Encoding 2×7 baselevel using Morton codes and bit flips

	0 = 00000-0-00	1 = 00000-0-01	8 = 00001-0-00	9 = 00001-0-01	32 = 00100-0-00	33 = 00100-0-01	40 = 00101-0-00	41 = 00101-0-01	128 = 10000-0-00	129 = 10000-0-01	136 = 10001-0-00	137 = 10001-0-01	160 = 10100-0-00 161 = 10100-0	0-01
4 = 00000-1-00	= 00000-1-1	= 00001-1-(= 00001-1-	$11 = 00001 - 0 - \frac{10}{1000000000000000000000000000000000$	= 00100-1-:	= 00101-1-(= 00101-1-	2 = 10000-1-	10000 → (00 ² 10000 → (00 ²	0 = 10001-1-	2 = 10001-1-	4 = 10100-1-	$\begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c} \\ \\ \end{array} \end{array} \end{array} = \begin{array}{c} \begin{array}{c} \\ \end{array} = \begin{array}{c} \\ \end{array} = \begin{array}{c} \end{array} = \begin{array}{c} \\ \end{array} = \begin{array}{c} \begin{array}{c} \\ \end{array} = \begin{array}{c} \\ = \end{array} = \begin{array}{c} \\ \end{array} = \begin{array}{c$	$172 = 10101 - 1 - \frac{1}{1000}$ $174 = 10101 - 1 - 10$
5 = 00000-1-01	#6 = 00010-0-00	17 = 00010-0-A	11-1-10000 	25 = 00011-0- (X)	11-1-00 = 00110-0-00	49 = 00110-0-Q	%6 = 00111-0-00 11-1-1	57 = 00111-0-01 10000-1-01	11-1-0000 	145 = 10010-0- 0 1 1 = 10001-1-01	11-1-1000 = \$\frac{1}{15} 2 = 10011-0-00	153 = 10011-0-@1 100-1-01	11-1-00 1010-0-00	ල් 1ජි3 = 10101-1-01 175 = 10101-1-11
20 = 00010-1-00	= 00010-1-:	= 00011-1-(= 00011-1-	27 = 00011 - 0 - 20	= 00110-1-7	= 00111-1-(= 00111-1-	3 = 10010-1-	0 = 10010-1-	5 = 10011-1-	134 = 10011-0-10 1-1-1-1001) = 10110-1-	$ \begin{array}{c} $	$188 = 10111-1 - \frac{1}{190}$ $190 = 10111-1-10$
21 = 00010-1-01	11-1-01000 = \$4 = 01000-0-00	65 = 01000-0-83 = 0001-1-101	11-1-1 11-1-1 11-1-1 11-1-1 11-1-1-1 11-1-1-1-1-1-1-1-1-1-1-1-1-1-1-1-1-1-1-1	73 = 01001-0-03	11-1-0 = 001100-0-00	97 = 01100-0- Q	100 101-0-00	$102 = 01101-0-\frac{6}{10}$ $= 01001-0-100$	1000-0-00	193 = 11000-0-61 797 = 10011-1-01	11-1-1001 = 0.00 = 11001-0-00	201 = 11001-0- 00 1	[191 = 10111-1-11
		$67 = 01000 - 0 - 11$ $000_2) \rightarrow (2, 0)$	74 = 01001-0-10 01001 → (10 ₂	**********			106 = 01101-0-10 01101 → (10 ₂			$195 = 11000-0-11$ $2, 100_2) \rightarrow (2, 4)$	***********	$203 = 11001 - 0 - 11$ $101_{2} \rightarrow (2, 5)$	$226 = 11100 - 0 - 10$ $227 = 11100 - 0$ $11100 \rightarrow (10_2, 110_2) \rightarrow (2, 6)$	0-11