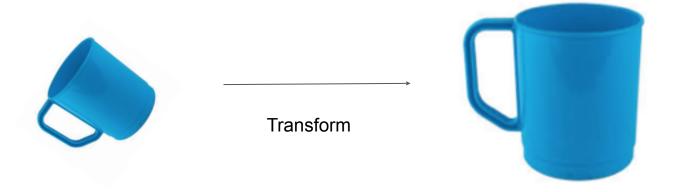
# Spatial Transformer Network

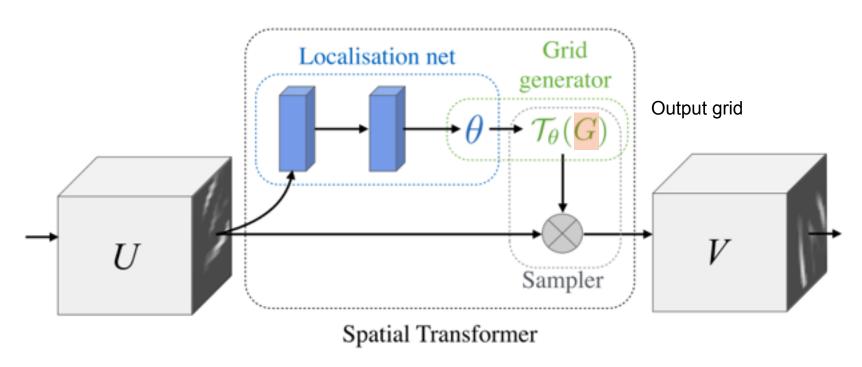
Jiaxuan Wang 4/16/2018

### Motivation

Learning invariances in image data for robust prediction



### How does it work?



# Experiment 1: Rotation + Translation + Scaling

Random Rotation: [-45, 45] degrees

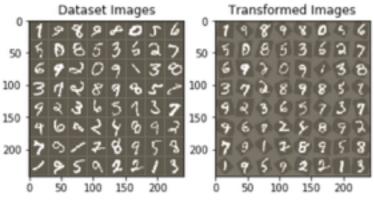
Random Translation: [-0.1, 0.1] independently for each x, y axis

Random Scaling: [0.7, 1.3] along both directions

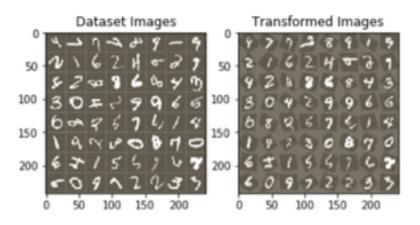
Baseline: CNN with comparable number of neurons

Test: Generalization of STN on rotation, translation, and scaling beyond training data augmentation

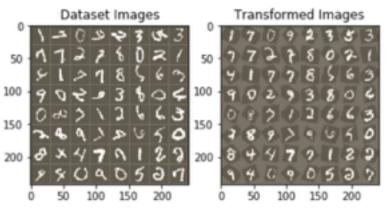
#### 45 degree



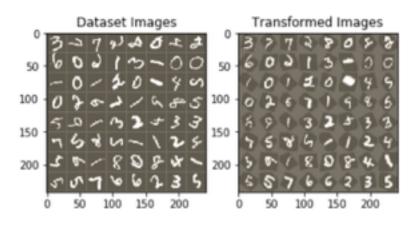
75 degree

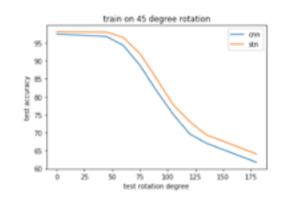


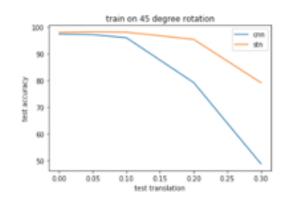
#### 60 degree

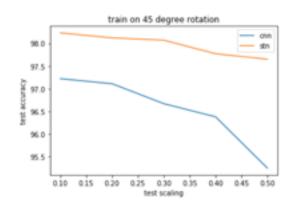


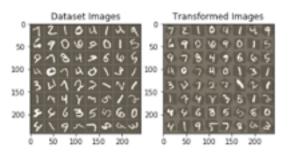
90 degree

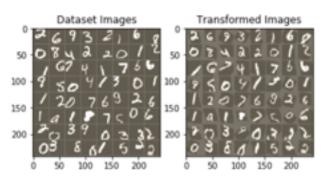


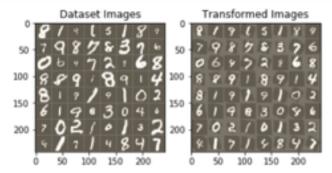




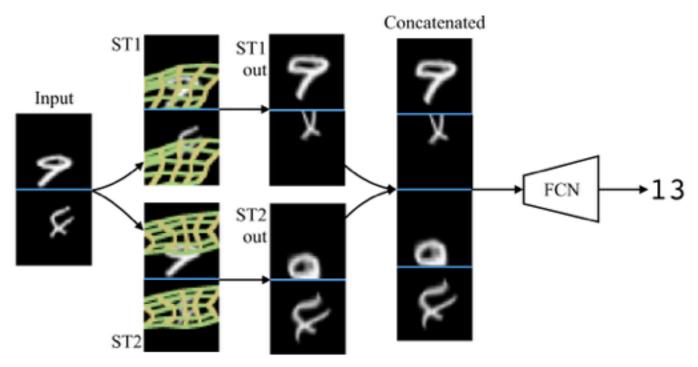




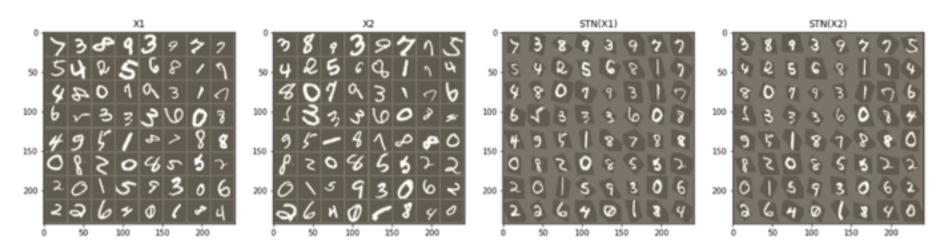




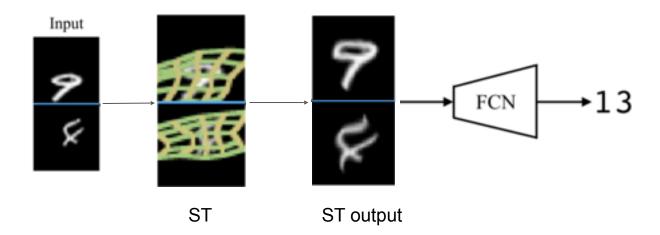
#### Experiment 2: MNIST addition



STN performance: 93.47% CNN performance: 85.30%

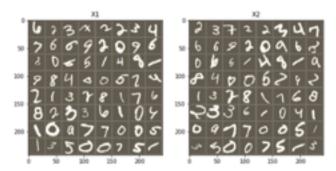


# Experiment 3: MNIST addition on same image

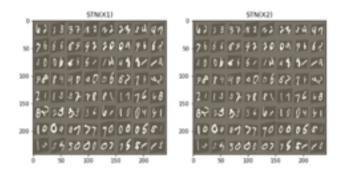


# Sensitivity to initialization

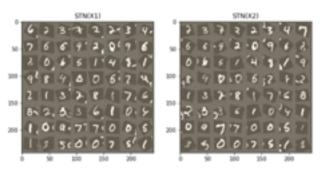
Data, CNN baseline 85% accuracy



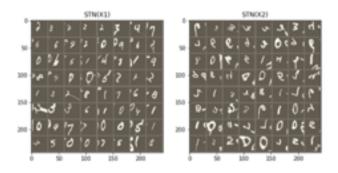
#### Identity 90% accuracy



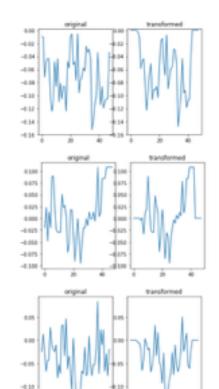
#### LR 92% accuracy



#### Random 69% accuracy



### Experiment 4: STN on time series data



#### Potential Issues:

- a) Interpolation smoothes the difference
- b) Currently only learns to shrink the time series but never expand
- c) Hard to know what canonical means in this situation

	AUC
LSTM <sup>1</sup>	85.40%
STN	84.96%
CNN	83.48%

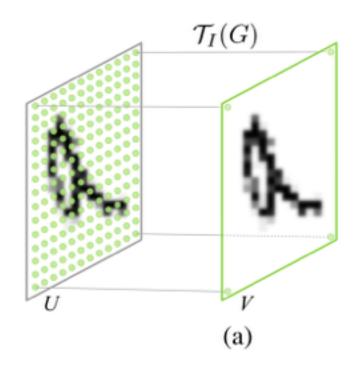
<sup>&</sup>lt;sup>1</sup>Harutyunyan, Hrayr, et al. "Multitask Learning and Benchmarking with Clinical Time Series Data." arXiv preprint arXiv:1703.07771 (2017).

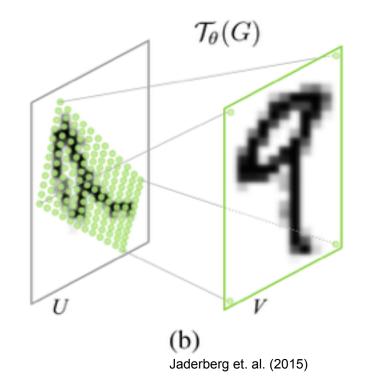
### Lesson Learned

- Specify network parameters is key to reproduction
- Tradeoff between human learning and machine learning

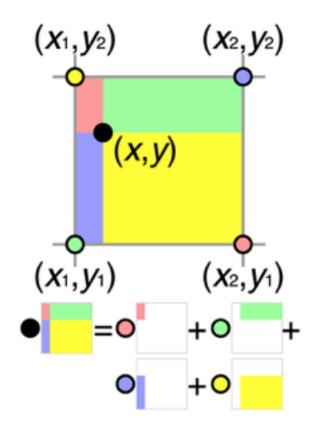
### Questions

### How does it work?





# How to sample grid: bilinear interpolation



$$V_i^c = \sum_{n=0}^{H} \sum_{m=0}^{W} U_{nm}^c \max(0, 1 - |x_i^s - m|) \max(0, 1 - |y_i^s - n|)$$

In fact, you just need to sample nearest 4 points

$$(x_2,y_1) \qquad \begin{pmatrix} x_i^s \\ y_i^s \end{pmatrix} = \mathcal{T}_{\theta}(G_i) = \mathtt{A}_{\theta} \begin{pmatrix} x_i^t \\ y_i^t \\ 1 \end{pmatrix} = \begin{bmatrix} \theta_{11} & \theta_{12} & \theta_{13} \\ \theta_{21} & \theta_{22} & \theta_{23} \end{bmatrix} \begin{pmatrix} x_i^t \\ y_i^t \\ 1 \end{pmatrix}$$

