

# Where's George Data

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Get Data first...

```
setwd("C:/Users/Nate/Desktop/wheresgeorge")
fulldata <- read.csv("WG_ChicagoTrajectories_5.1.17.csv", header=TRUE)
attach(fulldata)
fulldata$Kilometers <- ((fulldata$Kilometers)/1000)
#head(fulldata)
```

Sort data method 1: We use the time value of the data point for delta t

```
deltatd1 <- data.frame()
n <- numeric(1)
n <- 1
lengthdata <- nrow(fulldata)-1
for (i in 1:lengthdata)
{
  if (fulldata[i+1,1] == fulldata[i,1])
  {
    deltatd1[n,1] <- fulldata[i+1,3]
    deltatd1[n,2] <- (fulldata[i+1,4])^2
    deltatd1[n,3] <- fulldata[i+1,4]
    n <- n+1
  }
}
attach(deltatd1)
names(deltatd1) <- c("t", "dsq", "d")
head(deltatd1)
```

```
##      t      dsq      d
## 1  53    741.717 27.23448
## 2 360 843799.321 918.58550
## 3 698 931523.016 965.15440
## 4  15   3177.311  56.36764
## 5  73   1318.775  36.31495
## 6 114   1559.773  39.49396
```

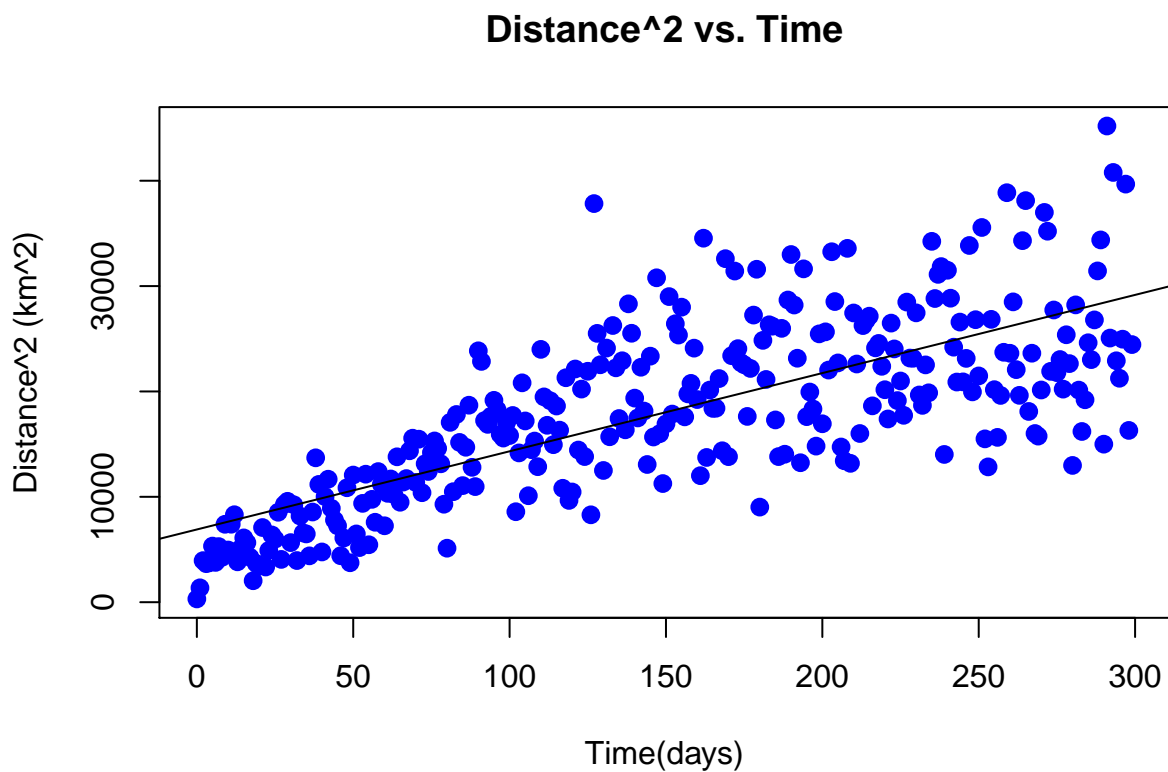
Now we can plot different subsets of the data...

```
#make a new dataframe by subsetting time and distance
time <- 300
distance <- 300
tdlim <- data.frame()
tdlim <- subset(deltatd1, d<distance & t<time, select = c(t,dsq,d))
names(tdlim) <- c("t", "dsq", "d")
attach(tdlim)
head(tdlim)
```

```
##      t      dsq      d
## 1  53    741.717 27.23448
```

```
## 4 15 3177.3108 56.36764
## 5 73 1318.7752 36.31495
## 6 114 1559.7733 39.49396
## 7 9 243.3555 15.59986
## 8 100 15761.1076 125.54325
```

```
#plot the data
limdata <- aggregate(x=tdlim$dsq, by=list(tdlim$t), FUN=mean)
names(limdata) <- c("t", "xsq")
attach(limdata)
plot(limdata$t, limdata$xsq, pch=16, cex=1.3, col="blue", main="Distance^2 vs. Time",
      xlab="Time(days)", ylab="Distance^2 (km^2)")
abline(lm(xsq ~t))
```



```
fit <- lm(xsq ~ t)
summary(fit)
```

```
##
## Call:
## lm(formula = xsq ~ t)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -14699.2  -4119.6   -405.4   3599.8  21505.3
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
```

```
## (Intercept) 6901.010    666.246    10.36    <2e-16 ***
## t           74.213      3.856    19.25    <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 5784 on 298 degrees of freedom
## Multiple R-squared:  0.5541, Adjusted R-squared:  0.5526
## F-statistic: 370.4 on 1 and 298 DF,  p-value: < 2.2e-16
```

Sort data method 2: We use the difference between the time values for delta t

```
deltatd2 <- data.frame()
n <- numeric(1)
n <- 1
lengthdata <- nrow(fulldata)-1
for (i in 1:lengthdata)
{
  if (fulldata[i+1,1] == fulldata[i,1])
  {
    deltatd2[n,1] <- abs(fulldata[i+1,3] - fulldata[i,3])
    deltatd2[n,2] <- (fulldata[i+1,4] - fulldata[i,4])^2
    deltatd2[n,3] <- abs(fulldata[i+1,4] - fulldata[i,4])
    n <- n+1
  }
}
attach(deltatd2)
```

```
## The following objects are masked from deltatd1:
##
##      V1, V2, V3
```

```
names(deltatd2) <- c("t", "dsq", "d")
head(deltatd2)
```

```
##      t      dsq      d
## 1  53    741.7170 27.23448
## 2 360 843799.3208 918.58550
## 3 698 931523.0158 965.15440
## 4  15    3177.3108 56.36764
## 5  58     402.1106 20.05269
## 6 114    1559.7733 39.49396
```

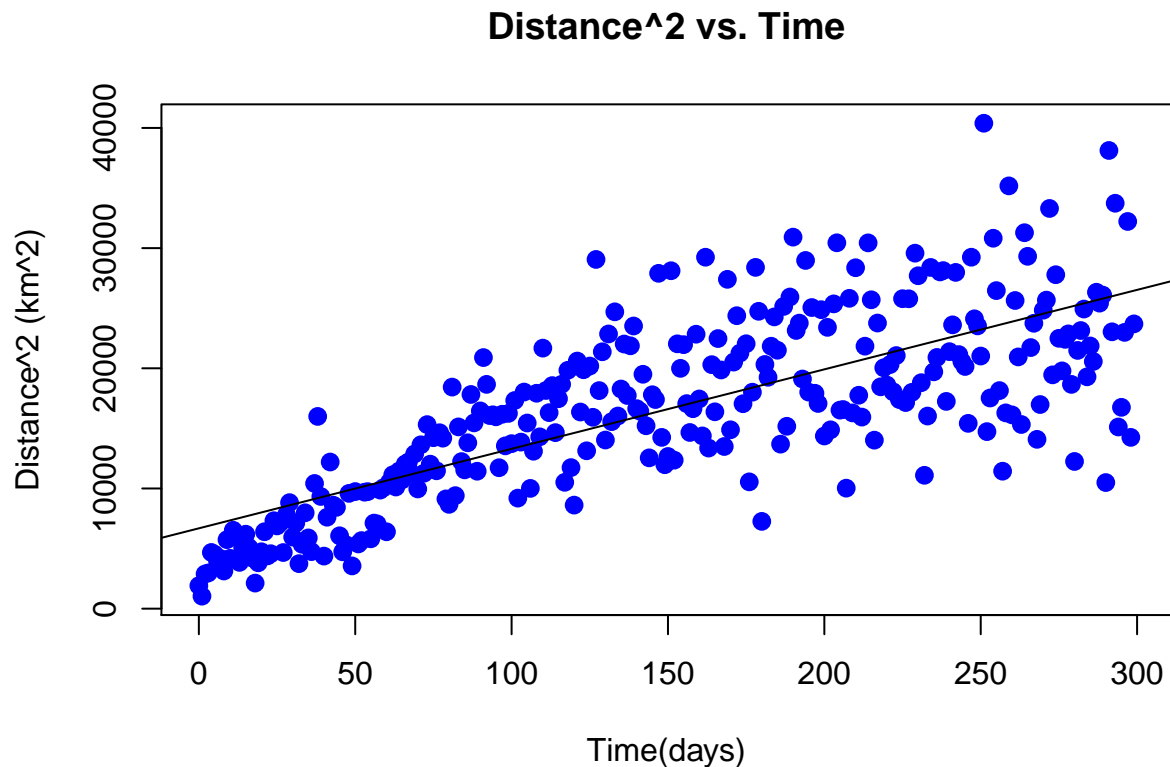
Now we can plot different subsets of the data...

```
#make a new dataframe by subsetting time and distance
time <- 300
distance <- 300
tdlim <- data.frame()
tdlim <- subset(deltatd2, d<distance & t<time, select = c(t,dsq,d))
names(tdlim) <- c("t", "dsq", "d")
attach(tdlim)
head(tdlim)
```

```
##      t      dsq      d
## 1  53    741.7170 27.23448
## 4  15    3177.3108 56.36764
## 5  58     402.1106 20.05269
```

```
## 6 114 1559.7733 39.49396
## 7 9 243.3555 15.59986
## 8 100 15761.1076 125.54325
```

```
#plot the data
limdata <- aggregate(x=tdlim$dsq, by=list(tdlim$t), FUN=mean)
names(limdata) <- c("t", "xsq")
attach(limdata)
plot(limdata$t, limdata$xsq, pch=16, cex=1.3, col="blue", main="Distance^2 vs. Time",
      xlab="Time(days)", ylab="Distance^2 (km^2)")
abline(lm(xsq ~ t))
```



```
fit <- lm(xsq ~ t)
summary(fit)
```

```
##
## Call:
## lm(formula = xsq ~ t)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -15370.0  -3342.0   -496.4   3146.8  17106.1
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)  6683.656    576.369   11.60  <2e-16 ***
## t             66.137      3.336   19.82  <2e-16 ***
```

```
## ---  
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1  
##  
## Residual standard error: 5004 on 298 degrees of freedom  
## Multiple R-squared:  0.5688, Adjusted R-squared:  0.5673  
## F-statistic:   393 on 1 and 298 DF,  p-value: < 2.2e-16
```