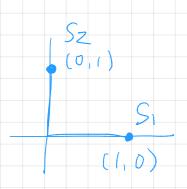


10:47AM



$$y = S_i + n$$

Our designed detector

 $Z = \langle y, w \rangle$

$$\langle (1,0), (0,1) \rangle = 0 (X)$$

$$\langle (1,0), (1,0) \rangle = | (425)$$

$$\langle (0,1), (1,0) \rangle = 0 \quad (\times)$$

(noise part (+n) of 221 Hyple 1824)

$$\langle f(x), g(x) \rangle = \int_{T} f(x) g^{*}(x) dx$$
, real of of young.

CS inq on elow

(11 flz · llg llz

(12 / 2072)

$$f(n) \notin h(n) = \int_{-\infty}^{\infty} f(z) h(n-z) dz = \int_{T}^{\infty} f(z) h(n-z) dz$$

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$$f(n)$$

(95 3h 71)

