

Attention is All you Need

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Vaswani, Ashish, et al. "Attention is all you need." Advances in neural information processing syst ems 30 (2017). Citations: 31,758 (2022. 5)

Jurafsky, Dan, et al. "Speech and Language Processing", 3rd, (2021)

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Introduction

Timeline



Contribution

- Previous works: RNN or CNN encoder-decoder + attention mechanism
- Proposal : Based *solely on attention mechanism*

Recurrent Models

Sequential nature precludes parrellelization

Becomes critical at longer sequence lengths,
 as memory constraints limit batching across examples

Attention Mechanisms

- Become an integral part of sequence modeling
- Allow modeling of dependencies without regard to their distance in the input or output sequences
- Most of attention models: Based on RNN

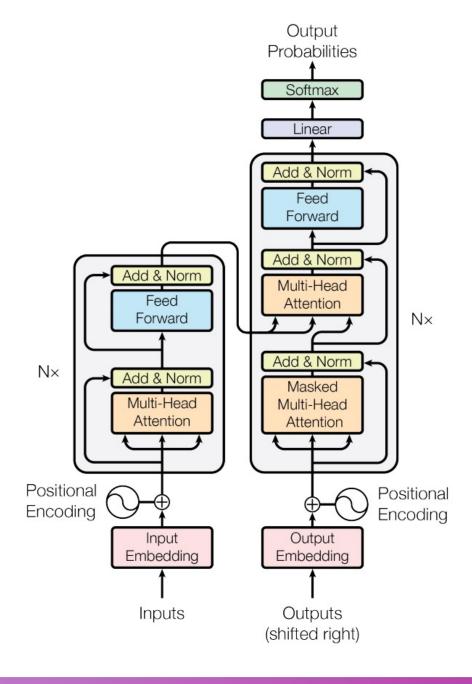
Transformer

- A model architecture *relying entirely on attention mechanism*
- Allows parallelization
- Faster training time

Self-Attention Networks: Transformers

Transformers

- Model Architecture :
 N transformer blocks
 - Simple Linear Layers
 - Self-Attention Layers
 - (Position-Wise) Feed Forward Networks
- Input : (x_1, \dots, x_n)
- Output : (y_1, \dots, y_n)

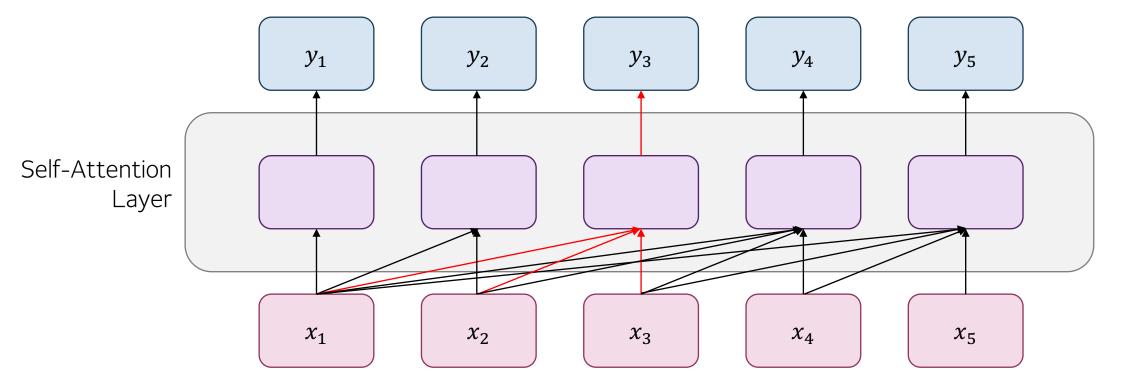


Self-Attention

- Allows a network to directly extract and use information from arbitrarily large contexts
- Dose not need to pass the information through recurrent networks

Self-Attention

• When processing each item in the input, the model has access to preceding inputs and itself (no access beyond current one).



Attention Revisited

- Attention-based approach
 - Compare an item of interest to a collection of other items
 - Reveals their relevance in the current context
- Self-Attention
 - the set of comparisons are to other elements within a given sequence

Attention Revisited

- Attention Score
 - $score(x_i, x_j) = x_i \cdot x_j \rightarrow Dot Product$
 - With normalize, $\alpha_{ij} = \operatorname{softmax}(\operatorname{score}(x_i, x_j)), \forall j \leq i$
- Output y_i
 - $y_i = \sum_{j \le i} \alpha_{ij} x_j$

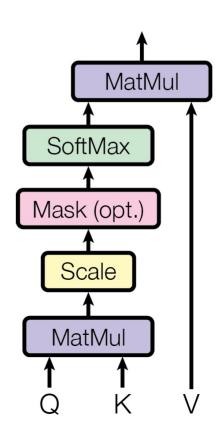
Query, Key, Value

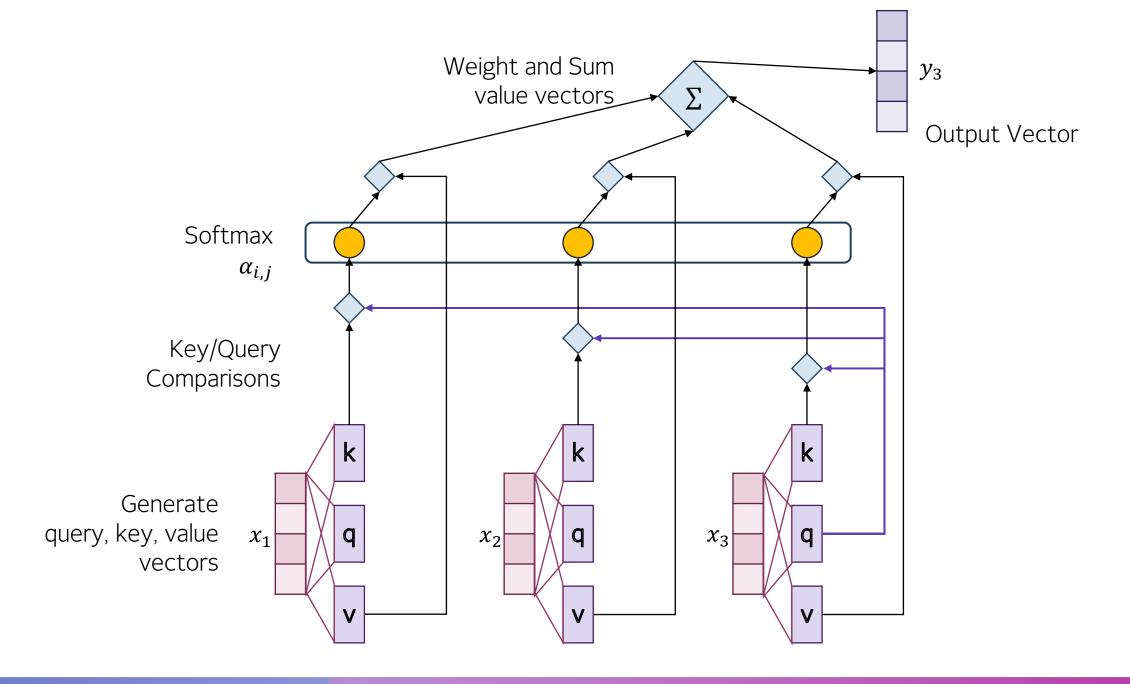
- Three different input embeddings
- Query $q_i = W^Q x_i$
 - Current focus of attention
- Key $k_i = W^K x_i$
 - Preceding input
- Value $v_i = W^V x_i$
 - ullet Used to compute the output for the query q

Query, Key, Value

- Attention Score → *Dot Product (Self) Attention*
 - $score(x_i, x_j) = q_i \cdot k_j$
- Modified Attention Score →
 Scaled Dot Product (Self) Attention
 - $\operatorname{score}(x_i, x_j) = \frac{q_i \cdot k_j}{\sqrt{d_k}}$
- Output y_i
 - $y_i = \sum_{j \le i} \alpha_{ij} v_j$

Scaled Dot-Product Attention

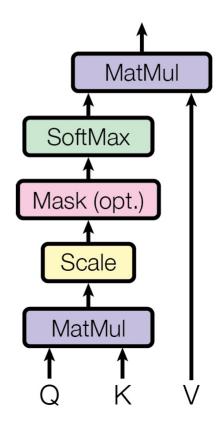




From Vectors To Matrices

- Each processes are independent;
 can be parallelized
- $Q = XW^{Q}$; $K = XW^{K}$; $V = XW^{V}$
- SelfAttention(Q, K, V) = softmax $\left(\frac{QK^T}{\sqrt{d_k}}\right)V$

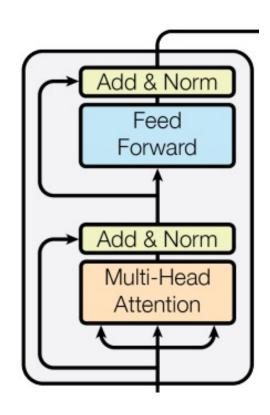
Scaled Dot-Product Attention



Transformer Blocks

Residual Connections

- Connections that pass information from a lower to a higher layer
- Allows information to skip a layer improves learning
- Gives higher level layers direct access to information from lower layers

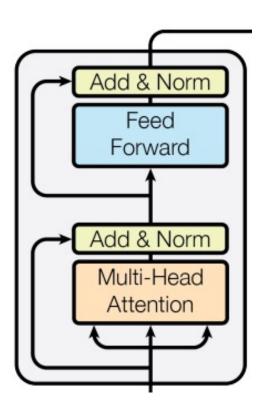


Layer Normalization

 Facilitates gradient-based training by keeping the values of hidden layer in a range

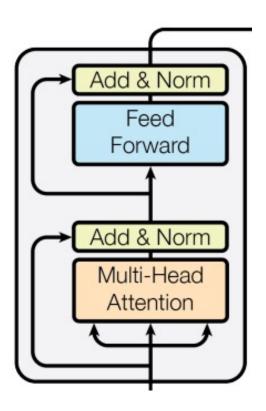
•
$$\hat{x} = \frac{(x-\mu)}{\sigma}$$

- two learnable parameters : γ , β
- LayerNorm = $\gamma \hat{x} + \beta$



Transformer Block

- z = LayerNorm(x + SelfAttn(x))
- y = LayerNorm(z + FFNN(z))



Multi-Head Attention

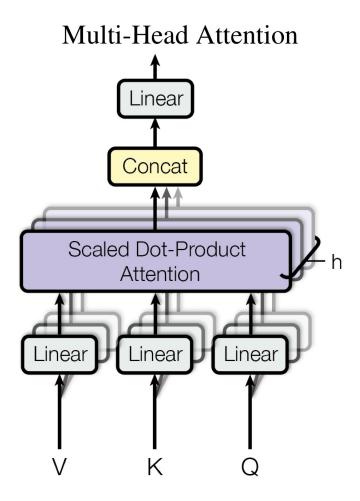
Multi-Head Attention

- Difficult for a single transformer block to learn to capture all the different kinds of parallel relations among its inputs
- Now we have multi head(self-attention) layers
- Each head can learn *different aspects of the relationships*

Multi-Head Attention

• Own set of Q, K, V matrices: W_i^Q , W_i^K , W_i^V

- MultiHeadAttn(X) = (head₁ \oplus head₂ \cdots \oplus head_h) W^O
- $Q = XW_i^Q$; $K = XW_i^K$; $V = XW_i^V$
- head_i = SelfAttn(Q, K, V)



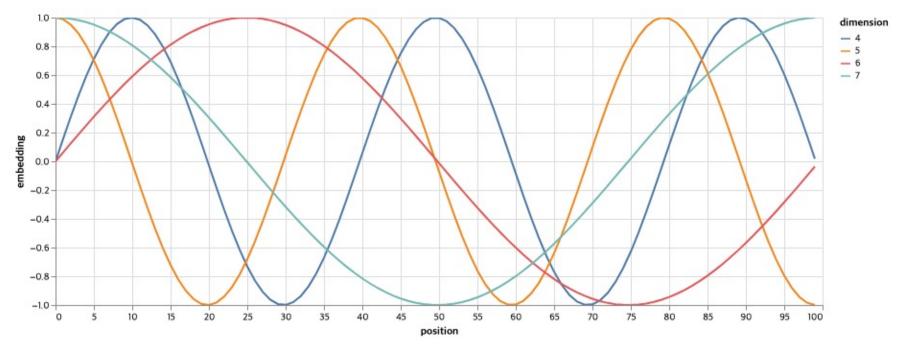
Positional Encoding

Positional Encoding

- Motivation : Transformer model doesn't have any notion of relative, or absolute, positions of the input
- Solution : modify the input embeddings by combining them with positional embeddings

Positional Encoding

- $PE(pos, 2i) = \sin(pos/10000^{2i/d_{model}})$
- $PE(pos, 2i + 1) = \cos(pos/10000^{2i/d_{model}})$



http://nlp.seas.harvard.edu/annotated-transformer/#position-wise-feed-forward-networks

Q&A

