	Name:	
Homework #2: Incircles and Excircles	College	Geometry

In this activity you will carry out some basic constructions using GeoGebra. If you have never used GeoGebra before, don't worry; for what we need it to do, it is fairly straightforward. If you get stuck, ask for help!

Each of the following problems should be constructed on a separate file, and these files should be given descriptive titles **including your name and the activity number**. When you are finished, email the files to me. So I should get four files from you, with names like "Nathan Bloomfield - A1 - construct equilateral triangle.ggb".

Finally, **your constructions must be robust**. Every geometric construction starts with one or more *free elements*; these are points and lines given in the hypotheses of the construction proof. You should be able to **move the free elements around** without destroying your construction.

- 1. Construct the bisector of an angle. Start by placing three free points a, b, and o and draw rays  $\overrightarrow{oa}$  and  $\overrightarrow{ob}$ . Following the proof we gave in class, construct the bisector of angle  $\angle aob$ .
  - Make your construction into a GeoGebra tool.
- 2. Construct the foot of a point on a line. Start by placing three free points a, b, and p, and draw the line  $\overrightarrow{ab}$ . Following the proof we gave in class, construct the foot of p on  $\overrightarrow{ab}$ .
  - Make your construction into a GeoGebra tool.
- 3. Construct the incircle of a triangle. Start by placing three free points a, b, and c, and draw the sides of triangle  $\triangle abc$ . Following the proof we gave in class, construct (1) the incenter o of  $\triangle abc$ , (2) the feet of o on the sides of  $\triangle abc$ , and (3) the incircle of  $\triangle abc$ .
  - Make your construction into a GeoGebra tool.
- 4. Construct the excircles of a triangle. Start by placing three free points a, b, and c, and draw the extended sides of triangle  $\triangle abc$  that is, the lines  $\overrightarrow{ab}$ ,  $\overrightarrow{bc}$ , and  $\overrightarrow{ac}$ . Following the proof we gave in class, construct (1) the excenter o of  $\triangle abc$  at a, (2) the feet of o on the extended sides of  $\triangle abc$ , and (3) the excircle of  $\triangle abc$  at a. Make your construction into a GeoGebra tool. Use this tool to construct the excircles of  $\triangle abc$  at b and c.