Baker's Parasytic Scope

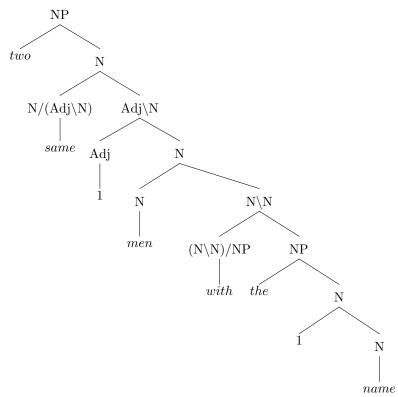
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Denotation of same:

$$(1) \qquad \lambda F \lambda X. \exists f_{\verb"choice"} \forall x < X: (F(f)) x$$

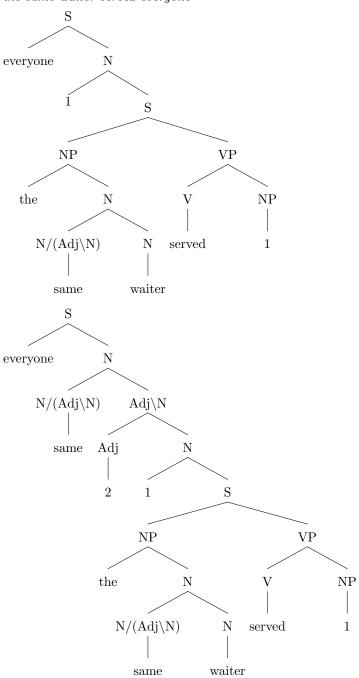
two men with the same name



Here the denotation of same combines with $\lambda f \lambda x$.with(the($f(\mathbf{name})$))(men)(x), and with two, giving

(2)
$$\mathbf{two}(\lambda X.\exists f \forall x < X : [\mathbf{with}(\mathbf{the}(f(\mathbf{name})))(men)](x))$$

the same waiter served everyone



(3) **everyone**($\lambda X.\exists f \forall x < X : \mathbf{served}(x)(\mathbf{the}(f(\mathbf{waiter}))))$

Non-NP triggers

- (4)John read and reviewed the same book
 - b. John read the same book quickly and thoroughly
 - John read the same book every day c.
 - John usually read the same book d.

P. 438: "Generalizing the semantics is trivial. ... In order for this to work, we must assume that the relevant semantic domains have a boolean structure ... if hit and killed denotes the complex relation hit⊕killed, then hit<hit⊕killed and killed<hit⊕killed "

Proposal (Paperno): Conjoined predicates (hit and killed) are a special beast. Intuition: they involve presupposition of existence and uniqueness, like that of the definite article. I propose to treat them semantically as coordinated NP triggers, mediated by type shifting operators.

So the same man dances and sings translates as

$$\begin{split} I_{\iota \mathbf{dance} \oplus \iota \mathbf{sing}}(\mathbf{same} \lambda f \lambda x. (\mathbf{the}(f(man))) = x) = \\ \exists f_{\mathtt{choice}} \forall x < [\iota \mathbf{dance} \oplus \iota \mathbf{sing}] ((\mathbf{the}(f(man))) = x) \end{split}$$

(quantificational adverbs as triggers may be analogous to quantificational NP triggers.)