

# Step 2 - Output

Anonymous  
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```
load(file = "data/cis.Rdata")
```

Figure 1. Theoretical Model

Created in PowerPoint, load here.

```
knitr::include_graphics("results/Fig1.png")
```

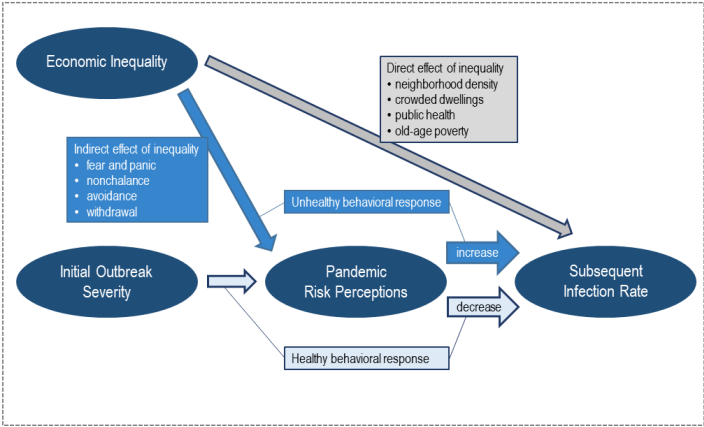


Figure 2

As testing rates vary dramatically by country, we measure the number of deaths with an 18-day lead as a better indicator of the severity of the outbreak by country. Those who died were inevitably sick or showing symptoms 18 days prior.

```
# this means the series ends at 06-01

deaths_long <- subset(deaths_long, date < as.Date("2020-06-02"))

# keep two extra days for plotting empty space

deaths_long$dead_lead <- ifelse(deaths_long$date > as.Date("2020-05-31"), NA, deaths_long$dead_lead)

# Using countries
deaths_longC <- subset(deaths_long, cow %in% use_countriesa)

# add Country name
deaths_longC$Country <- countrycode(deaths_longC$cow, "cown", "iso3c")
deaths_longC$Country <- ifelse(deaths_longC$cow == 347, "KOS", deaths_longC$Country)

# Log deaths
deaths_longC$dead_lead_log <- ifelse(deaths_longC$dead_lead > 3, log(deaths_longC$dead_lead), 1)

# squared log deaths to accentuate differences
deaths_longC$dead_lead_log <- deaths_longC$dead_lead_log*deaths_longC$dead_lead_log

# create a label map so they do not overlap
deaths_longCL <- subset(deaths_longC, date == as.Date("2020-05-31"))
deaths_longCL <- deaths_longCL %>%
  mutate(date = ifelse(Country == "DEU" | Country == "RUS" | Country == "TUR" | Country == "ECU" | Country == "COL" | Country == "ZAF" | Country == "PRT" | Country == "BGD" | Country == "CHE" | Country == "UKR" | Country == "JPN" | Country == "DNK" | Country == "AFG" | Country == "CZE" | Country == "ISR" | Country == "KOR" | Country == "MAR" | Country == "GRC" | Country == "LUX" | Country == "HRV" | Country == "LTU" | Country == "ALB" | Country == "KGZ" | Country == "SVK" | Country == "NZL" | Country == "GEO" | Country == "ISL" | Country == "VNM" | Country == "TWN", "2020-06-06", "2020-06-01"),
  dead_lead_log = ifelse(Country == "CHE", 59.1, dead_lead_log),
  dead_lead_log = ifelse(Country == "DNK", 41.8, dead_lead_log),
  dead_lead_log = ifelse(Country == "UKR", 48.8, dead_lead_log),
  dead_lead_log = ifelse(Country == "CZE", 34.5, dead_lead_log),
  dead_lead_log = ifelse(Country == "KOR", 30.6, dead_lead_log),
  dead_lead_log = ifelse(Country == "MYS", 24.2, dead_lead_log),
  dead_lead_log = ifelse(Country == "AUS", 21.8, dead_lead_log),
  dead_lead_log = ifelse(Country == "LUX", 23.8, dead_lead_log),
  dead_lead_log = ifelse(Country == "FIN", 34.5, dead_lead_log),
  dead_lead_log = ifelse(Country == "KOS", 14, dead_lead_log),
  dead_lead_log = ifelse(Country == "ALB", 14.5, dead_lead_log),
  dead_lead_log = ifelse(Country == "LVA", 12.5, dead_lead_log),
  dead_lead_log = ifelse(Country == "GRC", 26.8, dead_lead_log),
  dead_lead_log = ifelse(Country == "KGZ", 12.5, dead_lead_log),
  dead_lead_log = ifelse(Country == "NZL", 9, dead_lead_log),
  dead_lead_log = ifelse(Country == "SVK", 10.5, dead_lead_log),
  dead_lead_log = ifelse(Country == "MEX", 99, dead_lead_log),
  dead_lead_log = ifelse(Country == "ESP", 103.8, dead_lead_log),
  dead_lead_log = ifelse(Country == "CRI", 7.35, dead_lead_log),
  dead_lead_log = ifelse(Country == "SLV", 5.78, dead_lead_log),
  dead_lead_log = ifelse(Country == "BRN", 2.6, dead_lead_log),
  dead_lead_log = ifelse(Country == "TWN", 3, dead_lead_log),
  dead_lead_log = ifelse(Country == "MLT", 4.16, dead_lead_log),
  dead_lead_log = ifelse(Country == "SWE", 73.2, dead_lead_log),
  dead_lead_log = ifelse(Country == "ZAF", 55.5, dead_lead_log),
  dead_lead_log = ifelse(Country == "ROU", 53.4, dead_lead_log),
  dead_lead_log = ifelse(Country == "ISL", 5.15, dead_lead_log),
  dead_lead_log = ifelse(Country == "CYP", 8.95, dead_lead_log),
  dead_lead_log = ifelse(Country == "SVK", 10.8, dead_lead_log))

# second go at labels
deaths_longCLa <- deaths_longCL

# Labels need adjustment
deaths_longCLa <- deaths_longCLa %>%
  mutate(dead_lead_log = ifelse(Country == "AUS", 20.2, dead_lead_log),
  dead_lead_log = ifelse(Country == "BIH", 25.3, dead_lead_log),
  dead_lead_log = ifelse(Country == "BGR", 26.9, dead_lead_log),
  dead_lead_log = ifelse(Country == "MKD", 28.6, dead_lead_log),
  dead_lead_log = ifelse(Country == "MYS", 23.6, dead_lead_log))

fig2 <- ggplot(data=deaths_longC, aes(x=date , y=dead_lead_log, group=Country, color=Country)) +
  geom_line() +
  labs(x= "", y = "Outbreak Severity (18 day lead of COVID-19 deaths)") +
  geom_segment(aes(x = as.Date("2020-03-27"), y = 1, xend = as.Date("2020-03-27"), yend = 135), linetype = "dashed", color = "black", size = 0.8) +
  geom_segment(aes(x = as.Date("2020-04-30"), y = 1, xend = as.Date("2020-04-30"), yend = 135), linetype = "dashed", color =
```

```

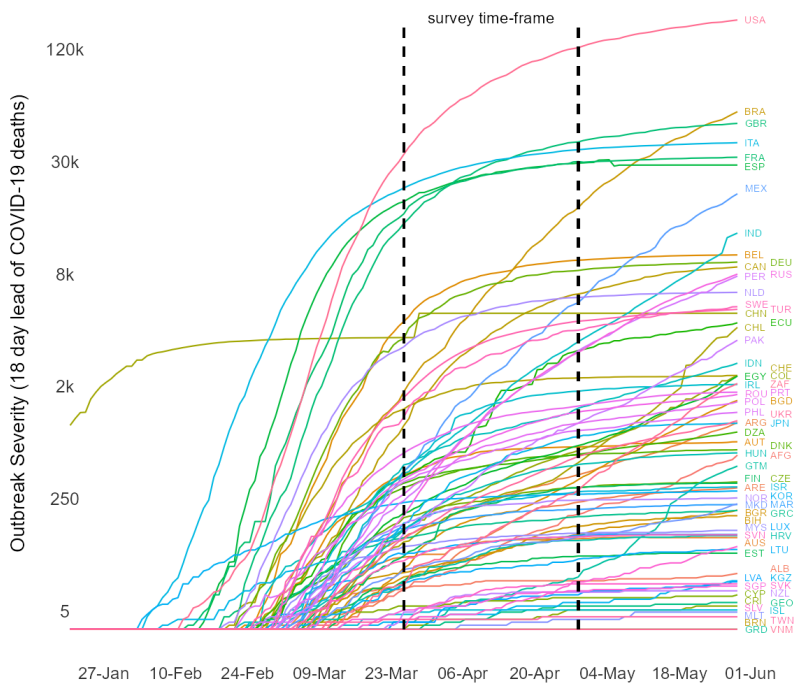
"black", size = 0.8) +
  annotate("text", x= as.Date("2020-01-21"), y= 5,
    label="5", size=4.5, color = "gray20") +
  annotate("text", x= as.Date("2020-01-21"), y= 30,
    label="250", size=4.5, color = "gray20") +
  annotate("text", x= as.Date("2020-01-21"), y= 55,
    label="2k", size=4.5, color = "gray20") +
  annotate("text", x= as.Date("2020-01-21"), y= 80,
    label="8k", size=4.5, color = "gray20") +
  annotate("text", x= as.Date("2020-01-21"), y= 105,
    label="30k", size=4.5, color = "gray20") +
  annotate("text", x= as.Date("2020-01-21"), y= 130,
    label="120k", size=4.5, color = "gray20") +
  annotate("text", x= as.Date("2020-04-13"), y=137, label="survey time-frame", size = 4, color="black") +
  scale_x_date(date_breaks = "2 weeks" , date_labels = "%d-%b") +
  geom_text(data = deaths_longCLa, aes(label = Country, colour = Country, x = as.Date(date), y = dead_lead_log, hjust = -.1
), size = 2.62) +
  theme(legend.position = "none",
    panel.background = element_blank(),
    axis.text.y = element_blank(),
    axis.ticks = element_blank(),
    axis.title.y = element_text(size=14, vjust=-0.5),
    axis.text.x = element_text(vjust=1, hjust=0.35, color = "gray20", size = 12),
    plot.margin = margin(0, 1, 0, 0, "cm"))

# Log conversion
# 30 = 250
# 55 = 2,000
# 80 = 8,000
# 105 = 28,000
# 130 = 120,000
agg_png(file = "results/Fig2.png", width = 1200, height = 1020, res = 144)
print(fig2)
dev.off()

```

```
## png
## 2
```

```
knitr::include_graphics("results/Fig2.png")
```



```
rm(deaths_longCL, deaths_longCLa)
```

## Final Data Adjustments

Set up 18-Day lead

```

infect_merge <- as.data.frame(matrix(nrow = 74, ncol = 1))
infect_merge[1:74,1] <- as.numeric(use_countriesa)
colnames(infect_merge) <- c("cow")

d1 <- subset(deaths_longC, date == "2020-05-01", select = c(cow, dead_lead))
d2 <- subset(deaths_longC, date == "2020-05-31", select = c(cow, dead_lead, dead_1st_date))

infect_merge <- left_join(infect_merge, d1, by = "cow")
infect_merge <- left_join(infect_merge, d2, by = "cow")

colnames(infect_merge) <- c("cow","dead_lead_may1","dead_lead_may31","dead_1st_date")

rm(d1,d2)

df <- left_join(finaldf_C, infect_merge, by = "cow")

# fix Argentina and Indonesia (last top1 observation was 2004)
df$top1 <- ifelse(df$cow == 160, .168, ifelse(df$cow == 850, .085, df$top1))

```

## Infection Increase (Ratio May 1-31)

```

# There was a change in reporting in Spain and the deaths dropped suddenly on May 6th, adjust for this here.

df$dead_lead_may1 <- ifelse(df$cow == 230, 27000, df$dead_lead_may1)
df <- df %>%
  mutate(rate_2 = ifelse(dead_lead_may31 == 0, 0, (dead_lead_may31 - dead_lead_may1) / (dead_lead_may1)),
    rate_2 = ifelse(rate_2 > 3, 3, rate_2) # trim outliers
  )

# deaths per capita May 1-31
df$newdthpc <- (df$dead_lead_may31 - df$dead_lead_may1)/df$pop
#make per 10,000 instead of per 1,000
df$newdthpc10 <- df$newdthpc*10
df$rate_3 <- df$newdthpc10

```

## Squared Terms

```

df <- df %>%
  mutate(gini_dispR = gini_disp/100, # make gini smaller to keep boundaries reasonable in SEM
    gini_disp2 = gini_dispR^2,
    concern_self2 = concern_self^2,
    gini_disp2C = gini_disp2 - mean(gini_disp2),
    concern_self2C = concern_self2 - mean(concern_self2))

```

# Main Models

## Statistics

### Set up first models (baseline models)

M1 Timing + severity of outbreak should predict risk perceptions. M22 Risk perceptions + risk perceptions-curve should predict deaths.

```

# adjust risk for severity of outbreak
m1 <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp, data = df)

# predicted values
df$m1p <- predict.lm(m1, df)

# residuals
df$m1r <- df$concern_self - df$m1p

m1a <- summary(m1)
m1a <- paste0("Adjusted r-square = ", round(m1a[["r.squared"]],3))

m23 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self + I(concern_self^2), data = df)

```

## Descriptives

```

cor <- select(df, concern_self, concern_self_se, days_since_peak, conf_delta, gov_resp, rate_2, rate_3, gini_disp, top1, soc
policy, gdp)

corm <- cor %>%
  mutate(concern_selfsd = sd(concern_self, na.rm = T),
    concern_self_sesd = sd(concern_self_se, na.rm = T),
    days_since_peaksd = sd(days_since_peak, na.rm = T),
    conf_deltasd = sd(conf_delta, na.rm = T),
    gov_respsd = sd(gov_resp, na.rm = T),
    rate_2sd = sd(rate_2, na.rm = T),
    rate_3sd = sd(rate_3, na.rm = T),
    gini_dispsd = sd(gini_disp, na.rm = T),
    top1sd = sd(top1, na.rm = T),
    socpolicysd = sd(socpolicy, na.rm = T),
    gdpsd = sd(gdp, na.rm = T), concern_self_min = min(concern_self, na.rm = T),
    concern_self_se_min = min(concern_self_se, na.rm = T),
    days_since_peak_min = min(days_since_peak, na.rm = T),
    conf_delta_min = min(conf_delta, na.rm = T),
    gov_resp_min = min(gov_resp, na.rm = T),
    rate_2min = min(rate_2, na.rm = T),
    rate_3min = min(rate_3, na.rm = T),
    gini_disp_min = min(gini_disp, na.rm = T),
    top1_min = min(top1, na.rm = T),
    socpolicy_min = min(socpolicy, na.rm = T),
    gdp_min = min(gdp, na.rm = T),
    concern_self_max = max(concern_self, na.rm = T),
    concern_self_se_max = max(concern_self_se, na.rm = T),
    days_since_peak_max = max(days_since_peak, na.rm = T),
    conf_delta_max = max(conf_delta, na.rm = T),
    gov_resp_max = max(gov_resp, na.rm = T),
    rate_2max = max(rate_2, na.rm = T),
    rate_3max = max(rate_3, na.rm = T),
    gini_disp_max = max(gini_disp, na.rm = T),
    top1_max = max(top1, na.rm = T),
    socpolicy_max = max(socpolicy, na.rm = T),
    gdp_max = max(gdp, na.rm = T),
    n = ifelse(!is.na(top1), 74, 57),
    concern_self = mean(concern_self, na.rm = T),
    concern_self_se = mean(concern_self_se, na.rm = T),
    days_since_peak = mean(days_since_peak, na.rm = T),
    conf_delta = mean(conf_delta, na.rm = T),
    gov_resp = mean(gov_resp, na.rm = T),
    rate_2 = mean(rate_2, na.rm = T),
    rate_3 = mean(rate_3, na.rm = T),
    gini_disp = mean(gini_disp, na.rm = T),
    top1 = mean(top1, na.rm = T),
    socpolicy = mean(socpolicy, na.rm = T),
    gdp = mean(gdp, na.rm = T))

cor2 <- round(corm[1,1:11], 2)
cor2[2,] <- round(corm[1,12:21], 2)
cor2[3,] <- round(corm[1,22:31], 2)
cor2[4,] <- round(corm[1,32:41], 2)
cor2[5,1:11] <- 74
cor2[5,9] <- 57

colnames(cor2) <- c("Risk Perception", "SE of Risk Perception by Country", "Days Since Curve Inflection", "New Cases Past We
ek", "Strength of Gov Intervention", "Increase in Infection", "Increase in Infection per capita", "Disposable Income Gini",
"Top 1% Income Concentration", "Welfare State", "GDP, per capita")

cor2 <- t(cor2)

colnames(cor2) <- c("Mean", "SD", "Min", "Max", "N")

kable_styling(kable(cor2, col.names = c("Mean", "SD", "Min", "Max", "N")))
```

	Mean	SD	Min	Max	N
Risk Perception	4.50	0.36	17.32	-0.94	74
SE of Risk Perception by Country	0.10	0.09	3.65	1.96	74
Days Since Curve Inflection	31.28	19.85	0.01	5.20	74
New Cases Past Week	0.37	0.60	0.00	0.34	74
Strength of Gov Intervention	0.00	1.00	-1.00	62.00	74
Increase in Infection	0.65	0.89	-2.20	1.00	74

	Mean	SD	Min	Max	N
Increase in Infection per capita	0.23	0.40	0.00	2.52	74
Disposable Income Gini	34.85	6.81	0.00	3.00	74
Top 1% Income Concentration	0.12	0.05	23.50	1.85	57
Welfare State	0.62	1.08	0.05	49.00	74
GDP, per capita	26.17	0.36	17.32	-0.94	74

```
tbl <- as.data.frame(c("3-item survey scale (COVIDiStress)", "Standard Error of individual level data", "\"Outbreak Severity, actual\"", "zero, or days since infection rate week-over-week started decreasing (Johns Hopkins, 18-day lead in COVID-19 death s)", "\"Outbreak Severity, perceived\"", "confirmed cases (Johns Hopkins)", "Severity of lockdown scale (Oxford/Blavatnik)", "Ratio of infection, May 31st to 1", "Same as above, divided by population", "Average of all available data (Solt)", "Top 1% share (WID)", "Labor Market Coverage (ILO) & Social Spending (OECD) averaged", "In thousands, (Maddison)"))

colnames(tbl) <- c("Measurement")
tbl1 <- cbind(tbl, cor2)

write.csv(tbl1, file = "results/Tbl1.csv")
```

## Correlations

```
f1 <- cor(cor, use = "pairwise.complete.obs")

cor1 <- kable(f1, digits = 2, col.names = c("Risk Perception", "SE of Risk Perception by Country", "Days Since Curve Inflection", "New Cases Past Week", "Strength of Gov Intervention", "Increase in Infection (ratio May 1-31)", "Increase in Infection (per capita May 1-31)", "Disposable Income Gini", "Top 1% Income Concentration", "Welfare State", "GDP, per capita (k)"))

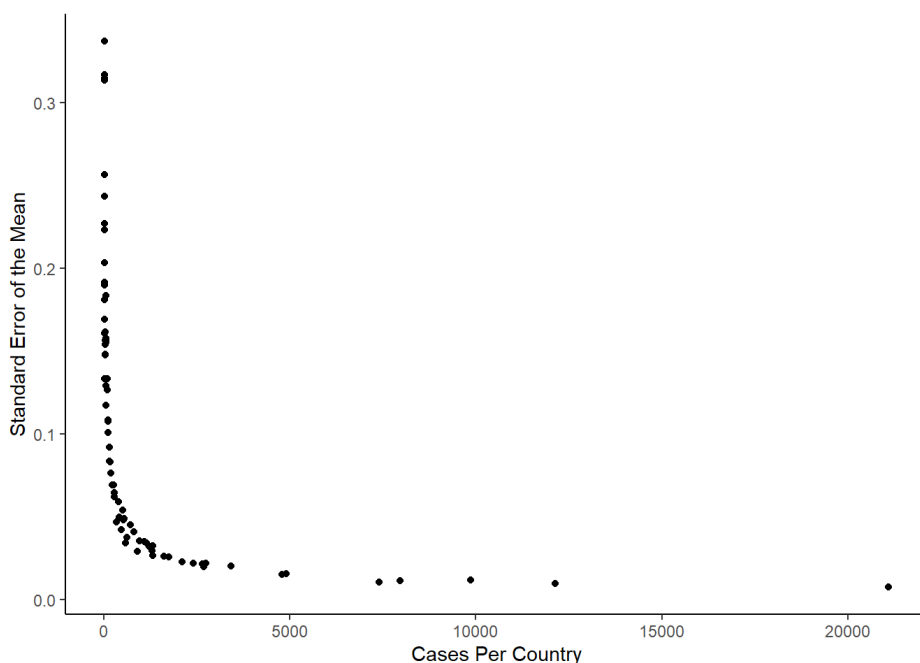
kable_styling(cor1)
```

	Risk Perception	SE of Risk Perception by Country	Days Since Curve Inflection	New Cases Past Week	Strength of Gov Intervention	Increase in Infection (ratio May 1-31)	Increase in Infection (per capita May 1-31)	Disposable Income Gini	Top 1% Income Concentration	Welfare State
concern_self	1.00	0.02	-0.38	0.41	-0.19	0.48	0.27	0.55	0.51	-0.35
concern_self_se	0.02	1.00	-0.19	0.04	0.16	0.08	-0.11	0.13	0.00	-0.30
days_since_peak	-0.38	-0.19	1.00	-0.39	0.18	-0.77	-0.27	-0.51	-0.47	0.51
conf_delta	0.41	0.04	-0.39	1.00	-0.12	0.25	0.29	0.16	0.39	-0.20
gov_resp	-0.19	0.16	0.18	-0.12	1.00	-0.30	-0.19	-0.08	-0.31	-0.04
rate_2	0.48	0.08	-0.77	0.25	-0.30	1.00	0.36	0.55	0.64	-0.46
rate_3	0.27	-0.11	-0.27	0.29	-0.19	0.36	1.00	0.23	0.41	0.07
gini_disp	0.55	0.13	-0.51	0.16	-0.08	0.55	0.23	1.00	0.67	-0.69
top1	0.51	0.00	-0.47	0.39	-0.31	0.64	0.41	0.67	1.00	-0.38
socpolicy	-0.35	-0.30	0.51	-0.20	-0.04	-0.46	0.07	-0.69	-0.38	1.00
gdp	-0.32	-0.24	0.53	-0.26	-0.09	-0.53	-0.01	-0.53	-0.18	0.61

## Additional Fig - CiS Cases per country

The COVIDiSTRESS (CiS) survey has a huge variance in cases per country

```
ggplot(df, aes(y = concern_self_se, x = cases)) +
  geom_point() +
  xlab("Cases Per Country") +
  ylab("Standard Error of the Mean") +
  theme_classic()
```



```
# ggplot(df, aes(x = reorder(iso, concern_self), y = concern_self)) +
#   geom_bar(stat = "identity") +
#   geom_errorbar(aes(ymin = ymin, ymax = ymax))
```

### Additional Figs - Residuals

This visualizes the relationship between observed and predicted values of risk perceptions and the regression results used for this prediction.

This introduces the difference between 'over' and 'under' concern with the Coronavirus on average in a population.

```
# plot fitted v observed
ggplot(df, aes(y=m1p, x=concern_self)) +
  geom_point() +
  geom_text_repel(aes(label=iso), vjust = 1.5) +
  geom_abline(slope=1) +

  xlab("Observed Risk Perceptions") +
  ylab("Predicted Risk Perceptions") +
  theme_classic()
```

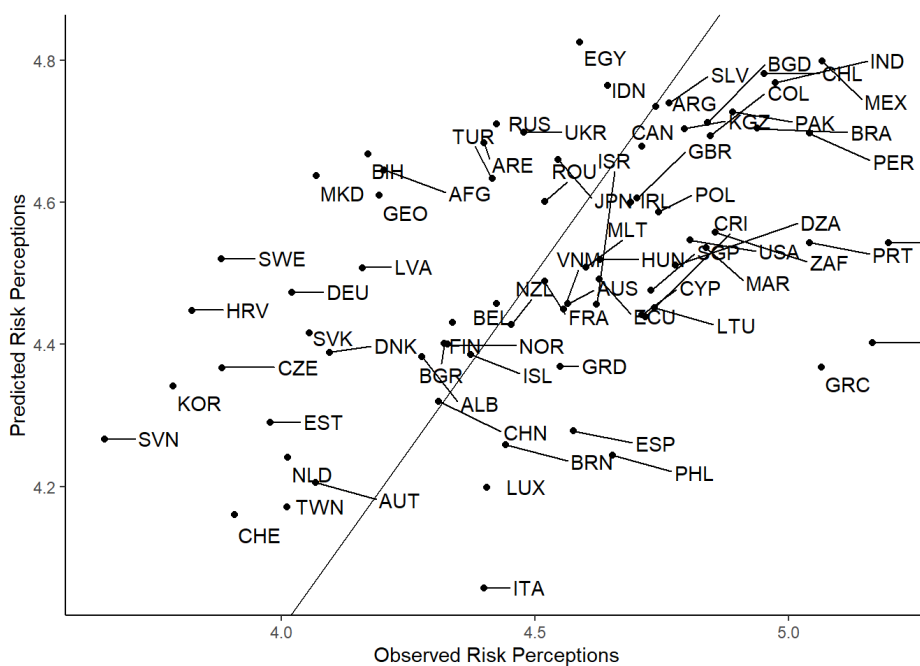
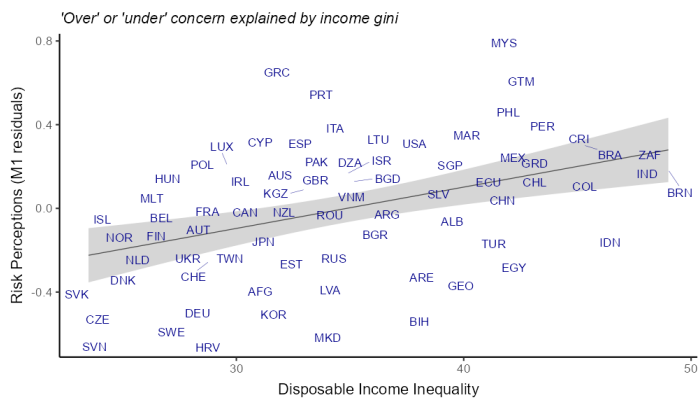


Figure 3

```
agg_png(file = "results/Fig3.png", width = 1000, height = 600, res = 144)
ggplot(df, aes(y=m1r, x=gini_disp)) +
  geom_smooth(method=lm, se=T, size = 0.3, color = "gray30") +
  geom_text_repel(aes(label=iso), size = 3, color = "blue4", segment.size = 0.1) +
  xlab("Disposable Income Inequality") +
  ylab("Risk Perceptions (M1 residuals)") +
  labs(title = "", subtitle = "'Over' or 'under' concern explained by income gini") +
  theme_classic() +
  theme(
    plot.title = element_text(),
    plot.subtitle = element_text(face = "italic"),
    plot.caption = element_text(size = 9, color = "grey30", vjust = -2.5),
    axis.title.x = element_text(vjust = -0.8),
    axis.title.y = element_text(vjust = 2),
  )
)
```

```
## `geom_smooth()` using formula 'y ~ x'
```

```
invisible(dev.off())
knitr::include_graphics("results/Fig3.png")
```



```
#
```

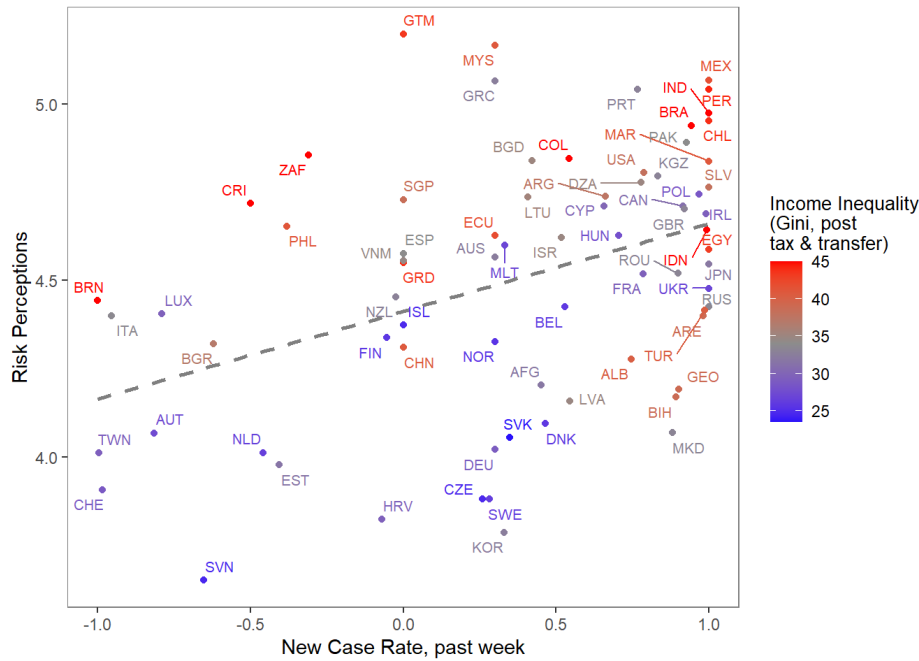
### Additional Fig - 3 Way Plot

```
mid <- 34
# trim gini to get better color display
df$gini_color <- ifelse(df$gini_disp < 45, df$gini_disp, 45)

ggplot(data=df, aes(x=conf_delta, y=concern_self, color = gini_color)) +
  geom_point() +
  geom_smooth(method=lm, se=FALSE, color = "gray50", linetype = "dashed") +
  geom_text_repel(aes(label = iso), size = 2.8) +
  scale_color_gradient2(midpoint=mid, low="blue", mid="gray55", high="red", space="Lab") +
  labs(x= "New Case Rate, past week", y = "Risk Perceptions", color = "Income Inequality\n(Gini, post\ntax & transfer)") +
  theme(panel.background = element_rect(fill = "white", colour = "grey50"),
    panel.grid.major = element_blank(),
    panel.grid.minor = element_blank(),
    legend.title = element_text(size = 10))
```

```
## `geom_smooth()` using formula 'y ~ x'
```





## Main Analyses

### Predicting Risk Perceptions

Table 1. M1 through M5

So far this works to convert html to png <https://cloudconvert.com/html-to-png> (<https://cloudconvert.com/html-to-png>), but we should play around with `htmltools` package to automate this in the code

```
#m1x <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp*gov_resp_avg, data = df)

m2 <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp + gini_disp, data = df)

# predicted values for sem
df$m2p <- predict.lm(m2, df)

# residuals
df$m2r <- df$concern_self - df$m2p

m3 <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp + socpolicy, data = df)

m4 <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp + gdp, data = df)

m5 <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp + gini_disp + socpolicy + gdp, data = df)

tab_model(m1, m2, m3, m4, m5, p.style = "stars", p.threshold = c(0.10, 0.05, 0.01), show.ci = F, rm.terms = c("(Intercept)"
), show.loglik = T, show.aic = T, dv.labels = c("M1", "M2","M3", "M4","M5"), pred.labels = c("Days Since Curve Inflection",
"New Case Rate", "Government Intervention", "Disposable Income Inequality", "Welfare State Strength", "GDP Per Capita"), fil
e = "results/Tbl1.html")
```

	M1	M2	M3	M4	M5
Predictors	Estimates	Estimates	Estimates	Estimates	Estimates
Days Since Curve Inflection	-0.00 **	0.00	-0.00	-0.00	0.00
New Case Rate	0.18 ***	0.20 ***	0.18 ***	0.18 **	0.20 ***
Government Intervention	-0.04	-0.04	-0.05	-0.05	-0.04
Disposable Income Inequality		0.03 ***			0.03 ***
Welfare State Strength			-0.08 *		0.04
GDP Per Capita				-0.00	-0.00
Observations	74	74	74	74	74
R <sup>2</sup> / R <sup>2</sup> adjusted	0.238 / 0.206	0.427 / 0.393	0.277 / 0.235	0.262 / 0.219	0.433 / 0.382
AIC	47.802	28.783	45.915	47.492	31.982
log-Likelihood	-18.901	-8.392	-16.957	-17.746	-7.991

•  $p < 0.1$     \*\*  $p < 0.05$     \*\*\*  $p < 0.01$

## Standardized Coefficients for Table 1

```
tab_model(m1, m2, m3, m4, m5, p.style = "stars", p.threshold = c(0.10, 0.05, 0.01), show.ci = F, rm.terms = c("(Intercept)"
), show.std = T, dv.labels = c("M1_Z", "M2_Z", "M3_Z", "M4_Z", "M5_Z"), pred.labels = c("Days Since Curve Inflection", "New Ca
se Rate", "Government Intervention", "Disposable Income Inequality", "Welfare State Strength", "GDP Per Capita"))
```

	M1_Z		M2_Z		M3_Z		M4_Z		M5_Z	
Predictors	Estimates	std. Beta	Estimates	std. Beta	Estimates	std. Beta	Estimates	std. Beta	Estimates	std. Beta
Days Since Curve Inflection	-0.00 **	-0.24	0.00	0.03	-0.00	-0.12	-0.00	-0.14	0.00	0.01
New Case Rate	0.18 ***	0.31	0.20 ***	0.33	0.18 ***	0.30	0.18 **	0.29	0.20 ***	0.34
Government Intervention	-0.04	-0.11	-0.04	-0.11	-0.05	-0.14	-0.05	-0.14	-0.04	-0.10
Disposable Income Inequality			0.03 ***	0.50					0.03 ***	0.57
Welfare State Strength					-0.08 *	-0.23			0.04	0.12
GDP Per Capita							-0.00	-0.19	-0.00	-0.03
Observations	74		74		74		74		74	
R <sup>2</sup> / R <sup>2</sup> adjusted	0.238 / 0.206		0.427 / 0.393		0.277 / 0.235		0.262 / 0.219		0.433 / 0.382	

•

p&lt;0.1 \*\*p&lt;0.05 \*\*\*p&lt;0.01

## Additional Table "M2\_resid"- The Regression behind Fig 3

```
m3r <- lm(m1r ~ days_since_peak + conf_delta + gov_resp + gini_disp, data = df)

tab_model(m3r, p.style = "stars", p.threshold = c(0.10, 0.05, 0.01), show.ci = F, rm.terms = c("(Intercept)"), show.std = T,
dv.labels = c("M2_resid"), pred.labels = c("Days Since Curve Inflection", "New Case Rate", "Intervention Severity", "Dispos
able Income Inequality"))
```

	M2_resid	
Predictors	Estimates	std. Beta
Days Since Curve Inflection	0.00 **	0.30
New Case Rate	0.01	0.03
Intervention Severity	-0.00	-0.00
Disposable Income Inequality	0.03 ***	0.58
Observations	74	
R <sup>2</sup> / R <sup>2</sup> adjusted	0.247 / 0.204	

•

p&lt;0.1 \*\*p&lt;0.05 \*\*\*p&lt;0.01

## Additional Table - Top 1% instead of Gini

```
# create dataset with top1 data cases only

dft <- df[(!is.na(df$top1)),]

m1t <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp, data = dft)

m2t <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp + top1, data = dft)

m3t <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp + socpolicy, data = dft)

m4t <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp + gdp, data = dft)

m5t <- lm(concern_self ~ days_since_peak + conf_delta + gov_resp + top1 + socpolicy + gdp, data = dft)

tab_model(m1t, m2t, m3t, m4t, m5t, p.style = "stars", p.threshold = c(0.10, 0.05, 0.01), show.ci = F, rm.terms = c("(Interce
pt)"), show.loglik = T, show.aic = T, dv.labels = c("M11", "M12", "M13", "M14", "M15"), pred.labels = c("Days Since Infl
ection", "New Case Rate", "Government Intervention", "Top 1% Income Concentration", "Welfare State Strength", "GDP Per Capit
a"))
```

	M11	M12	M13	M14	M15
Predictors	Estimates	Estimates	Estimates	Estimates	Estimates
Days Since Curve Inflection	-0.00	0.00	-0.00	-0.00	0.00
New Case Rate	0.27 ***	0.22 ***	0.25 ***	0.25 ***	0.20 **
Government Intervention	-0.06	-0.03	-0.06	-0.07	-0.04
Top 1% Income Concentration		2.78 ***			2.75 **

Welfare State Strength			-0.05		-0.01
GDP Per Capita				-0.00	-0.00
Observations	57	57	57	57	57
R <sup>2</sup> / R <sup>2</sup> adjusted	0.270 / 0.229	0.363 / 0.314	0.286 / 0.231	0.278 / 0.222	0.374 / 0.298
AIC	38.338	32.563	39.074	39.732	35.628
log-Likelihood	-14.169	-10.282	-13.537	-13.866	-9.814
• <span style="float:right">p&lt;0.1   **p&lt;0.05   ***p&lt;0.01</span>					

Additional Table - Standardized Results for above

```
tab_model(m1t, m2t, m3t, m4t, m5t, p.style = "stars", p.threshold = c(0.10, 0.05, 0.01), show.ci = F, rm.terms = c("(Intercept pt)"), show.std = T, dv.labels = c("M11_Z", "M12_Z","M13_Z", "M14_Z","M15_Z"), pred.labels = c("Days Since Curve Inflection", "New Case Rate", "Intervention Severity", "Top 1% Income Concentration", "Welfare State Strength", "GDP Per Capita"))
```

	M11_Z		M12_Z		M13_Z		M14_Z		M15_Z	
Predictors	Estimates	std. Beta	Estimates	std. Beta	Estimates	std. Beta	Estimates	std. Beta	Estimates	std. Beta
Days Since Curve Inflection	-0.00	-0.07	0.00	0.05	-0.00	-0.02	-0.00	-0.04	0.00	0.10
New Case Rate	0.27 ***	0.44	0.22 ***	0.36	0.25 ***	0.42	0.25 ***	0.42	0.20 **	0.33
Intervention Severity	-0.06	-0.16	-0.03	-0.08	-0.06	-0.17	-0.07	-0.18	-0.04	-0.10
Top 1% Income Concentration			2.78 ***	0.37					2.75 **	0.36
Welfare State Strength					-0.05	-0.14			-0.01	-0.03
GDP Per Capita							-0.00	-0.10	-0.00	-0.10
Observations	57		57		57		57		57	
R <sup>2</sup> / R <sup>2</sup> adjusted	0.270 / 0.229		0.363 / 0.314		0.286 / 0.231		0.278 / 0.222		0.374 / 0.298	
• <span style="float:right">p&lt;0.1   **p&lt;0.05   ***p&lt;0.01</span>										

Predicting Infection Increase (ratio), May 1 - May 31

Conf\_delta (new cases) measures a type of information the public and media consumes, it is actually a cause of a lower increase ratio of infection, probably because having awareness of a high infection increase leads to behavioral and policy changes.

Additional Table. Infection Increase as DV

These are the OLS analyses that mirror those in Table 2, but without ML simultaneous estimation. Here OLS is our 'first run', but it is biased because it cannot estimate mediation effects and therefore M40-M43 (and M50-M53 with top 1%) are the preferred models due to maximum-likelihood estimation.

```
m21 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp , data = df)

m22 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self, data = df)

m23 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self + I(concern_self^2), data = df)

m24 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + gini_disp, data = df)

m25 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self + gini_disp, data = df)

m26 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + gini_disp + I(gini_disp^2), data = df)

m27 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self + I(concern_self^2) + gini_disp + I(gini_disp^2), data = df)

tab_model(m21, m22, m23, m24, m25, m26, m27, p.style = "stars", p.threshold = c(0.10, 0.05, 0.01), show.ci = F, rm.terms = c("(Intercept)"), show.loglik = T, show.aic = T, dv.labels = c("M21", "M22","M23", "M24","M25","M26","M27"), pred.labels = c("Days Since Curve Inflection", "New Case Rate", "Government Intervention", "Risk Perceptions", "Risk Perceptions^2", "Disposable Income Inequality", "Disposable Income Inequality^2"))
```

	M21	M22	M23	M24	M25	M26	M27
Predictors	Estimates	Estimates	Estimates	Estimates	Estimates	Estimates	Estimates
Days Since Curve Inflection	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***
New Case Rate	-0.10	-0.21 *	-0.18	-0.09	-0.18	-0.03	-0.10
Government Intervention	-0.15 **	-0.13 **	-0.09	-0.16 **	-0.14 **	-0.15 **	-0.10 *
Risk Perceptions		0.60 ***	-10.87 ***		0.45 **		-10.07 ***

Risk Perceptions^2			1.29 ***				1.18 ***
Disposable Income Inequality				0.03 ***	0.02	-0.13	-0.12
Disposable Income Inequality^2						0.00	0.00
Observations	74	74	74	74	74	74	74
R <sup>2</sup> / R <sup>2</sup> adjusted	0.631 / 0.615	0.675 / 0.656	0.718 / 0.698	0.665 / 0.645	0.684 / 0.660	0.677 / 0.654	0.735 / 0.707
AIC	128.460	121.002	112.397	123.274	121.030	122.469	111.901
log-Likelihood	-59.230	-54.501	-49.198	-55.637	-53.515	-54.235	-46.951
							<i>p</i> <0.1 ** <i>p</i> <0.05 *** <i>p</i> <0.01

```

m27_beta <- lm.beta(m27)
m27_beta_concern <- m27_beta[["standardized.coefficients"]][["concern_self"]] + m27_beta[["standardized.coefficients"]][["I
(concern_self^2)"]]

m27_beta_gini <- m27_beta[["standardized.coefficients"]][["gini_disp"]] + m27_beta[["standardized.coefficients"]][["I(gini_d
isp^2)"]]

```

### Standardized Coefficients M27

Standardized combined effect of term + term^2

Risk Perceptions = Disposable Income Inequality =

Additional Table. Infection Increase as DV Using Top 1% instead.

```

m31 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp , data = dft)
m32 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self, data = dft)
m33 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self + I(concern_self^2), data = dft)
m34 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + top1, data = dft)
m35 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self + top1, data = df)
m36 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + top1 + I(top1^2), data = dft)
m37 <- lm(rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self + I(concern_self^2) + top1 + I(top1^2), data = df
t)

tab_model(m31, m32, m33, m34, m35, m36, m37, p.style = "stars", p.threshold = c(0.10, 0.05, 0.01), show.ci = F, rm.terms = c
("(Intercept)"), show.loglik = T, show.aic = T, dv.labels = c("M31", "M32", "M33", "M34", "M35", "M36", "M37"), pred.labels = c
("Days Since Curve Inflection", "New Case Rate", "Government Intervention", "Risk Perceptions", "Risk Perceptions^2", "Dispo
sable Income Inequality", "Disposable Income Inequality^2"))

```

	M31	M32	M33	M34	M35	M36	M37
Predictors	Estimates	Estimates	Estimates	Estimates	Estimates	Estimates	Estimates
Days Since Curve Inflection	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***
New Case Rate	-0.03	-0.17	-0.14	-0.14	-0.20 *	-0.13	-0.18
Government Intervention	-0.11	-0.07	-0.05	-0.04	-0.03	-0.05	-0.02
Risk Perceptions		0.51 **	-8.48 **		0.29		-6.52 *
Risk Perceptions^2			1.02 **				0.78 *
Disposable Income Inequality				5.67 ***	4.87 ***	0.96	-0.87
Disposable Income Inequality^2						15.40	16.88
Observations	57	57	57	57	57	57	57
R <sup>2</sup> / R <sup>2</sup> adjusted	0.622 / 0.601	0.666 / 0.640	0.699 / 0.670	0.710 / 0.688	0.722 / 0.695	0.713 / 0.685	0.747 / 0.711
AIC	85.389	80.449	76.373	72.373	71.958	73.723	70.580
log-Likelihood	-37.695	-34.224	-31.186	-30.186	-28.979	-29.861	-26.290
							<i>p</i> <0.1 ** <i>p</i> <0.05 *** <i>p</i> <0.01

### Standardized Coefficients M37

```

m37_beta <- lm.beta(m37)
m37_beta_concern <- m37_beta[["standardized.coefficients"]][["concern_self"]] + m37_beta[["standardized.coefficients"]][["I
(concern_self^2)"]]

m37_beta_gini <- m37_beta[["standardized.coefficients"]][["top1"]] + m37_beta[["standardized.coefficients"]][["I(top1^2)"]]

```

Standardized combined effect of term + term^2

Risk Perceptions = Disposable Income Inequality =

## Mediation Analysis

SEM squared variables must be constructed by hand. To keep estimates 'under control', it is useful to center the variables.

### M40 Baseline Model

This is a maximum-likelihood estimated combination of M1 and M23, i.e., a structural equation model.

```
m40 <- '      rate_2 ~ days_since_peak + conf_delta + gov_resp + concern_self + b2*concern_self2 + c1*gini_dispR + c2*gini_d
isp2
      concern_self ~ days_since_peak + conf_delta + gov_resp + a1*gini_dispR + a2*gini_disp2
# this is critical because we constructed one out of the other
      concern_self2 ~ concern_self
# covariances

# intercepts
      rate_2 ~ 1
      concern_self ~ 1
# constraints
      c1 == 0
      c2 == 0
      b2 == 0
      a1 == 0
      a2 == 0
      ,
m40fit <- sem(m40, data = df)
summary(m40fit, fit.measures = T)
```

```

## lavaan 0.6-7 ended normally after 76 iterations
##
##      Estimator                      ML
##      Optimization method          NLMINB
##      Number of free parameters      19
##      Number of equality constraints    5
##
##      Number of observations          74
##
## Model Test User Model:
##
##      Test statistic                  41.957
##      Degrees of freedom              10
##      P-value (Chi-square)            0.000
##
## Model Test Baseline Model:
##
##      Test statistic                  741.545
##      Degrees of freedom              18
##      P-value                          0.000
##
## User Model versus Baseline Model:
##
##      Comparative Fit Index (CFI)      0.956
##      Tucker-Lewis Index (TLI)        0.920
##
## Loglikelihood and Information Criteria:
##
##      Loglikelihood user model (H0)    -36.505
##      Loglikelihood unrestricted model (H1) -15.526
##
##      Akaike (AIC)                    101.010
##      Bayesian (BIC)                  133.267
##      Sample-size adjusted Bayesian (BIC) 89.147
##
## Root Mean Square Error of Approximation:
##
##      RMSEA                          0.208
##      90 Percent confidence interval - lower 0.145
##      90 Percent confidence interval - upper 0.275
##      P-value RMSEA <= 0.05            0.000
##
## Standardized Root Mean Square Residual:
##
##      SRMR                          0.116
##
## Parameter Estimates:
##
##      Standard errors                  Standard
##      Information                      Expected
##      Information saturated (h1) model Structured
##
## Regressions:
##
##      Estimate Std.Err z-value P(>|z|)
##      rate_2 ~
##      dys_snc_p      -0.032   0.003  -9.526   0.000
##      conf_delt      -0.215   0.112  -1.912   0.056
##      gov_resp       -0.130   0.061  -2.149   0.032
##      cncrn_slf       0.597   0.188   3.176   0.001
##      cncrn_sl2 (b2)  0.000
##      gini_dspR (c1)  0.000      NA
##      gini_dsp2 (c2)  0.000
##      concern_self ~
##      dys_snc_p      -0.004   0.002  -2.156   0.031
##      conf_delt       0.185   0.066   2.799   0.005
##      gov_resp       -0.039   0.037  -1.043   0.297
##      gini_dspR (a1)  0.000      NA
##      gini_dsp2 (a2)  0.000      NA
##      concern_self2 ~
##      cncrn_slf       8.900   0.048  186.460   0.000
##
## Intercepts:
##
##      Estimate Std.Err z-value P(>|z|)
##      .rate_2      -0.955   0.870  -1.097   0.273
##      .concern_self  4.572   0.084  54.532   0.000
##      .concern_self2 -19.670   0.216 -91.217   0.000
##
## Variances:
##
##      Estimate Std.Err z-value P(>|z|)
##      .rate_2       0.255   0.042   6.083   0.000
##      .concern_self  0.098   0.016   6.083   0.000
##      .concern_self2 0.022   0.004   6.083   0.000

```

```
##
## Constraints:
## |Slack|
## c1 - 0 0.000
## c2 - 0 0.000
## b2 - 0 0.000
## a1 - 0 0.000
## a2 - 0 0.000
```

```
standardizedsolution(m40fit)
```

##	lhs	op	rhs	est	std	se	z	pvalue	ci.lower
## 1	rate_2	~	days_since_peak	-0.713	0.057		-12.591	0.000	-0.824
## 2	rate_2	~	conf_delta	-0.145	0.075		-1.929	0.054	-0.292
## 3	rate_2	~	gov_resp	-0.146	0.067		-2.173	0.030	-0.278
## 4	rate_2	~	concern_self	0.241	0.076		3.180	0.001	0.093
## 5	rate_2	~	concern_self2	0.000	0.003		0.000	1.000	-0.006
## 6	rate_2	~	gini_dispR	0.000	0.000		0.000	1.000	0.000
## 7	rate_2	~	gini_disp2	0.000	0.000		0.000	1.000	0.000
## 8	concern_self	~	days_since_peak	-0.240	0.107		-2.230	0.026	-0.450
## 9	concern_self	~	conf_delta	0.308	0.104		2.969	0.003	0.105
## 10	concern_self	~	gov_resp	-0.108	0.102		-1.051	0.293	-0.309
## 11	concern_self	~	gini_dispR	0.000	0.000		0.000	1.000	0.000
## 12	concern_self	~	gini_disp2	0.000	0.000		0.000	1.000	0.000
## 13	concern_self2	~	concern_self	0.999	0.000	4104.510	0.000	0.998	
## 14	rate_2	~1		-1.077	0.975		-1.104	0.270	-2.989
## 15	concern_self	~1		12.772	1.022		12.498	0.000	10.769
## 16	rate_2	~~	rate_2	0.325	0.052		6.232	0.000	0.223
## 17	concern_self	~~	concern_self	0.762	0.081		9.387	0.000	0.603
## 18	concern_self2	~~	concern_self2	0.002	0.000		4.368	0.000	0.001
## 19	days_since_peak	~~	days_since_peak	1.000	0.000		NA	NA	1.000
## 20	days_since_peak	~~	conf_delta	-0.386	0.000		NA	NA	-0.386
## 21	days_since_peak	~~	gov_resp	0.178	0.000		NA	NA	0.178
## 22	days_since_peak	~~	gini_dispR	-0.508	0.000		NA	NA	-0.508
## 23	days_since_peak	~~	gini_disp2	-0.514	0.000		NA	NA	-0.514
## 24	conf_delta	~~	conf_delta	1.000	0.000		NA	NA	1.000
## 25	conf_delta	~~	gov_resp	-0.123	0.000		NA	NA	-0.123
## 26	conf_delta	~~	gini_dispR	0.155	0.000		NA	NA	0.155
## 27	conf_delta	~~	gini_disp2	0.133	0.000		NA	NA	0.133
## 28	gov_resp	~~	gov_resp	1.000	0.000		NA	NA	1.000
## 29	gov_resp	~~	gini_dispR	-0.080	0.000		NA	NA	-0.080
## 30	gov_resp	~~	gini_disp2	-0.081	0.000		NA	NA	-0.081
## 31	gini_dispR	~~	gini_dispR	1.000	0.000		NA	NA	1.000
## 32	gini_dispR	~~	gini_disp2	0.995	0.000		NA	NA	0.995
## 33	gini_disp2	~~	gini_disp2	1.000	0.000		NA	NA	1.000
## 34	concern_self2	~1		-6.168	0.493		-12.522	0.000	-7.133
## 35	days_since_peak	~1		1.586	0.000		NA	NA	1.586
## 36	conf_delta	~1		0.615	0.000		NA	NA	0.615
## 37	gov_resp	~1		0.000	0.000		NA	NA	0.000
## 38	gini_dispR	~1		5.149	0.000		NA	NA	5.149
## 39	gini_disp2	~1		2.577	0.000		NA	NA	2.577
##	ci.upper								
## 1	-0.602								
## 2	0.002								
## 3	-0.014								
## 4	0.390								
## 5	0.006								
## 6	0.000								
## 7	0.000								
## 8	-0.029								
## 9	0.512								
## 10	0.093								
## 11	0.000								
## 12	0.000								
## 13	0.999								
## 14	0.835								
## 15	14.775								
## 16	0.427								
## 17	0.921								
## 18	0.003								
## 19	1.000								
## 20	-0.386								
## 21	0.178								
## 22	-0.508								
## 23	-0.514								
## 24	1.000								
## 25	-0.123								
## 26	0.155								
## 27	0.133								
## 28	1.000								
## 29	-0.080								
## 30	-0.081								
## 31	1.000								
## 32	0.995								
## 33	1.000								
## 34	-5.203								
## 35	1.586								
## 36	0.615								
## 37	0.000								
## 38	5.149								
## 39	2.577								



This is a model that is M40 plus linear mediation of inequality by risk perceptions

```
m41 <- ' # direct effect
rate_2 ~ c1*gini_dispR + c2*gini_disp2 + days_since_peak + conf_delta + gov_resp
# mediator
concern_self ~ a1*gini_dispR + a2*gini_disp2 + days_since_peak + conf_delta + gov_resp
rate_2 ~ b1*concern_self + b2*concern_self2
# this is critical because we constructed one out of the other
concern_self2 ~ concern_self
# covariances

# intercepts
rate_2 ~ 1
concern_self ~ 1
# constraints
c2 == 0
a2 == 0
b2 == 0
# indirect effect
ab := a1*b1
# total effect
total := c1 + a1*b1
',
m41fit <- sem(m41, data = df)

Tbl4 <- semTable(m41fit, type = "html", print.results = F)
```

```
semTable(m41fit, type = "html", print.results = F)
```

```
save_html(Tbl4, "Tbl4.html", background = "white", libdir = "results/")
file.move("Tbl4.html", "results/Tbl4.html")
```

```
## 0 files moved. 1 failed.
```

```
## Some files failed to move because it would have caused files to be overwritten.
## * To allow overwriting, use `overwrite = TRUE`.
```

```
knit_print.html(Tbl4)
```

	Model			
	Estimate	Std. Err.	z	p
<u>Regression Slopes</u>				
<u>rate_2</u>				
gini_dispR	1.62	1.15	1.41	.157
gini_disp2	0.00			
days_since_peak	-0.03	0.00	-8.06	.000
conf_delta	-0.18	0.11	-1.57	.117
gov_resp	-0.14	0.06	-2.28	.022
concern_self	0.45	0.21	2.09	.037
concern_self2	0.00			
<u>concern_self</u>				
gini_dispR	2.67	0.54	4.93	.000
gini_disp2	0.00			
days_since_peak	0.00	0.00	0.24	.811
conf_delta	0.20	0.06	3.47	.001
gov_resp	-0.04	0.03	-1.25	.213
<u>concern_self2</u>				
concern_self	8.90	0.05	186.46	.000
<u>Intercepts</u>				
rate.2	-0.93	0.86	-1.08	.280
concern_self	3.49	0.23	15.03	.000
concern_self2	-19.67	0.22	-91.22	.000
gini_dispR	0.35 <sup>+</sup>			
gini_disp2	0.13 <sup>+</sup>			
days_since_peak	31.28 <sup>+</sup>			
conf_delta	0.37 <sup>+</sup>			
gov_resp	-0.00 <sup>+</sup>			
<u>Residual Variances</u>				
rate.2	0.25	0.04	6.08	.000
concern_self	0.07	0.01	6.08	.000
concern_self2	0.02	0.00	6.08	.000
gini_dispR	0.00 <sup>+</sup>			
gini_disp2	0.00 <sup>+</sup>			
days_since_peak	388.85 <sup>+</sup>			

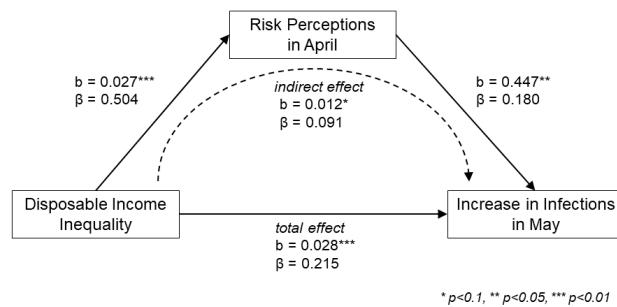
conf.delta	0.36 <sup>+</sup>			
gov.resp	0.99 <sup>+</sup>			
<u>Residual Covariances</u>				
gini.dispR w/gini.disp2	0.00 <sup>+</sup>			
gini.dispR w/days.since.peak	-0.68 <sup>+</sup>			
gini.dispR w/conf.delta	0.01 <sup>+</sup>			
gini.dispR w/gov.resp	-0.01 <sup>+</sup>			
gini.disp2 w/days.since.peak	-0.50 <sup>+</sup>			
gini.disp2 w/conf.delta	0.00 <sup>+</sup>			
gini.disp2 w/gov.resp	-0.00 <sup>+</sup>			
days.since.peak w/conf.delta	-4.54 <sup>+</sup>			
days.since.peak w/gov.resp	3.49 <sup>+</sup>			
conf.delta w/gov.resp	-0.07 <sup>+</sup>			
<u>Constructed</u>				
ab	1.19	0.62	1.92	.054
total	2.81	1.02	2.75	.006
<u>Fit Indices</u>				
$\chi^2$	18.97(8)			.015
CFI	0.98			
TLI	0.97			
RMSEA	0.14			
*Fixed parameter				

```
standardizedsolution(m41fit)
```

##	lhs	op	rhs	est	std	se	z	pvalue	ci.lower
## 1	rate_2	~	gini_dispR	0.124	0.087		1.420	0.155	-0.047
## 2	rate_2	~	gini_disp2	0.000	0.000		0.000	1.000	0.000
## 3	rate_2	~	days_since_peak	-0.662	0.068		-9.696	0.000	-0.796
## 4	rate_2	~	conf_delta	-0.120	0.076		-1.576	0.115	-0.270
## 5	rate_2	~	gov_resp	-0.154	0.066		-2.311	0.021	-0.284
## 6	concern_self	~	gini_dispR	0.504	0.089		5.640	0.000	0.329
## 7	concern_self	~	gini_disp2	0.000	0.000		0.000	1.000	0.000
## 8	concern_self	~	days_since_peak	0.026	0.119		0.223	0.824	-0.206
## 9	concern_self	~	conf_delta	0.332	0.090		3.692	0.000	0.156
## 10	concern_self	~	gov_resp	-0.112	0.089		-1.256	0.209	-0.286
## 11	rate_2	~	concern_self	0.180	0.086		2.091	0.036	0.011
## 12	rate_2	~	concern_self2	0.000	0.004		0.000	1.000	-0.008
## 13	concern_self2	~	concern_self	0.999	0.000	4198.761	0.000	0.000	0.998
## 14	rate_2	~1		-1.047	0.963		-1.087	0.277	-2.934
## 15	concern_self	~1		9.739	1.182		8.237	0.000	7.421
## 16	rate_2	~~	rate_2	0.316	0.050		6.304	0.000	0.218
## 17	concern_self	~~	concern_self	0.573	0.079		7.218	0.000	0.418
## 18	concern_self2	~~	concern_self2	0.002	0.000		4.468	0.000	0.001
## 19	gini_dispR	~~	gini_dispR	1.000	0.000		NA	NA	1.000
## 20	gini_dispR	~~	gini_disp2	0.995	0.000		NA	NA	0.995
## 21	gini_dispR	~~	days_since_peak	-0.508	0.000		NA	NA	-0.508
## 22	gini_dispR	~~	conf_delta	0.155	0.000		NA	NA	0.155
## 23	gini_dispR	~~	gov_resp	-0.080	0.000		NA	NA	-0.080
## 24	gini_disp2	~~	gini_disp2	1.000	0.000		NA	NA	1.000
## 25	gini_disp2	~~	days_since_peak	-0.514	0.000		NA	NA	-0.514
## 26	gini_disp2	~~	conf_delta	0.133	0.000		NA	NA	0.133
## 27	gini_disp2	~~	gov_resp	-0.081	0.000		NA	NA	-0.081
## 28	days_since_peak	~~	days_since_peak	1.000	0.000		NA	NA	1.000
## 29	days_since_peak	~~	conf_delta	-0.386	0.000		NA	NA	-0.386
## 30	days_since_peak	~~	gov_resp	0.178	0.000		NA	NA	0.178
## 31	conf_delta	~~	conf_delta	1.000	0.000		NA	NA	1.000
## 32	conf_delta	~~	gov_resp	-0.123	0.000		NA	NA	-0.123
## 33	gov_resp	~~	gov_resp	1.000	0.000		NA	NA	1.000
## 34	concern_self2	~1		-6.168	0.470		-13.135	0.000	-7.088
## 35	gini_dispR	~1		5.149	0.000		NA	NA	5.149
## 36	gini_disp2	~1		2.577	0.000		NA	NA	2.577
## 37	days_since_peak	~1		1.586	0.000		NA	NA	1.586
## 38	conf_delta	~1		0.615	0.000		NA	NA	0.615
## 39	gov_resp	~1		0.000	0.000		NA	NA	0.000
## 43	ab	:=	a1*b1	0.091	0.047		1.946	0.052	-0.001
## 44	total	:=	c1+a1*b1	0.215	0.077		2.803	0.005	0.065
##	ci.upper								
## 1	0.295								
## 2	0.000								
## 3	-0.528								
## 4	0.029								
## 5	-0.023								
## 6	0.680								
## 7	0.000								
## 8	0.259								
## 9	0.508								
## 10	0.063								
## 11	0.350								
## 12	0.008								
## 13	0.999								
## 14	0.841								
## 15	12.056								
## 16	0.415								
## 17	0.729								
## 18	0.003								
## 19	1.000								
## 20	0.995								
## 21	-0.508								
## 22	0.155								
## 23	-0.080								
## 24	1.000								
## 25	-0.514								
## 26	0.133								
## 27	-0.081								
## 28	1.000								
## 29	-0.386								
## 30	0.178								
## 31	1.000								
## 32	-0.123								
## 33	1.000								
## 34	-5.248								
## 35	5.149								
## 36	2.577								
## 37	1.586								
## 38	0.615								
## 39	0.000								

```
## 43    0.183
## 44    0.365
```

```
knitr::include_graphics("results/Fig4.png")
```



## M42

This adds the squared term for risk perceptions.

```
m42 <- ' # direct effect
rate_2 ~ c1*gini_dispR + c2*gini_disp2 + days_since_peak + conf_delta + gov_resp
# mediator
concern_self ~ a1*gini_dispR + a2*gini_disp2 + days_since_peak + conf_delta + gov_resp
rate_2 ~ b1*concern_self + b2*concern_self2
# this is critical because we constructed one out of the other
concern_self2 ~ concern_self
# covariances

# intercepts
rate_2 ~ 1
concern_self ~ 1
# constraints
c2 == 0
a2 == 0

',

m42fit <- sem(m42, data = df, meanstructure = T)
summary(m42fit, fit.measures = T)
```

```

## lavaan 0.6-7 ended normally after 107 iterations
##
##      Estimator                      ML
##      Optimization method          NLMINB
##      Number of free parameters      19
##      Number of equality constraints    2
##
##      Number of observations          74
##
## Model Test User Model:
##
##      Test statistic                  8.340
##      Degrees of freedom              7
##      P-value (Chi-square)            0.304
##
## Model Test Baseline Model:
##
##      Test statistic                  741.545
##      Degrees of freedom              18
##      P-value                         0.000
##
## User Model versus Baseline Model:
##
##      Comparative Fit Index (CFI)      0.998
##      Tucker-Lewis Index (TLI)        0.995
##
## Loglikelihood and Information Criteria:
##
##      Loglikelihood user model (H0)    -19.696
##      Loglikelihood unrestricted model (H1) -15.526
##
##      Akaike (AIC)                    73.393
##      Bayesian (BIC)                  112.562
##      Sample-size adjusted Bayesian (BIC) 58.988
##
## Root Mean Square Error of Approximation:
##
##      RMSEA                           0.051
##      90 Percent confidence interval - lower 0.000
##      90 Percent confidence interval - upper 0.158
##      P-value RMSEA <= 0.05             0.427
##
## Standardized Root Mean Square Residual:
##
##      SRMR                             0.007
##
## Parameter Estimates:
##
##      Standard errors                  Standard
##      Information                     Expected
##      Information saturated (h1) model Structured
##
## Regressions:
##
##      Estimate Std.Err z-value P(>|z|)
## rate_2 ~
##   gini_dspR (c1)  1.519  1.068  1.422  0.155
##   gini_dsp2 (c2)  0.000
##   dys_snc_p      -0.030  0.003 -8.803  0.000
##   conf_delt      -0.144  0.106 -1.355  0.175
##   gov_resp       -0.100  0.056 -1.798  0.072
## concern_self ~
##   gini_dspR (a1)  2.667  0.541  4.930  0.000
##   gini_dsp2 (a2)  0.000    NA
##   dys_snc_p      0.000  0.002  0.239  0.811
##   conf_delt      0.199  0.057  3.470  0.001
##   gov_resp       -0.040  0.032 -1.246  0.213
## rate_2 ~
##   cncrn_slf (b1) -10.874  3.273 -3.322  0.001
##   cncrn_sl2 (b2)  1.272  0.367  3.464  0.001
## concern_self2 ~
##   cncrn_slf      8.900  0.048 186.460  0.000
##
## Intercepts:
##
##      Estimate Std.Err z-value P(>|z|)
##   .rate_2      24.142  7.265  3.323  0.001
##   .concern_self  3.486  0.232 15.028  0.000
##   .concern_self2 -19.670  0.216 -91.217  0.000
##
## Variances:
##
##      Estimate Std.Err z-value P(>|z|)
##   .rate_2      0.215  0.035  6.083  0.000
##   .concern_self 0.073  0.012  6.083  0.000

```

```
##      .concern_self2      0.022      0.004      6.083      0.000
##
## Constraints:
##                                     |Slack|
##      c2 - 0                                     0.000
##      a2 - 0                                     0.000
```

```
standardizedsolution(m42fit)
```

##	lhs	op	rhs	est	std	se	z	pvalue	ci.lower
## 1	rate_2	~	gini_dispR	0.116	0.083		1.398	0.162	-0.047
## 2	rate_2	~	gini_disp2	0.000	0.000		0.000	1.000	-0.001
## 3	rate_2	~	days_since_peak	-0.674	0.112		-6.035	0.000	-0.892
## 4	rate_2	~	conf_delta	-0.097	0.073		-1.334	0.182	-0.239
## 5	rate_2	~	gov_resp	-0.113	0.064		-1.751	0.080	-0.239
## 6	concern_self	~	gini_dispR	0.504	0.122		4.139	0.000	0.266
## 7	concern_self	~	gini_disp2	0.000	0.001		0.000	1.000	-0.002
## 8	concern_self	~	days_since_peak	0.026	0.455		0.058	0.954	-0.865
## 9	concern_self	~	conf_delta	0.332	0.105		3.157	0.002	0.126
## 10	concern_self	~	gov_resp	-0.112	0.091		-1.230	0.219	-0.290
## 11	rate_2	~	concern_self	-4.396	1.516		-2.899	0.004	-7.368
## 12	rate_2	~	concern_self2	4.580	1.530		2.993	0.003	1.581
## 13	concern_self2	~	concern_self	0.999	0.001	1821.250	0.000	0.000	0.998
## 14	rate_2	~1		27.267	8.951		3.046	0.002	9.722
## 15	concern_self	~1		9.739	1.988		4.897	0.000	5.841
## 16	rate_2	~~	rate_2	0.275	0.091		3.016	0.003	0.096
## 17	concern_self	~~	concern_self	0.573	0.204		2.807	0.005	0.173
## 18	concern_self2	~~	concern_self2	0.002	0.001		1.938	0.053	0.000
## 19	gini_dispR	~~	gini_dispR	1.000	0.000		NA	NA	1.000
## 20	gini_dispR	~~	gini_disp2	0.995	0.000		NA	NA	0.995
## 21	gini_dispR	~~	days_since_peak	-0.508	0.000		NA	NA	-0.508
## 22	gini_dispR	~~	conf_delta	0.155	0.000		NA	NA	0.155
## 23	gini_dispR	~~	gov_resp	-0.080	0.000		NA	NA	-0.080
## 24	gini_disp2	~~	gini_disp2	1.000	0.000		NA	NA	1.000
## 25	gini_disp2	~~	days_since_peak	-0.514	0.000		NA	NA	-0.514
## 26	gini_disp2	~~	conf_delta	0.133	0.000		NA	NA	0.133
## 27	gini_disp2	~~	gov_resp	-0.081	0.000		NA	NA	-0.081
## 28	days_since_peak	~~	days_since_peak	1.000	0.000		NA	NA	1.000
## 29	days_since_peak	~~	conf_delta	-0.386	0.000		NA	NA	-0.386
## 30	days_since_peak	~~	gov_resp	0.178	0.000		NA	NA	0.178
## 31	conf_delta	~~	conf_delta	1.000	0.000		NA	NA	1.000
## 32	conf_delta	~~	gov_resp	-0.123	0.000		NA	NA	-0.123
## 33	gov_resp	~~	gov_resp	1.000	0.000		NA	NA	1.000
## 34	concern_self2	~1		-6.168	1.114		-5.537	0.000	-8.351
## 35	gini_dispR	~1		5.149	0.000		NA	NA	5.149
## 36	gini_disp2	~1		2.577	0.000		NA	NA	2.577
## 37	days_since_peak	~1		1.586	0.000		NA	NA	1.586
## 38	conf_delta	~1		0.615	0.000		NA	NA	0.615
## 39	gov_resp	~1		0.000	0.000		NA	NA	0.000
##	ci.upper								
## 1	0.279								
## 2	0.001								
## 3	-0.455								
## 4	0.045								
## 5	0.013								
## 6	0.743								
## 7	0.002								
## 8	0.918								
## 9	0.538								
## 10	0.066								
## 11	-1.424								
## 12	7.580								
## 13	1.000								
## 14	44.811								
## 15	13.636								
## 16	0.453								
## 17	0.974								
## 18	0.004								
## 19	1.000								
## 20	0.995								
## 21	-0.508								
## 22	0.155								
## 23	-0.080								
## 24	1.000								
## 25	-0.514								
## 26	0.133								
## 27	-0.081								
## 28	1.000								
## 29	-0.386								
## 30	0.178								
## 31	1.000								
## 32	-0.123								
## 33	1.000								
## 34	-3.985								
## 35	5.149								
## 36	2.577								
## 37	1.586								
## 38	0.615								
## 39	0.000								

## M43 raw estimates

```
m43 <- ' # direct effect
        rate_2 ~ c1*gini_dispR + c2*gini_disp2 + w11*days_since_peak + w12*conf_delta + w13*gov_resp
# mediator
        concern_self ~ a1*gini_dispR + a2*gini_disp2 + w1*days_since_peak + w2*conf_delta + w3*gov_resp
        rate_2 ~ b1*concern_self + b2*concern_self2
# this is critical because we constructed one out of the other
        concern_self2 ~ concern_self
# intercept naming
        concern_self ~ i1*1
        rate_2 ~ i2*1
# constraint
        a2 == 0

'

m43fit <- sem(m43, data = df, meanstructure = T)

summary(m43fit, fit.measures = T)
```



```

## lavaan 0.6-7 ended normally after 117 iterations
##
## Estimator ML
## Optimization method NLMINB
## Number of free parameters 19
## Number of equality constraints 1
##
## Number of observations 74
##
## Model Test User Model:
##
## Test statistic 5.838
## Degrees of freedom 6
## P-value (Chi-square) 0.442
##
## Model Test Baseline Model:
##
## Test statistic 741.545
## Degrees of freedom 18
## P-value 0.000
##
## User Model versus Baseline Model:
##
## Comparative Fit Index (CFI) 1.000
## Tucker-Lewis Index (TLI) 1.001
##
## Loglikelihood and Information Criteria:
##
## Loglikelihood user model (H0) -18.445
## Loglikelihood unrestricted model (H1) -15.526
##
## Akaike (AIC) 72.890
## Bayesian (BIC) 114.364
## Sample-size adjusted Bayesian (BIC) 57.639
##
## Root Mean Square Error of Approximation:
##
## RMSEA 0.000
## 90 Percent confidence interval - lower 0.000
## 90 Percent confidence interval - upper 0.149
## P-value RMSEA <= 0.05 0.556
##
## Standardized Root Mean Square Residual:
##
## SRMR 0.007
##
## Parameter Estimates:
##
## Standard errors Standard
## Information Expected
## Information saturated (h1) model Structured
##
## Regressions:
## Estimate Std.Err z-value P(>|z|)
## rate_2 ~
## gin_dspR (c1) -12.445 8.643 -1.440 0.150
## gin_dsp2 (c2) 19.457 12.014 1.620 0.105
## dys_snc_ (w11) -0.029 0.003 -8.435 0.000
## conf_dlt (w12) -0.104 0.108 -0.960 0.337
## gov_resp (w13) -0.101 0.055 -1.836 0.066
## concern_self ~
## gin_dspR (a1) 2.667 0.541 4.930 0.000
## gin_dsp2 (a2) 0.000 NA
## dys_snc_ (w1) 0.000 0.002 0.239 0.811
## conf_dlt (w2) 0.199 0.057 3.470 0.001
## gov_resp (w3) -0.040 0.032 -1.246 0.213
## rate_2 ~
## cncrn_sl (b1) -10.065 3.218 -3.127 0.002
## cncrn_s2 (b2) 1.184 0.361 3.280 0.001
## concern_self2 ~
## cncrn_sl 8.900 0.048 186.460 0.000
##
## Intercepts:
## Estimate Std.Err z-value P(>|z|)
## .cncrn_slf (i1) 3.486 0.232 15.028 0.000
## .rate_2 (i2) 24.651 7.288 3.382 0.001
## .cncrn_sl2 -19.670 0.216 -91.217 0.000
##
## Variances:
## Estimate Std.Err z-value P(>|z|)
## .rate_2 0.208 0.034 6.083 0.000
## .cncrn_self 0.073 0.012 6.083 0.000

```

##	.concern_self2	0.022	0.004	6.083	0.000
##					
##	Constraints:				
##				Slack	
##	a2 - 0			0.000	

standardizedsolution(m43fit)

##	lhs	op	rhs	est	std	se	z	pvalue	ci.lower
## 1	rate_2	~	gini_dispR	-0.953	0.713		-1.337	0.181	-2.350
## 2	rate_2	~	gini_disp2	1.076	0.729		1.477	0.140	-0.352
## 3	rate_2	~	days_since_peak	-0.649	0.192		-3.371	0.001	-1.026
## 4	rate_2	~	conf_delta	-0.070	0.076		-0.927	0.354	-0.219
## 5	rate_2	~	gov_resp	-0.113	0.069		-1.637	0.102	-0.249
## 6	concern_self	~	gini_dispR	0.504	0.180		2.799	0.005	0.151
## 7	concern_self	~	gini_disp2	0.000	0.002		0.000	1.000	-0.004
## 8	concern_self	~	days_since_peak	0.026	0.833		0.032	0.975	-1.606
## 9	concern_self	~	conf_delta	0.332	0.137		2.427	0.015	0.064
## 10	concern_self	~	gov_resp	-0.112	0.095		-1.171	0.242	-0.299
## 11	rate_2	~	concern_self	-4.075	1.843		-2.211	0.027	-7.688
## 12	rate_2	~	concern_self2	4.271	1.884		2.267	0.023	0.578
## 13	concern_self2	~	concern_self	0.999	0.001	1002.766	0.000	0.997	
## 14	concern_self	~1		9.739	3.244		3.002	0.003	3.380
## 15	rate_2	~1		27.883	11.322		2.463	0.014	5.692
## 16	rate_2	~~	rate_2	0.266	0.158		1.689	0.091	-0.043
## 17	concern_self	~~	concern_self	0.573	0.363		1.577	0.115	-0.139
## 18	concern_self2	~~	concern_self2	0.002	0.002		1.067	0.286	-0.002
## 19	gini_dispR	~~	gini_dispR	1.000	0.000		NA	NA	1.000
## 20	gini_dispR	~~	gini_disp2	0.995	0.000		NA	NA	0.995
## 21	gini_dispR	~~	days_since_peak	-0.508	0.000		NA	NA	-0.508
## 22	gini_dispR	~~	conf_delta	0.155	0.000		NA	NA	0.155
## 23	gini_dispR	~~	gov_resp	-0.080	0.000		NA	NA	-0.080
## 24	gini_disp2	~~	gini_disp2	1.000	0.000		NA	NA	1.000
## 25	gini_disp2	~~	days_since_peak	-0.514	0.000		NA	NA	-0.514
## 26	gini_disp2	~~	conf_delta	0.133	0.000		NA	NA	0.133
## 27	gini_disp2	~~	gov_resp	-0.081	0.000		NA	NA	-0.081
## 28	days_since_peak	~~	days_since_peak	1.000	0.000		NA	NA	1.000
## 29	days_since_peak	~~	conf_delta	-0.386	0.000		NA	NA	-0.386
## 30	days_since_peak	~~	gov_resp	0.178	0.000		NA	NA	0.178
## 31	conf_delta	~~	conf_delta	1.000	0.000		NA	NA	1.000
## 32	conf_delta	~~	gov_resp	-0.123	0.000		NA	NA	-0.123
## 33	gov_resp	~~	gov_resp	1.000	0.000		NA	NA	1.000
## 34	concern_self2	~1		-6.168	1.966		-3.138	0.002	-10.021
## 35	gini_dispR	~1		5.149	0.000		NA	NA	5.149
## 36	gini_disp2	~1		2.577	0.000		NA	NA	2.577
## 37	days_since_peak	~1		1.586	0.000		NA	NA	1.586
## 38	conf_delta	~1		0.615	0.000		NA	NA	0.615
## 39	gov_resp	~1		0.000	0.000		NA	NA	0.000
##	ci.upper								
## 1	0.444								
## 2	2.505								
## 3	-0.272								
## 4	0.078								
## 5	0.022								
## 6	0.858								
## 7	0.004								
## 8	1.659								
## 9	0.600								
## 10	0.075								
## 11	-0.463								
## 12	7.964								
## 13	1.001								
## 14	16.098								
## 15	50.074								
## 16	0.576								
## 17	1.286								
## 18	0.006								
## 19	1.000								
## 20	0.995								
## 21	-0.508								
## 22	0.155								
## 23	-0.080								
## 24	1.000								
## 25	-0.514								
## 26	0.133								
## 27	-0.081								
## 28	1.000								
## 29	-0.386								
## 30	0.178								
## 31	1.000								
## 32	-0.123								
## 33	1.000								
## 34	-2.315								
## 35	5.149								
## 36	2.577								
## 37	1.586								
## 38	0.615								
## 39	0.000								

M43 for prediction/calculation

This strategy follows Hayes and Preacher (2010). The effect is non-linear meaning that it is heterogeneous. There is no single value of the income inequality effect. Hayes and Preacher (2010) suggest estimating an **instantaneous indirect effect** which is actually based on derivatives and then can be plotted as different effects at different levels.

Table 1 in Hayes and Preacher (2010) offers the derivation of the formulas:

Mediation Formulas

$$\hat{Y} = i_2 + c'_1 X + c'_2 X^2 + b_1 M + b_2 M^2$$

$$\hat{M} = i_1 + aX$$

Instantaneous Indirect Effects of  $X$  on  $Y$  through  $M$  are derived as (Table 1):

$$a(b_1 + 2b_2\hat{M})$$

The only problem is that the effect of  $X$  includes a squared term, this squared term must be treated as a covariate (like  $W$  in their paper) and then the model should work, changing the squared term's fixed value for each.

Also, to get predicted instantaneous indirect effect we need to remove the covariance of `concern_self` and `gini_disp2` from contaminating the estimates. We fixed `gini_disp2` to zero in the equation for `concern_self`, thus the algorithm find every other possible way to explain this residual correlation before letting it fall into the residual. This likely skews the results, therefore, for prediction purposes we allow all of this correlation to simply fall into the residual thus aligning the instantaneous indirect effect with the predicted values of `rate_2`

```

m43p <- ' # direct effect
rate_2 ~ c1*gini_dispR + c2*gini_disp2 + w11*days_since_peak + w12*conf_delta + w13*gov_resp
# mediator
concern_self ~ a1*gini_dispR + a2*gini_disp2 + w1*days_since_peak + w2*conf_delta + w3*gov_resp
rate_2 ~ b1*concern_self + b2*concern_self2
# this is critical because we constructed one out of the other
concern_self2 ~ concern_self
# to fix the residual variance out of the predictions of the model this is necessary
concern_self ~ gini_disp2
# intercept naming
concern_self ~ i1*1
rate_2 ~ i2*1
# constraint
a2 == 0
# instantaneous indir effect calc at values
x1 := .225
x2 := .25
x3 := .275
x4 := .30
x5 := .325
x6 := .35
x7 := .375
x8 := .40
x9 := .425
x10 := .45
x11 := .475
x12 := .50
# requires fixing covariates and gini_disp2 = 0
predm1 := i1+(a1*x1)+w1*.30+w2*0.37+0*w3
predm2 := i1+(a1*x2)+w1*.30+w2*0.37+0*w3
predm3 := i1+(a1*x3)+w1*.30+w2*0.37+0*w3
predm4 := i1+(a1*x4)+w1*.30+w2*0.37+0*w3
predm5 := i1+(a1*x5)+w1*.30+w2*0.37+0*w3
predm6 := i1+(a1*x6)+w1*.30+w2*0.37+0*w3
predm7 := i1+(a1*x7)+w1*.30+w2*0.37+0*w3
predm8 := i1+(a1*x8)+w1*.30+w2*0.37+0*w3
predm9 := i1+(a1*x9)+w1*.30+w2*0.37+0*w3
predm10 := i1+(a1*x10)+w1*.30+w2*0.37+0*w3
predm11 := i1+(a1*x11)+w1*.30+w2*0.37+0*w3
predm12 := i1+(a1*x12)+w1*.30+w2*0.37+0*w3
# instantaneous indirect effects (gini_disp2 must be held constant here)
theta1 := (b1+2*b2*predm1)*a1
theta2 := (b1+2*b2*predm2)*a1
theta3 := (b1+2*b2*predm3)*a1
theta4 := (b1+2*b2*predm4)*a1
theta5 := (b1+2*b2*predm5)*a1
theta6 := (b1+2*b2*predm6)*a1
theta7 := (b1+2*b2*predm7)*a1
theta8 := (b1+2*b2*predm8)*a1
theta9 := (b1+2*b2*predm9)*a1
theta10 := (b1+2*b2*predm10)*a1
theta11 := (b1+2*b2*predm11)*a1
theta12 := (b1+2*b2*predm12)*a1
# pred values
predy1 := i2 + c1*x1 + c2*x1*x1 + b1*predm1 + b2*predm1*predm1 + w11*.30+w12*0.37+0*w13
predy2 := i2 + c1*x2 + c2*x2*x2 + b1*predm2 + b2*predm2*predm2 + w11*.30+w12*0.37+0*w13
predy3 := i2 + c1*x3 + c2*x3*x3 + b1*predm3 + b2*predm3*predm3 + w11*.30+w12*0.37+0*w13
predy4 := i2 + c1*x4 + c2*x4*x4 + b1*predm4 + b2*predm4*predm4 + w11*.30+w12*0.37+0*w13
predy5 := i2 + c1*x5 + c2*x5*x5 + b1*predm5 + b2*predm5*predm5 + w11*.30+w12*0.37+0*w13
predy6 := i2 + c1*x6 + c2*x6*x6 + b1*predm6 + b2*predm6*predm6 + w11*.30+w12*0.37+0*w13
predy7 := i2 + c1*x7 + c2*x7*x7 + b1*predm7 + b2*predm7*predm7 + w11*.30+w12*0.37+0*w13
predy8 := i2 + c1*x8 + c2*x8*x8 + b1*predm8 + b2*predm8*predm8 + w11*.30+w12*0.37+0*w13
predy9 := i2 + c1*x9 + c2*x9*x9 + b1*predm9 + b2*predm9*predm9 + w11*.30+w12*0.37+0*w13
predy10 := i2 + c1*x10 + c2*x10*x10 + b1*predm10 + b2*predm10*predm10 + w11*.30+w12*0.37+0*w13
predy11 := i2 + c1*x11 + c2*x11*x11 + b1*predm11 + b2*predm11*predm11 + w11*.30+w12*0.37+0*w13
predy12 := i2 + c1*x12 + c2*x12*x12 + b1*predm12 + b2*predm12*predm12 + w11*.30+w12*0.37+0*w13

,

m43pfit <- sem(m43p, data = df, meanstructure = T)

```

## Table 2. Main Models

We used an html template from `tab_model` command and hand edited the values to produce a table that was visually identical to Table 1. Automation would be ideal here, but we double checked the scores.

```

# set up frames

m40tab <- matrix(summary(m40fit, fit.measures = T))
m40fits <- as.data.frame(m40tab[[1]])
m40parm <- as.data.frame(m40tab[[2]])
m40parm <- select(m40parm, -c(label, exo))
m41tab <- matrix(summary(m41fit, fit.measures = T))
m41fits <- as.data.frame(m41tab[[1]])
m41parm <- as.data.frame(m41tab[[2]])
m41parm <- select(m41parm, -c(label, exo))
m42tab <- matrix(summary(m42fit, fit.measures = T))
m42fits <- as.data.frame(m42tab[[1]])
m42parm <- as.data.frame(m42tab[[2]])
m42parm <- select(m42parm, -c(label, exo))
m43tab <- matrix(summary(m43fit, fit.measures = T))
m43fits <- as.data.frame(m43tab[[1]])
m43parm <- as.data.frame(m43tab[[2]])
m43parm <- select(m43parm, -c(label, exo))

# combine and name which results go with which models

semtab <- rbind(m40parm, m41parm, m42parm, m43parm)
semtab_labels <- as.data.frame(matrix(nrow = length(semtab[,1]), ncol = 1))
semtab_labels$V1 <- as.list(unlist(strsplit(paste(paste(replicate(length(m40parm[,1]), "m40"), collapse = ","), paste(replicate(length(m41parm[,1]), "m41"), collapse = ","), paste(replicate(length(m42parm[,1]), "m42"), collapse = ","), paste(replicate(length(m43parm[,1]), "m43"), collapse = ","), sep = ","), ", ")))

semtab <- cbind(semtab_labels, semtab)
semtab <- semtab %>%
  mutate(est = round(est,3),
         se = round(se,3),
         pvalue = round(pvalue,3),
         stars = ifelse(pvalue>0.1,"", ifelse(pvalue>0.05,"*", ifelse(pvalue>0.01,"***","***"))),
         est = ifelse(rhs == "gini_dispR" | rhs == "gini_disp2", est/100, est),
         se = ifelse(rhs == "gini_dispR" | rhs == "gini_disp2", se/100, se)
  )

semtab <- subset(semtab, op == "~" & lhs!= "concern_self2")

semfits <- round(cbind(m40fits, m41fits, m42fits, m43fits), 3)
colnames(semfits) <- c("m40", "m41", "m42", "m43")

# get r-squared
m40r2 <- round(as.data.frame(inspect(m40fit, 'r2')), 3)
m41r2 <- round(as.data.frame(inspect(m41fit, 'r2')), 3)
m42r2 <- round(as.data.frame(inspect(m42fit, 'r2')), 3)
m43r2 <- round(as.data.frame(inspect(m43fit, 'r2')), 3)

semr2s <- cbind(m40r2, m41r2, m42r2, m43r2)
semr2s <- semr2s[1:2,]
colnames(semr2s) <- c("m40", "m41", "m42", "m43")

semfits <- rbind(semfits, semr2s)

semfits <- semfits[c("rate_2", "concern_self", "aic", "bic", "log1"),]

rm(m40tab, m40fits, m40parm, m41tab, m41fits, m41parm, m42tab, m42fits, m42parm, m43tab, m43fits, m43parm, m40r2, m41r2, m42r2, m43r2, semr2s, semtab_labels)

kable(semtab)
kable(semfits)

```

To create a table identical to the `tab_model` table we adjust the html code by hand, but hopefully we can automate this in the future.

```
knitr::include_graphics("results/Tbl12.png")
```

<b>Infection Increase in May</b> (paths predicting Y)	<b>M40</b> <i>Estimates</i>	<b>M41</b> <i>Estimates</i>	<b>M42</b> <i>Estimates</i>	<b>M43</b> <i>Estimates</i>
Days Since Curve Inflection	-0.03 ***	-0.03 ***	-0.03 ***	-0.03 ***
New Case Rate	-0.22 *	-0.18 *	-0.14	-0.10
Government Intervention	-0.13 **	-0.14 **	-0.10 *	-0.10 *
Risk Perceptions	0.60 ***	0.45 **	-10.87 ***	-10.07 ***
Risk Perceptions^2			1.27 ***	1.18 ***
Disposable Income Inequality		0.02	0.02	-0.12 +
Disposable Income Inequality^2				0.19 +
<b>Risk Perceptions in April</b> (paths predicting M)	<b>M40</b> <i>Estimates</i>	<b>M41</b> <i>Estimates</i>	<b>M42</b> <i>Estimates</i>	<b>M43</b> <i>Estimates</i>
Days Since Curve Inflection	-0.00 **	0.00	0.00	0.00
New Case Rate	0.19 ***	0.20 ***	0.20 ***	0.20 ***
Government Intervention	-0.04	-0.04	-0.04	-0.04
Disposable Income Inequality		0.03 ***	0.03 ***	0.03 ***
Observations	74	74	74	74
R <sup>2</sup> Y	0.675	0.684	0.725	0.734
R <sup>2</sup> M	0.238	0.427	0.427	0.427
AIC	101.010	82.019	73.393	72.890
BIC	133.267	118.884	112.562	114.364
log-Likelihood	-36.505	-25.010	-19.696	-18.445

+  $p < 0.15$  \*  $p < 0.1$  \*\*  $p < 0.05$  \*\*\*  $p < 0.01$

Figure 5

```

m43mat <- summary(m43pfit)
m43mat <- as.data.frame(m43mat[["PE"]])
a43 <- m43mat[38:49,]
a43 <- select(a43, rhs)
a43$rhs <- as.numeric(a43$rhs)
colnames(a43) <- c("X_gini")
b43 <- m43mat[50:61,]
b43 <- select(b43, label, est)
colnames(b43) <- c("moderator", "pred_M")
c43 <- m43mat[62:73,]
c43 <- select(c43, est, se, z, pvalue)
colnames(c43) <- c("inst_indr_effect", "iie_se", "iie_z", "iie_p")
d43 <- m43mat[74:85,]
d43 <- select(d43, est, se, z, pvalue)
colnames(d43) <- c("pred_Y", "Y_se", "Y_z", "Y_p")

m43mat <- cbind(a43, b43, c43, d43)

# Now transform so that all values are relative to an 'average', axis cross

# 1 - rescale Gini back into its 100-point original scale
m43mat <- m43mat %>%
  mutate(X_gini = round(X_gini*100,1),
         pred_MC = pred_M - mean(pred_M),
         iie_orig = inst_indr_effect/100,
         iie_origC = iie_orig - mean(iie_orig),
         pred_YavgC = 0.33820*pred_Y, # make avg-Y_hat mean = avg-Y mean
         ymin = pred_YavgC - 1.96*Y_se*0.33820,
         ymax = pred_YavgC + 1.96*Y_se*0.33820)# add 95% confidence intervals)

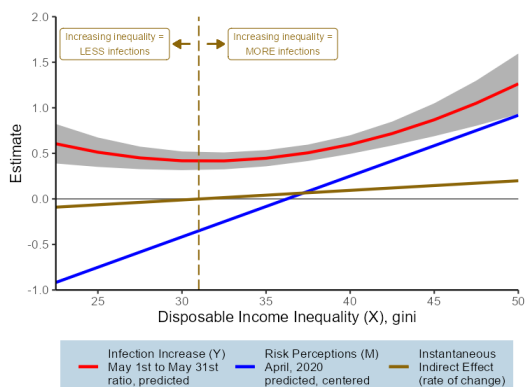
rm(a43, b43, c43, d43)

```

```
agg_png(file = "results/Fig5.png", width = 800, height = 600, res = 144)
ggplot(data = m43mat, aes(x = X_gini)) +
  geom_abline(intercept = 0, slope = 0, size = 0.25, color = "grey2") +
  geom_ribbon(aes(ymin=ymin,ymax=ymax), fill = "grey70") +
  geom_line(aes(y = pred_YavgC, color = "a"), size = 1) +
  geom_line(aes(y = pred_MC, color = "b"), size = 1) +
  geom_line(aes(y = iie_orig, color = "c"), size = 1) +
  geom_vline(xintercept = 31, linetype = 5, color = "darkgoldenrod4") +
  annotate(geom="label", x=26, y=1.7, label="Increasing inequality =\nLESS infections",
    color="darkgoldenrod4", size = 2.5) +
  annotate(geom="label", x=36, y=1.7, label="Increasing inequality =\nMORE infections",
    color="darkgoldenrod4", size = 2.5) +
  geom_segment(aes(x = 30.5, y = 1.7, xend = 29.5, yend = 1.7),
    arrow = arrow(length = unit(0.2, "cm"), type = "closed"), colour = "darkgoldenrod4") +
  geom_segment(aes(x = 31.5, y = 1.7, xend = 32.5, yend = 1.7),
    arrow = arrow(length = unit(0.2, "cm"), type = "closed"), colour = "darkgoldenrod4") +
  scale_color_manual(name = "", labels = c("a" = "Infection Increase (Y)\nMay 1st to May 31st\nratio, predicted", "b" = "Ins-
tantaneous\nIndirect Effect\n(rate of change)", "c" = "Risk Perceptions (M)\nApril, 2020\npredicted, centered"), values = c
("a" = "red", "b" = "blue", "c" = "darkgoldenrod4")) +
  scale_x_continuous(breaks = c(25,30,35,40,45,50), expand = c(0,0)) +
  scale_y_continuous(breaks = c(-1,-0.5,0,0.5,1,1.5,2), limits = c(-1,2), expand = c(0,0)) +
  labs(x = "Disposable Income Inequality (X), gini", y = "Estimate") +
  theme(panel.background = element_blank(),
    panel.grid = element_blank(),
    axis.line = element_line(),
    legend.position = "bottom",
    legend.background = element_rect(fill = "#BFD5E3"),
    legend.key = element_rect(fill = "#BFD5E3"),
    plot.margin=unit(c(1,1,0.1,0.3),"cm"))
dev.off()
```

```
## png
## 2
```

```
knitr::include_graphics("results/Fig5.png")
```



We know that there is a risk of random sampling variation causing disturbance to the results. Therefore we again simulate the variability in the mean risk perceptions by country.

Get rid of earlier sampling robustness exercise and just do it here for both.

### Robustness of Mediation Effect to Sampling. Simulating Plausible Alternative Values for Country-Means

The confidence interval of our regression estimates is based on a sampling distribution across countries, but we have a potentially large source of uncertainty within countries due to the use of an online survey and some very small samples. The online survey problem cannot be solved directly through bootstrapping, but we can assess the robustness of our estimates using the within-country uncertainty.

We 'bootstrap' the estimates by generating random data that follow a normal distribution for each country based on the standard error. Then we run the analysis on each dataset to generate a confidence interval for our estimates that incorporates the within-country standard error of the mean.

Designate the model and calculate the slope of the indirect effect



```

r43 <- '   rate_2 ~ c1*gini_dispR + c2*gini_disp2 + w11*days_since_peak + w12*conf_delta + w13*gov_resp
          concern_self ~ a1*gini_dispR + a2*gini_disp2 + w1*days_since_peak + w2*conf_delta + w3*gov_resp
          rate_2 ~ b1*concern_self + b2*concern_selfsq
          concern_selfsq ~ concern_self
          concern_self ~ gini_disp2
          concern_self ~ i1*1
          rate_2 ~ i2*1
          a2 == 0
          x1 := .225
          x12 := .50
          predm1 := i1+(a1*x1)+w1*.30+w2*0.37+0*w3
          predm12 := i1+(a1*x12)+w1*.30+w2*0.37+0*w3
          theta1 := (b1+2*b2*predm1)*a1
          theta12 := (b1+2*b2*predm12)*a1
          slope := (theta12-theta1)/(x12-x1)
          yint := theta12 - (slope*x12)
          xint := -yint/slope
          ,

```

note with limited RAM I can only do 750 at a time

first 750

```

#
for (i in 1:750) {
  assign(paste0("r43_",i), str_replace_all(r43, "concern_self", test[i]))
}

# fit first 750 models

# get list
model.list <- mget(grep("r43_[0-9]+$", ls(),value=T))

# remove values (clear up RAM)
rm(list = ls(pattern = "r43_"))

# fitting loop
for (m in 1:length(model.list)) {
  assign(paste0("fit_", names(model.list[m])), sem(paste0(model.list[m]), data = finaldf_Ca_sim, meanstructure = T, check.gradient = F))
}

# get fit list
fit.list <- mget(grep("fit_r43_[0-9]+$", ls(),value=T))
rm(list = ls(pattern = "fit_r43_"))

# extract iie
iie_fit <- matrix(nrow = 2000, ncol = 2)
i <- 1
for (e in 1:750) {
  iie_fit[i,1] <- fit.list[[e]]@ParTable[["est"]][44]
  iie_fit[i,2] <- fit.list[[e]]@ParTable[["est"]][46]
  i <- i + 1
}

rm(fit.list, model.list)

```

751-1500

```
#
for (i in 751:1500) {
  assign(paste0("r43_",i), str_replace_all(r43, "concern_self", test[i]))
}

# fit first 750 models

# get list
model.list <- mget(grep("r43_[0-9]+$", ls()),value=T))

# remove values (clear up RAM)
rm(list = ls(pattern = "r43_"))

# fitting loop
for (m in 1:length(model.list)) {
  assign(paste0("fit_", names(model.list[m])), sem(paste0(model.list[m]), data = finaldf_Ca_sim, meanstructure = T, check.gradient = F))
}

# get fit list
fit.list <- mget(grep("fit_r43_[0-9]+$", ls()),value=T))
rm(list = ls(pattern = "fit_r43_"))

# extract iie
i <- 751
for (e in 1:750) {
  iie_fit[i,1] <- fit.list[[e]]@ParTable[["est"]][44]
  iie_fit[i,2] <- fit.list[[e]]@ParTable[["est"]][46]
  i <- i + 1
}
rm(fit.list, model.list)
```

1501-2000

```

#
for (i in 1501:2000) {
  assign(paste0("r43_",i), str_replace_all(r43, "concern_self", test[i]))
}

# fit first 750 models

# get list
model.list <- mget(grep("r43_[0-9]+$", ls(),value=T))

# remove values (clear up RAM)
rm(list = ls(pattern = "r43_"))

# fitting loop
for (m in 1:length(model.list)) {
  assign(paste0("fit_", names(model.list[m])), sem(paste0(model.list[m]), data = finaldf_Ca_sim, meanstructure = T, check.gradient = F))
}

# get fit list
fit.list <- mget(grep("fit_r43_[0-9]+$", ls(),value=T))
rm(list = ls(pattern = "fit_r43_"))

# extract iie
i <- 1501
for (e in 1:500) {
  iie_fit[i,1] <- fit.list[[e]]@ParTable[["est"]][44]
  iie_fit[i,2] <- fit.list[[e]]@ParTable[["est"]][46]
  i <- i + 1
}
rm(fit.list, model.list)

iie_fit <- as.data.frame(iie_fit)
colnames(iie_fit) <- c("slope", "intercept")

# put into original metric
iie_fit$slope <- round(iie_fit$slope/100, 3)
iie_fit$intercept <- round(iie_fit$intercept*100, 3)

# get standard error
rob1 <- apply(iie_fit, 2, mean)
rob2 <- apply(iie_fit, 2, sd)
rob3 <- c(NA,NA)
rob <- rbind(rob1, rob2, rob3)

rob[3,1] <- rob[2,1]/sqrt(2000)
rob[3,2] <- rob[2,2]/sqrt(2000)
m43slope <- (m43pfit@ParTable[["est"]][73]-m43pfit@ParTable[["est"]][72])/(.5 - .475)
m43yint <- m43pfit@ParTable[["est"]][73] - m43slope*.5
m43xint <- (-m43yint/m43slope)*100
m43slope <- m43slope/100

```

For the instantaneous indirect effects, the robust mean slope is 0.711763 with a standard error of 0.0094763 and the robust mean intercept is 29.7752245 with a standard error of 0.1183316. Original slope is 1.0543015 and x-int 31.1193831

## References

Hayes, Andrew F., and Kristopher J. Preacher. 2010. "Quantifying and Testing Indirect Effects in Simple Mediation Models When the Constituent Paths Are Nonlinear." *Multivariate Behavioral Research* 45(4):627–60. Shared Copy ([http://quantpsy.org/pubs/hayes\\_preacher\\_2010.pdf](http://quantpsy.org/pubs/hayes_preacher_2010.pdf))