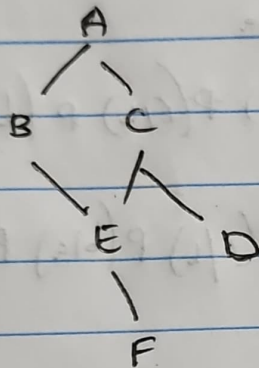


46) Given possibilities -

$P(A)$, $P(B|A)$, $P(C|B)$, $P(D|A, C)$,
 $P(E|B)$, $P(F|E)$

The N/w structure is:



We can construct Bayesian N/w.

- 1) A influences B ($P(B|A)$)
- 2) B " C ($P(C|B)$)
- 3) A & C " D ($P(D|A, C)$)
- 4) B " E ($P(E|B)$)
- 5) E " F ($P(F|E)$)

b) $P(D)$

We only need variables that influence D.

According to Bayesian N/w

'D' depends on 'A & C'

'C' depends on 'B', which in turn depends on 'A'

∴ We cannot prune 'A', 'B', 'C', as 'E', 'F' are non-relevant, we can prune them

(c) Given $P(A) = 0.8$ involve C:
Pr - Consider $P(C|B) = 0.9$, $P(C|-B) = 0.3$.

Conditional probabilities involving B:

$P(E|B) = 0.9$, $P(E|-B) = 0.4$

Conditional probabilities involving E:

$P(F|E) = 0.3$

Conditional probability involving P:

$$P(d|a,c) = P(d|anc) = 0.5$$

1. True enter:

for $b = \text{true}$, $c = \text{true}$

$$\text{Factor} = \sum_c P(d|a,c) P(c|b) P(b|a) P(a)$$

$$= P(d|anc) P(c|b) P(b|a) P(a) + P(d|a \neg c) P(c|b) P(b|a) P(a)$$

$$= 0.3618$$

2. for $b = \text{true}$, $c = \text{false}$

$$\text{Factor} = \sum_a P(d|a, \neg c) P(\neg c|b) P(b|a) P(a)$$

$$= P(d|a \neg c) P(\neg c|b) P(b|a) P(a) + P(d|a \neg \neg c) P(\neg c|b) P(b|a) P(a)$$

$$= 0.0444$$

3. for $b = \text{false}$, $c = \text{true}$

$$\text{Factor} = \sum_a P(d|a,c) P(c|\neg b) P(\neg b|a) P(a)$$

$$= P(d|anc) P(c|\neg b) P(\neg b|a) P(a) + P(d|a \neg c) P(c|\neg b) P(\neg b|a) P(a)$$

$$= 0.0414$$