

# Line, Block Coding and Scrambling

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# Digital-to-Digital Conversion

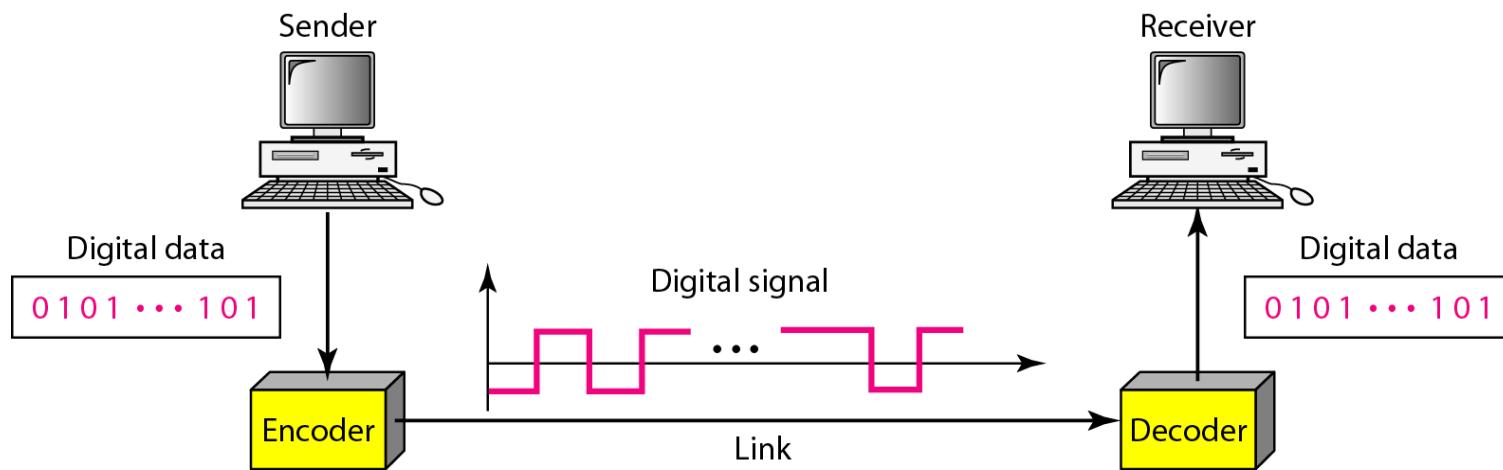
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- Representing digital data by using digital signals.
- The conversion involves three techniques:
  - Line coding,
  - Block coding, and
  - Scrambling.
- Line coding is always needed; block coding and scrambling may or may not be needed.



# Line Coding

- Converting a string of 1's and 0's (digital data) into a sequence of signals that denote the 1's and 0's.
- For example: a high voltage level (+V) could represent a “1” and a low voltage level (0 or -V) could represent a “0”.



# Line Coding

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## ■ Characteristics:

- Signal Element vs Data Element
- Bit Rate vs Baud Rate
- Baseline Wandering
- DC Components
- Self Synchronization
- Bandwidth
- Built-in Error Detection
- Immunity to Noise and Interference
- Complexity



# Cont.

## ■ Signal Element vs Data Element

### ■ Data Element

- A data element is the smallest entity that can represent a piece of information: this is the bit.

### ■ Signal Elements

- A signal element carries data elements. A signal element is the shortest unit (timewise) of a digital signal.

### ■ Data elements are what we need to send; signal elements are what we can send.

### ■ Data elements are being carried; signal elements are the carriers.



# Cont.

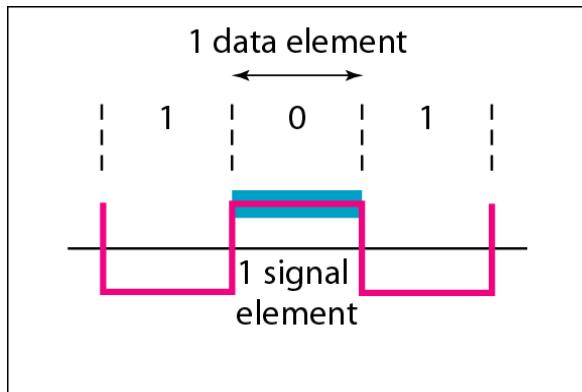
## ■ Mapping Data symbols onto Signal levels

- A data symbol (or element) can consist of a number of data bits:
  - 1 , 0 or
  - 11, 10, 01, .....
- A data symbol can be coded into a single signal element or multiple signal elements
  - 1 -> +V, 0 -> -V
  - 1 -> +V and -V, 0 -> -V and +V
- **The ratio 'r'** is the number of data elements carried by a signal element.

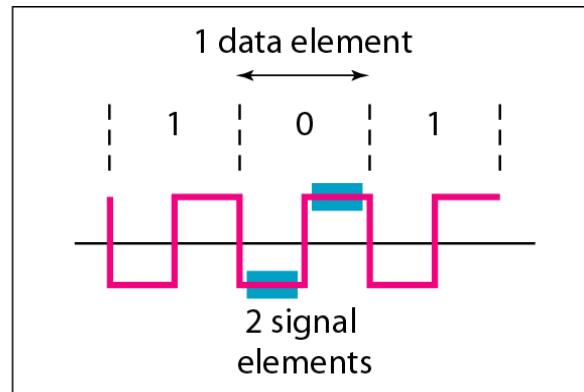


# Cont.

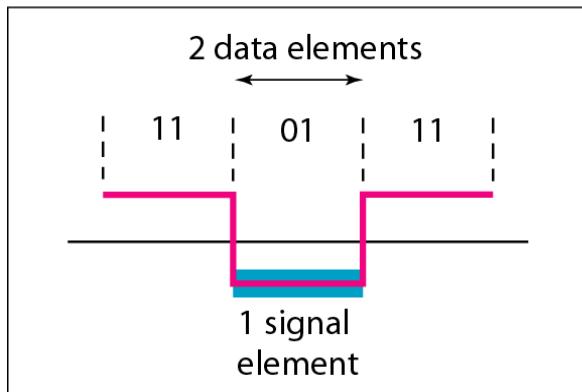
## □ Signal Element vs Data Element



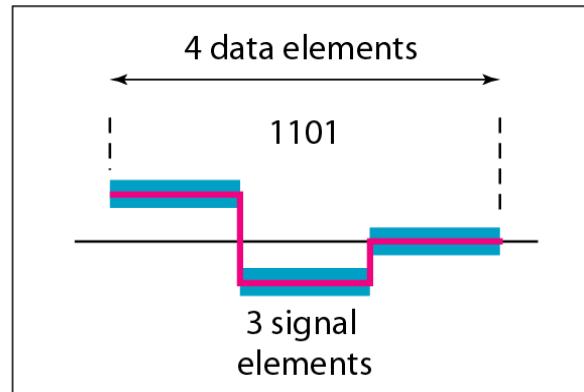
a. One data element per one signal element ( $r = 1$ )



b. One data element per two signal elements ( $r = \frac{1}{2}$ )



c. Two data elements per one signal element ( $r = 2$ )



d. Four data elements per three signal elements ( $r = \frac{4}{3}$ )



# Cont.

## ■ Bit Rate vs Baud/Signal Rate/Pulse Rate

- The data rate defines the number of bits sent per sec - **bps**.
  - It is often referred to the bit rate.
- The signal rate is the number of signal elements sent in a second and is measured in **bauds**.
  - It is also referred to as the modulation rate.
- **Pulse Rate:** Number of pulses per second
  - A pulse is the minimum amount of time required to transmit a symbol
  - Bit rate =Pulse rate \*  $\log_2 (L)$ ,
    - L→number of data levels of the signals
- **Goal:** To increase the data rate whilst reducing the baud rate.



# Cont.

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## ■ Example-1:

- A signal has two data levels with a pulse duration of 1 ms. We calculate the pulse rate and bit rate as follows:
- Pulse Rate =  $1 / 10^{-3} = 1000$  pulses/s
- Bit Rate = Pulse Rate  $\times \log_2 L = 1000 \times \log_2 2 = 1000$  bps

## ■ Example-2:

- A signal has four data levels with a pulse duration of 1 ms. We calculate the pulse rate and bit rate as follows:
- Pulse Rate = 1000 pulses/s
- Bit Rate = Pulse Rate  $\times \log_2 L = 1000 \times \log_2 4 = 2000$  bps



# Cont.

## ■ Data Rate and Baud Rate

- The baud or signal rate can be expressed as:

$$S = c \times N \times 1/r \text{ bauds}$$

- where N is data rate
- c is the case factor (worst, best & avg.)
- r is the ratio between data element & signal element
- **Best case:** minimum signal rate
- **Worst case:** maximum signal rate



# Cont.

## ■ Example:

- A signal is carrying data in which one data element is encoded as one signal element ( $r = 1$ ). If the bit rate is 100 kbps, what is the average value of the baud rate if  $c$  is between 0 and 1?
- Soln: *We assume that the average value of  $c$  is 1/2. The baud rate is then*

$$S = c \times N \times \frac{1}{r} = \frac{1}{2} \times 100,000 \times \frac{1}{1} = 50,000 = 50 \text{ kbaud}$$



# Cont.

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## ■ Baseline Wandering

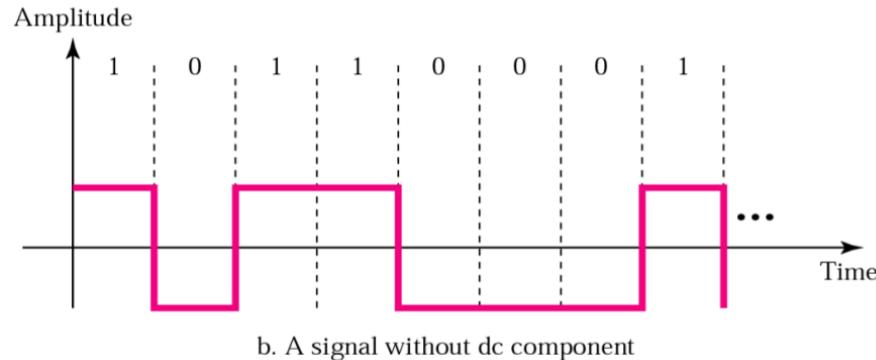
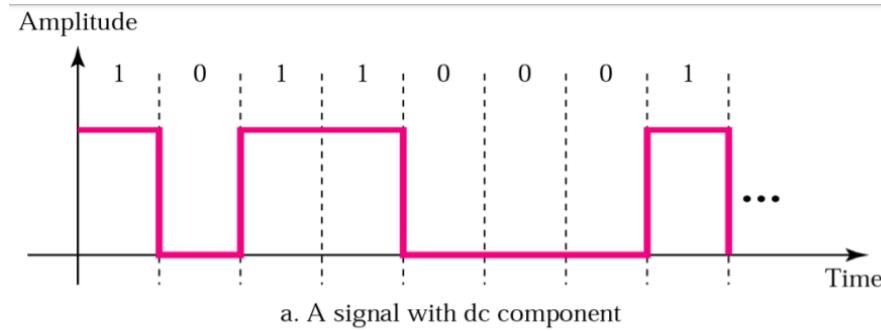
- A receiver will evaluate the average power of the received signal (**called the baseline**) and use that to determine the value of the incoming data elements.
- If the incoming signal does not vary over a long period of time, the baseline will drift and thus cause errors in detection of incoming data elements.
- A good line encoding scheme will prevent long runs of fixed amplitude.



# Cont.

## ■ DC Components

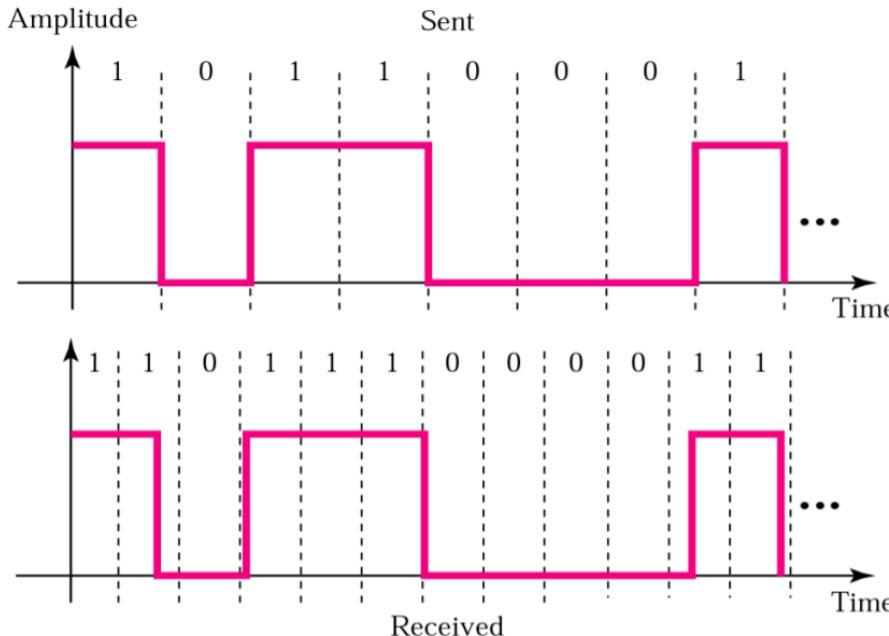
- Some line coding schemes have a residual (DC) component, which is generally undesirable
  - Transformers do not allow passage of DC component
  - DC component  $\Rightarrow$  extra energy – useless!



# Cont.

## ■ Self-synchronization (Clocking)

- To correctly interpret signal received from sender, receiver's bit interval must exactly correspond to sender's bit intervals
  - If receiver clock is faster/slower, bit intervals not matched  $\Rightarrow$  receiver misinterprets signal
  - Self-synchronizing digital signals** include timing information in itself, to indicate the beginning & end of each pulse



# Cont.

- **Example:** In a digital transmission, the receiver clock is 0.1 percent faster than the sender clock.
  - How many extra bits per second does the receiver receive if the data rate is 1 Kbps?
  - How many if the data rate is 1 Mbps?

**At 1 Kbps:**

1000 bits sent → 1001 bits received → 1 extra bps

**At 1 Mbps:**

1,000,000 bits sent → 1,001,000 bits received → 1000 extra bps



# Cont.

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## ■ Bandwidth

- Although the actual bandwidth of a digital signal is infinite, the effective bandwidth is finite.
- **The baud rate**, not the bit rate, determines the **required bandwidth** for a digital signal.
- The minimum bandwidth can be given as

$$B_{min} = c \times N \times \frac{1}{r}$$

- The maximum data rate if the bandwidth of the channel is given as

$$N_{max} = \frac{1}{c} \times B \times r$$



# Cont.

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## ■ Built-in Error Detection

- Desirable to have a built-in error detecting capability
- Detect some of or all the errors that occurred during transmission

## ■ Immunity to Noise and Interference

- Immune to noise and other interferences.

## ■ Complexity

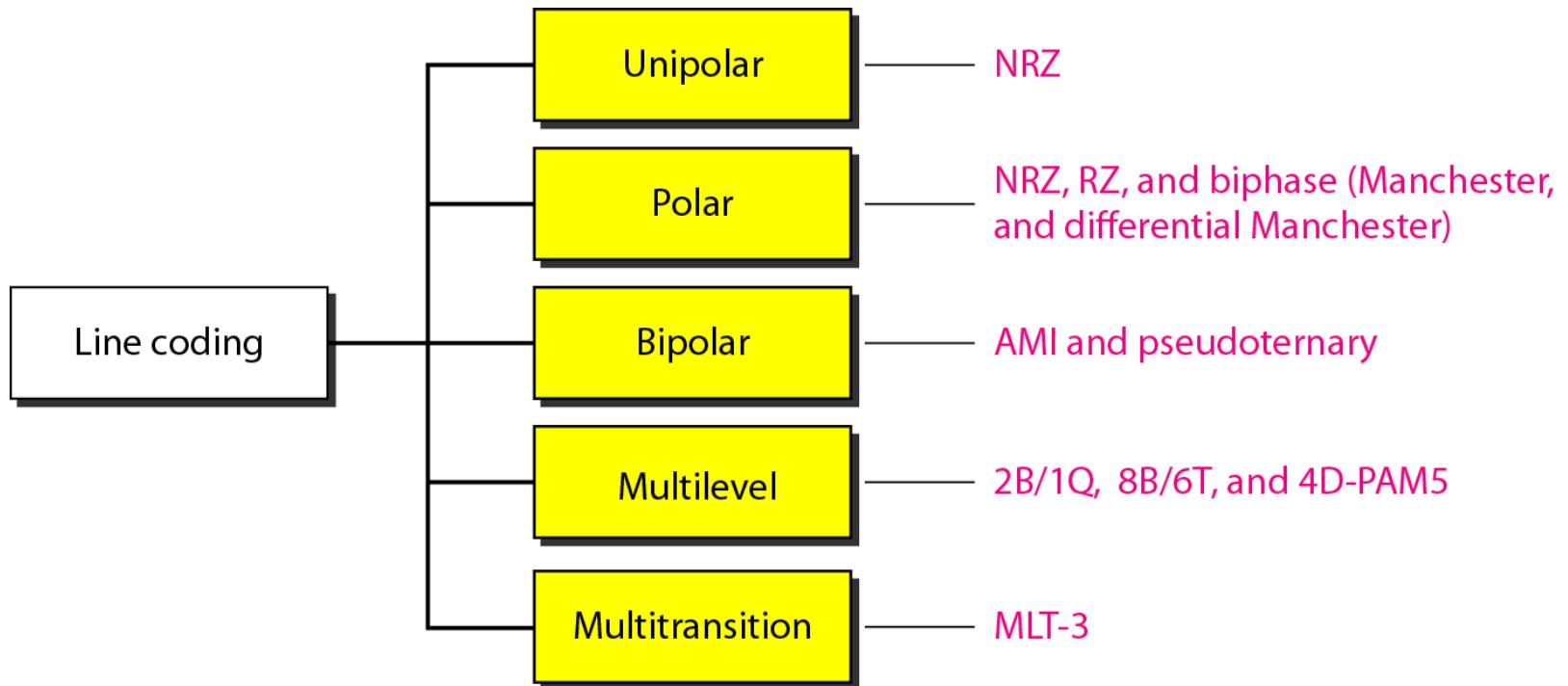
- A complex scheme is more costly to implement than a simple one.
- For example, a scheme that uses four signal levels is more difficult to interpret than one that uses only two levels.



# Line Coding Schemes

## ■ Classification:

- Roughly divided into five broad categories



Cont.

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■ For Unipolar and Polar:

Check: 1.Lec\_DigitalTrans\_Part2\_2



# Cont.

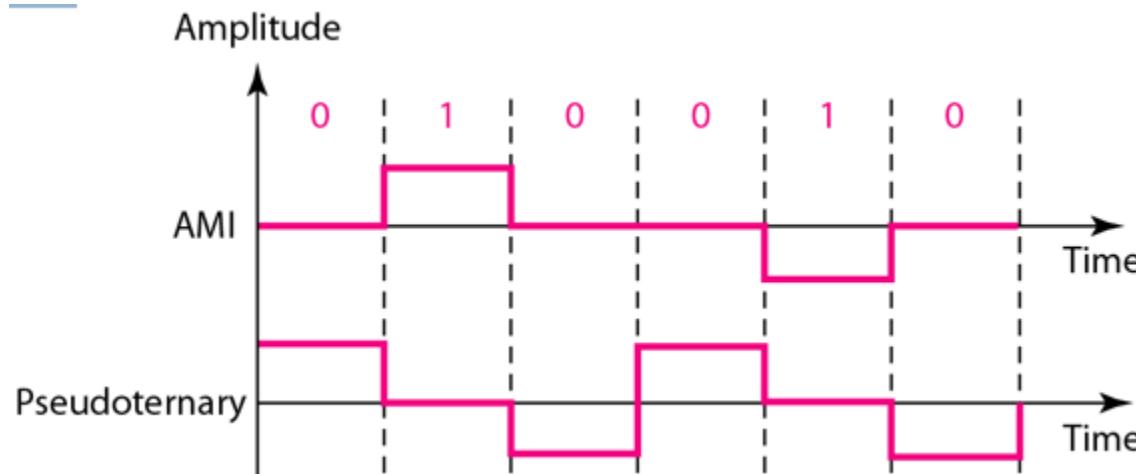
## ■ Bipolar

- Classification:
  - Alternate Mark Inversion (AMI) and
  - Pseudoternary
- Code uses 3 voltage levels: +, 0, -, to represent the symbols (note no transitions to zero as in RZ).
- Voltage level for one symbol is at “0” and the other alternates between + & -.
- **Bipolar Alternate Mark Inversion (AMI)** - the “0” symbol is represented by zero voltage and the “1” symbol alternates between +V and -V.
- **Pseudoternary** is the reverse of AMI.



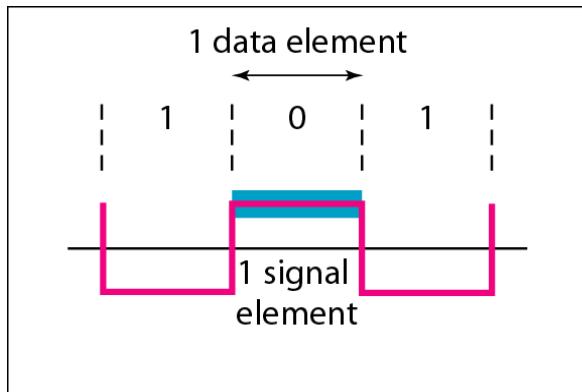
# Cont.

## ❑ Bipolar schemes

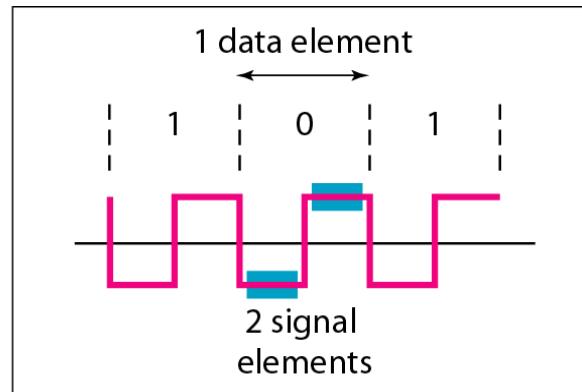


# Cont.

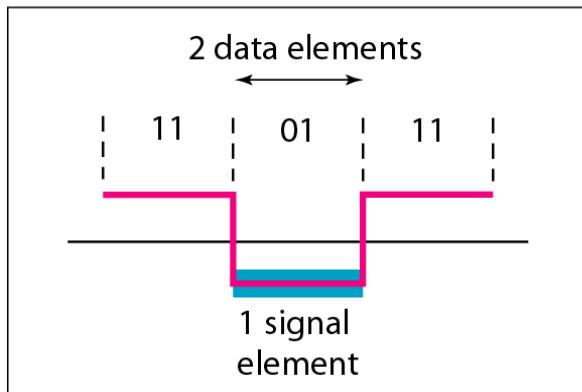
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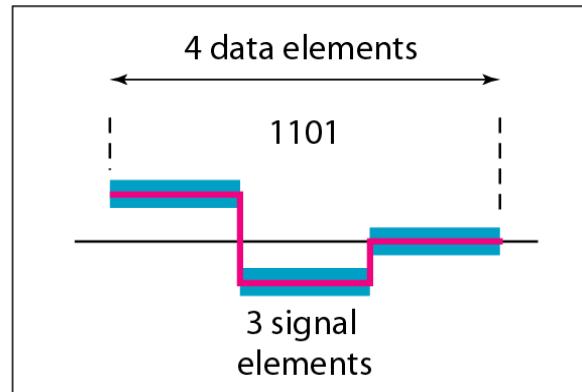
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d. Four data elements per three signal elements ( $r = \frac{4}{3}$ )



# Multilevel Schemes

- In these schemes
  - Increase the number of data bits per symbol
  - Increasing the bit rate.
- Binary data → 2 types of data element: 1 or 0.
- $m$  data elements create “ $2^m$ ” symbols/data pattern.
- Different signal levels → different types of signal elements
- $L$  signal levels →  $L^n$  combinations of signal patterns
  - $n$  → length of a signal pattern
- If  $2^m = L^n$  → an exact mapping of one symbol to one signal pattern
- If  $2^m > L^n$  → data encoding is not possible
  - Not enough signal patterns
- If  $2^m < L^n$  → data patterns occupy only a subset of signal patterns
  - The subset can be carefully designed
    - to prevent baseline wandering,
    - to provide synchronization, and
    - to detect errors that occurred during data transmission.



# Cont.

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- Classified as ***mBnL***,
  - where *m* is the length of the binary pattern,
  - *B* means binary data,
  - *n* is the length of the signal pattern,
  - *L* is the number of levels in the signaling.
  - A letter is often used in place of *L*:
    - *B* (binary) for *L* = 2, *T* (ternary) for *L* = 3, and *Q* (quaternary) for *L* = 4.
- Note that the **first two letters define the data pattern, and the second two define the signal pattern.**

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In *mBnL* schemes, a pattern of *m* data elements is encoded as a pattern of *n* signal elements in which  $2^m \leq L^n$

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# Cont.

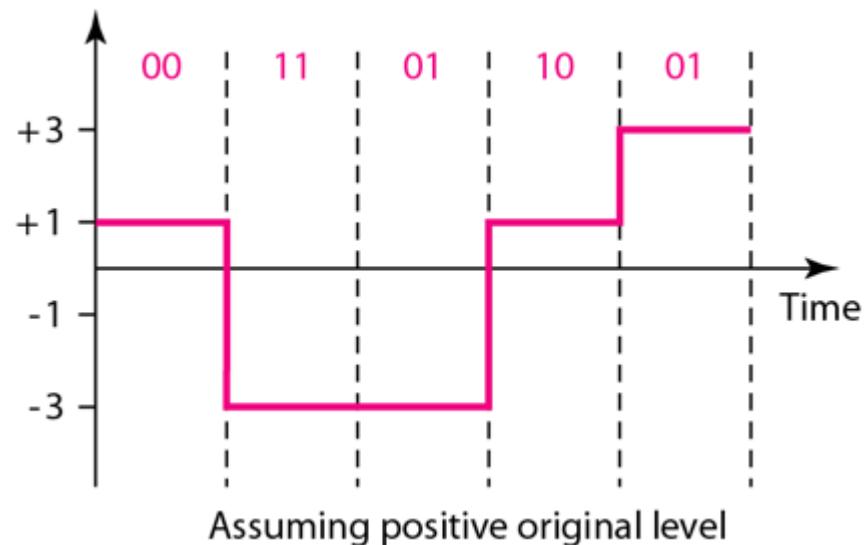
## ■ Multilevel: 2B1Q scheme

- Two binary, one quaternary (2B1Q),
- Uses data patterns of size 2 and
- Encodes the 2-bit patterns as one signal element
- A four-level signal.
- In this type of encoding  $m = 2$ ,  $n = 1$ , and  $L = 4$  (quaternary).
- No redundant signal patterns
- $N = \text{data rate}$
- Average signal rate  $S_{\text{avg}} = N/4$
- Send data 2 times faster than by using NRZ-L.
- Used in DSL technology to provide a high-speed connection to the Internet
- Receiver complexity
- Reduced bandwidth

Previous level:  
positive      Previous level:  
negative

Next bits	Next level	Next level
00	+1	-1
01	+3	-3
10	-1	+1
11	-3	+3

Transition table



# Cont.

## ■ In the 2B1Q scheme

- no redundancy and
- DC component is present.

## ■ Redundancy

## ■ A code with redundancy

- Decide to use only “0” or “+” weighted codes (more +'s than -'s in the signal element) and
  - Used to provide DC balance.
- Each **signal pattern** has a weight of 0 or +1 DC values.
- No pattern with the weight -1.
- To make the whole stream DC-balanced, the sender keeps track of the weight.
  - If two groups of weight 1 are encountered one after another
    - the first one is sent as is,
    - while the next one is totally inverted to give a weight of -1
- Invert any code that would create a DC component. E.g. ‘+00++-’ >> ‘-00--+’



# Cont.

- Receiver will know when it receives a “-” weighted code that it should invert it as it doesn't represent any valid symbol.

## ■ How to measure weight:

### ■ For example:

- **00010001** is encoded as the signal pattern **-0-0++** with **weight 0; (+ ve = - ve) signals**)
- The second 8-bit pattern **010 10011** is encoded as **- + - + + 0** with weight +1. (**+ ve > - ve signals**)
- The third bit pattern **01010000** should be encoded as **+ - - + 0 +** with **weight +1**.
  - **Should be inverted**



# Cont.

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## ■ Multilevel: **8B6T** scheme

- 8 binary, 6 ternary (8B6T),
- Used with 100BASE-4T cable
- **Idea:**
  - To encode a pattern of 8 bits as a pattern of 6 signal elements,
  - The signal has three levels (ternary).
- $2^8 = 256$  different data patterns and  $3^6 = 478$  different signal patterns
- $478 - 256 = 222$  redundant signal elements that provide synchronization and error detection.
- $S_{avg} = 1/2 * N * 6/8 = 3N/8$



# What is 100Base-T4?

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- 100BASE-T4 is the early implementation of Fast Ethernet over twisted pair cables,
- Carrying data traffic at 100 Mbps (Mega bits per second) in local area networks (LAN).
- It was launched as the IEEE 802.3u standard in 1995.
- Here, 100 is the maximum throughput, i.e. 100 Mbps, BASE denoted use of baseband transmission, and
- T4 denotes use of four twisted pair cables in Fast Ethernet.



# Cont. (Appendix D)

## ■ 8B/6TCode Mapping Table:

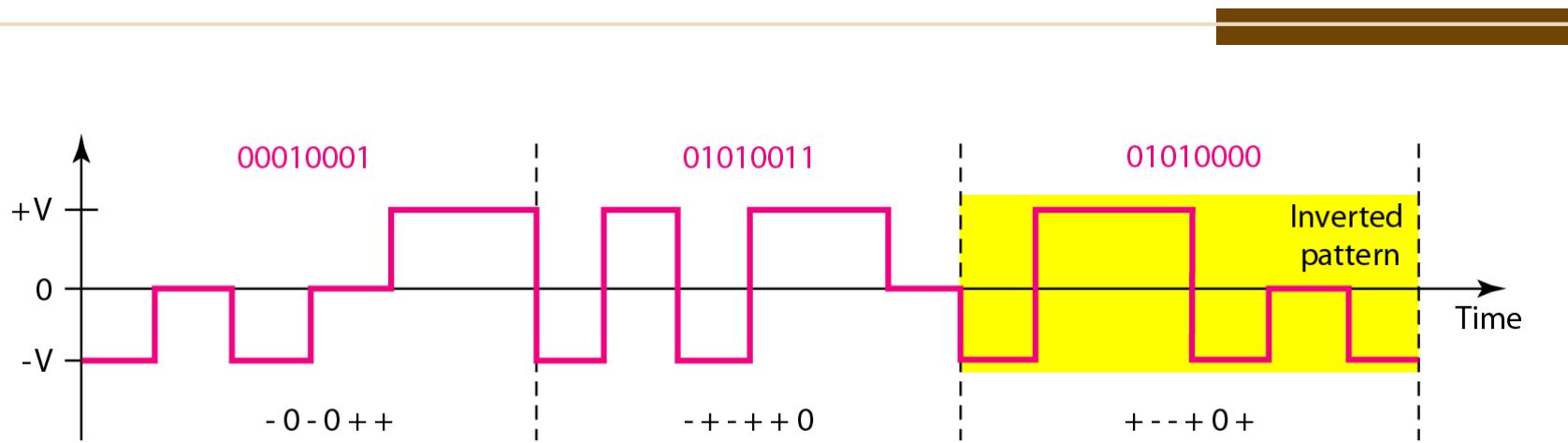
Table D.1 8B/6T code

Data	Code	Data	Code	Data	Code	Data	Code
00	-+00-+	20	-++-00	40	-00+0+	60	0++0-0
01	0-+-+0	21	+00+-	41	0-00++	61	+0+-00
02	0-+0-+	22	-+0-++	42	0-0+0+	62	+0+0-0
03	0-++0-	23	+ -0-++	43	0-0++0	63	+0+00-
04	-+0+0-	24	+ -0+00	44	-00++0	64	0++00-
05	+0--+0	25	-+0+00	45	00-0++	65	++0-00
06	+0-0-+	26	+00-00	46	00-+0+	66	++00-0
07	+0-+0-	27	-++++-	47	00-++0	67	++000-
08	-+00+-	28	0++-0-	48	00+000	68	0++-+-
09	0-++-0	29	+0+0--	49	++-000	69	+0++--
0A	0-+0+-	2A	+0+-0-	4A	+-+000	6A	+0+-+-
0B	0-+-0+	2B	+0+--0	4B	-++000	6B	+0+---
0C	-+0-0+	2C	0+--0	4C	0+-000	6C	0+---+
0D	+0-+-0	2D	++00--	4D	+0-000	6D	++0+--
0E	+0-0+-	2E	++0-0-	4E	0-+000	6E	++0-+-
0F	+0--0+	2F	++0--0	4F	-0+000	6F	++0---

- The 8-bit data are shown in hexadecimal format.
- The 6T code is shown as + (positive signal), - (negative signal), and 0 (lack of signal) notation.



# Cont.



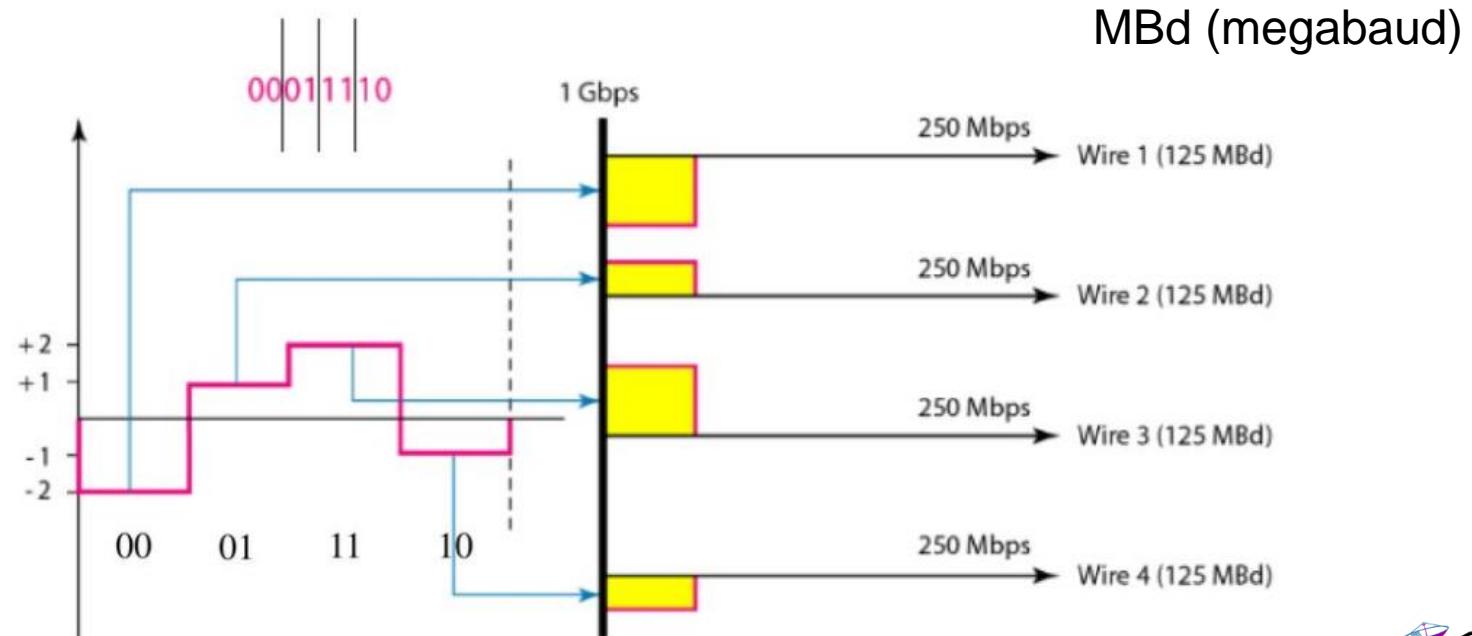
- + (positive signal),
- (negative signal), and
- 0 (lack of signal)



# Cont.

## ■ Multilevel: 4D-PAM5 scheme

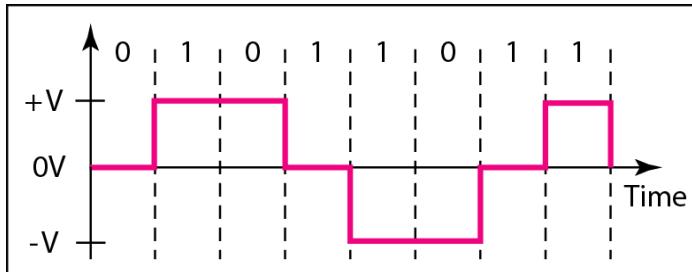
- Four dimensional five-level pulse amplitude modulation (4D-PAM5).
- The 4D means that data is sent over four wires at the same time.
- It uses five voltage levels, such as -2, -1, 0, 1, and 2.
- One level, level 0, is used only for forward error detection



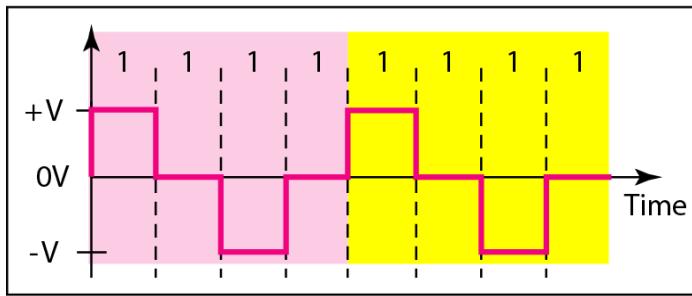
# Cont.

## Multiline transition: MLT-3 scheme

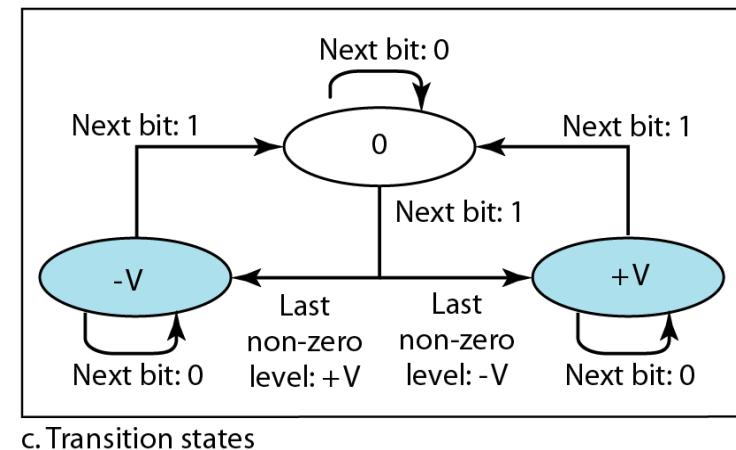
- Uses three levels ( $+V$ , 0, and  $-V$ ) and three transition rules to move between the levels.



a. Typical case



b. Worse case



c. Transition states

- If the next bit is 0, there is no transition.
- If the next bit is 1 and the current level is not 0, the next level is 0.
- If the next bit is 1 and the current level is 0, the next level is the opposite of the last nonzero level.

# Summary of line coding schemes

<i>Category</i>	<i>Scheme</i>	<i>Bandwidth (average)</i>	<i>Characteristics</i>
Unipolar		$B = N/2$	Costly, no self-synchronization if long 0s or 1s, DC
Polar	NRZ-L	$B = N/2$	No self-synchronization if long 0s or 1s, DC
	NRZ-I	$B = N/2$	No self-synchronization for long 0s, DC
	Biphase	$B = N$	Self-synchronization, no DC, high bandwidth
Bipolar	AMI	$B = N/2$	No self-synchronization for long 0s, DC
Multilevel	2B1Q	$B = N/4$	No self-synchronization for long same double bits
	8B6T	$B = 3N/4$	Self-synchronization, no DC
	4D-PAM5	$B = N/8$	Self-synchronization, no DC
Multiline	MLT-3	$B = N/3$	No self-synchronization for long 0s



# Redundancy for Error Detection

## VERTICAL REDUNDANCY CHECK

- Example :

1110110

1101111

1110010

- After adding the parity bit

11101101

11011110

11100100



# Block Coding

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- Redundancy is required
    - To ensure synchronization and
    - To provide some kind of inherent error detecting
  - Block coding can give
    - this redundancy and
    - improve the performance of line coding
  - In general, block coding **changes a block of  $m$  bits into a block of  $n$  bits**, where  $n$  is larger than  $m$ .
  - Block coding is referred to as an  **$mB/nB$  encoding** technique.
- 

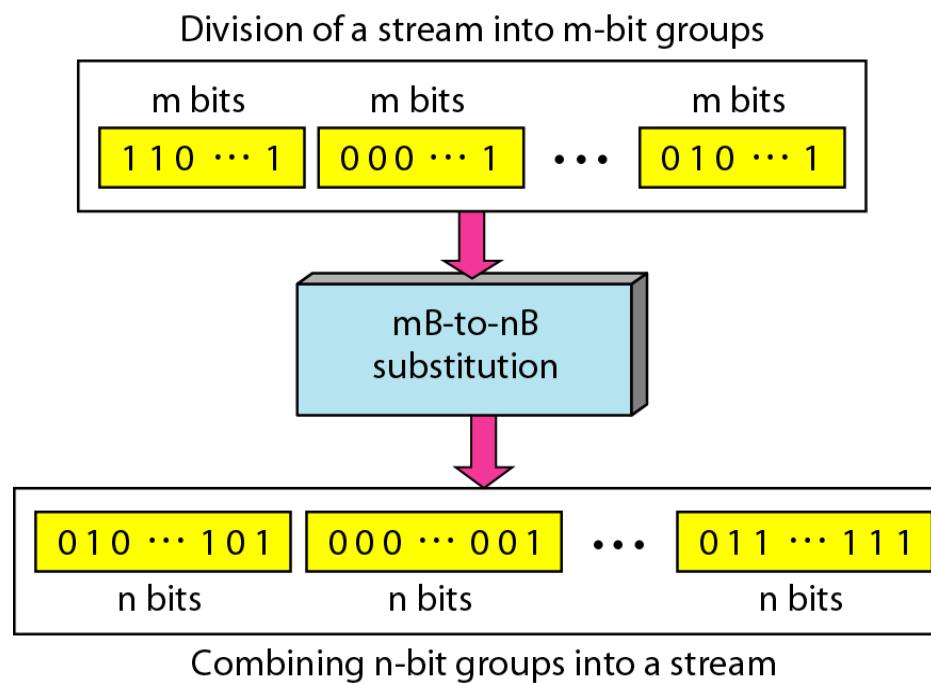
Block coding is normally referred to as  **$mB/nB$**  coding;  
it replaces each  **$m$ -bit** group with an  **$n$ -bit** group.

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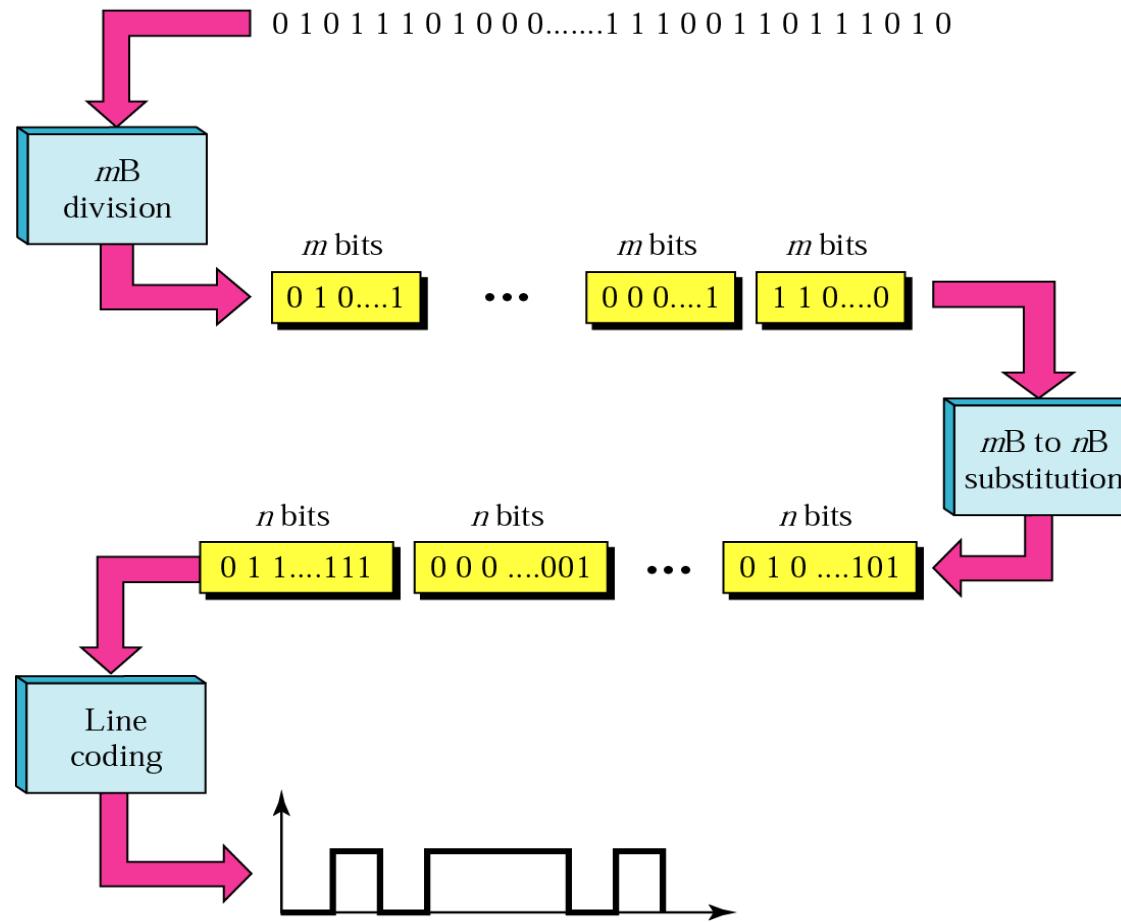
# Cont.

- Block coding is done in three steps:
  - division,
  - substitution and
  - combination.
- It is distinguished from multilevel coding by use of the slash -  $xB/yB$ .



# Cont.

## ■ Block coding



# Cont.

## ■ 4B/5B Block Coding Scheme

- The four binary/five binary (4B/5B) coding scheme

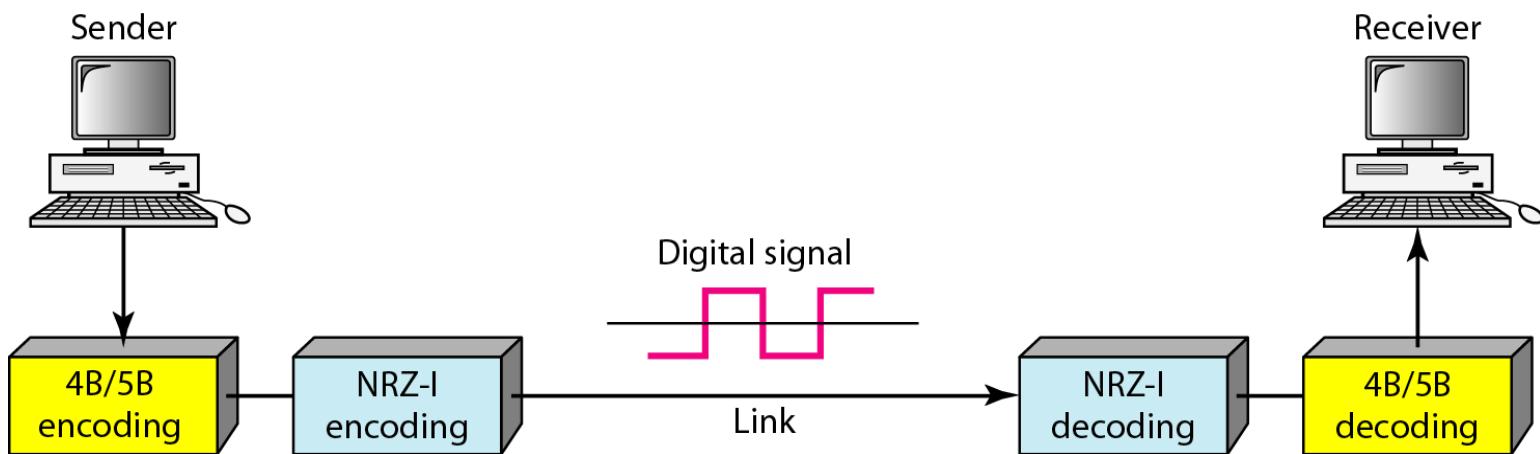


Figure: Using block coding 4B/5B with NRZ-I line coding scheme



# Cont.

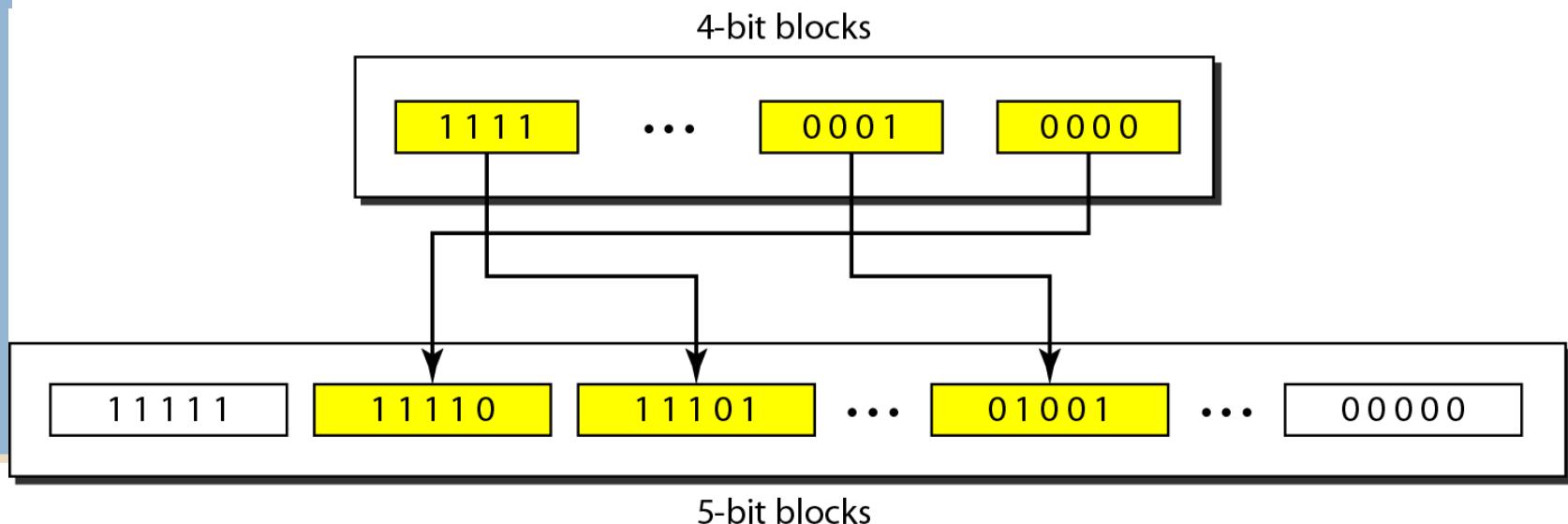
**Table: 4B/5B mapping codes**

<i>Data Sequence</i>	<i>Encoded Sequence</i>	<i>Control Sequence</i>	<i>Encoded Sequence</i>
0000	11110	Q (Quiet)	00000
0001	01001	I (Idle)	11111
0010	10100	H (Halt)	00100
0011	10101	J (Start delimiter)	11000
0100	01010	K (Start delimiter)	10001
0101	01011	T (End delimiter)	01101
0110	01110	S (Set)	11001
0111	01111	R (Reset)	00111
1000	10010		
1001	10011		
1010	10110		
1011	10111		
1100	11010		
1101	11011		
1110	11100		
1111	11101		



# Cont.

**Figure: Substitution in 4B/5B block coding**



# Cont.

## ■ Redundancy

- A 4 bit data word can have 2<sup>4</sup> combinations.
  - A 5 bit word can have 2<sup>5</sup>=32 combinations.
  - We therefore have 32 - 2<sup>4</sup> = 16 extra words.
  - Some of the extra words are used for control/signaling purposes.
- If a 5-bit group arrives that belongs to the unused portion of the table, the receiver knows that there is an error in the transmission.



Cont.

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**We need to send data at a 1-Mbps rate. What is the minimum required bandwidth, using a combination of 4B/5B and NRZ-I or Manchester coding?**

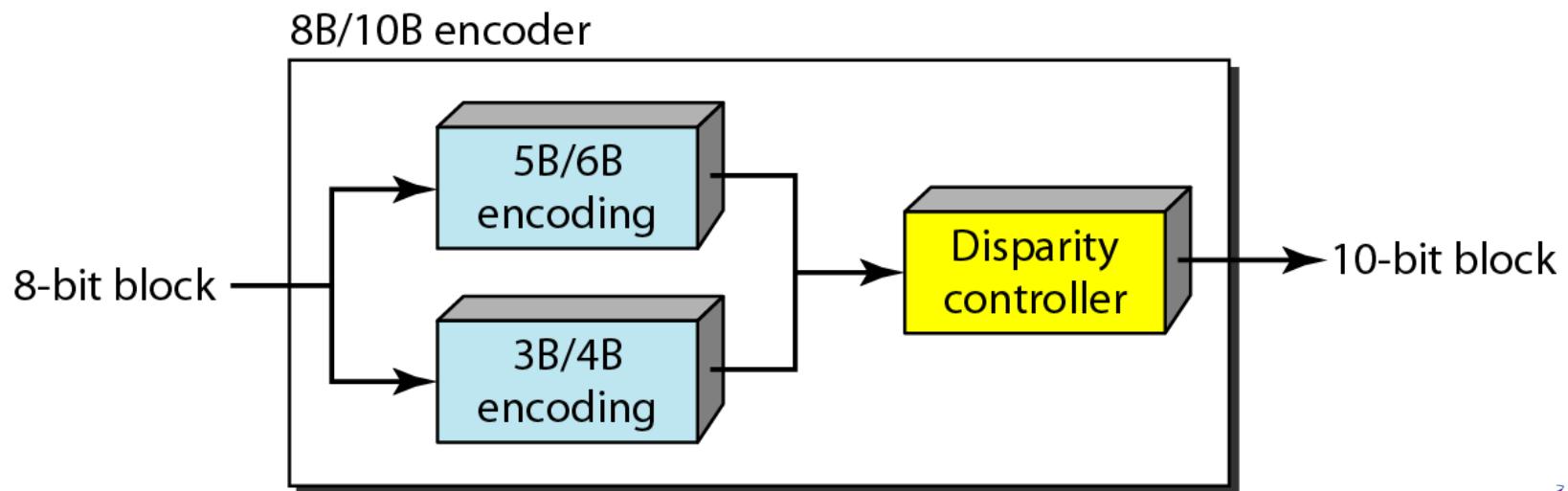
### **Solution**

*First 4B/5B block coding increases the bit rate to 1.25 Mbps. The minimum bandwidth using NRZ-I is  $N/2$  or 625 kHz. The Manchester scheme needs a minimum bandwidth of 1.25 MHz. The first choice needs a lower bandwidth, but has a DC component problem; the second choice needs a higher bandwidth, but does not have a DC component problem.*



# Cont.

- A group of 8 bits of data is now substituted by a 10-bit code.
- The most five significant bits of a 10-bit block is fed into the 5B/6B encoder;
- The least 3 significant bits is fed into a 3B/4B encoder. The split is done to simplify the mapping table.
- To prevent a long run of consecutive 0s or 1s, the code uses a **disparity controller**
  - keeps track of excess 0s over 1s (or 1s over 0s)



**Figure: 8B/10B block encoding**

## ■ More bits - better error detection

- The 8B10B block code adds more redundant bits
- Choose code words that would prevent a long run of a voltage level that would cause DC components.
- Greater error detection capability than 4B/5B
- Better synchronization

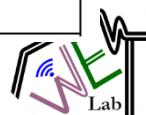
# Applications

**Table: Summary of Standard Ethernet implementations**

Characteristics	<i>10Base5</i>	<i>10Base2</i>	<i>10Base-T</i>	<i>10Base-F</i>
Media	Thick coaxial cable	Thin coaxial cable	2UTP	2 Fiber
Maximum length	500m	185 m	100m	2000m
Line encoding	Manchester	Manchester	Manchester	Manchester

**Table: Summary of Fast Ethernet implementations**

Characteristics	<i>100Base-TX</i>	<i>100Base-FX</i>	<i>100Base-T4</i>
Media	Cat 5 UTP or STP	Fiber	Cat 4 UTP
Number of wires	2	2	4
Maximum length	100m	100m	100m
Block encoding	4B/5B	4B/5B	
Line encoding	MLT-3	NRZ-I	8B/6T



# Applications

**Table: Summary of Gigabit Ethernet implementations**

<i>Characteristics</i>	<i>1000Base-SX</i>	<i>1000Base-LX</i>	<i>1000Base-CX</i>	<i>1000Base-T</i>
Media	Fiber short-wave	Fiber long-wave	STP	Cat 5 UTP
Number of wires	2	2	2	4
Maximum length	550m	5000m	25m	100m
Block encoding	8B/10B	8B/10B	8B/10B	
Line encoding	NRZ	NRZ	NRZ	4D-PAM5



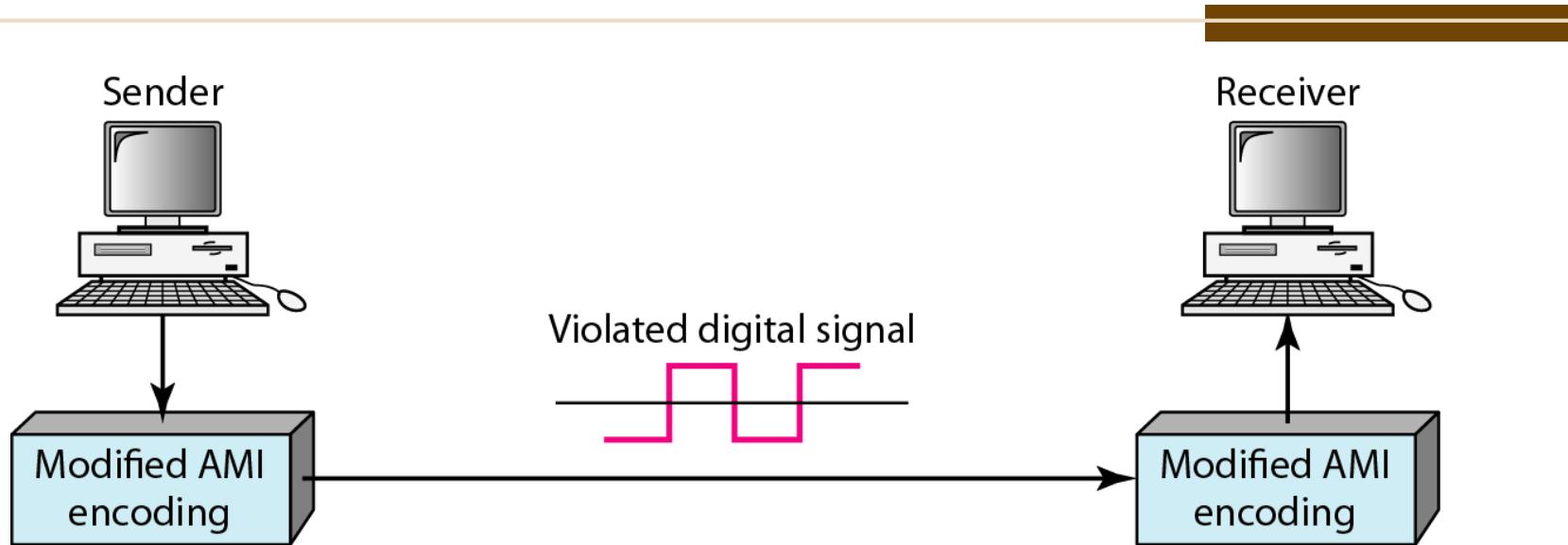
# Scrambling

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- The best code is one
  - that does not increase the bandwidth for synchronization and
  - has no DC components.
- **Scrambling** is a technique used to create a sequence of bits that has the required characteristics for transmission –
  - self clocking,
  - no wide bandwidth.
- **It is implemented at the same time as encoding**, the bit stream is created on the fly.
- It replaces ‘unfriendly’ runs of bits with a violation code
- Two common scrambling techniques are
  - B8ZS and
  - HDB3.



# Cont.



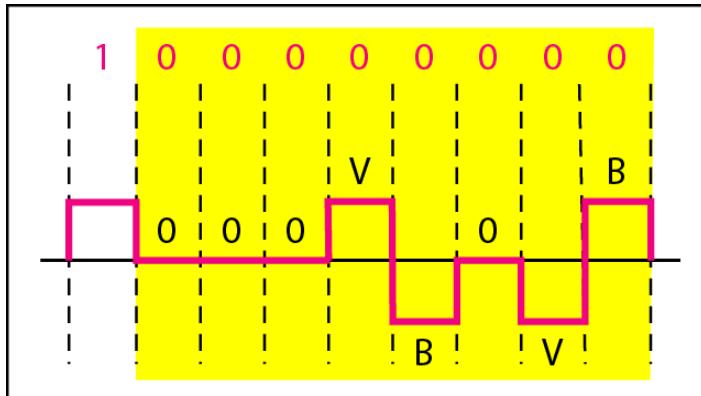
**Figure: *AMI used with scrambling***



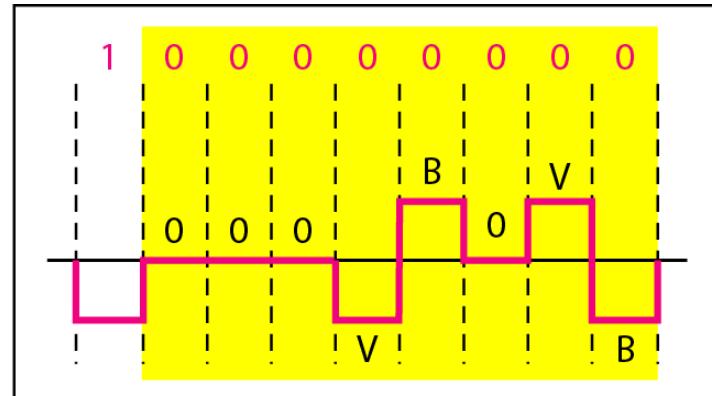
# Cont.

## Bipolar with 8 zero substitution (B8ZS):

- Commonly used in North America
- **8 consecutive zero-level** voltages are replaced by the sequence **000VB0VB**
  - The **V** stands for violation, it violates the line encoding rule
    - This is a nonzero voltage that breaks an AMI rule of encoding (opposite polarity from the previous).
  - The **B** stands for bipolar, a nonzero level voltage that implements the bipolar line encoding rule



a. Previous level is positive.



b. Previous level is negative.

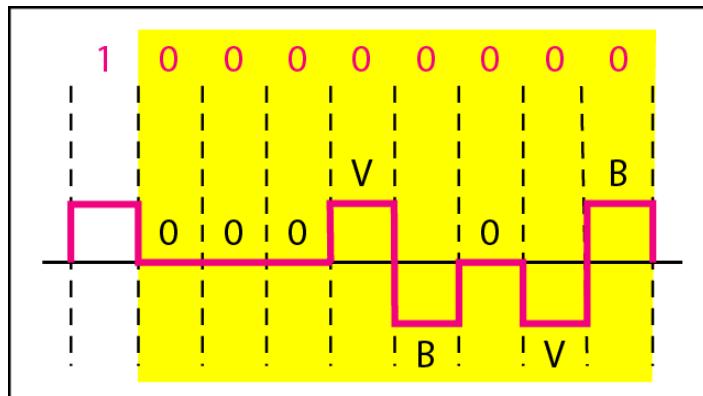
Figure: Two cases of B8ZS scrambling technique



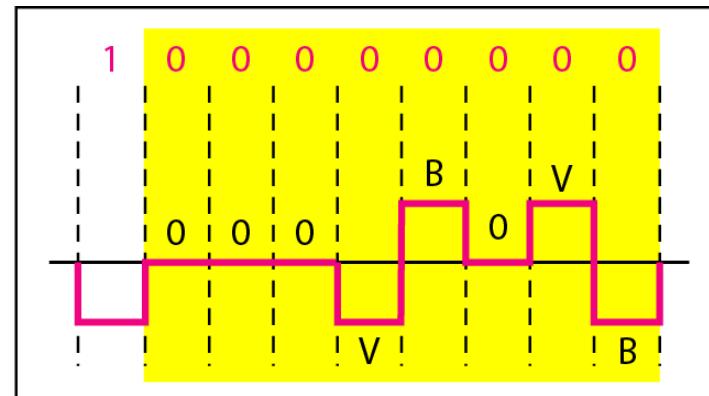
# Cont.

## Bipolar with 8 zero substitution (B8ZS):

- The scrambling in this case does not change the bit rate.
- The DC balance is maintained.
- The substitution may change the polarity of a 1 because, after the substitution, AMI needs to follow its rules.
- The letter V (violation) or B (bipolar) here is relative.
  - The V means the same polarity as the polarity of the previous nonzero pulse;
  - B means the polarity opposite to the polarity of the previous nonzero pulse.

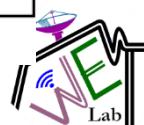


a. Previous level is positive.



b. Previous level is negative.

Figure: Two cases of B8ZS scrambling technique



# Cont.

## ■ High-density bipolar 3-zero (HDB3)

- Commonly used outside of North America.

HDB3 substitutes four consecutive zeros with OOOV or BOOV depending on the number of nonzero pulses after the last substitution.

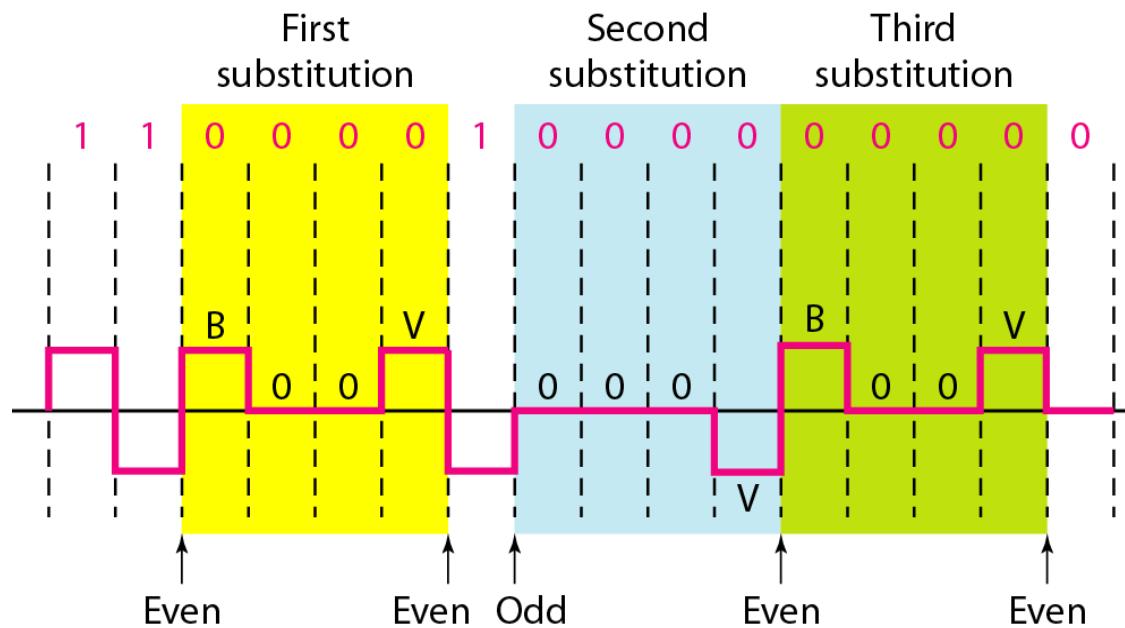


Figure: Different situations in HDB3 scrambling technique



# Cont.

## ■ High-density bipolar 3-zero (HDB3)

- The two rules can be stated as follows:

- If the number of nonzero pulses after the last substitution is odd, the substitution pattern will be OOOV, which makes the total number of nonzero pulses even.
- If the number of nonzero pulses after the last substitution is even, the substitution pattern will be BOOV, which makes the total number of nonzero pulses even.

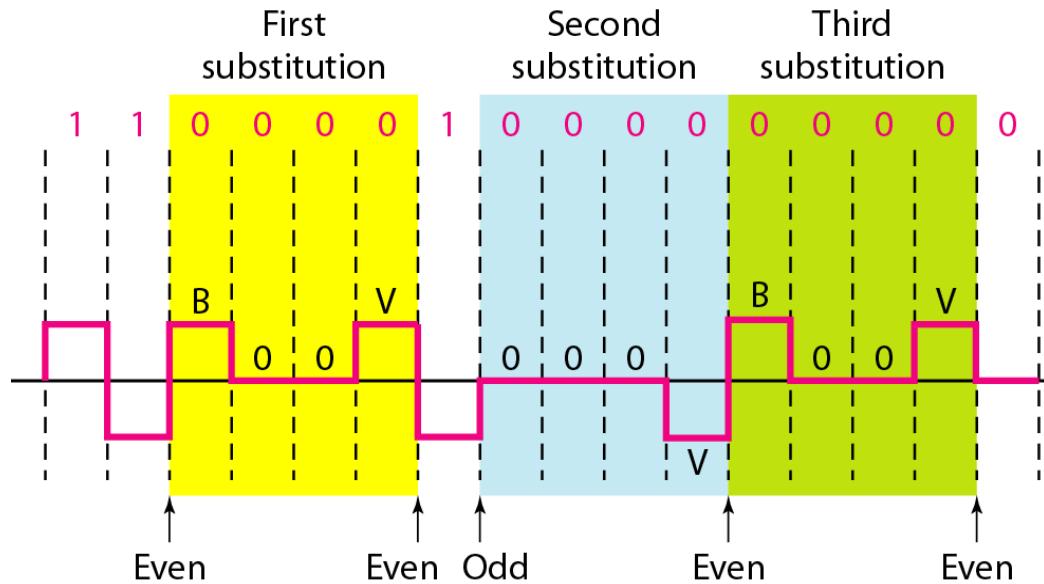


Figure: Different situations in HDB3 scrambling technique



# Reference Books

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- Data Communications and Networking:  
Behrouz A. Forouzan

