

I read Sections 2.1.1-2.1.4, 2.1.6, 3.1.1- 3.1.5.

Below I comment of what I consider highlights from each section. I stop when 1 page is reached.

- Section 2.1.1

- Homogeneous coordinates allow for an elegant representation of the solution of two equations in two unknowns

$$\tilde{x} = \tilde{l}_1 \times \tilde{l}_2$$

- Homogeneous coordinates allow for an elegant representation of the line passing through a pair of points

$$\tilde{l} = \tilde{x}_1 \times \tilde{x}_2$$

- Section 2.1.2

- The action of a projective transformation on a co-vector such as a 2-D line or a 3-D normal can be represented by the transposed inverse of the matrix, which is equivalent to the adjoint of \tilde{H} , since projective transformation matrices are homogeneous.

$$\tilde{l}_{output} = \tilde{H}_{-T} \times \tilde{l}_{input}$$

- Hierarchy of 2-D transformations gives the relationship between different geometries based on the sub-group relationship. This is Klein's erlangen program.

- Section 2.1.3

- Hierarchy of 3-D transformations gives the relationship between different geometries based on the sub-group relationship. Again Klein's erlangen program.

- Section 2.1.4

- Two primary representations of the group of 3-D rotations are presented. The Axis/angle representation with Rodriguez's formula being the highlight. The unit quaternion representation which has the attractive property of being continuous.