

L12: Functional Programming OOP

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Sorry about the Question Scrambling

- Apparently Canvas scramble the order of the questions when you take the test 😞

Let's Create a Rational Number

↳ 1, 0.5, -0.5 (Fraction $\frac{a}{b}$)

- Idea 1: **Use a pair** *Easy way to do Rational Number*

- type Rational = (Int, Int)
- def add(p: Rational, q: Rational) = (p, q) match {
 case ((np, dp), (nq, dq)) => (np*dq + nq*dp, dp*dq)
}
- def toString(p: Rational) = (p, q) match {
 p.toString + "/" + q.toString
}

- Idea 2: **Use a record**

- case class Rational(n: Int, d: Int)
- def add(p: Rational, q: Rational) = Rational(p.n*q.d + q.n*p.d, p.d*q.d)
- def toString(p: Rational) = p.n.toString + "/" + p.d.toString

↳ Print on Screen

get N

get d

$$\frac{a}{b} + \frac{c}{d} = \frac{ad+cb}{bd}$$

Using the Class

- Let's use a class to define a rational number

- ```
class Rational(n: Int, d: Int) {
 def numer = n .numer = n
 def denom = d .denom = d
}
```

- Instantiation in Scala

- new

- ```
val r = new Rational(3, 4)
```

- Accessing r can be done by using `r.numer` and `r.denom`
3 4

Implementing an Add

- This can be done so it becomes a class method
 - `def add(that: Rational) = new Rational(this.numer*that.denom + that.numer*this.denom, this.denom*that.denom)`

Argument in Rational (Numer)

(Denom)

- `def mult(that: Rational) = new Rational(numer*that.numer, denom*that.denom)`
- `override def toString = numer + "/" + denom`

```
class Rational(n: Int, d: Int) {
```

```
  def numer = n
```

```
  def denom = d
```

```
  def add(r: Rational) = (this.numer * r.denom) + (this.denom * r.numer) /
```

Numer

(this.denom * r.denom)

Denom

$$\underbrace{\left(\frac{a}{b}\right)}_{\text{This}} + \underbrace{\left(\frac{c}{d}\right)}_r$$

Public and Private

- ```
private def gcd(a: Int, b: Int): Int =
 if (b == 0) a else gcd(b, a % b)
private val g = gcd(n, d)
def numer = n/g
def denom = d/g
require(d>0, "denominator must be positive")
```

*If less than 0*

- By default, def is public

# Constructor *- construct object*

- We can define a constructor by adding aux. constructors
- `def this(n: Int) = this(n, 1)`
- Notice how we use “this” to self-reference
- Example:
- `def less(that: Rational) =  
 numer * that.denom < that.numer * denom`
- `// This could have been: this.numer * that.denom <  
 that.numer * this.denom`



# Overloading Operators - Same function name, different behavior

- Unlike an Integer, adding a rational class is different
  - You cannot just call  $x+y$  [because it doesn't know how to add a rational number]
  - You ended up having to define `r.add`

- Alternative: overloading the “+” operator

- Operators are treated like a function, you can define it

- `def + (r: Rational) = ...`  
*Overload + behavior*  
 $R_1 + R_2$   
*this Input*  
 $R_1.add(R_2), R_1 + R_2 \Rightarrow R_3$

- `def - (r: Rational) = ...`

- `def unary_`  
*only 1 input*  
`- = ...`  
*Treat - as an operator*

- Keep in mind that operators have precedence rule

- Overloaded operators keep the same rule

$$\begin{array}{c} a + b * c / d + e \\ \hline \textcircled{1} \quad \textcircled{2} \\ \hline \textcircled{3} \quad \textcircled{4} \end{array}$$

# Abstract Class

- What if we want to make an abstract class?
  - Q: What is an abstract class?
- Let's say we want to create the following things:
- An IntSet, where it collects a set of Integers
  - `add(x: Int): IntSet` – produce a new set taking the union of this set and `{x}`.
  - `has(x: Int): Boolean` — ask if `x` is a member of this set
- How can we specify the interface?

# Abstract Class: Interface

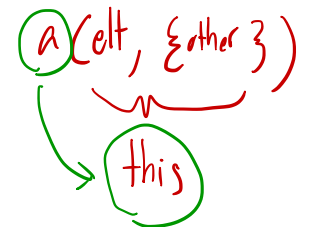
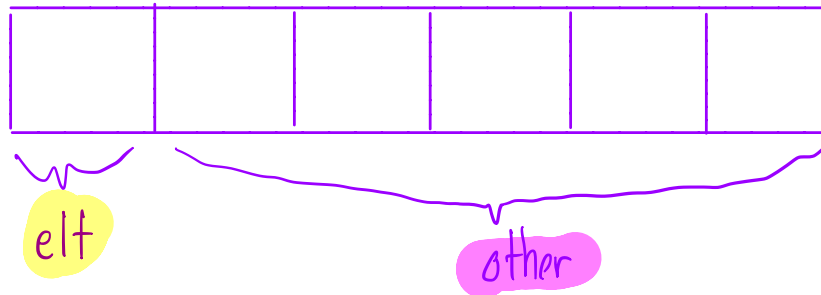
- Create an abstract class
- abstract class IntSet {  
    def add(x: Int): IntSet  
    def has(x: Int): Boolean  
}
- Then, we can implement this class later

# Abstract Class: Implementation

- Example: Implement this IntSet using a linked list
- class Empty extends IntSet {
 

def has(x: Int)<sup>: Boolean</sup> = false
 def add(x: Int)<sup>: IntSet</sup> = ... // new NonEmpty(x, new Empty)
- class NonEmpty(<sup>element adding</sup>elt: Int, <sup>current set</sup>other: IntSet) extends IntSet {
 

def has(x: Int)<sup>: Boolean</sup> = (x==elt) || (<sup>else</sup>other has x) *or other.has(x)*
 def add(x: Int)<sup>: IntSet</sup> = new NonEmpty(x, this) *Include both x and other*



# Abstract Class: Implementation

- Empty and NonEmpty extend the class IntSet
- Both conforms to IntSet
- IntSet is the superclass to Empty and NonEmpty
  - Vice versa, Empty and NonEmpty are the subclasses
- Everything has an Object as a superclass
  - This includes your REPL statements
  - This means you can override the implementation
    - val on top on existing variables

# Limit Copies to One - Replace class with object (static)

- From our example, the Empty set should really have one copy, right?
  - This is pretty easy to fix using static class in other languages
- In Scala, this is also an easy fix using a singleton **object**
- ```
object Empty extends IntSet {  
    def has(x: Int) = false  
    def add(x: Int) = new NonEmpty(x, Empty)  
}
```
- This define an object called Empty, no other instances of this object can be created
- Empty evaluate to itself (it is a value)

In-Class Exercise 12

- Recreate an object for the Expression type with we been using, with the following traits
 - trait Expr {
 - def +(that: Expr) = [Fill in this blank]
 - def *(that: Expr) = [Fill in this blank]
 - def unary_- = [Fill in this blank]
 - def toVal(implicit ctx: Map[String, Double]): Double
- It should have the following methods
 - case class Var(name: String) extends Expr
 - case class Constant(n: Double) extends Expr
 - case class Negate(e: Expr) extends Expr
 - case class Sum(e1: Expr, e2: Expr) extends Expr
 - case class Prod(e1: Expr, e2: Expr) extends Expr
 - Each of these should implement its version of ***toVal***