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function problem2
%Navneet Singh (nsinghl@andrew.cmu.edu)
%HW-4 Prb 2
clc
          %clear screen
clear all %clearing all stored variables
close all %close previous plots
%Profit = Selling price of products - cost of raw materials
% Profit = Selling price of gasoline+diesel - cost of crude oil
To use linprog function, we have formulated our objective
%function such as to minimize negative of profit (which is equivalent
to maximizing profit)
%Defining objective function
f = [135/42, 95/42, -4.25, -4.85];
%Defining bounds on quantities of crude and products.
%0 < Light crude < 500,000 barrels</pre>
% 0 < Heavy Crude < unlimited
% 0 < Gasoline < 2,000,000 gallons</pre>
% 0< Diesel < 3,000,000
1b = [0,0,0,0];
ub = [5e5*42, Inf, 2e6, 3e6];
%Equality constraints
% 1 barrel of light crude yields 0.5 barrels gasoline and 0.4 barrels
% diesel. 1 barrel of heavy crude yield 0.4 barrels gasoline and 0.2
% barrels diesel.
Aeq = [0.5, 0.4, -1, 0; 0.4, 0.2, 0, -1];
beq = [0;0];
%Inequality constraints
A = [];
b = [];
%Using linprog function to maximize profits
[x val] = linprog(f, A, b, Aeq, beq, lb, ub);
fprintf('Max\ profit = %7.0f \ n\n',-val)
fprintf('At max profit,\n\nLight crude used = %1.0f gallons\nHeavy
 crude used = %1.0f gallons\nGasoline produced = %1.0f gallons\nDiesel
 Produced = 1.0f gallons(n', x(1), x(2), x(3), x(4));
end
Optimization terminated.
Max profit = 3402857 $
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At max profit,

Light crude used = 4000000 gallons Heavy crude used = 0 gallons Gasoline produced = 2000000 gallons Diesel Produced = 1600000 gallons

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