

CORRELATION ANALYSIS:

- * Correlation is a statistical measure that extends to which two variable are linearly in relation
- * It refers to the process of establishing the relationship between two variables

Types of Correlations:

Values = -1 , 0 , -1

- * -1 indicates strong negative correlation which means x increases, y decreases
- * 0 no association between two variables
- * +1 indicates strong positive correlation which means x increases, y increases

Methods of Correlations:

- * Pearson (measures the linear dependency of two variables)
- * Spearman (compute the correlation between the rank of x and y variables)
- * Kendal (measures the correspondence between the x & y variables)

Correlation Coefficient Formula

$$r = \frac{n(\sum xy) - (\sum x)(\sum y)}{\sqrt{[n\sum x^2 - (\sum x)^2][n\sum y^2 - (\sum y)^2]}}$$

Pearson Method:

In [1]:

```
x = c(4,8,12,16)
y = c(5,10,15,20)
```

if method is not specified by default pearson method is used

In [2]:

```
cor.test(x,y, method="pearson")
```

Pearson's product-moment correlation

```
data: x and y
t = Inf, df = 2, p-value < 2.2e-16
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 1 1
sample estimates:
cor
 1
```

In [6]:

```
a = cor.test(x,y)

if (a$estimate ==1)
{
  print("Strong Positive")
} else if(a$estimate== -1){
  print("Strong Negative")
} else{
  print("No Relation")
}
```

[1] "Strong Positive"

In [7]:

```
a = c(4,8,12,26)
b = c(5,10,15,30)
```

In [8]:

```
v = cor.test(a,b)

if (v$estimate ==1)
{
  print("Strong Positive")
} else if(v$estimate== -1){
  print("Strong Negative")
} else{
  print("No Relation")
}
```

[1] "No Relation"

In [12]:

```
r = c(4,8,12,0)
t = c(5,0,5,30)
```

In [16]:

```
o = cor.test(r,t)

if (o$estimate ==1)
{
  print("Strong Positive")
} else if(o$estimate<1){
  print("Strong Negative")
} else{
  print("No Relation")
}
```

[1] "Strong Negative"

In []:

Statistical Summary:

Exploring Data

- > Summarization
- > Visualisation
- > Normalization

Data Summarization:

- * Mean -> Sum of X / number of values
- * Median -> Center number
- * Mode -> The number which is repeated multiple times

Replacing missing values:

If there is a null value in the dataset then go for data summarisation to fill the null value.

Measure the Central Dispersion:

- > Standard Deviation
- > Variance
- > Range

Measure of Central Dispersion:

The measure of central dispersion express the scattering of the datapoints in terms of distance such as range or in terms of deviation from the central value such as variance and standard deviation.

Measure of Central Tendency:

In [41]:

```
a =c(5,52,53,64,65,86,86,92)
mean = mean(a)
mode <- function(a) {
  unqv <- unique(a)
  unqv[which.max(tabulate(match(a, unqv)))]
}
median = median(a)
result <- mode(a)

print(paste("Mean: ",mean))
print(paste("Mode: ",result))
print(paste("Median: ",median))
```

```
[1] "Mean:  62.875"
[1] "Mode:  86"
[1] "Median:  64.5"
```

In [43]:

```
# creating a data frame:
df = data.frame(mean, result, median)
df
```

mean	result	median
62.875	86	64.5

Measure of Dispersion or Variability:

In [35]:

```
A =c(5,52,53,64,65,86,86,92)
a = sort(A)
# Range:
range= max(a) - min(a)
# Variance:
variance= var(a)
# Standard Deviation:
std = sd(a)
# Dispersion:
dispersion = mean(a) - sd(a)

print(paste("Range: ", range))
print(paste("Variance: ", variance))
print(paste("Standard Deviation: ", std))
print(paste("Dispersion: ", dispersion))
```

```
[1] "Range:  87"
[1] "Variance:  784.125"
[1] "Standard Deviation:  28.0022320538917"
[1] "Dispersion:  34.8727679461083"
```

In [24]:

```
# quartile:  
b= quantile(a)  
b
```

```
0%  
5  
25%  
52.75  
50%  
64.5  
75%  
86  
100%  
92
```

In [37]:

```
df1 = data.frame(range, variance, dispersion, Q1=b[2], Q2=b[3], Q3=b[4], row.names="Data Set 1")  
df1
```

	range	variance	dispersion	Q1	Q2	Q3
Data Set 1	87	784.125	34.87277	52.75	64.5	86

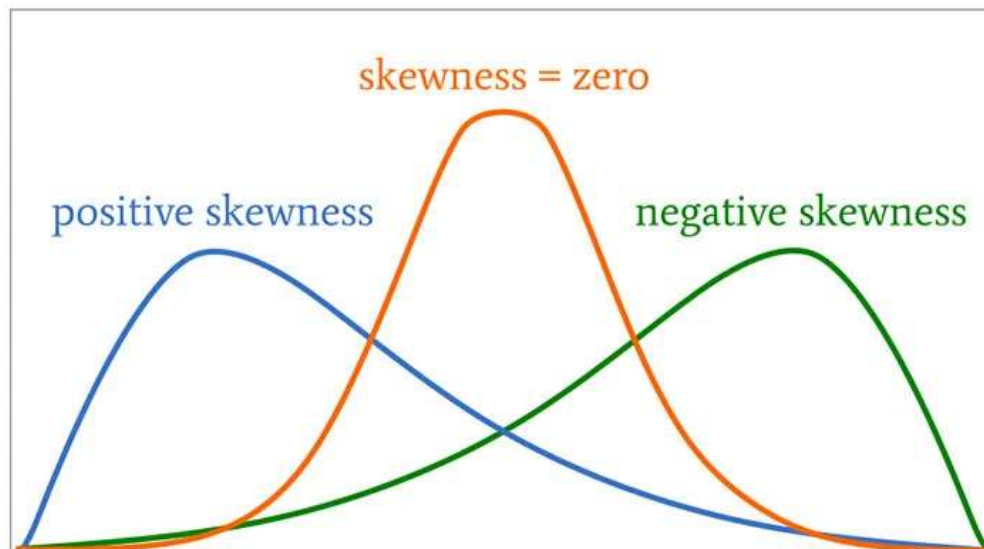
Symmetrical Distribution:

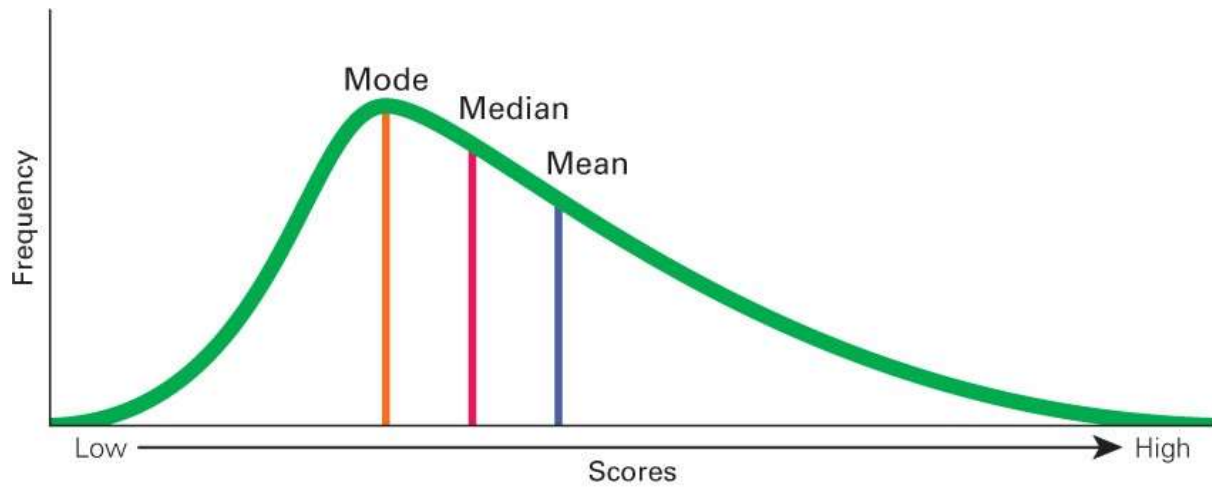
- * A frequency distribution is said to be symmetrical if the frequencies are equally distributed on both the sides of central values.
- * A symmetrical distribution may be either bell-shaped or U-shaped.
- * Mean = Median = Mode

Skewed Distribution:

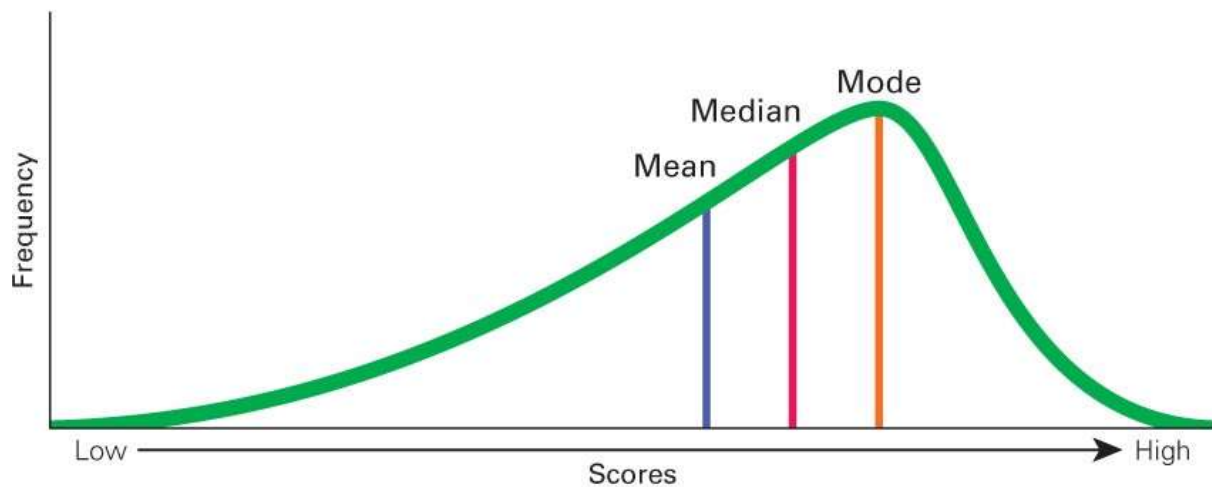
Types of Skewness:

- * Positive Skewness (Mean exceeds Mode and Median)
- * Negative Skewness (Mode exceeds Mean and Median)
- * No Skewness (Mean Median Mode are equal)





(a) Right-skewed distribution



(b) Left-skewed distribution

Pearson's Coefficient of Skewness:

* This method is most frequently used for measuring skewness.

Formula:

$$\text{Pearsons Coefficient} = \frac{\text{Mean} - \text{Mode}}{\text{Standard Deviation}}$$

Formula: (When Mode cannot be determined we can use this formula)

$$\text{Pearsons Coefficient} = \frac{\text{Mean} - (3 * \text{Median} - 2 * \text{Mean})}{\text{Standard Deviation}}$$

In [46]:

```
install.packages("e1071")
```

```
There is a binary version available but the source version is later:
  binary source needs_compilation
e1071 1.7-6 1.7-12 TRUE
```

```
Binaries will be installed
```

```
Warning message:
"package 'e1071' is in use and will not be installed"
```

In [47]:

```
library("e1071")
```

In [48]:

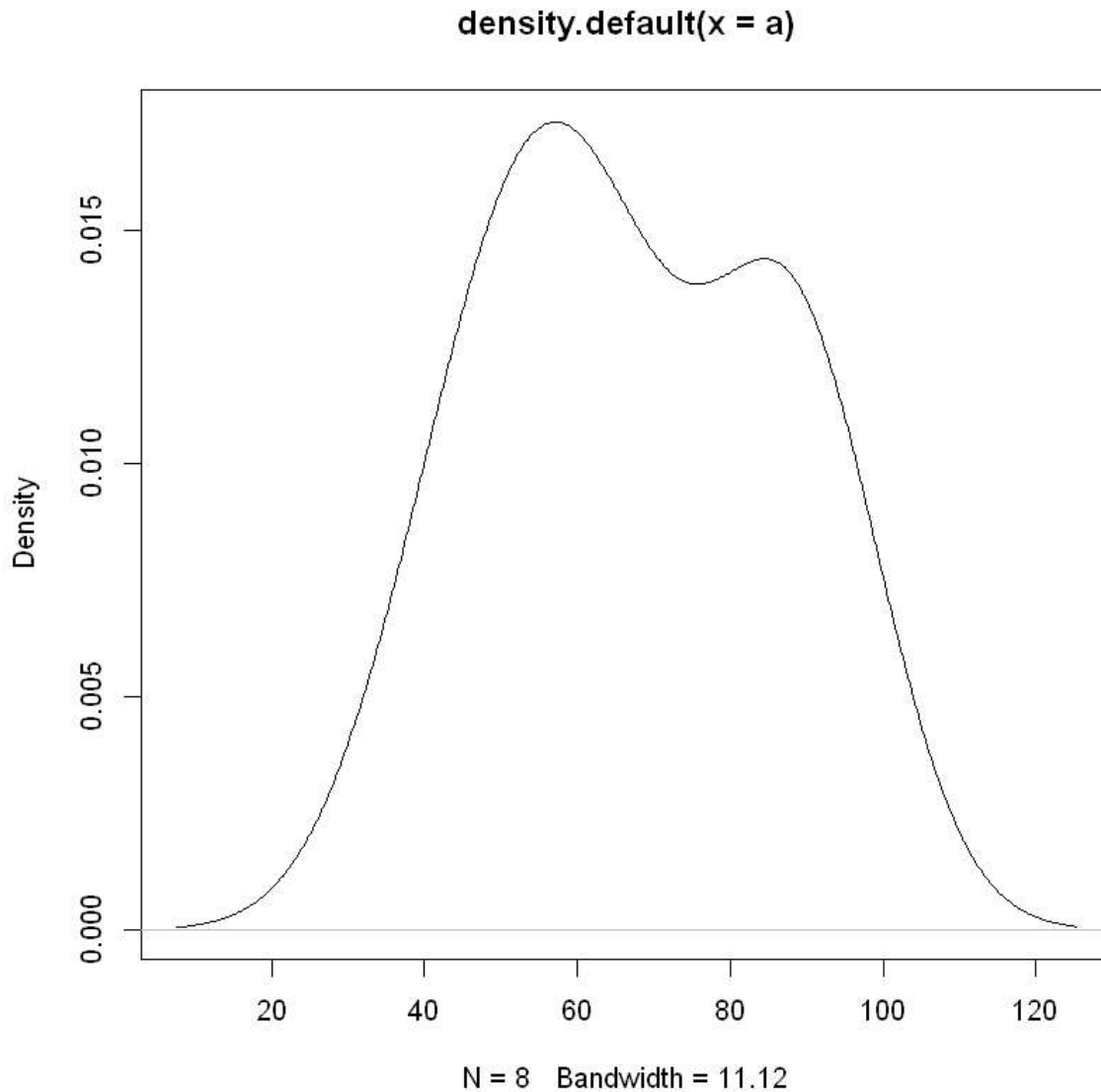
```
a = c(41, 52, 53, 64, 65, 86, 86, 92)
skewness(a)
```

0.0542062901835262

In [49]:

```
skewness(a)
plot(density(a))
```

0.0542062901835262



In [54]:

```
data()
```

In [60]:

```
data(mtcars)
```

In [61]:

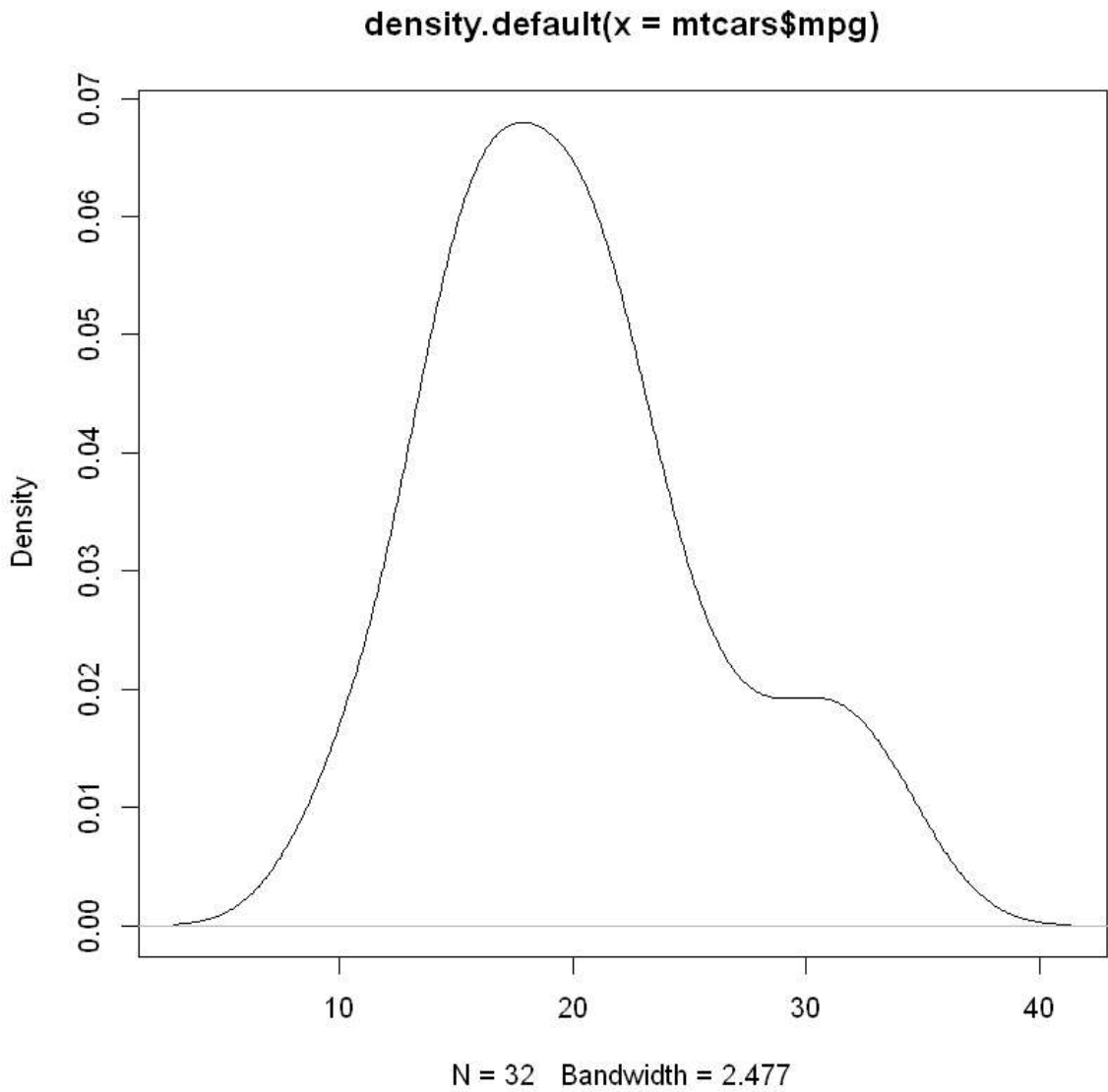
```
mtcars$mpg
```

```
21 21 22.8 21.4 18.7 18.1 14.3 24.4 22.8 19.2 17.8 16.4 17.3 15.2 10.4 10.4 14.7 32.4 30.4 33.9 21.5 15.5
15.2 13.3 19.2 27.3 26 30.4 15.8 19.7 15 21.4
```

In [65]:

```
skewness(mtcars$mpg)
plot(density(mtcars$mpg))
```

0.610655017573288



	Measure of Tendency						Measure of Dispersion or Variability						
	Mean	Median	Mode			Range	Standard Deviation	Variable	Q1	Q2	Q3	Dispersion	
Dataset 1	67.4	64.5	86			51	18.7	350.8	52.5	64.5	86	48.7	
Dataset 1	62.8	64.5	86			87	28	784.1	52.5	64.5	86	34.8	

In []: