# Chapter-15 Properties of Triangles Exercise-15.1

### Solution -ol:



→ By Joining of AB, Bc and CA figure obtained is Triangle ABC. Where A, Band care Three hon-conlinear Points.

- is the side opposite to LB is Ac
- (ib the angle opposite to side AB is LACB
- (iii) thevertex opposite to sideBc is A
- (iv) the side opposite to vertex Bis Ac.

Solution -02:-

No By defination of a triangle.

### Solution-03:-

Triangle:

A plane figure formed by three non

Parallel Line segments is called a triangle



Triangular Region:

The interior of DABC together with the DABC itself, is called the triangular region of \* ABC.

Solution - 04:-

Triangles observed in the figure are DACD, AADB and ABC.

Total no of triangles are '3'

### Solution-os:-

Eight triangles observed in the figure are

- 1. DABC
- 2. AABD
- 3. AABO
- 4. ABCO
- 5. ADCO
- 6. A AOD
- 7. AACD
- 8. A Bep.

### solution-o6:-

A plane of figure formed by three non possible Line segments is called a triangle where as triangular Region is the interior of AABC to gether with the AABC itself, is called the triangular region ABC.

### Golution -07:-

### (i) Triangle:-

A plane figure formed by three non-paralle) Line segments is called a triangle.

# (ii) Parts or Elements of atriangle:

The three sides AB, Bc, CA and three angles LA, LB, LC of a AABc are together called the six parts of elements of AABc

### (ii) Scalene Triangle:

A Triangle whose notwo sides are equal. is called Scalene Triangle.

### (iv) Isosceles triangle:-

A triangle whose two sides are equal is could isosceles triangle.

### (V) Equilateral triangle:

A triangles whose all sides are equal, is called Equilateral triangle.

(Vi) Acute triangle:

A triangle whose all the angles are acute is called Acute triangle.

VII) Right triangle !-

A triangle whose one of the angles is right angle is called Right triangle.

A triangle whose one of the angles is obtuse angle is called obtuse triangle.

(1x) Interior of a Triangle:

the Interior of atriangle is made up of all such points p of the plane, are enclosed by the triangle.

(X) Exterior of a Triangle:

The Exterior of arriangle is made upor part of the Plane which consists of those points a, which are neighbor on the triangle nor in its interior.

### solution - Os:-

- (i) AB + BC + CA Scalene triangle
- (ii) Pa=pr; Ar=scm.
  isosceles triangle.
- (iii) XY= Yz = ZX Equilateral triangle
- (10) UV = VW = UW Scalene triangle
- W) Two sides ar equal
   → isosceles triansle

### solution - og:-

- d) Angle given is 98
  ... Rightangle Triangle
- (ii) Angle given is 120° [126>90]
- iii) All the angles are acute [<98] .. Acute triangle.
- (IV) Right triangle
- (v) Obtuse triangle.

50 lution - 10:-

- (1) Three
- (ii) Three
- (iii) Three
- (iv) six
- (V) Scalene
- (VI) Isosceles
- (VII) Equilateral
- (VIII) Right triangle
- (1x) A cute triangle
- (x). Obtuse triangle.

## Exercise-15.2

Exercise -15.2:
SOLUtion-01:
Let ABc be a triangle such that LB = 105 is c=36

Then, we have find the measure of at the ethird Angle A.

NOW, LB = 105° and LS = 30°

⇒ LB+LS = 105°+30° = 135°

By the Angle sumproperty of a triangle, we have

LA+LB+LS = 180°

⇒ LA = 180°-135°

⇒ LA = 45°.

### Solution 03:

Given that,

Three triangles of triangles are equal. The measured angles be LA = LB = LE

By the angle sum property of a triangle, we have

 $LA + LB + LC = 180^{\circ}$   $LA + LA + LA = 180^{\circ}$   $3LA = 180^{\circ}$   $LA = \frac{180^{\circ}}{3} = 60^{\circ}$ 

: LA = LB = LC = 68 .

### solution-04:

Griven that,

three angles of a triangle in the ratio 1:2:3

Let the measured angles be 2,2 % 32.

By the angle sum property of a triangle

we have

ave  $242432 = 180^{\circ}$   $62 = 180^{\circ}$   $2 = 30^{\circ}$   $3 = 30^{\circ}$  $3 = 30^{\circ}$  Solution -0s:
Grive angles of a triangle are  $(x-40)^\circ$ ,  $(x-20)^\circ$  &  $(\frac{1}{2}x-10)^\circ$ .

By the Angle sum property of a triangle,

we have  $(x-40)^\circ + (x-20)^\circ + (\frac{1}{2}x-10)^\circ = 18^\circ$   $2x+\frac{x}{2}-10^\circ = 18^\circ \Rightarrow 4\frac{x+x-140^\circ}{2}=18^\circ$   $5x-14^\circ = 36^\circ$   $5x=36^\circ+140^\circ$   $x=\frac{500^\circ}{5}$   $x=100^\circ$ Required angles are  $(x-40)^\circ = (100-40)^\circ = 6^\circ$ 

(7-40° = (100-40° = 60° (7-40° = (100-40° = 60° (7-20° = (100-20° = 80° (7-10° = (100-10° = (50-10° = 40° +

. Required angles are 40, 80 and 60.

### solution-06:-

Given that,

Angles are arranged in the ascending order say ANBLO. AKBLO. and Difference between two angles is 10°. Then the measured angles be say a, 2+10 and 2+20.

By Angle Sum property of a triangle, we have

$$\alpha = \frac{150^\circ}{3}$$

: Required angles are 7,2+10 and x+20

. Three angles are 50,60, 78.

Given that,

one angle of a triangle is equal to the sum of the other two

Let the measures of angles be 2,9,7 By the Angle sum property of a Ale, we have

2+4+2 =188

7+2=188

[x= 542]

22 = 180°

2=98

If one angle is 98 then the given triangle is a right angle triangle.

Solution - 09 1

Given that.

each angle of a triangle is less than the sum of the other two.

measure of angles be 2,4 and 2

72 4 4+Z

YLXtz

7 / 2ty

: 7290, 4290, 7290 [By the Angle sum Property of a sley

Solution -10:-

0) 63°+31°+80° = 180°

[By the angle sum of Properties of a triangle]

Angles form a triange

(11) 45°+61°+73° \$188°

(iii) 59 + 62° + 61° + 180°

(iv) 45°+45°+90°=180°

Angles form a triangle.

(V) 36+26+125°+186°

Golution-11

Given that,

angles of a triangle in ratio 3:4:5
measure of Angles be 32,42 and 52
Anglesum property of a triangle, we have
\$2+42+52=186°

smallestangle = 3x

= 450 .

Solution-12:- .

Given,

Two actue angles of aright angle triangle are equal.

Right triangle:

Triangle whose one of the angle is right angle.

measured angles be x, 2,98

By Angle sum property of a triangle, we have

22=180-90

The two angles are 45°, 45°.

### Solution -13:-

Angle of a triangle is greated than the Sum of the other two.

measure of angles be 7,4 and 2.

274+ E (0x)

4 > xtz lor)

Z > x+y.

or (or) y (or) 2 798 which is obtuse

: triangle is a obtuse angle.

### Solution-14:

LEAB + LABC + LBCD + LCDE + LDEF + LEFA.

Weknow that the sum of angles of a triangle 15 180°.

.. In A ABC, we have

LCAB + LABC + LBCA = 188 ... (1)

In A Acp, we have.

LPACT LACD) + LCPA = 188 - CVI)

In & ADE, we have

LEAD + LADE + LDEA = 188 ... CIII)

In A AEF, we have

LFAE+ LAFF+ LEFA = 180 --- Civ)

Adding a will bracking and cive a we get

(LCAB+LABC+LBCA)+(LDAC+LACD+LCDA)

+ (LEAD + LADE + LDEA) + (LEFA + (LAEF) + LE AF)

= 720

2. LFAB+LABC+ LBCD+ LCDE + LDEF+ LEFA=120

[ LFAB = LCAB + LD AC + LEAD + LEAF :

LEDE = LEDA + LEDA ;

LPE F = LAEF+LDEA; LEFA = LEFA]

Solution - 15:-

(i) By Angle Sum property of a triangle we have

LZ =116.

Latand 48 are corresponding angles

Lx = 40°

Ly and 30° are corres ponding angles

L9 = 30 -

(11) By Angle sum Property of a Ale, we have

20 + 43 +98 =180°

En A Aco

45° +90 +4"=180

(iii) By Angle sum property of a DABC, we have.

In A ABC

50°+50°+2°=180°

000 ox and of is a linear pair

ivs by Angle sum property of triangle, we have

IN A ADE

2° +50°+40° = 180°

14 = 50 [corresponding angles]

L2 = 48 [corresponding angles]

Solution-16:Given that angle 0 = 60

Let the other angles be rand ex

[: two angles are in the

ratio 1:27

$$86+2x+x = 186$$

$$66+3x = 186$$

$$x = 186$$

$$x = 46$$

two angles are 48,80

### Solution-17:-

Given one angle of a triangle = 100° the two angles are in the ratio-2:3 measures of angles be 27 and 3% respectively

8x +3x + 100° = 180° 5x + 100° = 180° 5x = 180 - 100 x = 16°

-. Two angles are 32° = 2016° 8016° = 48°.

### solution-18:-

IN A A ABC

By Angle sum property of a triangle, we have

8LA+4LB+6 LC = 180°

31A+31A+31A=180° [ -: 31A =41B= 61]

9 LA = 180

1A = 20°

3LA = 3(28) = 60

4 LB = 66 => LB=15

6 LC = 68 => LC = 68 = 18

Solution-20:

Given LA = 100°

LPAB = 50°, LP = 90

.. LB + LDAB + LD = 180°

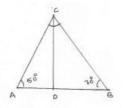
LB = 188-148 = 48



Solution - 21:-

LA = 50, LB = 70

By, Angle Sum property of a triangle, we have



LA + LB + LC = 180° 50°+70° + LC = 180° LC = 180°-180°

LC = 66

Given that is bisects AB in D.

In AACD

[ASP]

raco + rade + ra = 180

+ Dy = 180

50 +30+LADC = 180

100=100°

IN A DCB

LB + 15 + 150B = 180°

78+30+ LEDB =180°

LCDB =180 -100

1. LCDB = 80°

: LCDB = 80 , LADC = 100 .

Solution - 22:-

Given,

In AABC, LA =60, LB = 80

1) By Angle sum property of a triansle, we have

LA + LB + LS = 180°

60,480 +10 = 180

LC = 180° -140°

LC = 48.

(il) In ABOC, we have

By Angle sum property of a triangle, we have

LB = 48, LC = 28, LBOC = 7.

LB+LC+LBOC=180° [AS.P]

45+20 + BOC = 188

LBOC= 180-60°

LBOC = 120°

### Solution - 23:-

Given that,

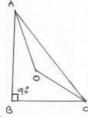
The bisectors of the acute angles of a right

angle meet at o

: LCAO + LOCA = 90 = 45° [bisectors]

In A OAC, we have

By Angle sumproperty of a triangle



# Exercise-15.3

### Exercise-15.3

Solution-ol:-

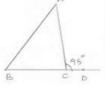
- (1) The interior adjacent angle of LSBX is
- (1) BAC, LACB:

interior opposite anglesto exterior LEBX.

### Solution-03:-

given,

exterior angle of a vertex = 95° interior opposite angle = 55°



Let ABC be a triangle whose side BC Produced to b to form a exterior angle LACD Such

that LACD = 95°.

Let LB = 55° - By exterior angle theorem, we have

LACO = LB+LA

95° = 55°+LA

LA = 95"-55°

LA = 40°

Now, By using Angle sum property of a triangle, we have

LA + LB + LC = 180°

40 +55 +16 = 180

LC =180-950

LS = 85°

the angles of a triangle are 40°, 55° and 85°

```
Solution-06:-
 Given
 LACD = 105°
 LE A F = 45
 IACD and LACBIS a Linear pair
   LACD+ LACB=180°
   105°+ LACB =188
          LACB = 180-105°
         LACB = 75°.
  since LCAB and LEAF are vertically
  opposite angles
      LCAB = LEAF = 45°
 By using Angle sum Property of atriangle,
  we have
  LCAB + LACB + LABC =180
    45° +75° + LABC = 180°
            LAB C = 180 -120
        LABC = 60
```

Solution-07: Given LA: LB: LC = 3: 2: 1. By Angle sumproperty of a triangle, we have measure of angles be 31,2x and 8x 1x+2x+3x =188 62 =188 2=38. LA = 80 L3) =96 LB = 60 LC = 30° ACHT LA CE + LECD = 180 [ Lineas Pair] 98 +38 + LECD =188 LECD = 180 -120 LECD = 68

Solution-08:-

No. since sum of Interior angles A and B

```
Solution-09:
Given LECD = 50°.
    LBAD=7.
 In A ABD, we have
        LADB = 90 .
    IFCD and LBAD are vertically opposite
     angles
        LFCD = LBAD
           -'- LB AD = 50° . .
```

Here,

Or,

 $x = 180^{\circ} - 30^{\circ} = 150^{\circ}$ 

Here, 
$$\angle AED + 120^\circ = 180^\circ$$
 (Linear pair)  $\Rightarrow \angle AED = 180^\circ - 120^\circ = 60^\circ$  We know that the sum of all angles of a triangle is  $180^\circ$ . Therefore, for  $\triangle ADE$ , we can say that:  $\angle ADE + \angle AED + \angle DAE = 180^\circ$   $\Rightarrow 60^\circ + \angle ADE + 30^\circ = 180^\circ$  Or,  $\angle ADE = 180^\circ - 60^\circ - 30^\circ = 90^\circ$  From the given figure, we can also say that:  $\angle FDC + 90^\circ = 180^\circ$  (Linear pair)  $\Rightarrow \angle FDC = 180^\circ - 90^\circ = 90^\circ$  Using the above rule for  $\triangle CDF$ , we can say that:  $\angle CDF + \angle DCF + \angle DFC = 180^\circ$   $\Rightarrow 90^\circ + \angle DCF + 60^\circ = 180^\circ$   $\angle DCF = 180^\circ - 60^\circ - 90^\circ = 30^\circ$  Also,  $\angle DCF + x = 180^\circ$  (Linear pair)  $\Rightarrow 30^\circ + x = 180^\circ$ 

### Q11

```
(i)
Here,
\angle BAF + \angle FAD = 180^{\circ} (Linear pair)
\Rightarrow \angle FAD = 180^{\circ} - \angle BAF = 180^{\circ} - 90^{\circ} = 90^{\circ}
Also,
\angle AFE = \angle ADF + \angle FAD (Exterior angle property)
\angle ADF + 90^{\circ} = 130^{\circ}
\angle ADF = 130^{\circ} - 90^{\circ} = 40^{\circ}
(ii)
We know that the sum of all the angles of a triangle is 180°.
Therefore, for \triangle BDE, we can say that:
\angle BDE + \angle BED + \angle DBE = 180^{\circ}.
\Rightarrow \angle DBE = 180^{\circ} - \angle BDE - \angle BED = 180^{\circ} - 90^{\circ} - 40^{\circ} = 50^{\circ} \dots (i)
\angle FAD = \angle ABC + \angle ACB (Exterior angle property)
\Rightarrow 90^{\circ} = 50^{\circ} + \angle ACB
Or,
\angle ACB = 90^{\circ} - 50^{\circ} = 40^{\circ}
(iii) \angle ABC = \angle DBE = 50^{\circ} [From (i)]
```

\$01ution -11:-

Given LAFE = 13:

LCAB = 9:

LDFB = 9:

(i) LB DE

LAFE = 13:

LACB = 4:

LACB + LACB + LABC = 18:

LABC LBAC = 
$$18:$$

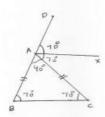
LABC =  $9:$ 

(i) LBDE =  $18:$ 
 $9:$ 

(ii) LBCA =  $9:$ 

(iii) LABC =  $5:$ 

Solution -12:-



Given,

LDAX = 78

Ax Bisects exterior angle DAC

SO, LPAX = LPAC

. LPAC = 76

LDAX, LDAC and LBAC is Linear pair

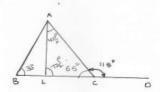
78+78+1BAC =180

Let LB = LC = x.

By using Angle sum Property of a triangle

we have, In A ABC

solution-13:-



Given,

We have, in AABC

By usingle sum property of a triangle

Byusine Angle sum property of a triangle, we have,

```
LAPD = 9.
```

By using Angle Sumproperty of a triangle we have IN A ABC,

> 60 + 80+ LC = 180 LC =180-140 10=48

IN A Apc,

40° + 40° + LADC = 180°

LADC = 180-48-48

LADC = 100°

LAPP + LAOC =100

LADP = 100° - 15°

= 850-

By using Angle sum property of a se we have

IAPD+ LADP+ LPAP= 180

[LA = LADC+

LAPD=180-85-40

LA DB)

LADD = 180 -185°

CLAD C = LADRY

LAP 9 = 55° -

solution-15:-

(i) LACP and LACD is a Linear pair

75" + LACD = 180

LACD = 105°

TBC produced is

Let D]

By using Angle sumproperty of a triangle we have

In A ABC

LA + LB + LACE 180

LB= 180-70 -400

LB = 180 -118

LB = 70°

solution-15 (ii):-

K'NOO Let AB produced is D.

pacand LBAC is a Linear pair

1BAC+10AC =180

LBAC = 180-80

LBAC =100

By using Angle Property of a sle we have

LBAC+ LABC + LC =180

TUBC = 1800 - 1000 - 30

LABC = 50

```
solution-15 -cm) :-
 By using Angle sum property of a De we have
 IN LACD ,
    IC AD+ LACD+ LCDA = 180
         LCDA = 186-108-38
      LCDA = 50°
  ACD and LACB is a linear pair
     IACD+LACE =188
         LACB = 180 - 50 100
          LACB = 80°
   By using Angle sumproperty of a se we have
        LBAC+45°+80° = 180°
         LBAC=180-1250
              LBAC = 55°
         x= 55°, y= 50°.
Solution-15 (IV):-
```

By using Angle sum property of a ble, we have LDBC + LDCA + LBDC = 180°

LPBC = 188- 38-50 = 108

LPBC and LPBA is a Linear Pair

LDBA = 180-100 = 800.

7 = 80

INAAFB

LEAB + LAFB + LABE = 180° 30° + 80° + LAFB = 180°

LAFB = 180 -110

LAEB = 70°

LAEB and LAED is a Linear pair

78 + LA ED =188

LAED = 1800-70

= n3

x = 88, y = 118

501ution-16:-

(1) LBAE and LBAC is a Linear pair

FRVE+ TBV c = 18 %

LBAC = 1800 - 1800 .

LBAC = 68

LACBand LACD is a Linear Paix

LACB+ LACD = 150°

LACB = 180 - 1120

LACB = 680

ASP

→ LBAC+ LBCA+LABC=180° => 2°=180°-66°-68°=52°. : x=52°.

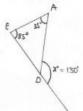
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solution-16:-
(11) LACO and LACE is a Linear Pair
     LACD+ LACE =180"
       116 + LACB = 188
            LACB = 180 -110
             LACB = TG
    LEBA and LABC is a Linear Pair
    LEBA + LABC = 180
          LABC = 180-128
           LABC = 68
    By using Angle sum property of atriangle, we have
     LACB+LABC+LBAC = 180°
           60+70+LBAC =188
                     LBAC = 180-130 = 50 .. 7=50
(iii) L BAD and LADE are vertically opposite angles
        LBAD = LAD C = 520
   By using Angle sum Property of a triangle, webse
    DU VEPC+ RECD+ FRED = 180
           52° +46° +2 =186°
                   1 = 180 - 51-48
                   2 = 180 - 920
                   72° = 88°.
```

Solution 16 :-Civi Given LABC = US" , LBCD = 50° , Z BAD = 35° . Construction: - Extend line DC and it intersect AB at e'. Required to find "LADO" In ABCE, (Sum of angles in a triangle) LEBC+ LBCE+ CCEB = 180 "s 160" ∠ABC + ∠BCO + ∠ CEB = 180° ( " LEBC = LABC ) 120 + 20, + < CEB = 180, <BC€ = ∠BCD LCEB = 180-950 ZCEB = 85° Consider line AB and line EC. LBEC and LAEC form a linear pair. 1. LBEC + CAEC = 180' 850 + LACC = 180° ∠A€C = 180'-85" = \$50,620

- AEE = 95°

In DAED, LADO is Enterior angle.

-. CADC = Sum of two inhopposite interior angle



# Exercise-15.4

```
Exercise-15.4.
1) solution:
i) schave,
   5 17>4, 5+9>7, 9+7>5
  That is, the sum of any two of the given numbers
 is greater than the third number
 so, som, Tompgon can be the lengths of the
  Leng sides of a triangle
(ii) we have
  so, the given numbers cannot be the Lengths of
  the sides of a triangle
(hi) we have.
   3+4>5, 4+5>3, 5+3>4 .
 That is, the sum of any two of the give numbers
is greater than the third number
  so 3cm, 4cm $5 cm can be the lengths of the
    sides of a triangle.
(iv) we have
      2+5 $7
  so, the given numbers cannot be the lengths of
 the sides of a Triangle.
```

(v) Some have .

5+8 \$20

50 the given numbers cannot be the Lengths of the sides of a triangle.

Solution -02:-

(1) <

(ii) <

ciio <

Solution -03 :-

(1) False

(ii) True

(iii) False.

```
Solution-04'

OA + OB > AB. —

OA + OB > AB. —

OC + OA > CA —

OC + OA > CA —

OC + OA > CA —

OA + OB > + (OE + OC) + (OC + OA) > AB + BC + CA

OC + OB + OC > CA + CA

OC + OB + OC > CA + CA

OC + OB + OC > CA + CA
```

Solution-05:
Given,

In AABC

LA = 100°, LB = 30°, LC = 50°.

AC is the smallest side which A B
is opposite to the smallest angle LB

BC is the Langest side which
is opposite to the Largest angle LA.

# Exercise-15.5

Exercise -15.5.

Solution - 01:-

pythagoras theorem:-

In a right triangle, the square of the hypotenuse equal to the sum of the squares of its remaining two sides.

Converse of Pythagoras theorem:

If the square of one side of triangle is equal to the sum of the squares of the other two sides, then the triangle is a risht triangle with the angle opposite the first side as right angle

In DABC, we have

AB2 = CA2+ Bc2.

Solution-2:~

(i) a = 6cm, b = 8cm, c = 7. White by Pythagoras theorem  $a^2 + b^2 = c^2$   $c^2 = 6^2 + 8^2$   $c^2 = 36 + 64$  $c = \sqrt{100} = 10 cm$ .

```
Given,
(1) a=8cm, b=15cm, c=9.
     a2+ b2=c2
                  [ by Pythagoras theorem]
    82 +152 = c2
     c2= 64+225
      c+= 289
        c= 1289 = 17cm
         c=17cm
Lills Given,
      a=3cm, b=4cm and c=2.
  WKT, By Pythagoras theorem
      92+62=02
      32+42=02
       c2=25
        c= 125 = 5cm
          c=scm
 (iv) Given,
     a=2cm, b =1.5cm and =9.
   WFT, By Pythagoras theorem
        a2+62=c2
         22+1.52 = 62
         C= 1 4+ 1.5 x.5
          C = (2.5 x 5.5
           C = 2.5
```

Solution - 03:-Given, Hypotenuse = 2.5cm side = 1.5cm side = 9. side2+side2 = Hyp2 2.52-1.52 = side2 side2 = 4 side = 14 = 2 cm.

Solution-04:-Given Ladder Length = 3.7m Ladder Base = 1.2 m . By using pythagoras theorem 3.72=1.22+side2 13.69-1,44 = side = side = 112,25 side = 8.5 em. . required height = 3.5m

### solution-os:

Given ,

a = 3cm, b=4cm and c=6cm Here the Largest side is c = 6cm. we have a2+ 62 = c2 clearly, 32+42 + 62

so, the triangle with the given sides is not a right angle.

### Solution - 06:-

(i) Given

a=7cm, b=24cm and c=25cm

Here the Larger side is c= 25cm

We have: a2+b2=c2 72+242 = 252 576+49 = 685

625=625

so, the triangle with the given sides is a right triangle

(ii) Here the Largest side c=18cm.

we have : 92+62=c2 182 \$ 92+162

81+256 # 324 337 # 324 .

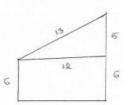
so, the triangle with the given sides is not a right triangle

### Solution-01:-

Two poles of heights 6m and

11 m

distance between their tops



Hyp = 13m.

### Solution - 08:-

Given

distances of sides are

15m and 8m.



How far is he from starting points typotenuse

By using Pythagoras theorem

### Solution-09:

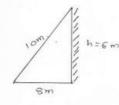
Given,

In initial position



By Applying Pythagaras theorem, weget

In Final Position



Solution -10:-

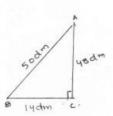
Given

Ladder Length = 50dm

height = 48dm

base of the wall = 9.

Ladder Length = sodm



By Applying Pythagoras theorem weget

base2 = 196

base = VI96

base = 14dm

. base of the wall = 14dm.

### Solution -11:-

The two less of a right triangle are equal and Hyp=50

side, = side, = side

Side 2+ sede 2 + Hyp2 [ Pythagoras theorem]

& side = Hypz

Side2 = 50

Side = les

side = sunits.

.. length of each leg = 54 nits.

### solution - 12;-

(i) Given numbers are 12,35 \$37

144 +1225 = 1369.

(12,35,37) is a Triplet

- yes.

(1) Given numbers are 7, 24 and 25

By Ptthagoras theorem

(7,24,26) is attiplet

-> yes.

(11) Given numbers are 27,36 and 45

By using pythagoras theorem

729+ 1296 = 2025

2025 = 2025.

(27,36 \$45) is a Triplet

- yes.

(1v) Given numbers are 15,36 and 39

By using Pythagoras theorem

225+1296 = 1521

1521 = 1521

(15,36,39)is a triplet

-> yes.

Solution -13:

Given,

LN = 848

LABC= 105°, LBAC = 35°



By using Angle sum Property of a triangle, we have

Bp = acm

DC=QCM

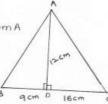
Solution -14:

In A ABC, AD is the altitude from A

A D = 12 cm

D c=16 cm

PB=9cm

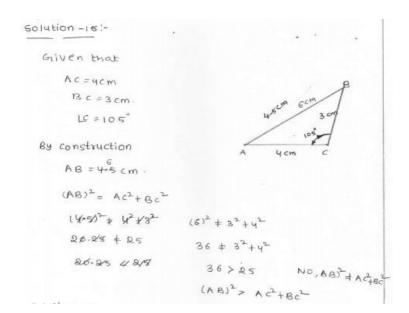


By using pythagoras Ale ABD, we have

hyp = AB = 15 cm

In A ADC, we have

No, what is right angled at A.



# Solution-16: Given Ac = 4 cm, Bc = 3 cm and $E = 80^{\circ}$ By construction, we get AB = 4.6 By Pythongoras theorem $(AB)^{2} = Ac^{2} + Bc^{2}$ $(4.6)^{2} \neq 84^{2} + 3^{2}$ $\Rightarrow No.$ $(4.6)^{2} \leq 4^{2} + 3^{2} = 81.16 \leq 25$ $\therefore (AB)^{2} \leq Ac^{2} + Bc^{2}$