

Project 2

CS325 — Spring 2015

by Group 2

Vedanth Narayanan

Jonathan Merrill

Tracie Lee

May 8, 2015

Dynamic Programming Table

Algorithm Pseudocode

Dynamic Programming Induction Proof

Questions

1. Suppose $V = [1, 5, 10, 25, 50]$. For each integer value of A in $[2010, 2015, 2020, \dots, 2200]$ determine the number of coins that `changeGreedy` and `changeDP` requires. You can attempt to run `changeSlow` however if it takes too long you can select smaller values of A and also run the other algorithms on the values. Plot the number of coins as a function of A for each algorithm. How do the approaches compare?
2. Suppose $V1 = [1, 2, 6, 12, 24, 48, 60]$ and $V2 = [1, 6, 13, 37, 150]$. For each integer value of A in $[2000, 2001, 2002, \dots, 2200]$ determine the number of coins that `changeGreedy` and `changeDP` requires. If your algorithms run too fast try $[10000, 10001, 10003, \dots, 10100]$. You can attempt to run `changeSlow` however if it takes too long you can select smaller values of A and also run all three algorithms on the values. Plot the number of coins as a function of A for each algorithm. How do the approaches compare?
3. Suppose $V = [1, 2, 4, 6, 8, 10, 12, \dots, 30]$. For each integer value of A in $[2000, 2001, 2002, \dots, 2200]$ determine the number of coins that `changeGreedy` and `changeDP` requires. You can attempt to run `changeSlow` however if it takes too long you can select smaller values of A and also run all three algorithms on the values. Plot the number of coins as a function of A for each algorithm.
4. For the above situations, determine (experimentally) the running times of the algorithms by fitting trend lines to the data or analyzing the log-log plot. Graph the running time as a function of A . Compare the running times of the different algorithms.
5. Use the data from questions 4-6 and any new data you have generated. Plot running times as a function of number of denominations (i.e. $V=[1, 10, 25, 50]$ has four different denominations so $n=4$). Does the size of n influence the running times of any of the algorithms?
6. Suppose you are living in a country where coins have values that are powers of p , $V = [p^0, p^1, p^2, \dots, p^n]$. How do you think the dynamic programming and greedy approaches would compare? Explain.