

```

function taylor
f = @(x) cos(x) + log(x);
p0 = @(x) cos(1);
p1 = @(x) cos(1) + (-sin(1)+1)*(x-1);
p2 = @(x) cos(1) + (-sin(1)+1)*(x-1) + ((-cos(1)-1)/2)*(x-1)^2;

fplot({f p0 p1 p2},[0.2 5]);
f(2)
p0(2)
p1(2)
p2(2)

% E0,1,2 --> percent relative error at f(2)

E0 = abs(p0(2)-f(2))/f(2)*100
E1 = abs(p1(2)-f(2))/f(2)*100
E2 = abs(p2(2)-f(2))/f(2)*100

% e0,1,2 --> percent relative error at f(1.5)

e0 = abs(p0(1.5)-f(1.5))/f(1.5)*100
e1 = abs(p1(1.5)-f(1.5))/f(1.5)*100
e2 = abs(p2(1.5)-f(1.5))/f(1.5)*100
end

```

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ans =

0.2770

ans =

0.5403

ans =

0.6988

ans =

-0.0713

E0 =

95.0547

E1 =

152.2854

E2 =

125.7472

e0 =

13.4607

e1 =

30.1058

e2 =

10.3261



