AKARI // ANSWER SET PROGRAMMING

PROGRAM FLOW:

- 1.1. Enter the given information about the puzzle. (Black cells and their numbers are given, those are your inputs.)
- 1.2. Generate the puzzle with every cell full of bulbs except black cells, then eliminate the light bulbs accordingly to the process of the puzzle. (Output is the enlightened grid.)

///numaraya göre bulb yerleştir 0{queen(I,J):num(I)}1 :- num(J).

- 2. Light bulbs should be distributed around black squares according to the number written inside that square.
- 3. When a light bulb inserted to the puzzle, that light bulb illuminated the row and column it placed until light hits to a puzzle corner or black cell.
- 4. Every white square should be illuminated.
- 5.İki lamba birbirini aydınlatamaz

ELEMENTS TO GENERATE

- NotNumeratedBlacksCells (I, J).
- NumberedBlackCells (I, J, K). K GİVEN NUMBER OF THE BLACK CELL.
- Lightbulbs (I, J): location of the lightbulbs should be generated in order to illuminate the puzzle
 - · I and J combinations should be different than the generated black squares.
 - · Firstly, light bulbs should be placed around black cells according to the number written inside them.
 - · Afterwards, light bulbs should distribute to rows and columns which were not illuminated.
 - · Lights coming from the bulbs can overlap.

CODE

1, 1	1,2 X 1	1,3 <mark>O</mark>	1,4 <mark>L 00</mark>	1,5 X	1,6
2,1	2,2 X	2,3 <mark>L</mark>	2,4	2,5	2,6
3,1 L	3,2 L	3,3 <mark>O</mark>	3,4 X 2	3,5	3,6 X
4,1 X	4,2 <mark>O</mark>	4,3 X 4	4,4 <mark>O</mark>	4,5 <mark>L</mark>	4,6 <mark>L</mark>
5,1 <mark>L</mark>	5,2 <mark>L</mark>	5,3 <mark>O</mark>	5,4 <mark>L</mark>	5,5 X 0	5,6
6,100	6,2 X	6,3 L	6,4 L	6,5 X	6,6

solution(3,3) solution(4,4) solution(4,2) solution(5,3) solution(6,1) solution(1,4) solution(2,5) solution(1,6) solution(6,6) solution(1,1)

SATISFIABLE

1, 1 0	1,2 X 1	1,3 L	1,4 O	1,5 X	1,6 O
2,1 L	2,2 X	2,3 L	2,4	2,5 O	2,6
3,1 L	3,2 L	3,3 <mark>O</mark>	3,4 X 2	3,5	3,6 X
4,1 X	4,2 <mark>0</mark>	4,3 X 4	4,4 <mark>O</mark>	4,5 <mark>L</mark>	4,6 L
5,1 L	5,2 L	5,3 <mark>O</mark>	5,4 L	5,5 X 0	5,6
6,1 O	6,2 X	6,3 L	6,4 L	6,5 X	6,6 O

CODE #1

Const n = 4.

row(1..n).

column(1..n).

NumBlack(1,2,1). Black(1,5). Black(2,2). NumBlack(3,4,2). Black(3,6).

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Black(4,1). NumBlack(4,3,4). NumBlack(5,5,0). Black(6,2). Black(6,5).
1{Bulb(I,J):column(I)}1 :- row(J). //Bu syntax'i sor.
:- Black(I,J), Bulb(K,P), I == K, J == P.
Bulb(I,J-1), Bulb(I,J+1), Bulb(I-1, J), Bulb(I+1,J):- NumBlack(I, J, Z), Z==4 //Z =4'se bulbları kesin
koy.
// Z=3
Bulb(I,J-1), Bulb(I,J+1), Bulb(I-1,J):- NumBlack(I,J,Z), Z==3
Bulb(I,J-1), Bulb(I,J+1), Bulb(I+1,J):- NumBlack(I,J,Z), Z==3
Bulb(I,J-1), Bulb(I-1,J), Bulb(I+1,J):- NumBlack(I,J,Z), Z==3
Bulb(I,J+1), Bulb(I-1,J), Bulb(I+1,J):- NumBlack(I,J,Z), Z==3
//Z = 2
Bulb(I,J-1), Bulb(I,J+1):- NumBlack(I, J, Z), Z==2
Bulb(I-1, J), Bulb(I+1,J) :- NumBlack(I, J, Z), Z==2
Bulb(I,J-1), Bulb(I+1,J):- NumBlack(I, J, Z), Z==2
Bulb(I,J+1), Bulb(I-1, J):- NumBlack(I, J, Z), Z==2
Bulb(I,J+1), Bulb(I+1,J):- NumBlack(I, J, Z), Z==2
Bulb(I,J-1),Bulb(I-1, J) :- NumBlack(I, J, Z), Z==2
//Z = 1
Bulb(I,J-1), :- NumBlack(I, J, Z), Z==4
Bulb(I,J+1), :- NumBlack(I, J, Z), Z==4
Bulb(I-1, J) :- NumBlack(I, J, Z), Z==4
Bulb(I+1,J) :- NumBlack(I, J, Z), Z==4
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:- Bulb(I,J-1), Bulb(I,J+1), Bulb(I-1, J), Bulb(I+1,J), NumBlack(I, J, Z), Z==0.

 $/\!/\!Z = 0$

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:- NumBlack(I,J,Z), Bulb(K,P), I ==K, J ==P.
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```
\label{eq:newcode} NEW CODE \#2 \\ \#const \ n = 6. \\ row(1..n). \\ column(1..n). \\ index(0..4). \\ numBlack(1,2,1). \ black(1,5). \ black(2,2). \ numBlack(3,4,2). \ black(3,6). \\ black(4,1). \ numBlack(4,3,4). \ numBlack(5,5,0). \ black(6,2). \ black(6,5). \\ black(I,J) :- \ numBlack(I,J,Z). \\ white(I,J) :- \ not \ black(I,J), \ row(I), \ column(J). \\ neighbor(I, J, I1, J1) :- \ |I-I1| + \ |J-J1| == 1, \ row(I), \ row(I1), \ column(J), \ column(J1). \\ Z\{bulb(I1,J1): \ neighbor(I, J, I1, J1), \ white(I1, J1)\}Z: - \ numBlack(I,J,Z), \ index(Z). \\ \%:- \ black(I,J), \ bulb(K,P), \ I == K, \ J == P. \\ \#show \ bulb/2. \\ \end{cases}
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```
#CODE 3
\#const n = 6.
row(1..n).
column(1..n).
index(0..4).
numBlack(1,2,1). black(1,5). black(2,2). numBlack(3,4,2). black(3,6).
black(4,1). numBlack(4,3,4). numBlack(5,5,0). black(6,2). black(6,5).
black(I,J) :- numBlack(I,J,Z).
white(I,J):- not black(I,J), row(I), column(J).
neighbor(I, J, I1, J1) :- |I-I1| + |J-J1| == 1, row(I), row(I1), column(J), column(J1).
Z\{bulb(I1,J1): neighbor(I, J, I1, J1), white(I1, J1)\}Z:-numBlack(I,J,Z), index(Z).
light(X,Y) := bulb(X,Y1), white(X,Y), Y1 < Y, {black(X,K) : Y1 < K, K < Y}0. %sağ
% BlackCell görene kadar aydınlat. Black bir olana kadar aydınlatır 1 olursa aydınlatma durur
light(X,Y) := bulb(X,Y1), white(X,Y), Y1 > Y, {black(X,K) : Y1 > K, K > Y}0. % sol
light(X,Y) := bulb(X1,Y), white(X,Y), X1 \le X, {black(M,Y) : X1 \le M, M \le X}0. % yukarı
light(X,Y) := bulb(X1,Y), white(X,Y), X1 > X, \{black(M,Y) : X1 > M, M > X\}0. \% aşağı
light(X,Y) := bulb(X,Y).
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 $\{newbulb(X,Y)\}\ := not\ light(X,Y),\ not\ black(X,Y),\ row(X),\ column(Y).$

not newbulb(I1,J1), row(I1), column(J1):- Z{numBlack(I,J,Z):neighbor(I, J, I1, J1), newbulb(I1, J1)}4, row(I), row(I1), column(J), column(J1), index(Z).

%Fikrimiz beyaz kalan her tarafa bulb yerleştirmek ve constraint olarak da numblacklerin etrafına bulb yerleştirmemek. Çünkü daha önce numblacklerin çevresine bulb yerleştirdik.

```
%:-black(I,J), bulb(K,P), I == K, J == P.
#show bulb/2.
#show light/2.
CODE #4
\#const n = 6.
row(1..n).
column(1..n).
index(0..4).
numBlack(1,2,1). black(1,5). black(2,2). numBlack(3,4,2). black(3,6).
black(4,1). numBlack(4,3,4). numBlack(5,5,0). black(6,2). black(6,5).
black(I,J) :- numBlack(I,J,Z).
white(I,J):- not black(I,J), row(I), column(J).
neighbor(I, J, I1, J1) := |I-I1| + |J-J1| == 1, row(I), row(I1), column(J), column(J1).
Z{bulb(I1,J1) : neighbor(I, J, I1, J1), white(I1, J1)}Z :- numBlack(I,J,Z), index(Z).
% BlackCell görene kadar aydınlat. Black bir olana kadar aydınlatır 1 olursa aydınlatma durur
light(X,Y) := bulb(X,Y1), white(X,Y), Y1 < Y, {black(X,K) : Y1 < K, K < Y}0. %sağ
light(X,Y) := bulb(X,Y1), white(X,Y), Y1 > Y, {black(X,K) : Y1 > K, K > Y}0. % sol
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\begin{split} & light(X,Y) := bulb(X1,Y), \ white(X,Y), X1 \leq X, \ \{black(M,Y) : X1 \leq M, M \leq X\}0. \ \% \ yukarı \\ & light(X,Y) := bulb(X1,Y), \ white(X,Y), X1 \geq X, \ \{black(M,Y) : X1 \geq M, M \geq X\}0. \ \% \ aşağı \\ & light(X,Y) := bulb(X,Y). \\ & \{bulb(X,Y)\} := white(X,Y), row(X), column(Y). \end{split}
```

:- white(X,Y), not light(X,Y).

:- bulb(X,Y), bulb(X,Y1), Y = Y1, Y < Y1, $\{black(X,Y2): Y < Y2, Y2 < Y1\}0.\%$ sağ same row aralarında black yoksa

:- bulb(X,Y), bulb(X,Y1), Y != Y1, Y > Y1, $\{black(X,Y2): Y > Y2, Y2 > Y1\}0.\%sol$

:- bulb(X,Y), bulb(X1,Y), X!=X1, X<X1, $\{black(X2,Y): X < X2, X2 < X1\}0$.

:- bulb(X,Y), bulb(X1,Y), X!=X1, X>X1, $\{black(X2,Y): X>X2, X2>X1\}0$.

#show bulb/2.

```
CODE#5
\#const n = 6.
row(1..n).
column(1..n).
index(0..4).
numBlack(1,2,1). black(1,5). black(2,2). numBlack(3,4,2). black(3,6).
black(4,1). numBlack(4,3,4). numBlack(5,5,0). black(6,2). black(6,5).
black(I,J) :- numBlack(I,J,Z).
white(I,J):- not black(I,J), row(I), column(J).
neighbor(I, J, I1, J1) := |I-I1| + |J-J1| == 1, row(I), row(I1), column(J), column(J1).
Z{bulb(I1,J1) : neighbor(I, J, I1, J1), white(I1, J1)}Z :- numBlack(I,J,Z), index(Z).
light(X,Y) := bulb(X,Y1), white(X,Y), Y1 < Y, {black(X,K) : Y1 < K, K < Y}0. %right
light(X,Y) := bulb(X,Y1), white(X,Y), Y1 > Y, {black(X,K) : Y1 > K, K > Y}0. % left
light(X,Y) := bulb(X1,Y), white(X,Y), X1 < X, \{black(M,Y) : X1 < M, M < X\}0. \% up
light(X,Y) := bulb(X1,Y), white(X,Y), X1 > X, \{black(M,Y) : X1 > M, M > X\}0. \% down
light(X,Y) := bulb(X,Y).
```

%For every white cell, generate bulb such that it is not neighbor of any numBlack square $\{\text{bulb}(X,Y): \text{numBlack}(X1,Y1,Z), \text{not neighbor}(X1,Y1,X,Y)\} :- \text{white}(X,Y), \text{row}(X), \text{column}(Y).$

:- white(X,Y), not light(X,Y).

#show bulb/2.