

```
In [120.]: import warnings
import itertools
import numpy as np
import matplotlib.pyplot as plt
warnings.filterwarnings('ignore')
plt.style.use('fivethirtyeight')
import pandas as pd
import statsmodels.api as sm
import matplotlib
matplotlib.rcParams['axes.labelsize'] = 14
matplotlib.rcParams['xtick.labelsize'] = 12
matplotlib.rcParams['ytick.labelsize'] = 12
matplotlib.rcParams['text.color'] = 'k'
```

The dataset contains various categories, so let's begin with time series analysis and sales forecasting for the furniture category

```
In [122.]: df = pd.read_excel("Superstore.xls")
furniture = df.loc[df['Category'] == 'Furniture']
furniture['Order Date'] = furniture['Order Date'].max()

Out[122.]: (Timestamp('2014-01-06 00:00:00'), Timestamp('2017-12-30 00:00:00'))
```

Data preprocessing involves tasks such as removing unnecessary columns, handling missing values, and preparing the dataset for analysis.

```
In [124.]: cols = ['Row ID', 'Order ID', 'Ship Date', 'Ship Mode',
'Customer ID', 'Customer Name',
'Segment', 'Country', 'City', 'State',
'Postal Code', 'Region', 'Product ID',
'Category', 'Sub-Category', 'Product Name',
'Quantity', 'Discount', 'Profit']
furniture.drop(cols, axis=1, inplace=True)
furniture = furniture.sort_values('Order Date')
furniture.isnull().sum()

Out[124.]: Order Date      0
Sales          0
dtype: int64

In [125.]: furniture = furniture.groupby('Order Date')['Sales'].sum().reset_index()
```

Index time series data

```
In [126.]: furniture = furniture.set_index('Order Date')
furniture.index

Out[126.]: DatetimeIndex(['2014-01-06', '2014-01-07', '2014-01-10', '2014-01-11',
'2014-01-13', '2014-01-14', '2014-01-16', '2014-01-19',
'2014-01-20', '2014-01-21',
...,
'2017-12-18', '2017-12-19', '2017-12-21', '2017-12-22',
'2017-12-23', '2017-12-24', '2017-12-25', '2017-12-28',
'2017-12-29', '2017-12-30'],
dtype='datetime64[ns]', name='Order Date', length=889, freq=None)
```

The current DateTime format in the dataset is somewhat complex, so I will simplify it by using the average daily sales price for each month. I will use the start of each month as the timestamp.

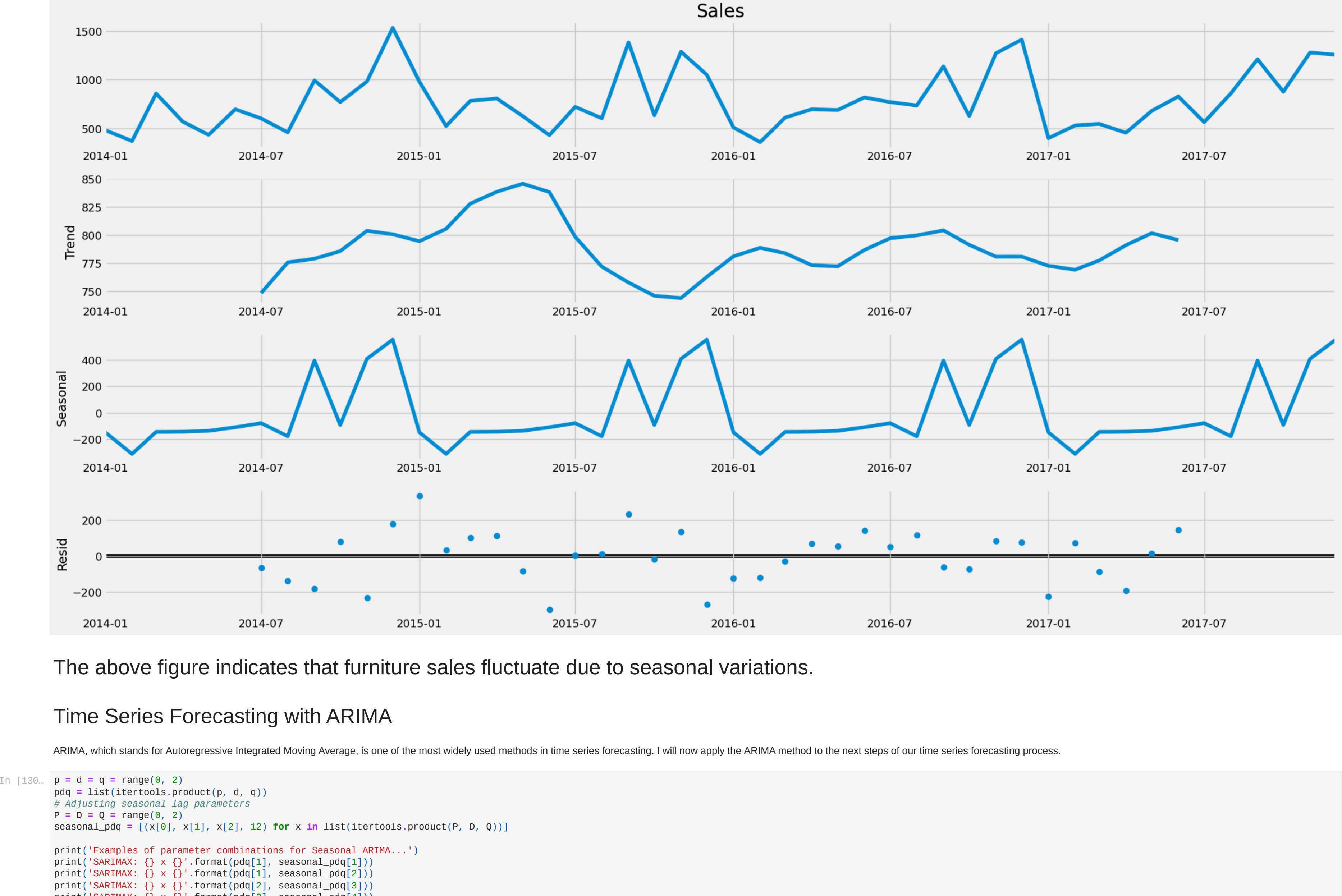
```
In [127.]: y = furniture['Sales'].resample('MS').mean()
```

Visualize the furiture data



Some patterns can be drawn from the above figure, the time series is patterned seasonally like sales are low at the beginning of every year, and sales increases at the end of the year.

Now let's visualize this data using the time series decomposition method which will allow our time series to decompose into three components:



The above figure indicates that furniture sales fluctuate due to seasonal variations.

Time Series Forecasting with ARIMA

ARIMA, which stands for Autoregressive Integrated Moving Average, is one of the most widely used methods in time series forecasting. I will now apply the ARIMA method to the next steps of our time series forecasting process.

```
In [130.]: p = d = q = range(0, 2)
pdq = list(itertools.product(p, d, q))
# adjusting seasonal lag parameters
P = D = Q = range(0, 2)
seasonal_pdq = [(x[0], x[1], x[2], 12) for x in list(itertools.product(P, D, Q))]

print('Examples of parameter combinations for Seasonal ARIMA...')
print('SARIMAX: (1 x 1)' + format(pdq[1], seasonal_pdq[1]))
print('SARIMAX: (1 x 1)' + format(pdq[1], seasonal_pdq[2]))
print('SARIMAX: (1 x 1)' + format(pdq[2], seasonal_pdq[3]))
print('SARIMAX: (1 x 1)' + format(pdq[2], seasonal_pdq[4]))

Examples of parameter combinations for Seasonal ARIMA...
SARIMAX: (0, 0, 1) x (0, 0, 1, 12)
SARIMAX: (0, 0, 1) x (0, 1, 0, 12)
SARIMAX: (0, 1, 0) x (0, 1, 1, 12)
SARIMAX: (0, 1, 0) x (1, 0, 0, 12)

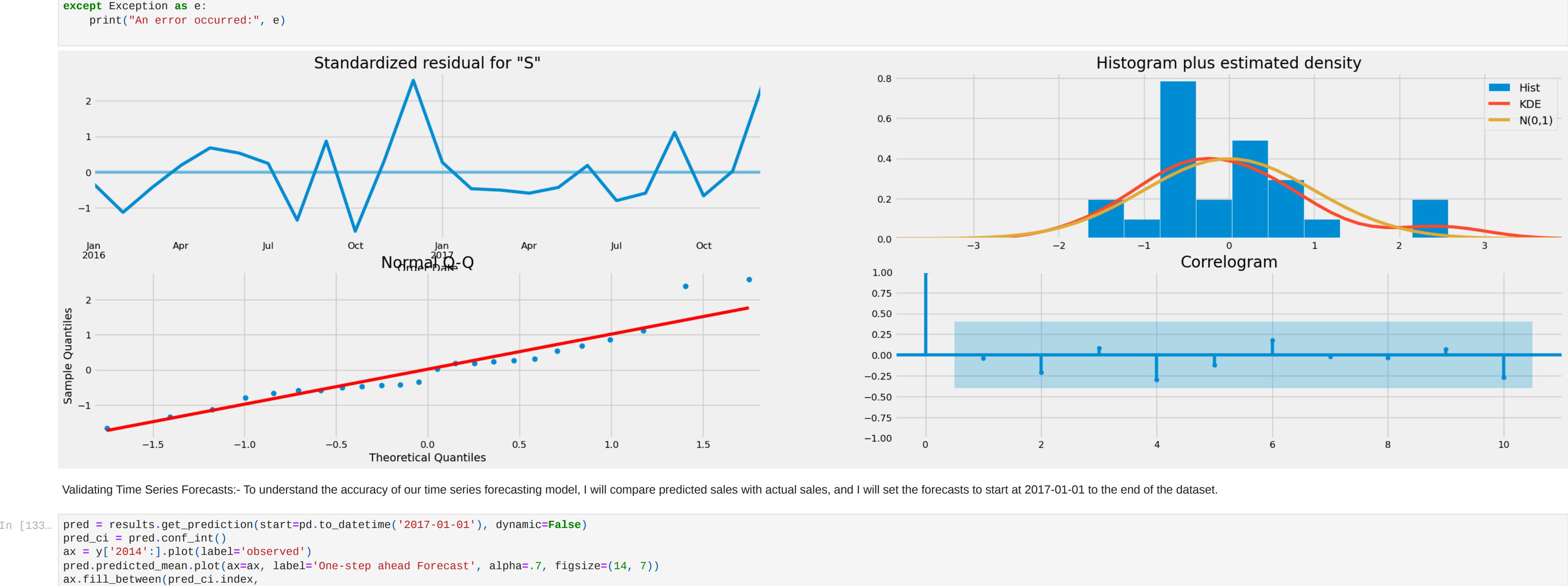
This step is the process of selection of parameters in our Time Series Forecasting model for furniture sales.

In [131.]: for param in pdq:
for param_seasonal in seasonal_pdq:
try:
mod = sm.tsa.statespace.SARIMAX(y,
order=param,
seasonal_order=param_seasonal,
enforce_stationarity=False,
enforce_invertibility=False)
results = mod.fit()
print('ARIMA[%x][%12 - AIC: %]' % (param, param_seasonal, results.aic))
except
continue

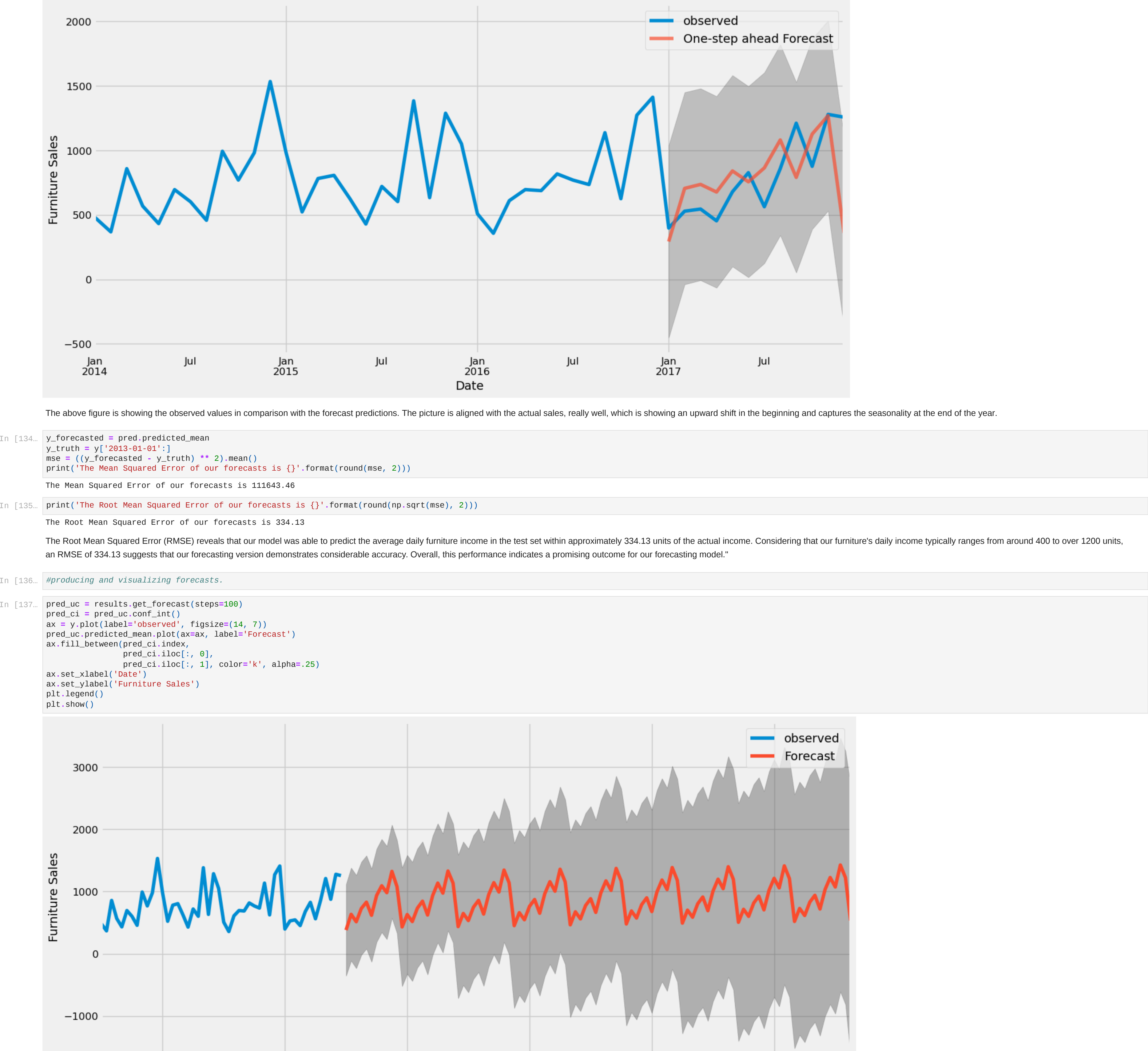
ARIMA(0, 0, 0)x(0, 0, 0, 12)12 - AIC: 769.0817523265915
ARIMA(0, 0, 0)x(0, 0, 1, 12)12 - AIC: 1359.263166543165
ARIMA(0, 0, 0)x(0, 1, 0, 12)12 - AIC: 477.170139518552
ARIMA(0, 0, 0)x(0, 1, 1, 12)12 - AIC: 382.2702899793877
ARIMA(0, 0, 0)x(1, 0, 0, 12)12 - AIC: 497.2214434183438
ARIMA(0, 0, 0)x(1, 0, 1, 12)12 - AIC: 1162.400290384089
ARIMA(0, 0, 0)x(1, 1, 0, 12)12 - AIC: 318.0647199116341
ARIMA(0, 0, 0)x(1, 1, 1, 12)12 - AIC: 384.2480268502517
ARIMA(0, 1, 0)x(0, 0, 0, 12)12 - AIC: 729.9252277958108
ARIMA(0, 0, 1)x(0, 0, 1, 12)12 - AIC: 2686.29925488825
ARIMA(0, 0, 1)x(0, 1, 0, 12)12 - AIC: 468.5607429893153
ARIMA(0, 0, 1)x(0, 1, 1, 12)12 - AIC: 291.62613896732967
ARIMA(0, 0, 1)x(1, 0, 0, 12)12 - AIC: 499.5754723153666
ARIMA(0, 0, 1)x(1, 0, 1, 12)12 - AIC: 2378.4977360756584
ARIMA(0, 0, 1)x(1, 1, 0, 12)12 - AIC: 319.9884769468674
ARIMA(0, 0, 1)x(1, 1, 1, 12)12 - AIC: 291.872597624673
ARIMA(0, 1, 0)x(0, 0, 0, 12)12 - AIC: 677.6947686414694
ARIMA(0, 1, 0)x(0, 0, 1, 12)12 - AIC: 1449.763389387328
ARIMA(0, 1, 0)x(0, 1, 0, 12)12 - AIC: 486.62785872392664
ARIMA(0, 1, 0)x(0, 1, 1, 12)12 - AIC: 384.0671228167598
ARIMA(0, 1, 0)x(1, 0, 0, 12)12 - AIC: 497.789663904408
ARIMA(0, 1, 0)x(1, 0, 1, 12)12 - AIC: 1476.439268874488
ARIMA(0, 1, 0)x(1, 1, 0, 12)12 - AIC: 319.7714668199212
ARIMA(0, 1, 0)x(1, 1, 1, 12)12 - AIC: 396.913209151378
ARIMA(0, 1, 1)x(0, 0, 0, 12)12 - AIC: 649.9056176517015
ARIMA(0, 1, 1)x(0, 0, 1, 12)12 - AIC: 2558.0636768431705
ARIMA(0, 1, 1)x(0, 1, 0, 12)12 - AIC: 458.0705484820773
ARIMA(0, 1, 1)x(0, 1, 1, 12)12 - AIC: 279.590023326966
ARIMA(0, 1, 1)x(1, 0, 0, 12)12 - AIC: 486.2832977426417
ARIMA(0, 1, 1)x(1, 0, 1, 12)12 - AIC: 1642.362703291146
ARIMA(0, 1, 1)x(1, 1, 0, 12)12 - AIC: 318.7574388417354
ARIMA(0, 1, 1)x(1, 1, 1, 12)12 - AIC: 281.5576621481239
ARIMA(1, 0, 0)x(0, 0, 0, 12)12 - AIC: 692.164522487713
ARIMA(1, 0, 0)x(0, 1, 0, 12)12 - AIC: 1481.052407514739
ARIMA(1, 0, 0)x(0, 1, 1, 12)12 - AIC: 479.4632147852136
ARIMA(1, 0, 0)x(1, 0, 0, 12)12 - AIC: 384.20776751689543
ARIMA(1, 0, 0)x(1, 0, 1, 12)12 - AIC: 489.92593679352126
ARIMA(1, 0, 0)x(1, 1, 0, 12)12 - AIC: 1169.8037992516468
ARIMA(1, 0, 0)x(1, 1, 1, 12)12 - AIC: 384.46467459345696
ARIMA(1, 0, 0)x(1, 1, 1, 12)12 - AIC: 394.58426921438667
ARIMA(1, 0, 1)x(0, 0, 0, 12)12 - AIC: 665.7784442186178
ARIMA(1, 0, 1)x(0, 0, 1, 12)12 - AIC: 2924.9803995771363
ARIMA(1, 0, 1)x(0, 1, 0, 12)12 - AIC: 488.3685198141744
ARIMA(1, 0, 1)x(0, 1, 1, 12)12 - AIC: 293.34221939595994
ARIMA(1, 0, 1)x(1, 0, 0, 12)12 - AIC: 482.6763238771035
ARIMA(1, 0, 1)x(1, 0, 1, 12)12 - AIC: 2277.636785953074
ARIMA(1, 0, 1)x(1, 1, 0, 12)12 - AIC: 386.0156892128996
ARIMA(1, 0, 1)x(1, 1, 1, 12)12 - AIC: 293.7533188124458
ARIMA(1, 1, 0)x(0, 0, 0, 12)12 - AIC: 671.253547541903
ARIMA(1, 1, 0)x(0, 0, 1, 12)12 - AIC: 1395.436999523217
ARIMA(1, 1, 0)x(0, 1, 0, 12)12 - AIC: 479.2093422281134
ARIMA(1, 1, 0)x(0, 1, 1, 12)12 - AIC: 396.2139611619096
ARIMA(1, 1, 0)x(1, 0, 0, 12)12 - AIC: 475.3403658784545
ARIMA(1, 1, 0)x(1, 0, 1, 12)12 - AIC: 1428.4381346317903
ARIMA(1, 1, 0)x(1, 1, 0, 12)12 - AIC: 396.627980134543
ARIMA(1, 1, 0)x(1, 1, 1, 12)12 - AIC: 382.3264902507078
ARIMA(1, 1, 1)x(0, 0, 0, 12)12 - AIC: 649.0318019835391
ARIMA(1, 1, 1)x(0, 0, 1, 12)12 - AIC: 2526.6123544839425
ARIMA(1, 1, 1)x(0, 1, 0, 12)12 - AIC: 468.4762687510174
ARIMA(1, 1, 1)x(0, 1, 1, 12)12 - AIC: 281.2873060939412
ARIMA(1, 1, 1)x(1, 0, 0, 12)12 - AIC: 469.92503546807585
ARIMA(1, 1, 1)x(1, 0, 1, 12)12 - AIC: 2575.319398420569
ARIMA(1, 1, 1)x(1, 1, 0, 12)12 - AIC: 297.78754396426614
ARIMA(1, 1, 1)x(1, 1, 1, 12)12 - AIC: 283.3661617119429
```

Fitting Arima model

Also run Model diagnosis; running a model diagnosis is essential in Time Series Forecasting to investigate any unusual behavior in the model.



Validating Time Series Forecasts- To understand the accuracy of our time series forecasting model, I will compare predicted sales with actual sales, and I will set the forecasts to start at 2017-01-01 to the end of the dataset.



The above figure is showing the observed values in comparison with the forecast predictions. The picture is aligned with the actual sales, really well, which is showing an upward shift in the beginning and captures the seasonality at the end of the year.

```
In [134.]: y_forecasted = pred.predicted_mean
y_truth = y['2013-01-01:']
mse = (y_forecasted - y_truth)** 2).mean()
print('The Mean Squared Error of our forecasts is {}'.format(round(mse, 2)))

The Mean Squared Error of our forecasts is 111643.46

In [135.]: print('The Root Mean Squared Error of our forecasts is {}'.format(round(np.sqrt(mse), 2)))

The Root Mean Squared Error of our forecasts is 334.13

The Root Mean Squared Error (RMSE) reveals that our model was able to predict the average daily furniture income in the test set within approximately 334.13 units of the actual income. Considering that our furniture's daily income typically ranges from around 400 to over 1200 units, an RMSE of 334.13 suggests that our forecasting version demonstrates considerable accuracy. Overall, this performance indicates a promising outcome for our forecasting model."
```

```
In [136.]: #producing and visualizing forecasts.

In [137.]: pred_uc = results.get_forecast(steps=100)
pred_ci = pred_uc.conf_int()
ax = y.plot(labels='observed', figsize=(14, 7))
pred_uc.predicted_mean.plot(ax=ax, labels='Forecast')
ax.fill_between(pred_ci.index,
pred_ci.iloc[:, 0],
pred_ci.iloc[:, 1], color='k', alpha=.25)
ax.set_xlabel('date')
ax.set_ylabel('Furniture Sales')
plt.legend()
plt.show()
```

