



hello, world!

Practice Mode

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Qualification Round 2012

[A. Speaking in Tongues](#)[B. Dancing With the Googlers](#)**C. Recycled Numbers**[D. Hall of Mirrors](#)[Contest Analysis](#)[Questions asked](#)

## Submissions

## Speaking in Tongues

15pt Not attempted  
17356/19464 users  
correct (89%)

## Dancing With the Googlers

10pt Not attempted  
12384/13899 users  
correct (89%)

10pt Not attempted  
10762/12138 users  
correct (89%)

## Recycled Numbers

10pt Not attempted  
11747/12327 users  
correct (95%)

15pt Not attempted  
6811/10604 users  
correct (64%)

## Hall of Mirrors

15pt Not attempted  
551/879 users correct  
(63%)

25pt Not attempted  
184/259 users correct  
(71%)

## Top Scores

hos.lyric	100
qnighy	100
DjinnKahn	100
levlam	100
iwiskimo	100
mystic	100
TripleM	100
aleksey	100
royf	100
krijgertje	100

## Problem C. Recycled Numbers

This contest is open for practice. You can try every problem as many times as you like, though we won't keep track of which problems you solve. Read the [Quick-Start Guide](#) to get started.

Small input  
10 points

[Download C-small.in](#)

your output file: Choose File No file chosen

source file(s): not needed for the practice contest

Submit file Hide

Large input  
15 points

[Download C-large.in](#)

your output file: Choose File No file chosen

source file(s): not needed for the practice contest

Submit file Hide

## Problem

Do you ever become frustrated with television because you keep seeing the same things, recycled over and over again? Well I personally don't care about television, but I do sometimes feel that way about numbers.

Let's say a pair of distinct positive integers  $(n, m)$  is *recycled* if you can obtain  $m$  by moving some digits from the back of  $n$  to the front without changing their order. For example,  $(12345, 34512)$  is a recycled pair since you can obtain 34512 by moving 345 from the end of 12345 to the front. Note that  $n$  and  $m$  must have the same number of digits in order to be a recycled pair. Neither  $n$  nor  $m$  can have leading zeros.

Given integers **A** and **B** with the same number of digits and no leading zeros, how many distinct recycled pairs  $(n, m)$  are there with  $\mathbf{A} \leq n < m \leq \mathbf{B}$ ?

## Input

The first line of the input gives the number of test cases, **T**. **T** test cases follow. Each test case consists of a single line containing the integers **A** and **B**.

## Output

For each test case, output one line containing "Case #x: y", where x is the case number (starting from 1), and y is the number of recycled pairs  $(n, m)$  with  $\mathbf{A} \leq n < m \leq \mathbf{B}$ .

## Limits

 $1 \leq \mathbf{T} \leq 50$ .

**A** and **B** have the same number of digits.

## Small dataset

 $1 \leq \mathbf{A} \leq \mathbf{B} \leq 1000$ .

## Large dataset

 $1 \leq \mathbf{A} \leq \mathbf{B} \leq 2000000$ .

## Sample

Input	Output
4	Case #1: 0
1 9	Case #2: 3
10 40	Case #3: 156
100 500	Case #4: 287
1111 2222	

Are we sure about the output to Case #4?

Yes, we're sure about the output to Case #4.

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