

## Acquaintance content and obviation

### (1) KERNELS

- a. A kernel  $K$  is a set of propositions that encode direct knowledge
- b.  $K$  directly settles (whether)  $p$  iff  $\exists q \in K [ q \subseteq p \vee q \subseteq \neg p ]$
- c. The proposition  $\bigcap K$  is a vanilla epistemic modal base: the set of worlds compatible with what is known directly and indirectly

### (2) MUST

- a.  $\llbracket \text{must } p \rrbracket^{c,i}$  is defined only if  $K$  does not directly settle  $\lambda i. \llbracket p \rrbracket^{c,i}$
- b. If defined,  $\llbracket \text{must } p \rrbracket^{c,i} = 1$  iff  $\bigcap K \subseteq \lambda i. \llbracket p \rrbracket^{c,i}$

- (3) a.  $\llbracket \text{tasty} \rrbracket^{c, \langle w, j, K_{j,w} \rangle} = \lambda o : K_{j,w}$  directly settles whether  $o$  is tasty for  $j$  in  $w$ . 1 iff  $o$  is tasty for  $j$  in  $w$
- b.  $K_{j,w}$  directly settles whether  $p$  iff  $\exists q \in K_{j,w} [ q \subseteq p \vee q \subseteq \neg p ]$

Applied to a sentence with a PPT (4a), such semantics yields (4b):

- (4) a. This puerh is delicious.
- b.  $\llbracket \text{The puerh is delicious} \rrbracket^{c, \langle w, j, K_{j,w} \rangle} = \lambda o : K_{j,w}$  directly settles whether puerh is delicious for  $j$  in  $w$ . 1 iff puerh is delicious for  $j$  in  $w$
- (5) a.  $\llbracket \text{must } p \rrbracket^{c, \langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle} = \llbracket \text{must} \rrbracket^{c, \langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle} (\llbracket p \rrbracket^{c, \langle w, j, \{ \bigcap K_{j,w} \} \rangle})$
- b. Given the semantics for PPTs:  
 $\llbracket \text{must [PPT]} \rrbracket^{c, \langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle}$  is defined  
iff  $\{ \bigcap K_{j,w} \}$  directly settles whether  $p$
- c. vF&G's semantics for *must*:  
 $\llbracket \text{must} \rrbracket^{c, \langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle} = \lambda p : K_{sp,w}$  does not directly settle whether  $p$ . 1 iff  $\bigcap K_{sp,w} \subseteq p$

The full derivation is given in (6) (we do not take tense into account):

- (6) a. The puerh must be delicious.
- b.  $\llbracket \text{must [the puerh is delicious]} \rrbracket^{c, \langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle} = \llbracket \text{must} \rrbracket^{c, \langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle} (\llbracket \text{the puerh is delicious} \rrbracket^{c, \langle w, j, \{ \bigcap K_{j,w} \} \rangle})$   
 $= \bigcap K_{sp,w} \subseteq (\text{puerh.delicious}),$  if defined; and  
defined iff  $\{ \bigcap K_{j,w} \}$  directly settles whether puerh is delicious to  $j$  in  $w$  and  
 $K_{sp,w}$  does not directly settle whether puerh is delicious to  $j$  in  $w$ .

We extend our analysis of ‘bare’ uses to overt tasters DPs and propose that overt judges depend

on the DP's kernel (7):

- (7)  $\llbracket \text{delicious to } \alpha \rrbracket^{c,i} = \lambda o : \text{the kernel of } \llbracket \alpha \rrbracket^{c,i} \text{ in } w \text{ at } t \text{ directly settles whether } o \text{ is delicious for } \alpha \text{ in } w. 1 \text{ iff } o \text{ is tasty for } \alpha \text{ in } w$

For non-obviated cases, the semantics (8) is the same as with 'bare' uses in (4) (modulo the judge) and the AI arises because of the direct settlement requirement:

- (8) a. The puerh is delicious to me.  
b.  $\llbracket \text{the puerh is delicious to me} \rrbracket^{c, \langle w, j, K_{j,w} \rangle}$   
is defined iff  $K_{spkr(c),w}$  directly settles whether puerh is delicious for  $speaker(c)$  in  $w$ .  
If defined, 1 iff puerh is delicious for  $speaker(c)$  in  $w$ .
- (9) a. # The puerh must be delicious to me.  
b.  $\llbracket \text{must [the puerh is delicious to me]} \rrbracket^{\langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{spkr(c),w} \rangle}$   
 $= \llbracket \text{must} \rrbracket^{\langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle} (\llbracket \text{the puerh is delicious to me} \rrbracket^{c, \langle w, j, \{\cap K_{j,w}\} \rangle})$   
 $= 1 \text{ iff } \cap K_{spkr(c),w} \subseteq (puerh.delicious), \text{ if defined; and}$   
defined iff  $K_{spkr(c),w}$  directly settles whether puerh is delicious to  $speaker(c)$  in  $w$   
and  $K_{spkr(c),w}$  does not directly settle whether puerh is delicious to  $speaker(c)$  in  $w$ .

Our analysis correctly predicts that modification with obviators will be possible with third-party overt tasters (10a). In such cases, *must* is anchored to the speaker while the PPT is dependent on the DP's kernel, therefore no contradictions ensue (10b).

- (10) a. ✓The puerh must be delicious to Mo.  
b.  $\llbracket \text{must [the puerh is delicious to Mo]} \rrbracket^{\langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle}$   
 $= \llbracket \text{must} \rrbracket^{\langle \dots, K_{sp,w}, \dots \rangle, \langle w, j, K_{j,w} \rangle} (\llbracket \text{the puerh is delicious to Mo} \rrbracket^{c, \langle w, j, \{\cap K_{j,w}\} \rangle})$   
 $= 1 \text{ iff } \cap K_{spkr(c),w} \subseteq (puerh.delicious), \text{ if defined; and}$   
defined iff  $K_{Mo,w}$  directly settles whether puerh is delicious to Mo in  $w$  and  $K_{spkr(c),w}$  does not directly settle whether puerh is delicious to Mo in  $w$ .