## GUNNS

Fluid
Electrical
Thermal potential:
$\Delta P$
$\Delta V$
$\Delta T$ flow: $\quad \stackrel{\circ}{m} \quad I$

## GUNNS

thermal network?




- Construct thermal network in GUNNS

Water
Tank
-

- Construct thermal network in GUNNS

Water
Tank
$\stackrel{\bullet}{ \pm}$

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## Transport Equations

$$
\underbrace{\frac{\partial \rho \phi}{\partial t}}_{\text {Accumulation }}+\underbrace{\nabla \cdot(\rho \mathbf{u} \phi)}_{\text {Convection }}=\underbrace{\nabla \cdot(\Gamma \nabla \phi)}_{\text {Diffusion }}+\underbrace{S_{\phi}}_{\text {Source }}
$$

mass: $\quad \frac{\partial \rho}{\partial t}+\nabla \cdot(\rho \mathbf{u})=0$
momentum: $\quad \frac{\partial \rho u}{\partial t}+\nabla \cdot(\rho \mathbf{u} u)=\nabla \cdot(\mu \nabla u)-\frac{\partial p}{\partial x}+\rho g_{x}$

$$
\text { energy: } \quad \frac{\partial \rho T}{\partial t}+\nabla \cdot(\rho \mathbf{u} T)=\nabla \cdot\left(\frac{k}{c_{p}} \nabla T\right)
$$

## conduction: $Q=\frac{k A}{\Delta x} \Delta T$

radiation: $Q=\sigma \in A F\left(T_{0}^{4}-T^{4}\right)$


where, $\Delta \mathrm{T}=\mathrm{T}_{@}$ 5n $-\mathrm{T}_{@ 0 \mathrm{hr}}$

## Eclipse @ 5 hr




## Exchanging Temperatures -- Tank








Temperature [F], Time $=5 \mathrm{hr}$
Panel B Heating\casePanelBheating. sav

## Exchanging Temperatures -- Tank



