GUNNS

<u>Fluid</u>

Electrical

Thermal

potential:

 ΔP

 ΔV

 ΔT

flow:

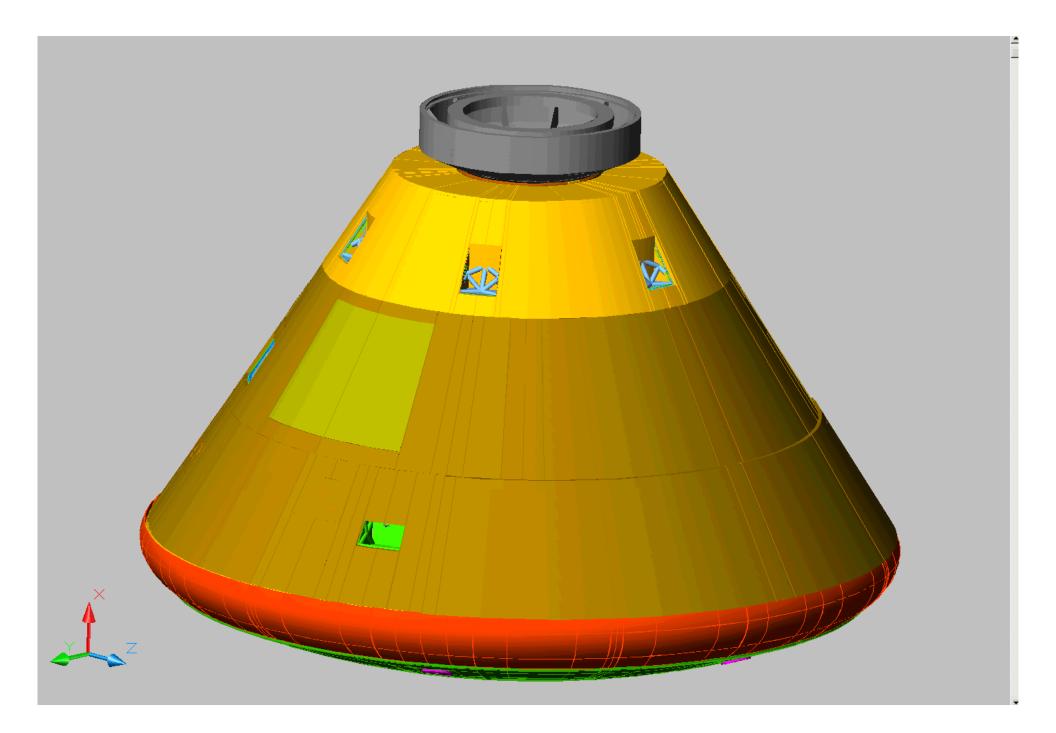
 ${m}$

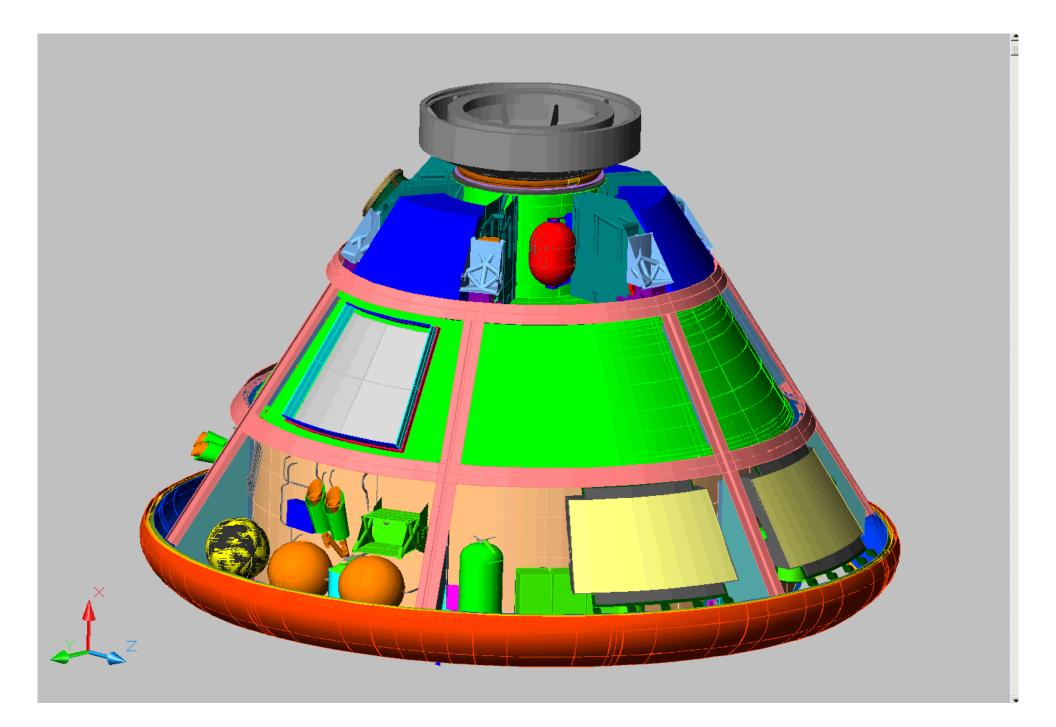
I

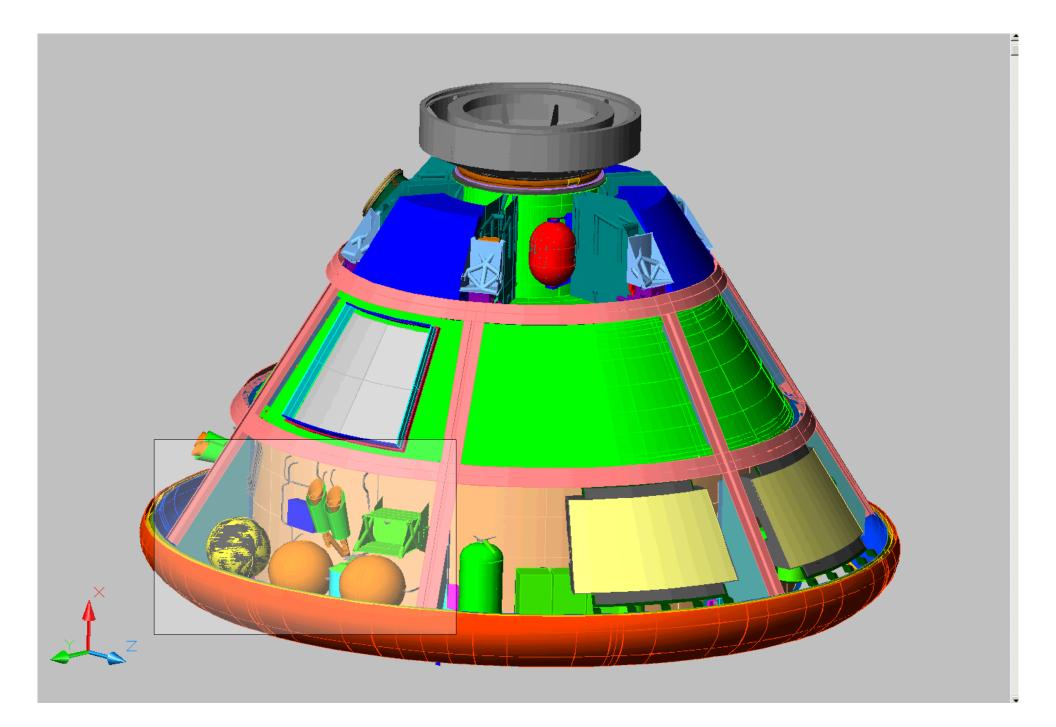
Ů

GUNNS

thermal network?

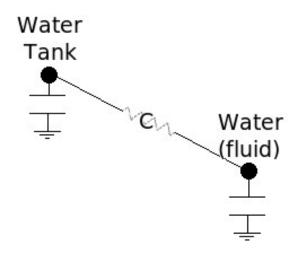


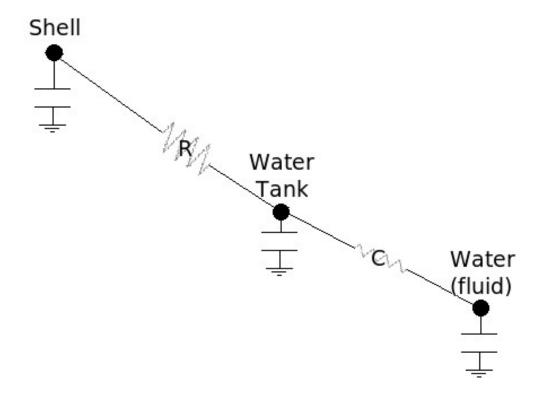


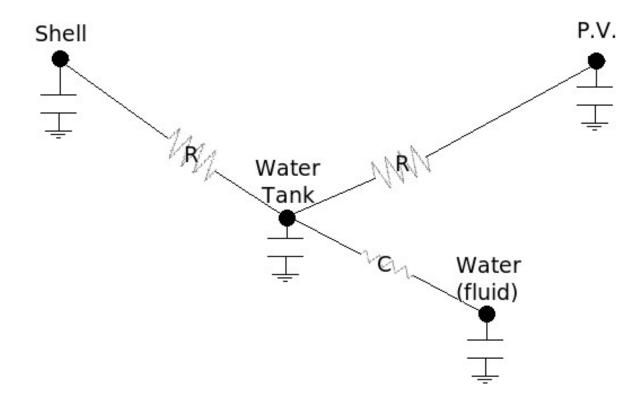


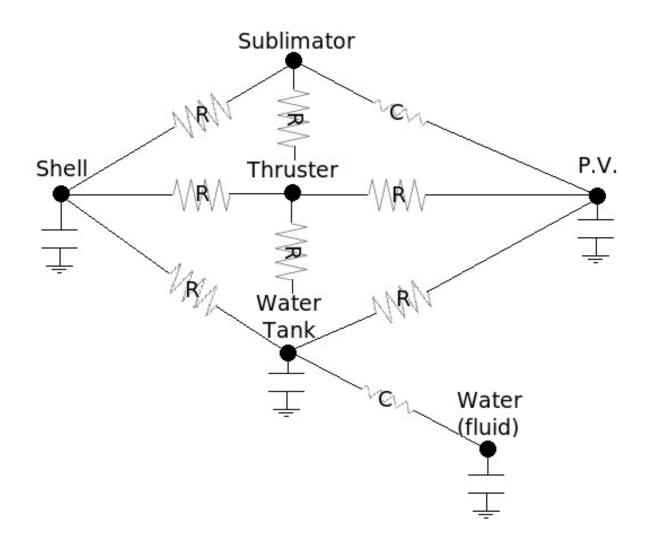
Water Tank

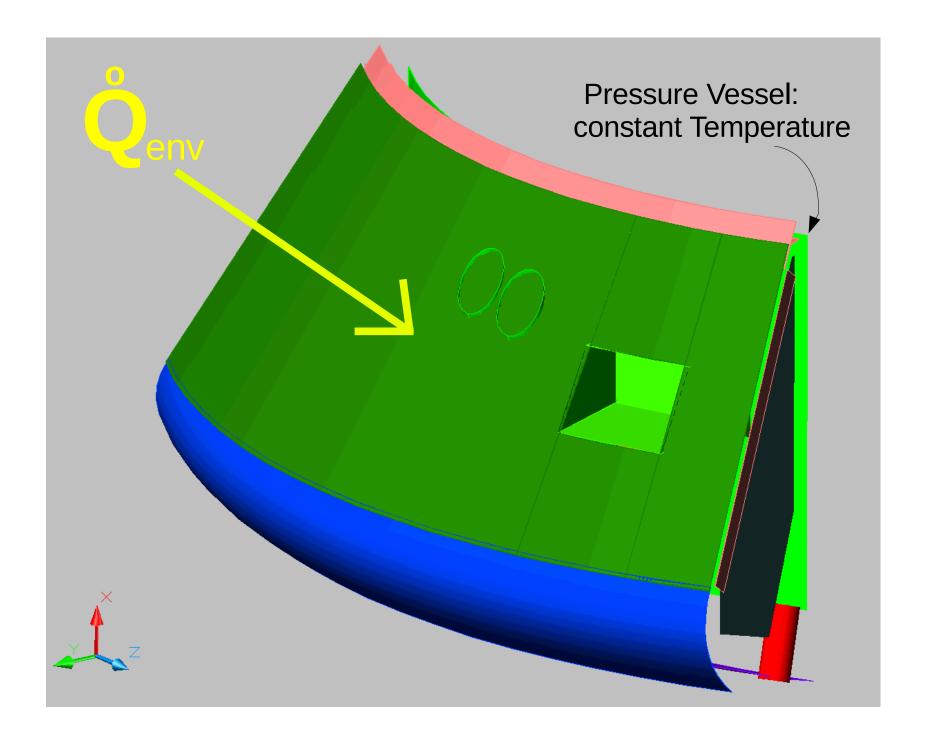


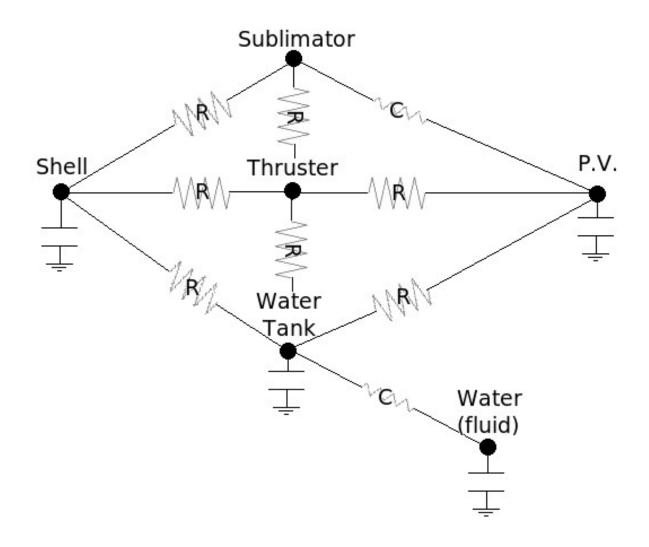


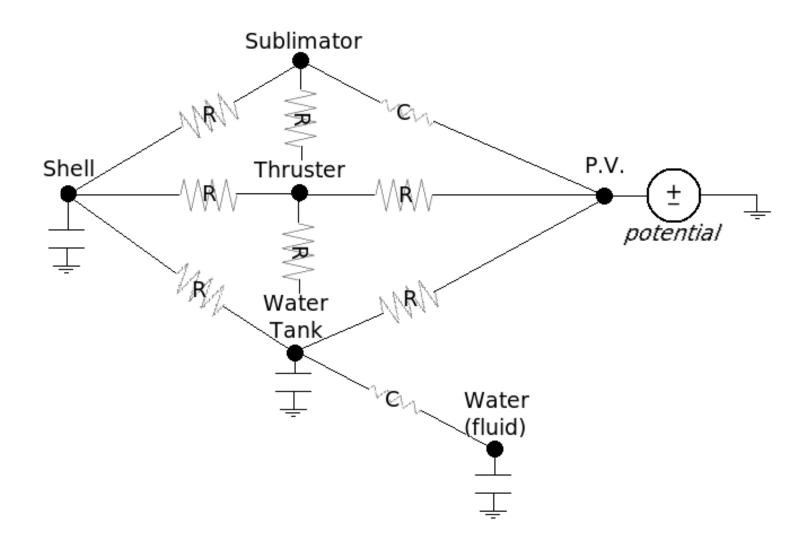


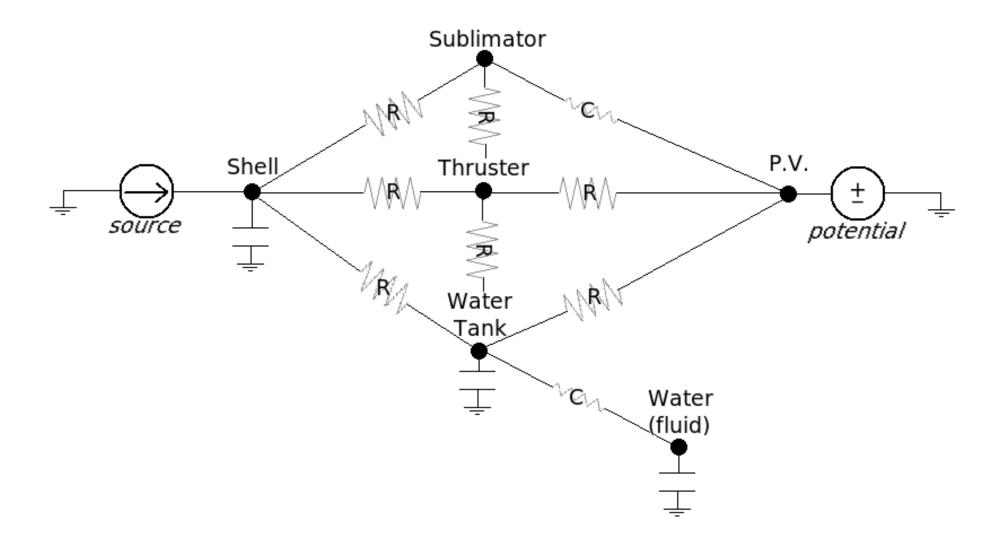


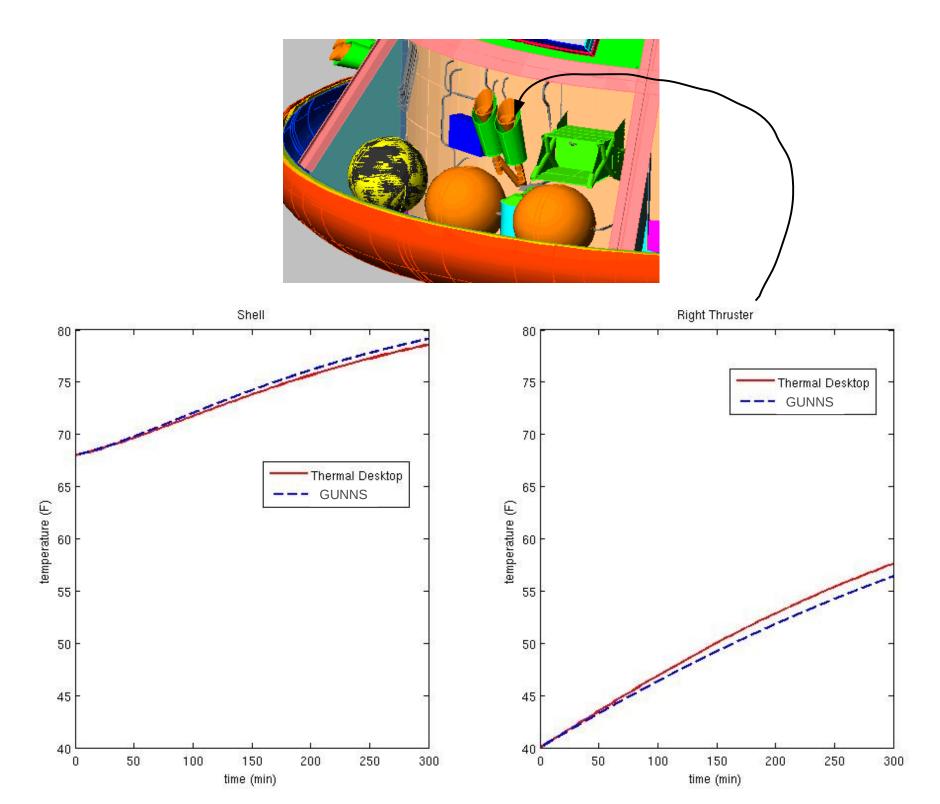


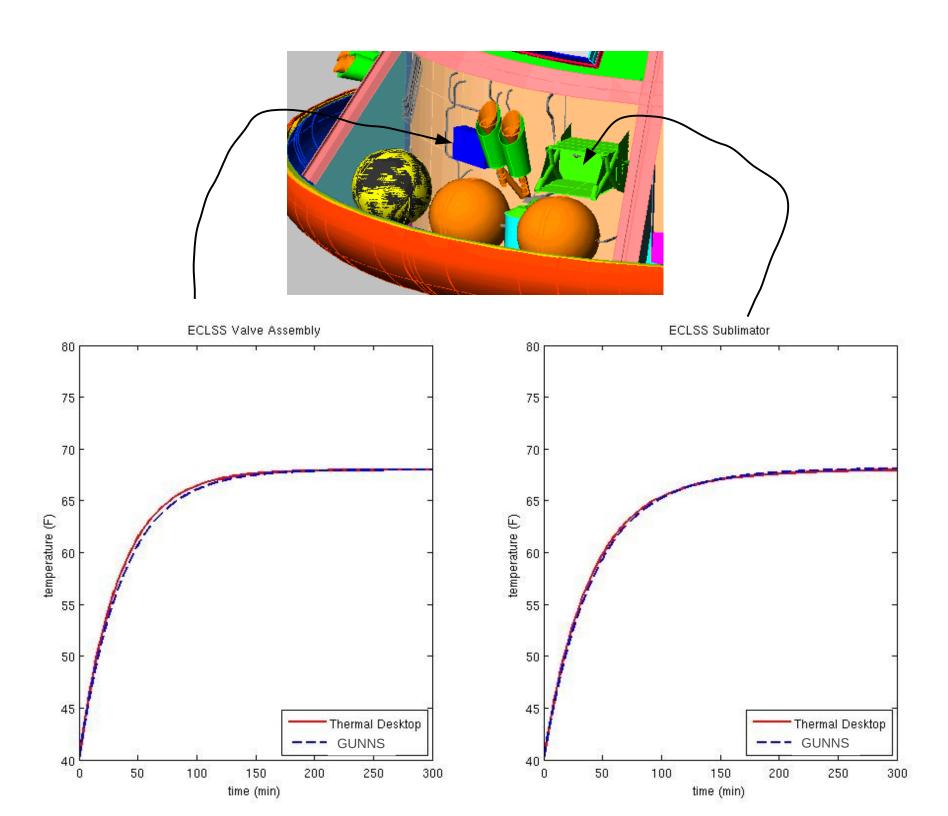


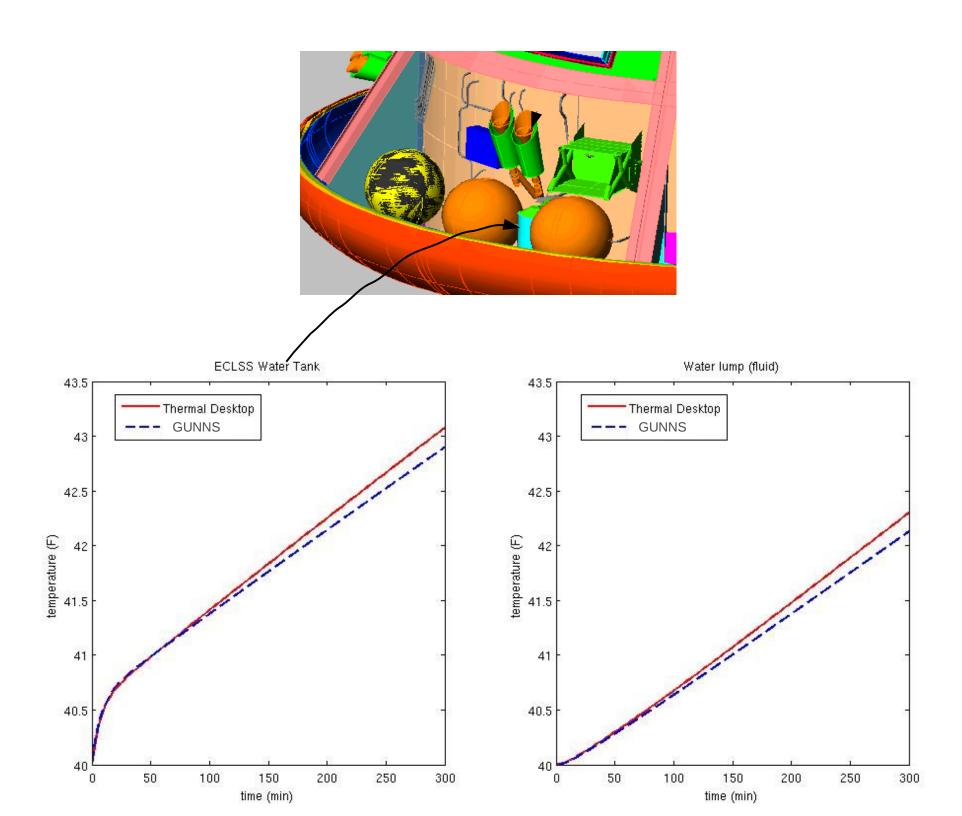


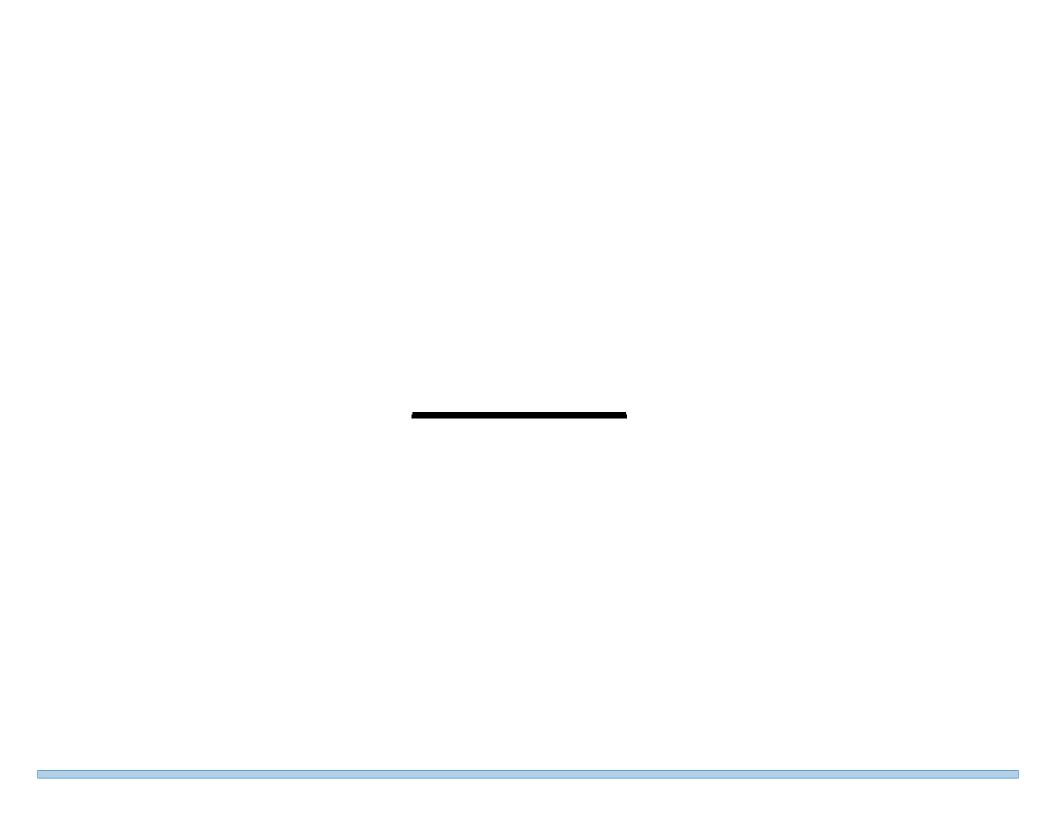












Transport Equations

$$\frac{\partial \rho \phi}{\partial t} + \underbrace{\nabla \cdot (\rho \mathbf{u} \phi)}_{\text{Convection}} = \underbrace{\nabla \cdot (\Gamma \nabla \phi)}_{\text{Diffusion}} + \underbrace{S_{\phi}}_{\text{Source}}$$

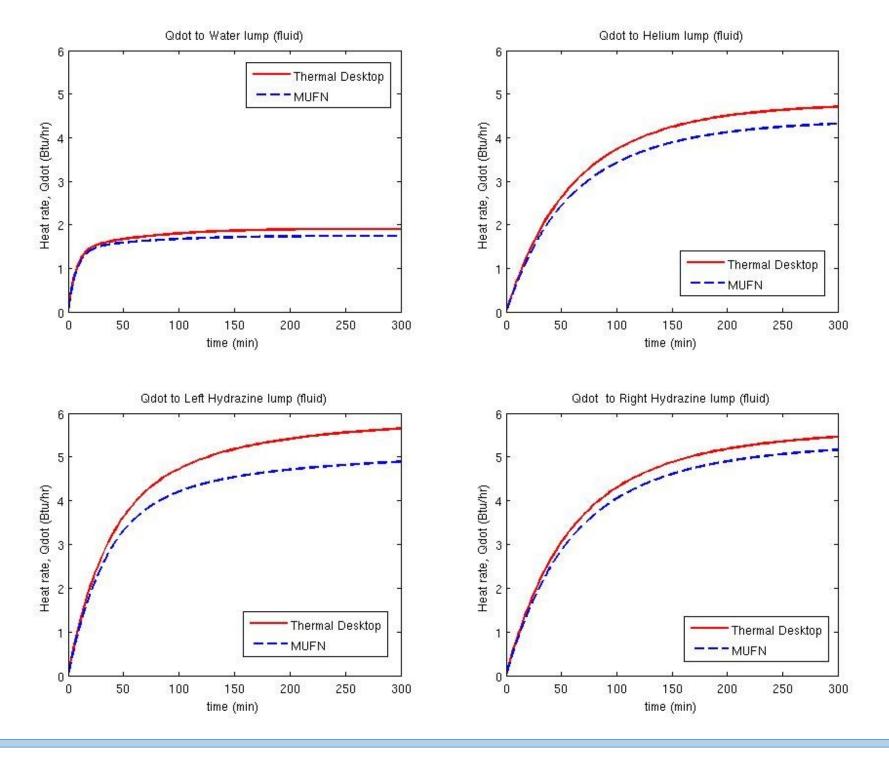
mass:
$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) = 0$$

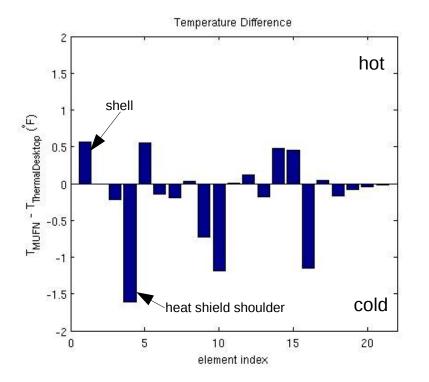
momentum:
$$\frac{\partial \rho u}{\partial t} + \nabla \cdot (\rho \mathbf{u} u) = \nabla \cdot (\mu \nabla u) - \frac{\partial p}{\partial x} + \rho g_x$$

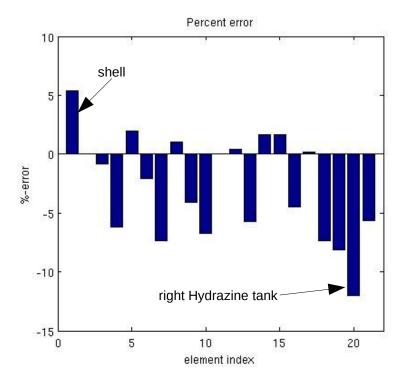
energy:
$$\frac{\partial \rho T}{\partial t} + \nabla \cdot (\rho \mathbf{u} T) = \nabla \cdot \left(\frac{k}{c_p} \nabla T \right)$$

conduction:
$$\mathring{Q} = \frac{kA}{\Delta x} \Delta T$$

radiation:
$$\mathring{Q} = \sigma \in AF(T_0^4 - T^4)$$



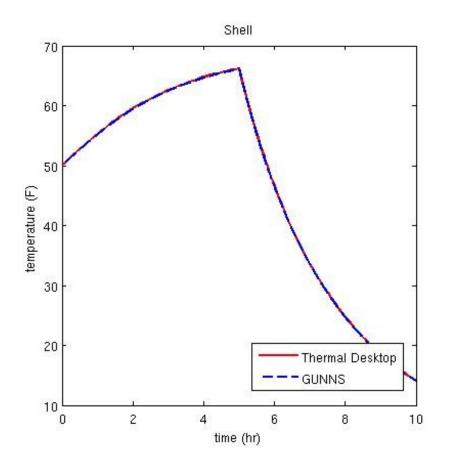


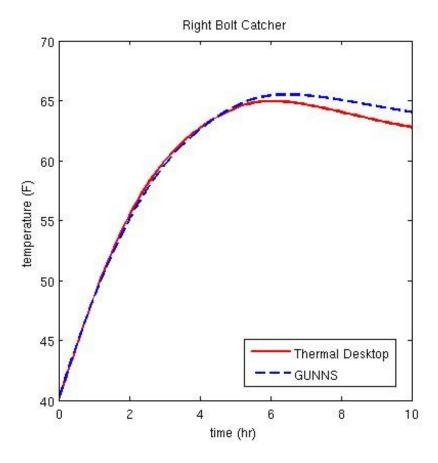


% error =
$$\frac{\Delta T_{\text{MUFN}} - \Delta T_{\text{thermal desktop}}}{\Delta T_{\text{thermal desktop}}} \times 100$$

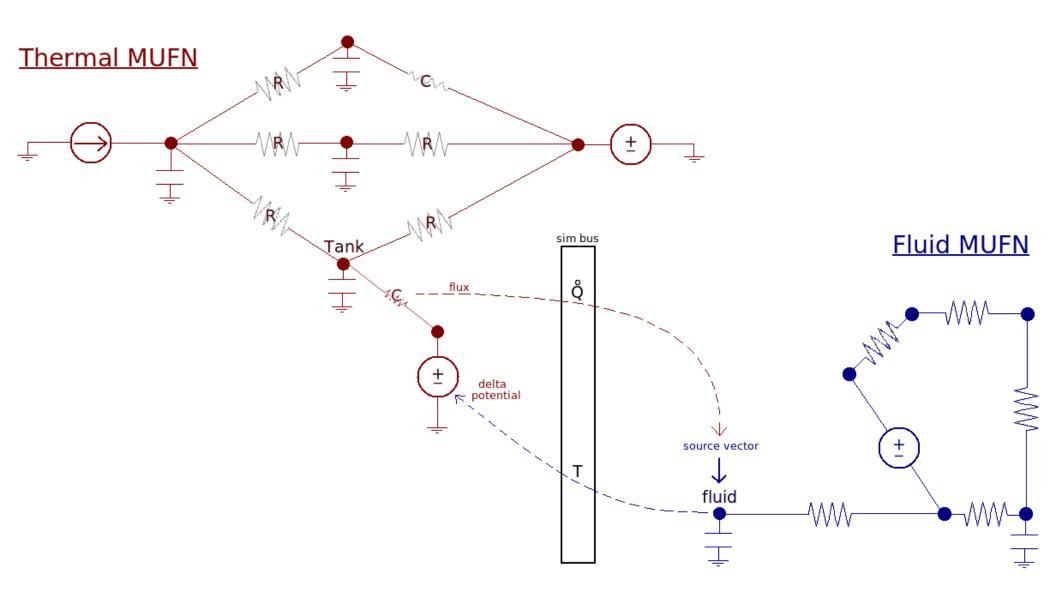
where, $\Delta T = T_{@5 hr} - T_{@0 hr}$

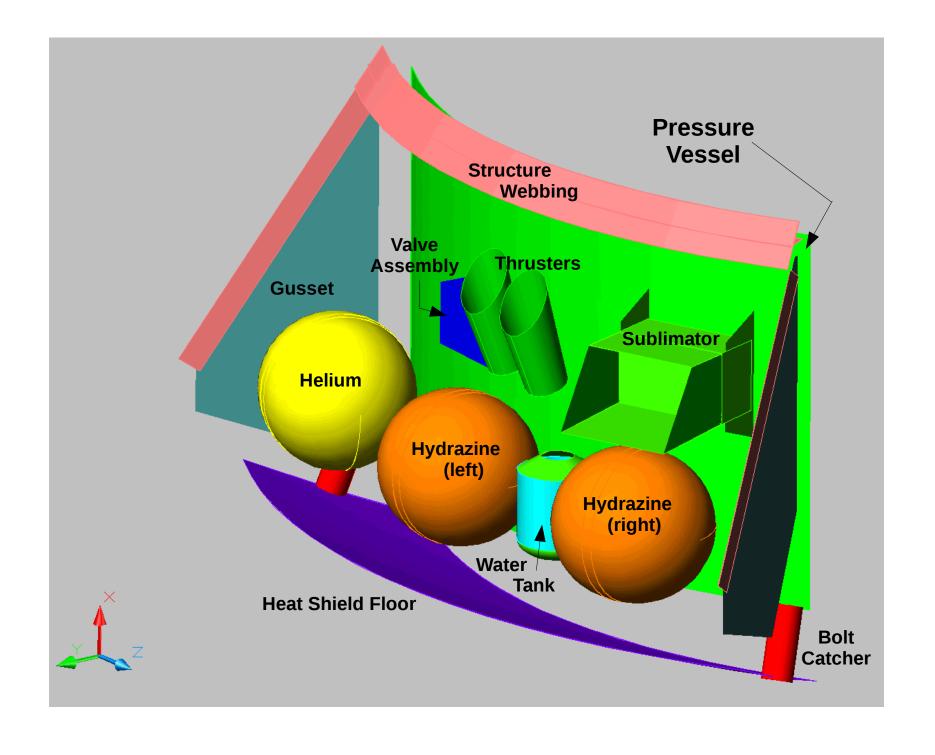
Eclipse @ 5 hr

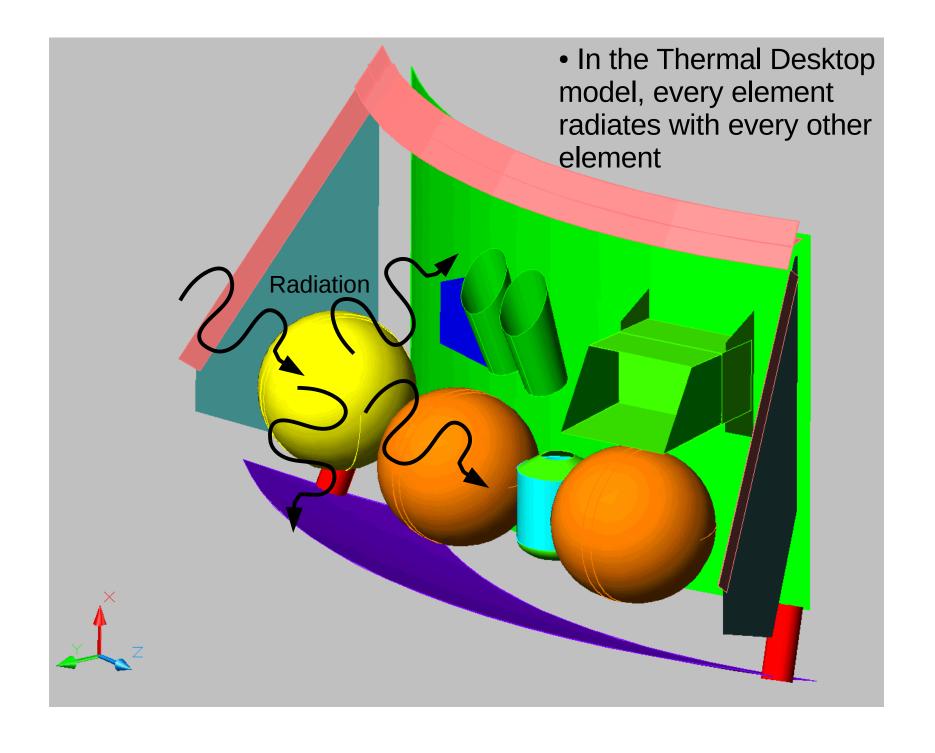


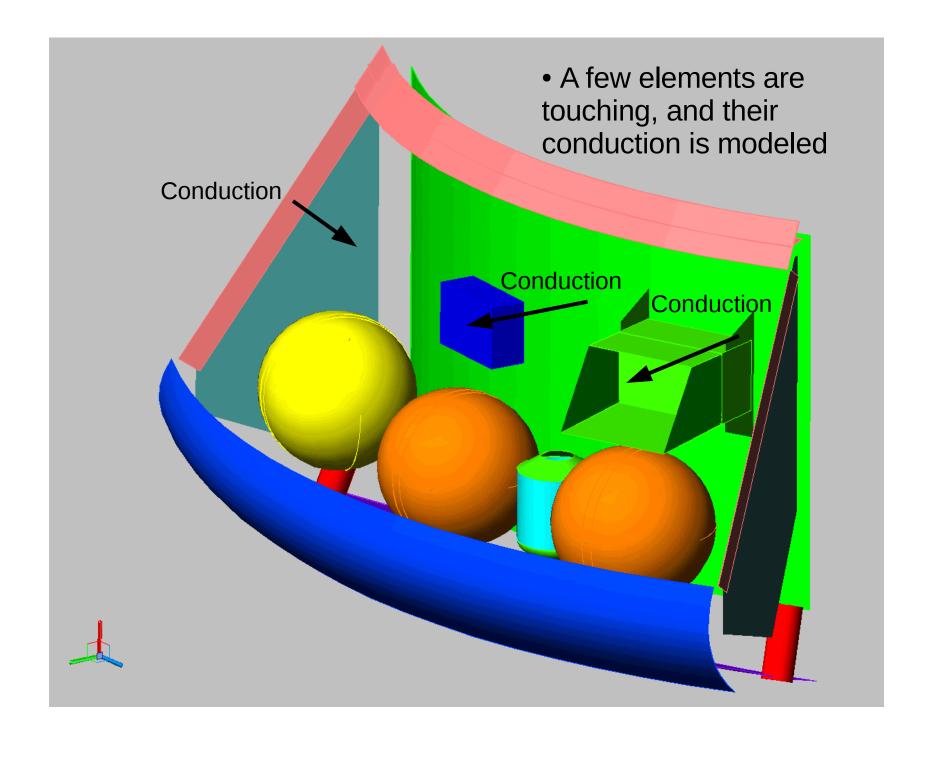


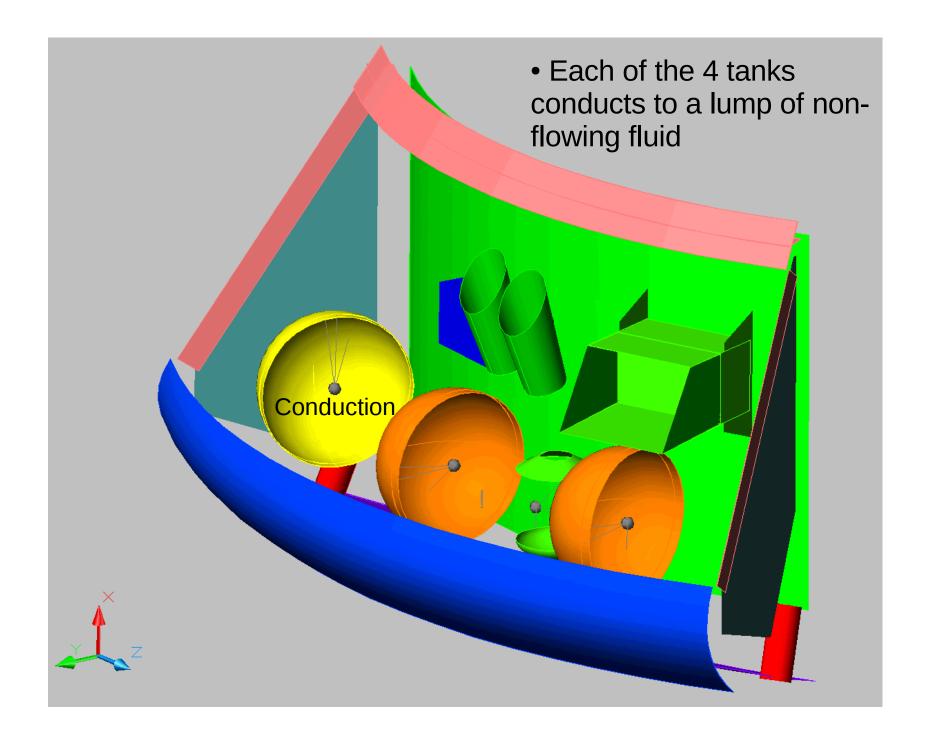
Exchanging Temperatures -- Tank

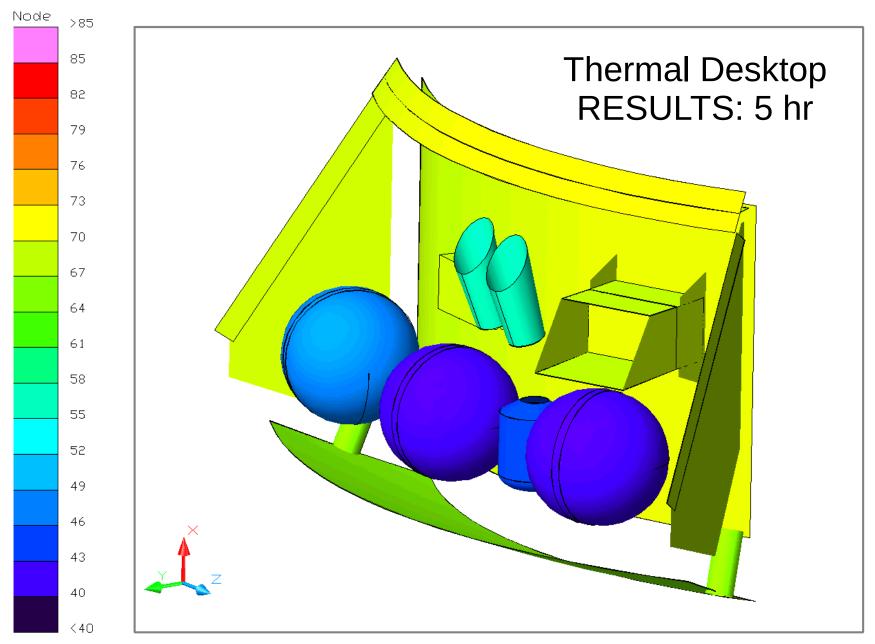












Temperature [F], Time = 5 hr

Panel B Heating\casePanelBheating.sav

Exchanging Temperatures -- Tank

