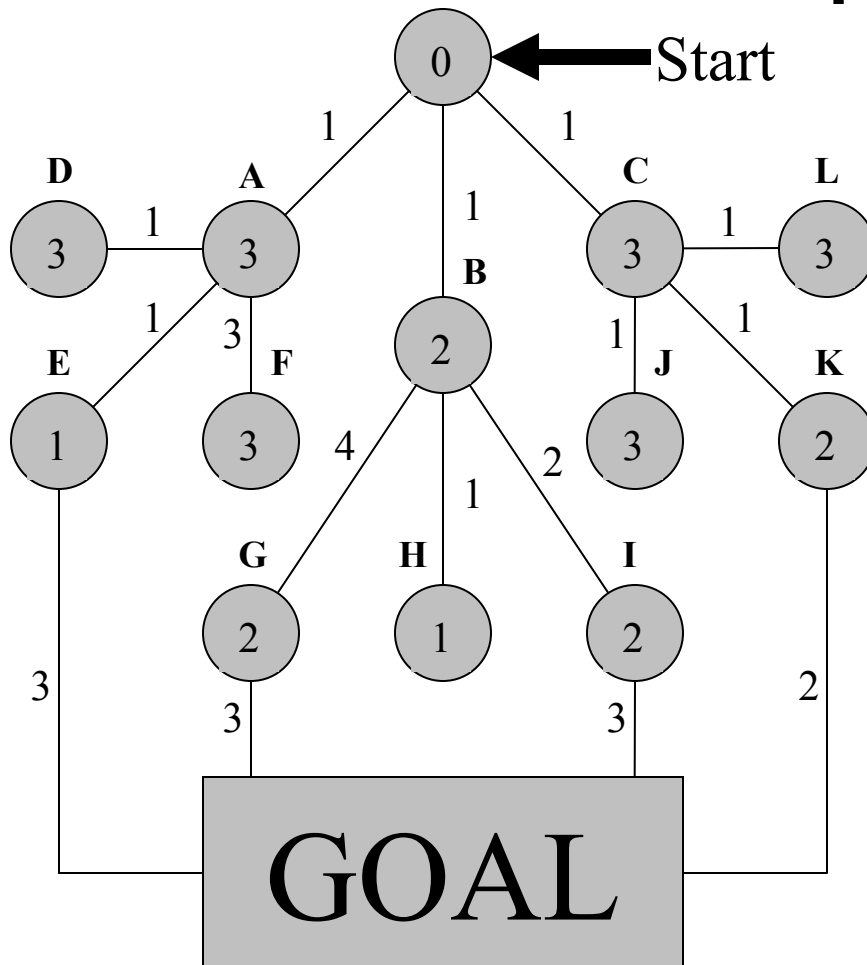
If goal not found,
expand the first node
in the priority queue
(in this case, B)

H (3)
A (4)
C (4)
I (5)
G (7)

Insert the newly expanded
nodes into the priority queue
and continue until the goal is
found, or the priority queue is
empty (in which case no path
exists)

Note: for each expanded node,
you also need a pointer to its respective
parent. For example, nodes A, B and C
point to Start

Example (3/5)



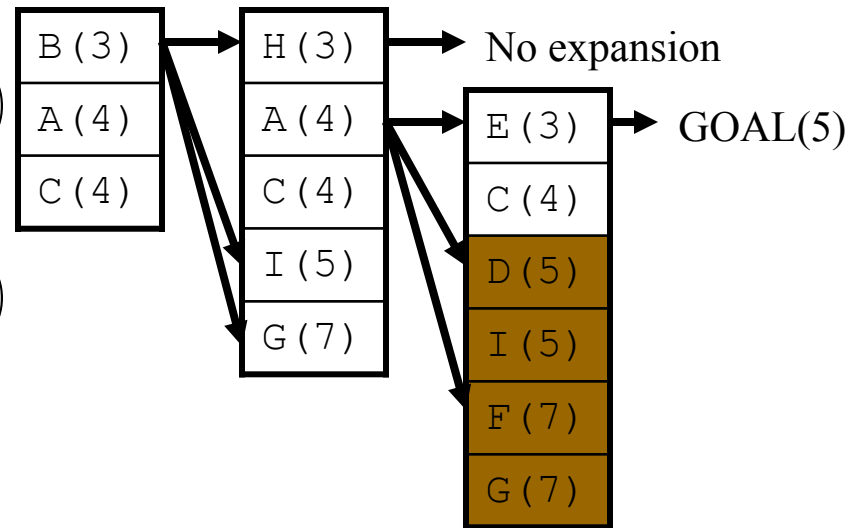
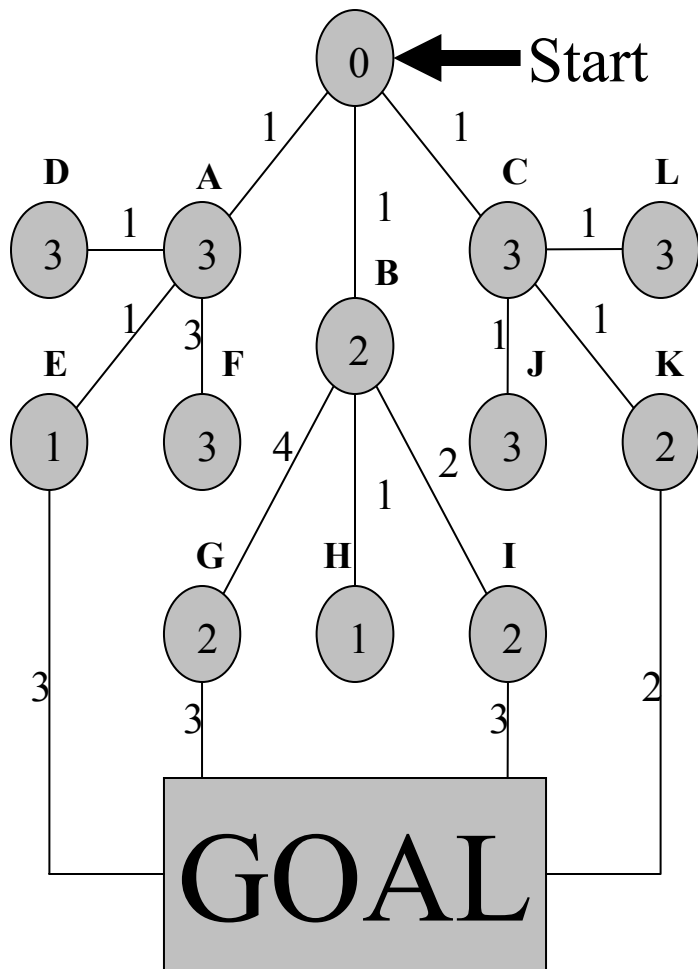
We've found a path to the goal:

Start => A => E => Goal

(from the pointers)

Are we done?

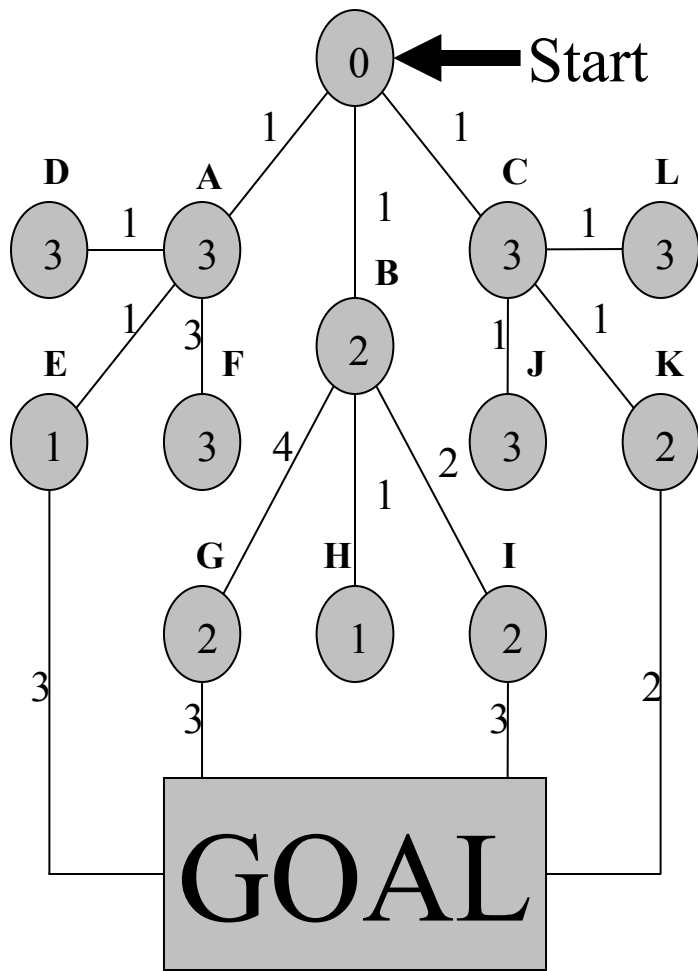
Example (4/5)



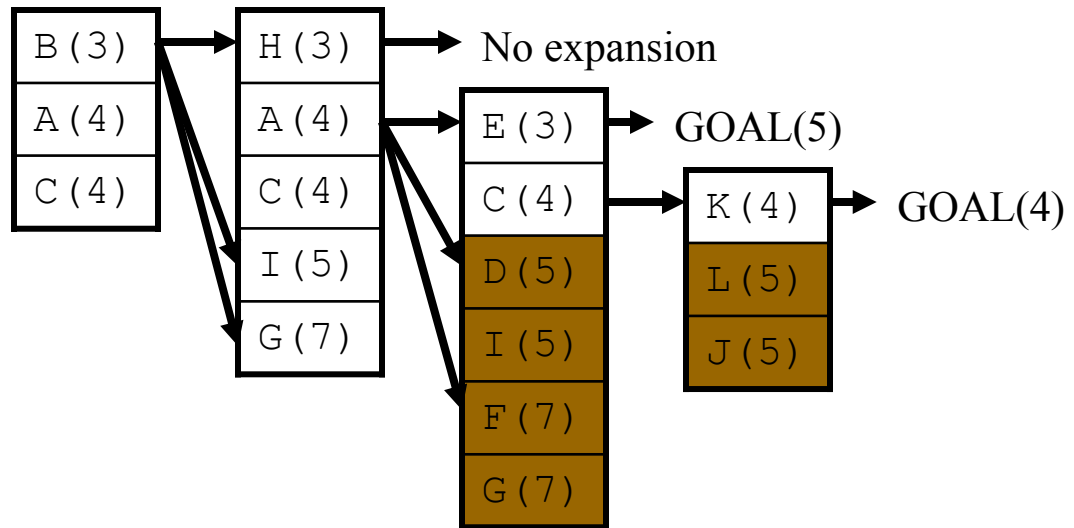
There might be a shorter path, but assuming non-negative arc costs, nodes with a lower priority than the goal cannot yield a better path.

In this example, nodes with a priority greater than or equal to 5 can be pruned.

Why don't we expand nodes with an equivalent priority? (why not expand nodes D and I?)



Example (5/5)



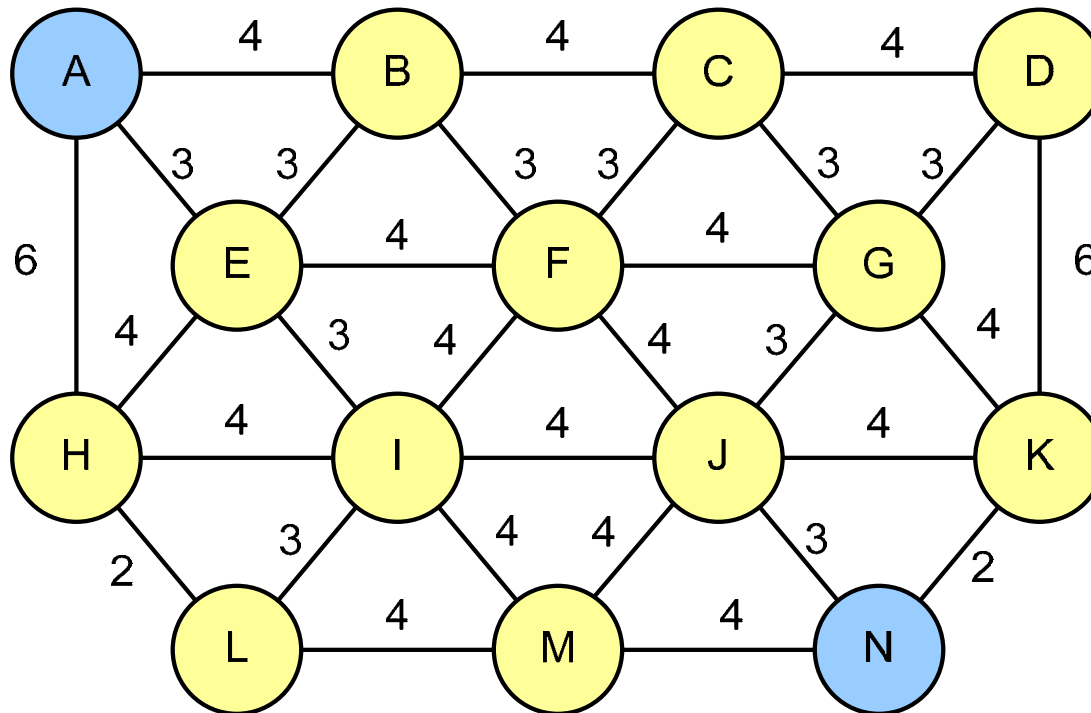
We can continue to throw away nodes with priority levels lower than the lowest goal found.

As we can see from this example, there was a shorter path through node K. To find the path, simply follow the back pointers.

Therefore the path would be:
Start => C => K => Goal

If the priority queue still wasn't empty, we would continue expanding while throwing away nodes with priority lower than 4.
(remember, lower numbers = higher priority)

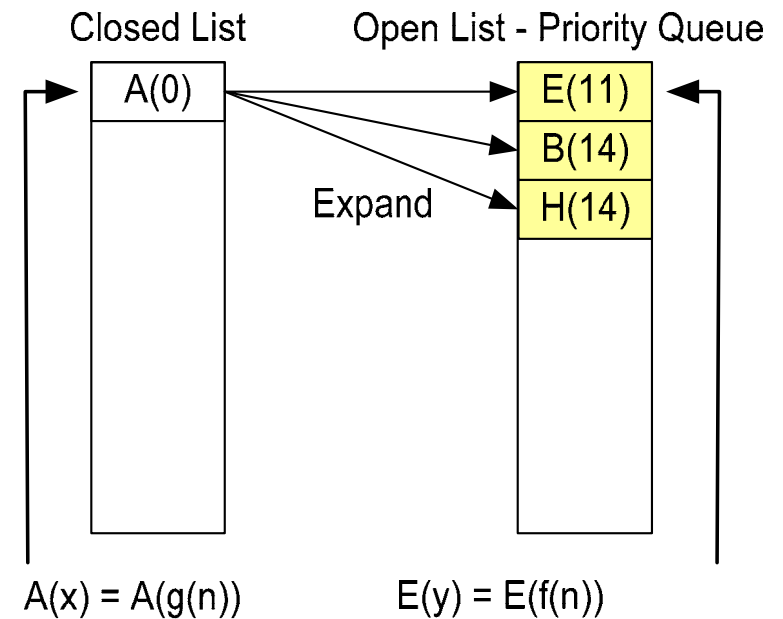
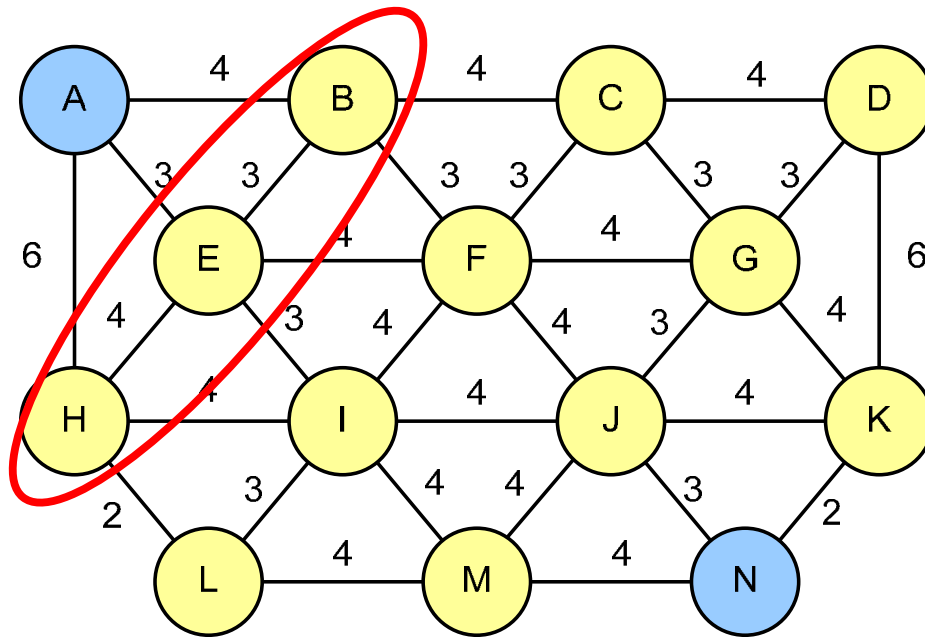
A*: Example (1/6)



Heuristics

A = 14	H = 8
B = 10	I = 5
C = 8	J = 2
D = 6	K = 2
E = 8	L = 6
F = 7	M = 2
G = 6	N = 0

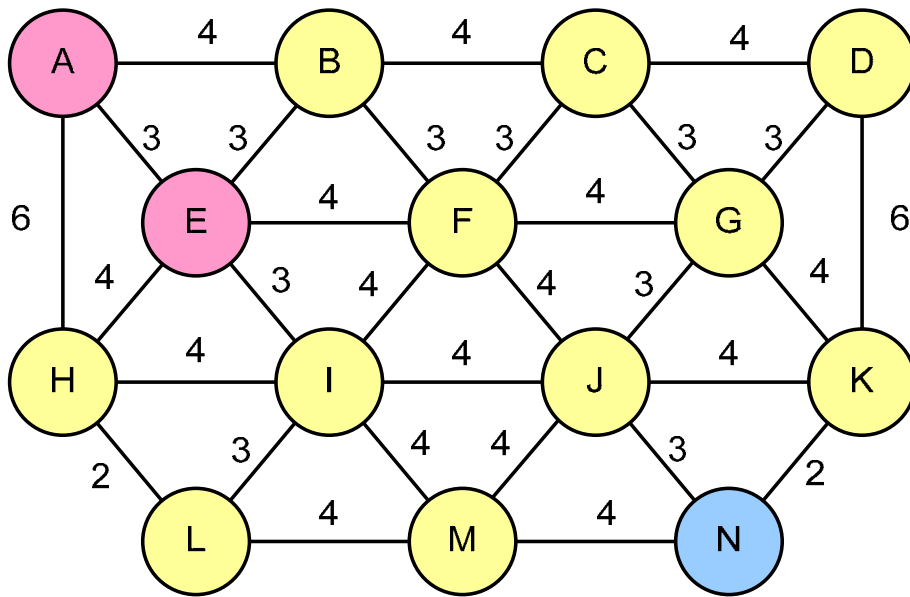
A*: Example (2/6)



Heuristics

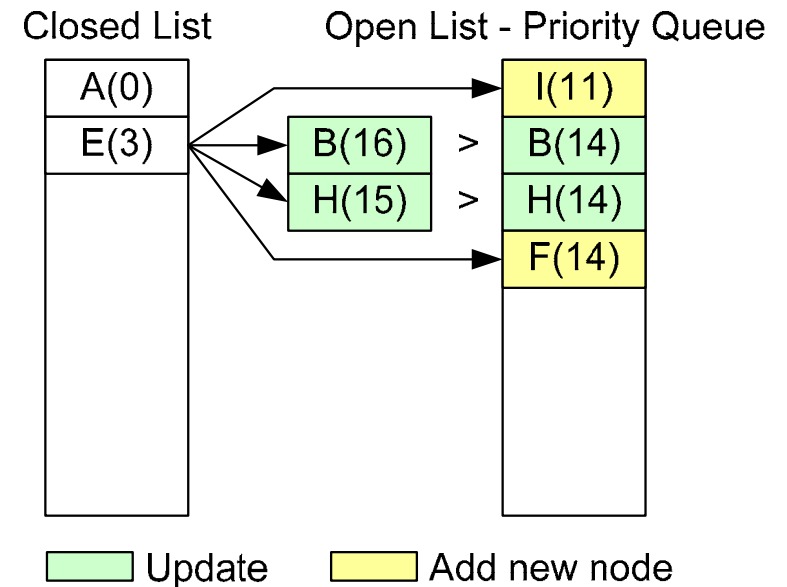
A = 14, B = 10, C = 8, D = 6, E = 8, F = 7, G = 6
 H = 8, I = 5, J = 2, K = 2, L = 6, M = 2, N = 0

A*: Example (3/6)



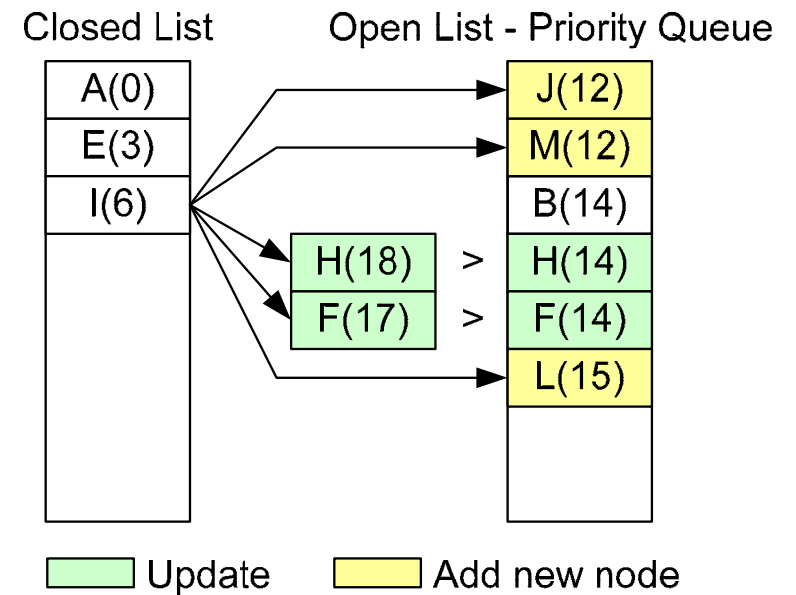
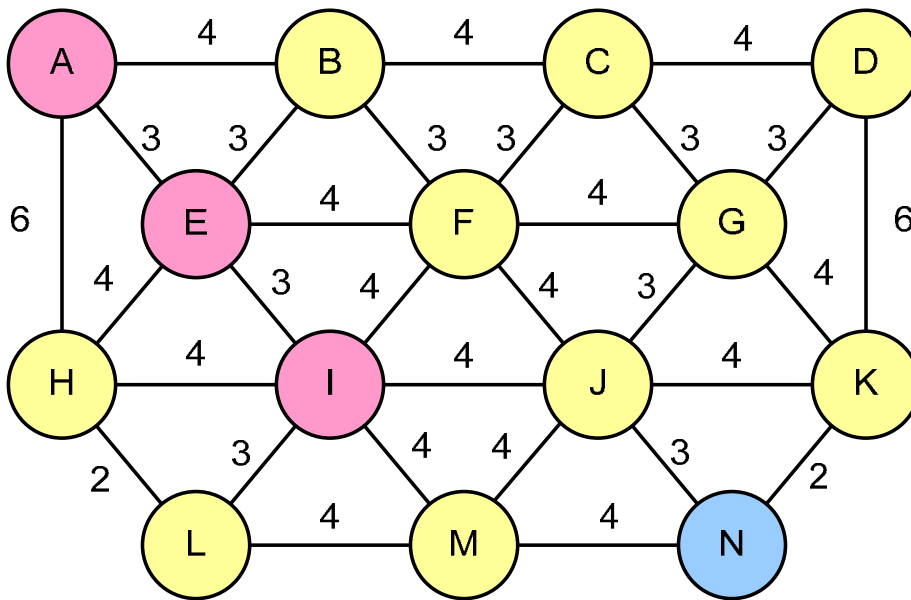
Heuristics

A = 14, B = 10, C = 8, D = 6, E = 8, F = 7, G = 6
H = 8, I = 5, J = 2, K = 2, L = 6, M = 2, N = 0



Since $A \rightarrow B$ is smaller than $A \rightarrow E \rightarrow B$, the f-cost value of B in an open list needs not be updated

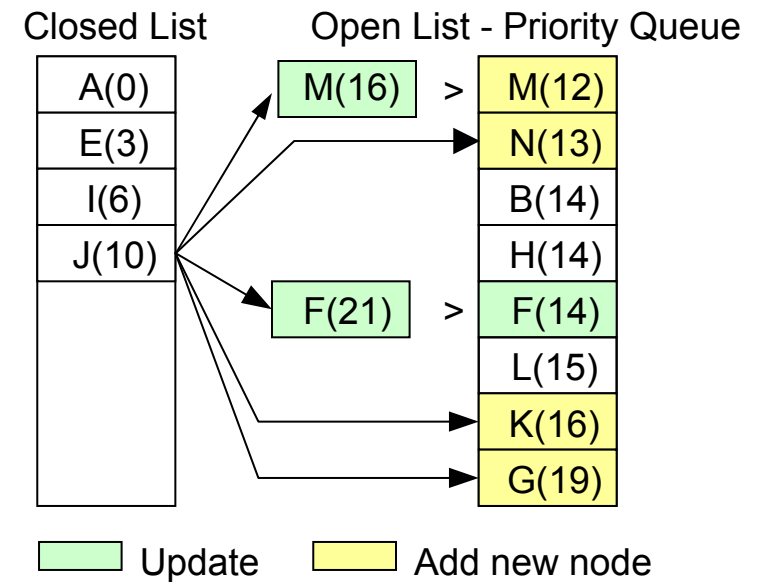
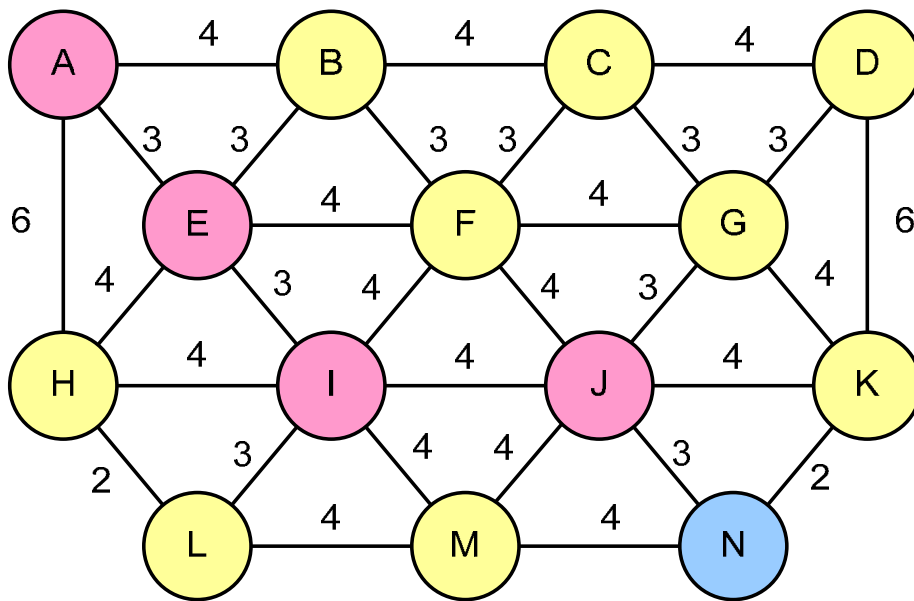
A*: Example (4/6)



Heuristics

A = 14, B = 10, C = 8, D = 6, E = 8, F = 7, G = 6
 H = 8, I = 5, J = 2, K = 2, L = 6, M = 2, N = 0

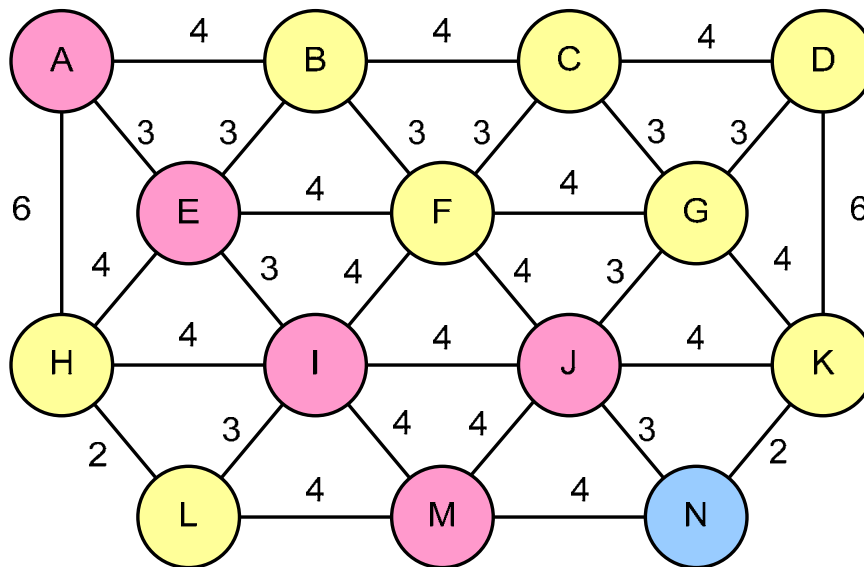
A*: Example (5/6)



Heuristics

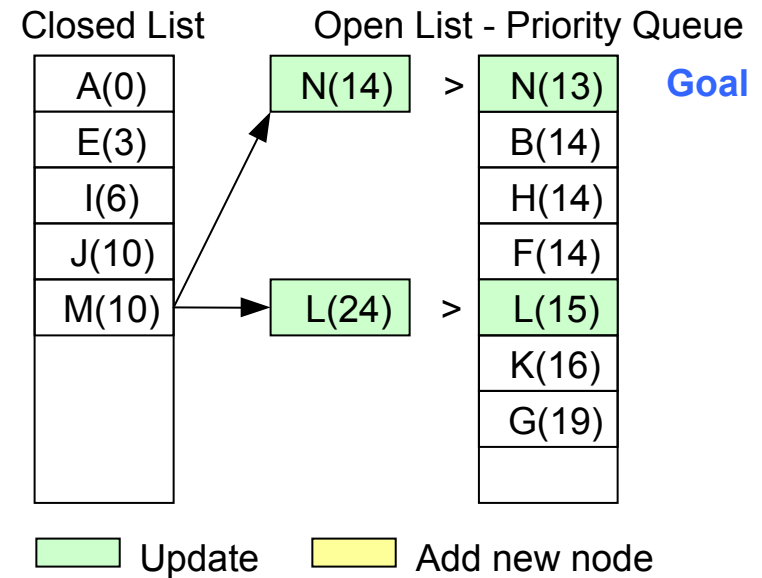
A = 14, B = 10, C = 8, D = 6, E = 8, F = 7, G = 6
 H = 8, I = 5, J = 2, K = 2, L = 6, M = 2, N = 0

A*: Example (6/6)



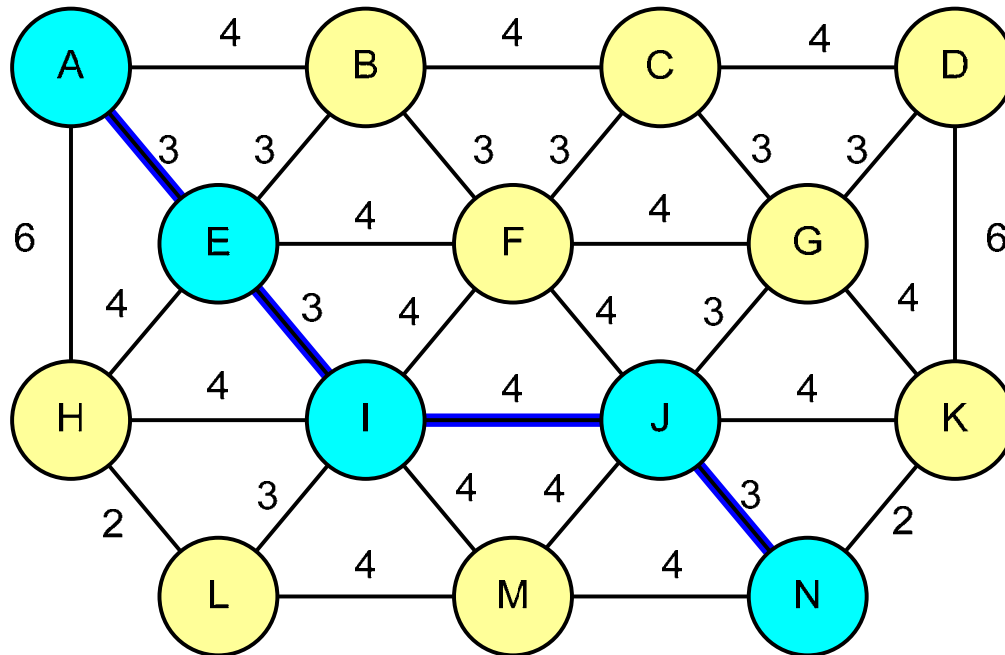
Heuristics

A = 14, B = 10, C = 8, D = 6, E = 8, F = 7, G = 6
H = 8, I = 5, J = 2, K = 2, L = 6, M = 2, N = 0



Since the path to N from M is greater than that from J, **the optimal path to N is the one traversed from J**

A*: Example Result



Generate the path from the goal node back to the start node through the back-pointer attribute