

Mergers, Entry, and Consumer Welfare

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The analysis and conclusions set forth are those of the authors and do not indicate concurrence by other members of the Board research staff or the Board of Governors.

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Horizontal Mergers

Increase market power

Create efficiencies

Spur entry

When does entry eliminate the adverse effects of an otherwise anti-competitive merger?

- More nuanced than: “when entry barriers are low.”
- It depends on the capabilities of prospective entrants, the efficiencies of the merger, *and* entry barriers.
- We provide a unified framework.

Plan for the Talk

- Mostly graphical analysis. Convey intuition.
- Market with 4 incumbents and one prospective entrant. Bertrand competition and logit demand.
- Some generalization is possible.
- Some results have been proved, others in progress.

For the Theorists:

Agents: Incumbents ($f = 1, \dots, F - 1$) and an outsider ($f = F$).

Differentiated products (logit) and constant marginal costs.

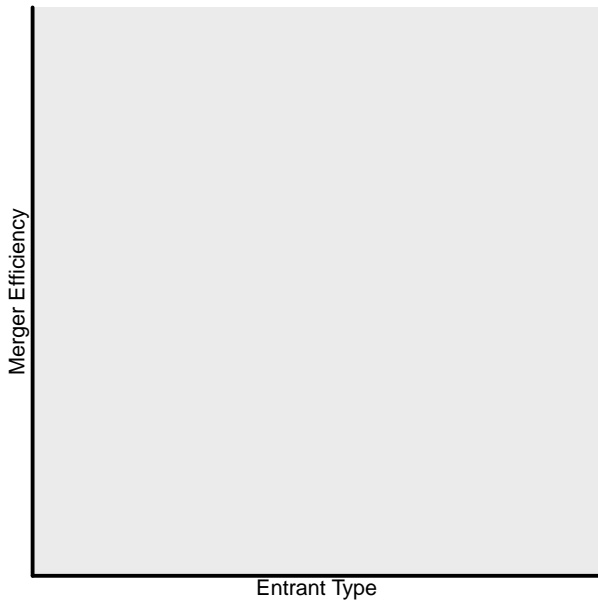
The agents play the following three-stage game:

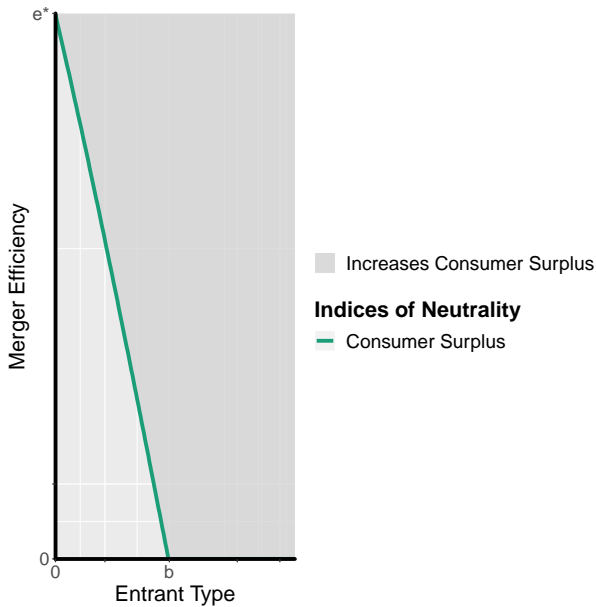
- 1 Two incumbents decide whether to merge (possibly with efficiencies).
- 2 An outsider decides whether to enter the market.
- 3 All firms in the market compete in prices à la Bertrand and earn profit.

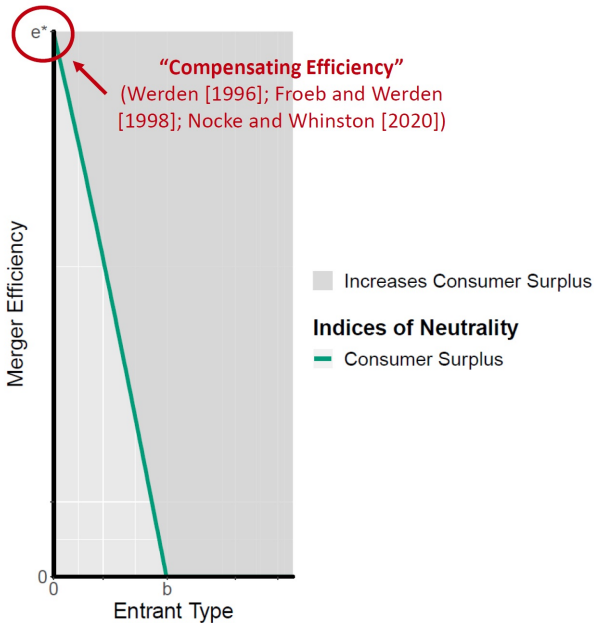
Examine SPE with merger-induced entry. Apply the Nocke-Schutz (2018 ECMA) *type-aggregation* representation of the model.

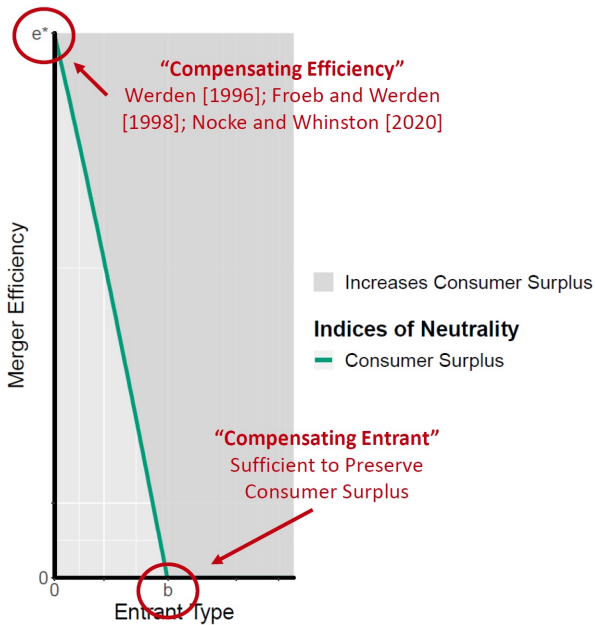
Five Main Results

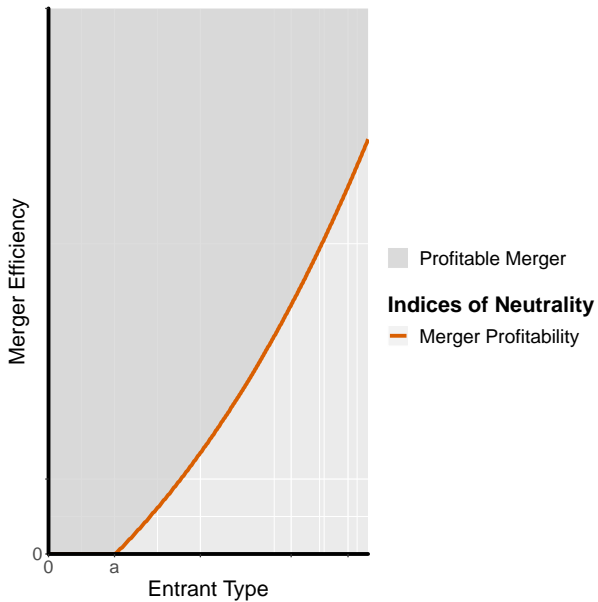
- ➊ Entry alone does not mitigate adverse effects.
- ➋ Mergers and efficiencies (together) can eliminate consumer surplus loss.
- ➌ Requires particular combinations of efficiencies and entry.
- ➍ The profit opportunity for entrants is small.
- ➎ Difficult to determine whether entry will occur.

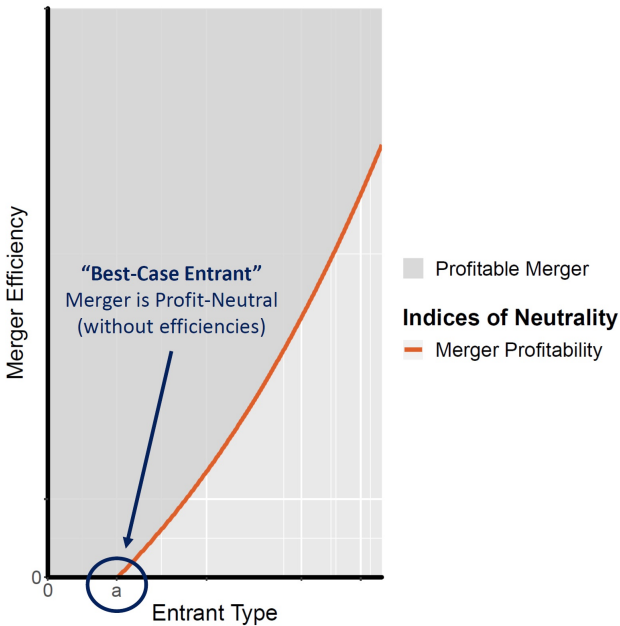


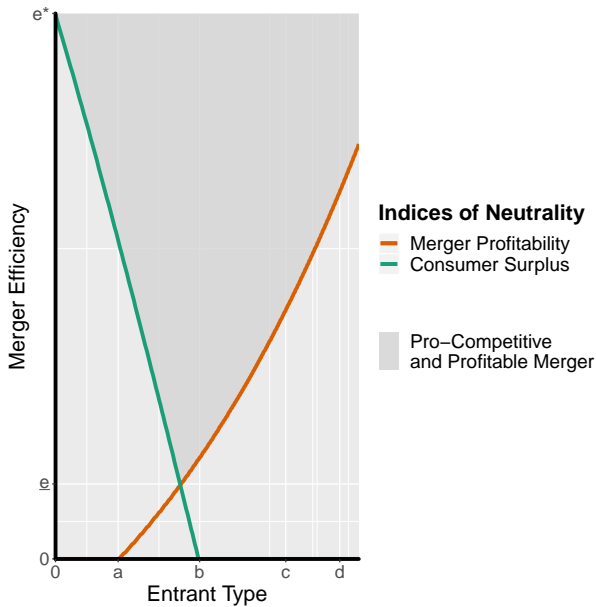


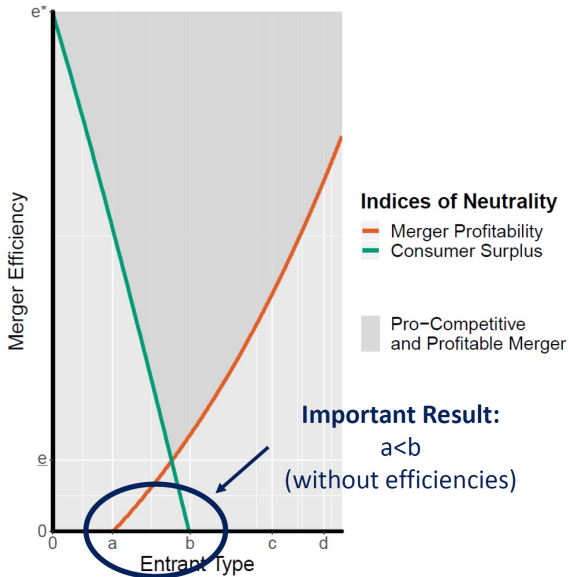












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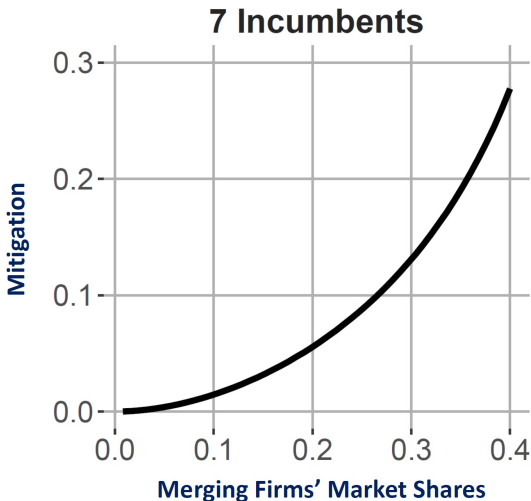
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- (Aside: no post-merger entry in efficient procurement auction models.)

Best-Case Entry Mitigates Price Increases?

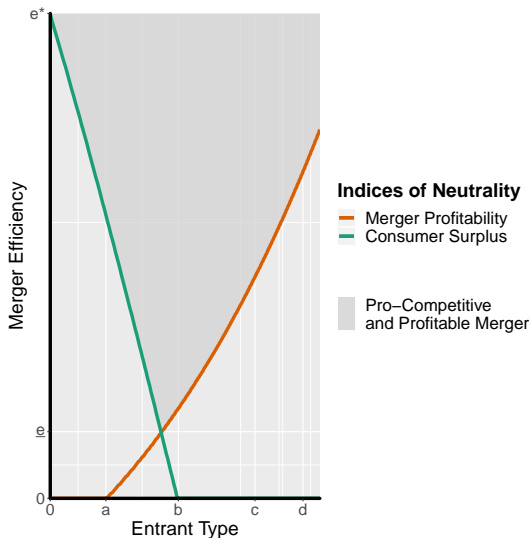
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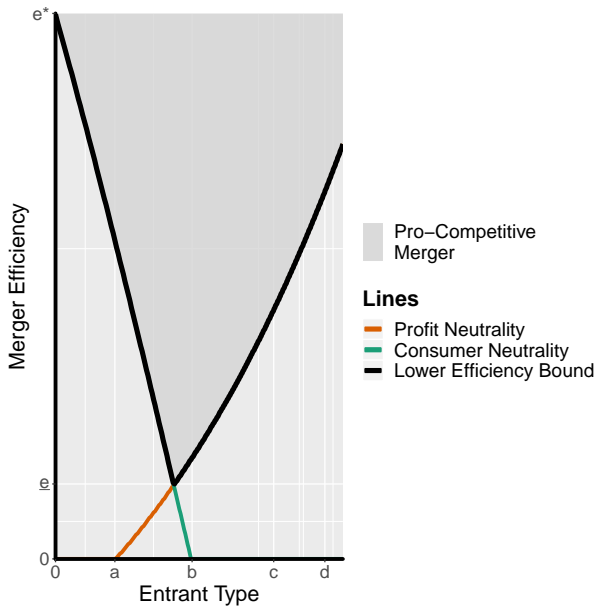


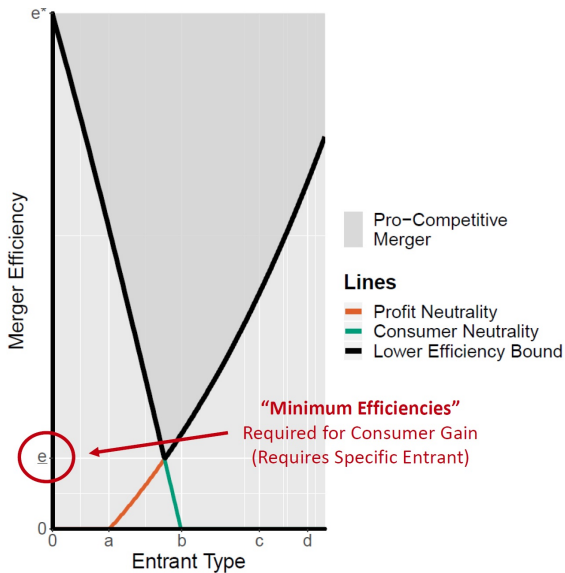


Paws for Effect

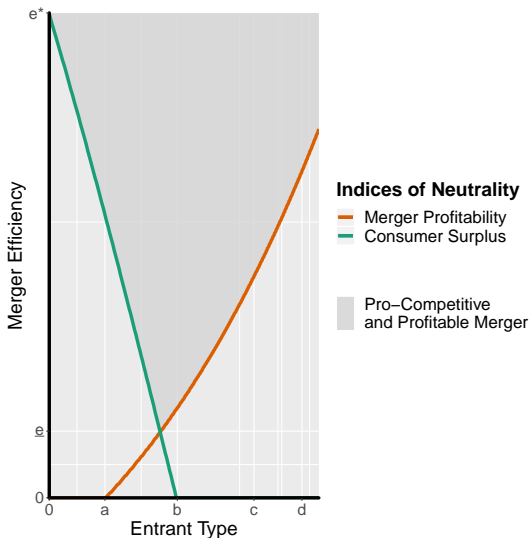
Back on Track: Entry and Efficiencies

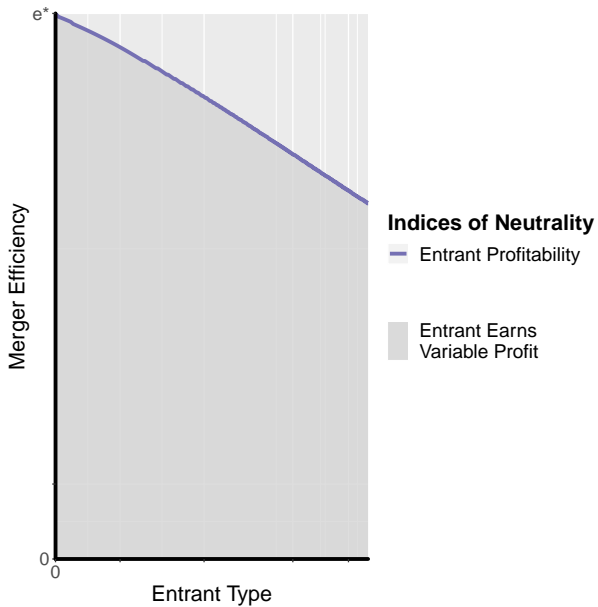


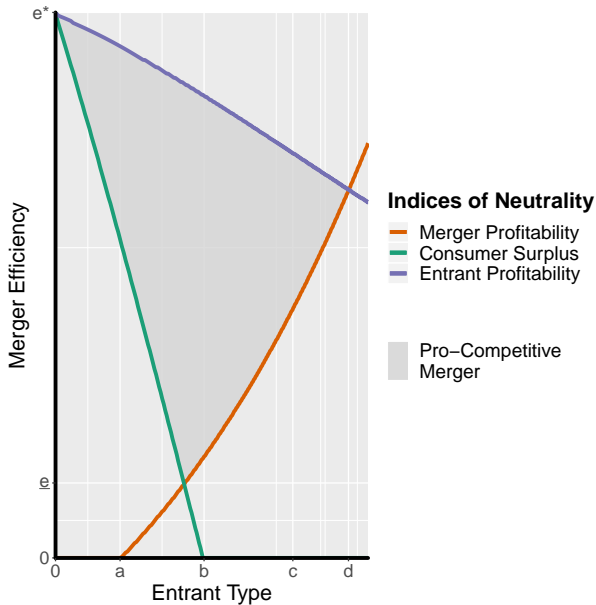


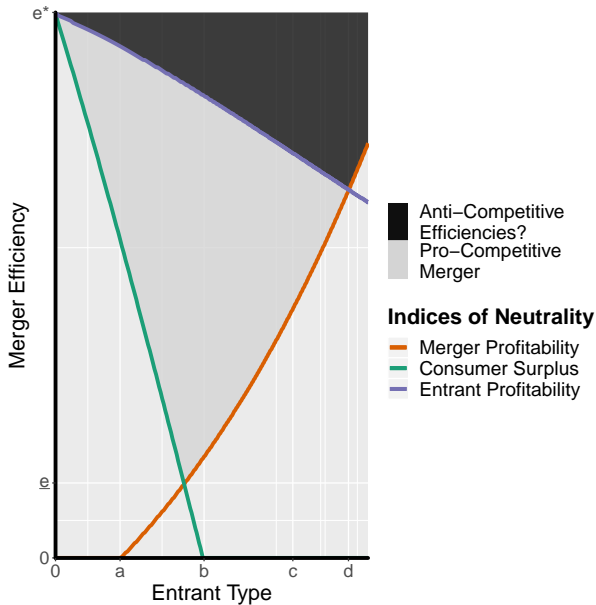


What About the Entrant's Profit?







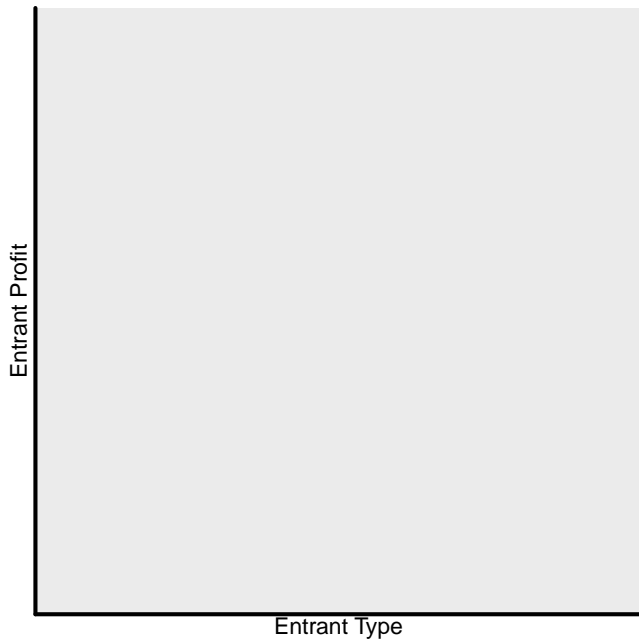


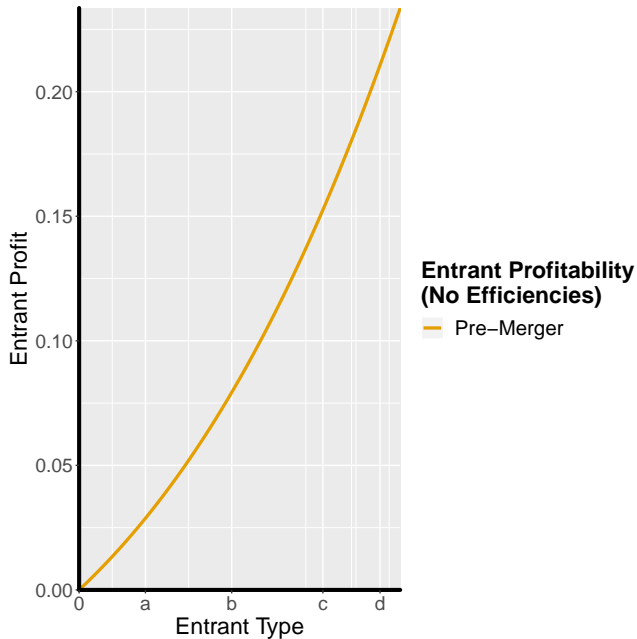
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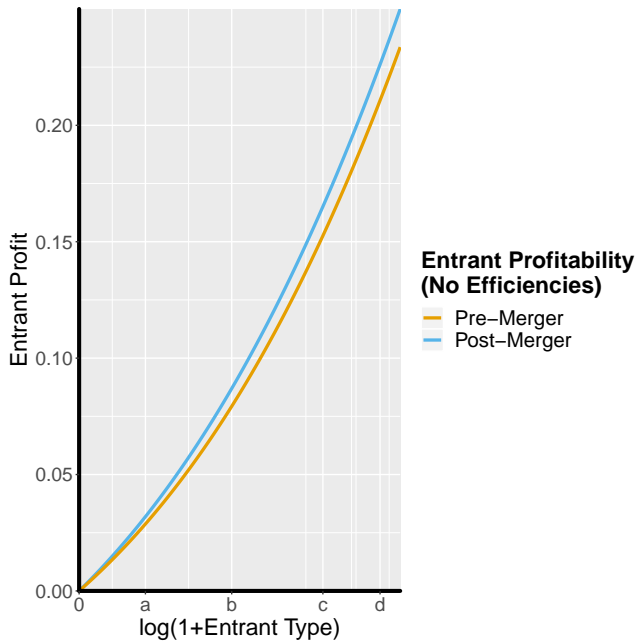
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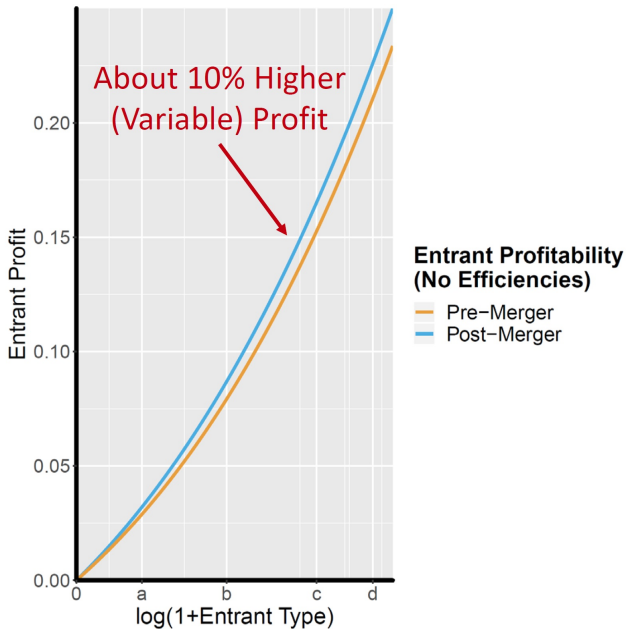
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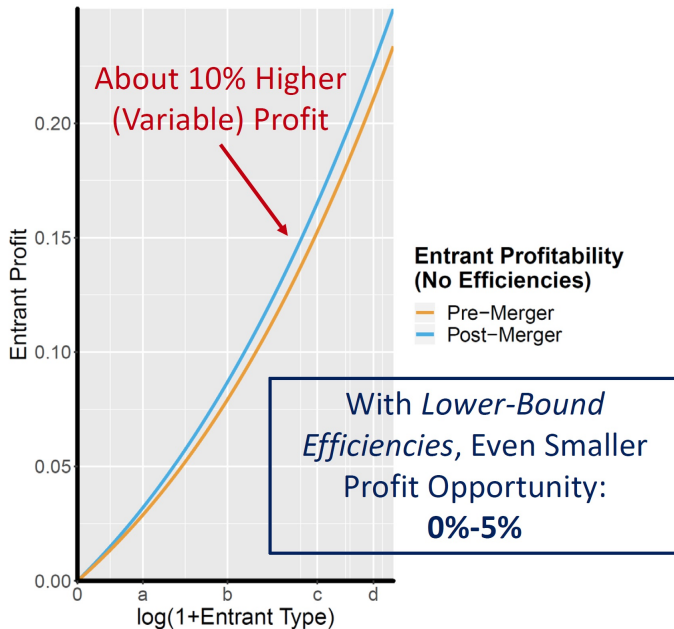
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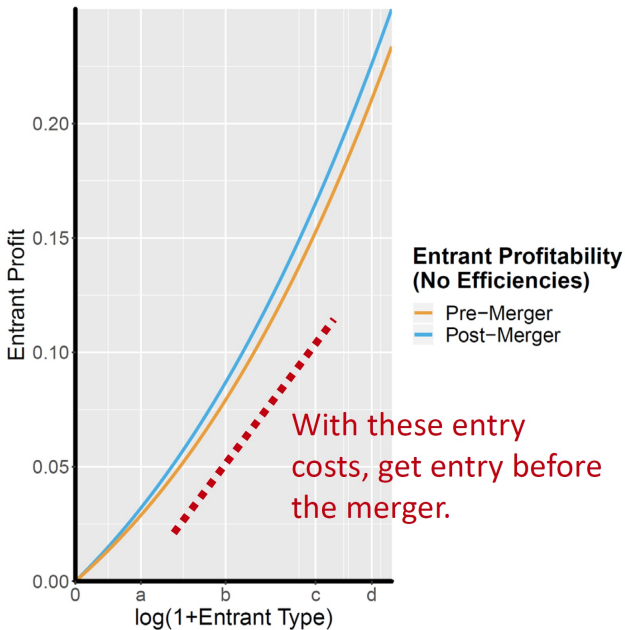


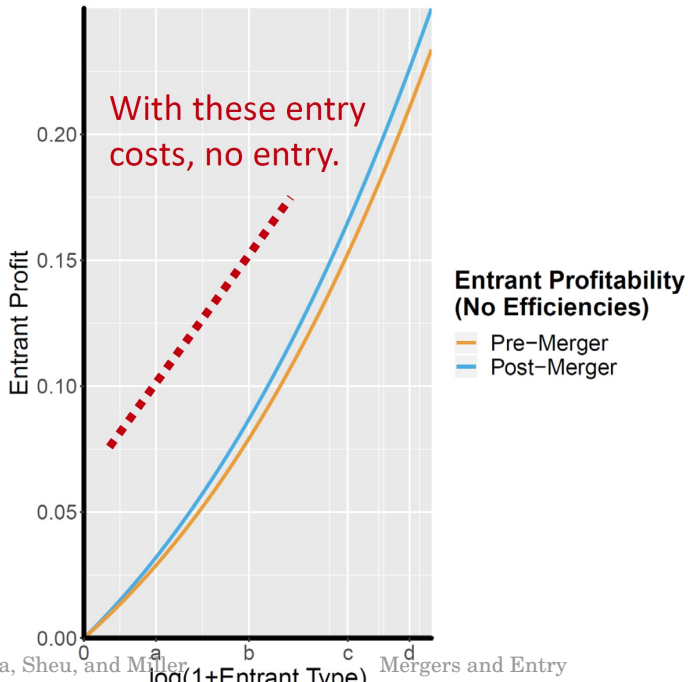


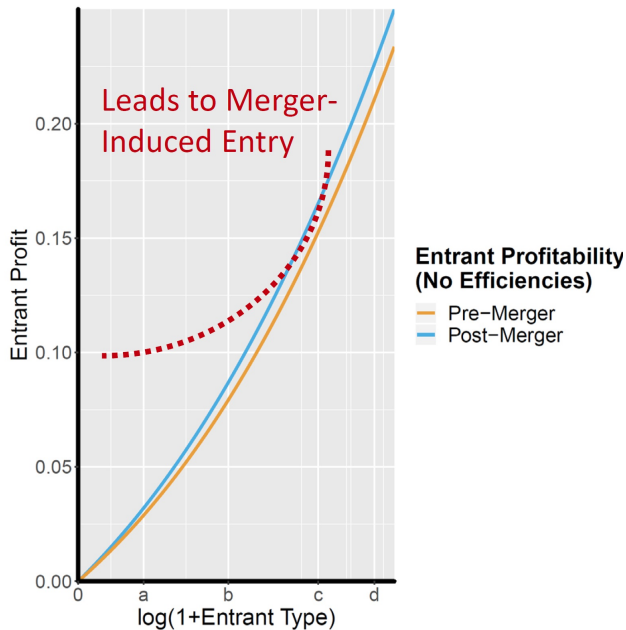












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- 3 But if $\delta = 0.85$ then $\Psi(T^F) = \$126$, and entry does not occur.

Even if entry seems feasible, the “confidence interval” for predictions will probably incorporate the possibility (or probability?) of no merger-induced entry.

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Implications for Merger Review?

Thank You!

More Considerations

- ➊ Perfect vs. imperfect information (fog of uncertainty).
- ➋ Static Nash equilibrium vs. coordination.
- ➌ Timing of entry: immediate vs. delayed.
- ➍ Fixed cost efficiencies.
- ➎ No divestitures.
- ➏ Implication of long run equilibrium for likelihood.

Related Literature

- ① Cabral (2003 IJIO), Erkal and Piccinin (2010 ER): efficiencies & likelihood.
- ② Werden (1996), Froeb and Werden (1998), Nocke and Whinston (2020): CMCR.
- ③ Werden and Froeb (1998): logit/Bertrand entry; sufficiency.
- ④ Spector (2003): Cournot and entrant sufficiency
- ⑤ Anderson, Erkal, and Piccinin (2018): long run with free entry