A - 筛1

```
#include<iostream>
#include<cstring>
#include<algorithm>
using namespace std;
int a[1000005];
int main(){
    int t,j;
    cin>>t;
    for(int i=1;i<=t;i++){</pre>
         int sum,cnt;
         cin>>sum>>cnt;
         \texttt{for}(\texttt{j=1};\texttt{j<=cnt};\texttt{j++})\{
              cin>>a[j];
         }
         sort(a+1,a+1+cnt);
         int ans=0;
         bool flag=0;
         for(j=cnt;j>=1;j--){
              ans+=a[j];
              if(ans>=sum){
                  flag=1;
                  break;
              }
         }
         cout<<"Scenario #"<<i<<":"<<endl;</pre>
         if(flag) cout<<cnt-j+1<<end1<<end1;</pre>
         else cout<<"impossible"<<endl<<endl;</pre>
    return 0;
}
```

B - 筛2

```
#include <iostream>
#include <cstdio>
#include <cstring>
#include <cmath>
#include <algorithm>
#include <vector>
#include <map>
using namespace std;
const int N = 1040400;
int vis[N], prime[N], num[N][3];
char str[N];
int main() {
    memset(vis,0,sizeof(vis));
    int k=0;
    int t=(int)sqrt(N*1.0);
    for(int i=2;i<=t;i++) {</pre>
        if(vis[i]) continue;
        if(i%2==0) continue;
```

```
for(int j=2*i;j<N;j+=i) vis[j]=1;</pre>
    }
    for(int i=2;i<N;i++)</pre>
        if(!vis[i]) prime[k++]=i;
    int n;
    while(scanf("%s %d",str,&n)!=E0F&&n) {
        if(str[0]=='0'&&n==0) break;
        int len=strlen(str), cnt=0;
        for(int i=0;str[i]!='\0';i++) {
            if(i+2<len) {
                num[cnt][1]=1000;
                num[cnt++][0]=(str[i]-'0')*100+(str[i+1]-'0')*10+(str[i+2]-'0');
                i+=2;
            }
            else if(i+1<len) {
                num[cnt][1]=100;
                num[cnt++][0]=(str[i]-'0')*10+(str[i+1]-'0');
                i+=1;
            }
            else if(i<len) {
                num[cnt][1]=10;
                num[cnt++][0]=(str[i]-'0');
            }
        }
        int flag=0;
        for(int i=0;i<k;i++) {</pre>
            if(prime[i]>=n) break;
            int sum=0;
            for(int j=0;j<cnt;j++) {</pre>
                 sum=sum*num[j][1]+num[j][0];
                sum%=prime[i];
            }
            if(sum==0) {
                printf("BAD %d\n",prime[i]);
                flag=1;
                break;
            }
        if(!flag)puts("GOOD");
    return 0;
}
```

C - Extended Twin Composite Number

```
#include<iostream>
#include<cstdio>
#include<cstring>
#include<algorithm>
using namespace std;
const int Mod = 1000000007;
int main(){
    int line;
    cin >> line;
    while ( line--) {
        long long num;
        scanf("%lld",&num);
}
```

```
long long temp1 = 8;
long long temp2 = 9;
printf("%1ld %1ld\n",num*temp1, num*temp2);
}
return 0;
}
```

D - 快速幂

```
#include<iostream>
#include<cstdio>
using namespace std;
typedef long long 11;
const int N=1000000007;
11 pow(11 a,11 n,11 p) {
    11 \text{ ans} = 1;
    while(n) {
        if(n \& 1) ans = (ans * a) % p;
        a = a * a % p;
        n >>= 1;
    return ans;
}
int main() {
    int n;
    while(~scanf("%lld",&n)) {
        cout << pow(2, n*n-1, N) << end1;
    }
    return 0;
}
```

E - 矩阵快速幂

```
#include<iostream>
#include<stdio.h>
#include<string.h>
using namespace std;
struct juzhen{
    int v[2][2];
};
juzhen t=\{1,1,1,0\};
int tmp[2][2];
juzhen multi(juzhen a, juzhen b, int n) {
    memset(tmp,0,sizeof tmp);
    for(int i=0;i<n;i++)</pre>
        for(int j=0; j< n; j++)
             for(int k=0; k< n; k++)
                 tmp[i][j]=(tmp[i][j]+a.v[i][k]*b.v[k][j])%10000;
    for(int i=0;i<n;i++)</pre>
        for(int j=0; j< n; j++)
            a.v[i][j]=tmp[i][j];
    return a;
}
juzhen res;
int Pow(juzhen a,long long n) {
    res.v[0][0]=res.v[1][1]=1;
```

```
res.v[0][1]=res.v[1][0]=0;
while(n){
    if(n&1)
        res=multi(res,a,2);
    a=multi(a,a,2);
    n>>=1;
}
return res.v[0][1];
}

int main(){
    long long n;
    while(scanf("%1ld",&n)!=EOF&&n!=-1){
        if(n==0) cout<<0<<endl;
        else
            printf("%d\n",Pow(t,n)%10000);
    }
    return 0;
}</pre>
```

F - 欧拉函数

```
#include<iostream>
#include<cmath>
using namespace std;
int euler_phi(int n) {
    int m = int(sqrt(n + 0.5));
    int ans = n;
    for (int i = 2; i <= m; i++)
        if (n \% i == 0) {
            ans = (ans / i) * (i - 1);
            while (n \% i == 0) n /= i;
        }
    if (n > 1) ans = (ans / n) * (n - 1);
    return ans;
}
int main(){
    int t;
    cin>>t;
    for(int i=1;i<=t;i++){</pre>
        int n;
        cin>>n;
        long long sum=0;
        for(int j=2; j <= n; j++)
            sum+=euler_phi(j);
        sum=sum*2+3;
        cout<<i<' '<<n<<' '<<sum<<end1;</pre>
    }
    return 0;
}
```

G - 欧拉降幂

```
#include<iostream>
#include<cstring>
```

```
#include<cstdio>
using namespace std;
typedef long long 11;
char b[1000006];
11 a,c;
11 qmod(11 a,11 n,11 mod){
    11 ans=1;
    while(n){
        if(n&1){
            ans=ans*a%mod;
        }
        a=a*a\%mod;
        n>>=1;
    return ans%mod;
}
11 euler(11 n){
    11 ans=n;
    for(11 i=2;i*i<=n;i++){
        if(!(n%i)){
            ans=ans/i*(i-1);
            while(n\%i==0){
                n/=i;
            }
        }
    }
    if(n>1) ans=ans/n*(n-1);
    return ans;
}
int main(){
    while(~scanf("%lld %s %lld",&a,b,&c)){
        11 PHI=euler(c);
        11 len=strlen(b);
        11 res=0;
        for(11 i=0;i<1en;i++){
            res=(res*10+b[i]-'0')%PHI;
        }
        printf("%11d\n",qmod(a,res,c));
    return 0;
}
```

H-组合数

```
#include<iostream>
#include<string.h>
#include<cstdio>
using namespace std;
#define ll long long
ll p;
inline ll qpow(ll a,ll b) {
   if(b==1) return a;
   ll res=1;
   while(b)
   {
    if(b&1)
      res=(res*a)%p;
```

```
a=(a*a)%p;
        b/=2;
    return res;
}
inline | C(| n, | m) {
    if(n<m) return 0;</pre>
    if(m>n-m) m=n-m;
    11 a=1,b=1;
    for(int i=0; i<m; i++) {
        a=(a*(n-i))%p;
        b=(b*(i+1))%p;
    return a*qpow(b,p-2)%p;
inline ll Lucas(ll n,ll m) {
    if(m==0) return 1;
    return Lucas(n/p,m/p)*C(n%p,m%p)%p;
}
int main() {
   int T;
    scanf("%d",&T);
    11 n,m;
    while(T--)
        scanf("%I64d%I64d%I64d",&n,&m,&p);
        11 ans=Lucas(n+m,n);
        printf("%I64d\n",ans);
    }
    return 0;
}
```

I - OEIS.org

```
#include<bits/stdc++.h>
using namespace std;
typedef long long 11;
const 11 Mod=998244353;
ll a[100005];
void init(){
    a[0]=a[4]=a[5]=1;
    a[2]=a[1]=0;
    a[5]=8;
    a[6]=36;
    for(int i=7;i<=100003;i++){
        a[i]=((i-2)*a[i-1]%Mod+(i-1)*a[i-2]%Mod+(i&1?1:-1))%Mod;
    return ;
}
int main(){
    int t;
    cin>>t;
    init();
    while(t--){
        int n;
        cin>>n;
        cout<<a[n]<<endl;</pre>
```

```
}
return 0;
}
```

J-扩展欧几里得

```
#include<iostream>
#include<cmath>
#define 11 long long
using namespace std;
11 a,b,m,n,1,x,y;
11 exgcd(11 a,11 b,11 &x,11 &y ) {
    if(b==0) {
        x=1;
        y=0;
        return a;
    11 d=exgcd(b,a%b,x,y);
    11 z=x;
    x=y;
    y=z-a/b*y;
    return d;
}
int main() {
    cin>>a>>b>>m>>n>>1;
    11 d=exgcd(m-n,1,x,y);
    if((b-a)%d) {
        cout<<"Impossible";</pre>
    } else {
        x*=(b-a)/d;
        11 mod;
        if(1/d<0) \mod=-(1/d);
        else mod=1/d;
        cout<<(x%mod+mod)%mod;</pre>
    return 0;
}
```

K - CRT(中国剩余定理)

```
#include<iostream>
#include<stdio.h>
using namespace std;
int exgcd(int a,int b,int &x,int &y) {
    if(b == 0 ) {
        x = 1;
        y = 0;
        return a;
    }
    int d = exgcd(b, a%b , x, y);
    int z = x;
    x = y;
    y = z - y*(a/b);
    return d;
}
int CRT(int A[],int B[],int n){
```

```
int m = 1, ans = 0;
    for(int i = 0; i < n; ++i)
        m = m * B[i];
    for(int i = 0; i < n; ++i){
        int x,y;
        int Mi = m / B[i];
        exgcd(Mi,B[i],x,y);
        ans = (ans + Mi * x * A[i]) % m;
    if(ans \ll 0) ans += m;
    return ans;
}
int main(){
   int d;
    int b[3]={23,28,33};
    for(int i=1;i;i++){
        int a[3];
        cin>>a[0]>>a[1]>>a[2]>>d;
        if(a[0]+a[1]+a[2]+d==-4) break;
        int sum=CRT(a,b,3);
        if(sum<d) sum+=21252-d;
        else sum-=d;
        printf("Case %d: the next triple peak occurs in %d days.\n",i,sum);
   return 0;
}
```

L-EXCRT1(扩展中国剩余定理)

```
#include<iostream>
#include<cstdio>
#include<algorithm>
#define MOD 1e9+7
#define 11 long long
#define ULL unsigned long long //1844674407370955161
#define INT_INF 0x7f7f7f7 //2139062143
#define LL_INF 0x7f7f7f7f7f7f7f7f7 //9187201950435737471
using namespace std;
11 exgcd(11 a,11 b,11 &x,11 &y) {
   if(b == 0) {
       x = 1;
       y = 0;
       return a;
   11 d = exgcd(b, a\%b, x, y);
   11 z = x;
   x = y;
   y = z - y*(a/b);
   return d;
}
//逐一合并大法
ll CRT(int w[],int b[],int k)//w为除数,b为余数,k为有多少式子
   11 Wi=w[0], ret=b[0];
    for(int i=1;i<k;++i) {
       11 wi=w[i];11 bi=b[i];11 x,y;
        11 gcd=exgcd(Wi,wi,x,y);11 c=bi-ret;
```

```
if(c%gcd)//表示没有结果
            return -1;
       11 W=wi/gcd;
        ret+=Wi*(((c/gcd*x)%W+W)%W);
       Wi*=W;
   }
   if(!ret)//表示余数全部为零
       ret=1;
       for(int i=0; i< k; ++i)
           ret=ret*w[i]/__gcd(ret,(11)w[i]);//使用库函数求最小公倍数
   return ret;
}
int main()
   int w[10000],b[10000];
   int n;
   while(scanf("%d",&n)!=EOF) {
       for(int i=0;i<n;++i) {
           scanf("%d%d",&w[i],&b[i]);//除数
       }
       ll ans=CRT(w,b,n);
       printf("%11d\n", ans);
   return 0;
}
```

M - EXCRT2

```
#include<iostream>
#include<cstdio>
#include<algorithm>
#define MOD 1e9+7
#define 11 long long
#define ULL unsigned long long //1844674407370955161
#define INT_INF 0x7f7f7f7 //2139062143
#define LL_INF 0x7f7f7f7f7f7f7f7f7 //9187201950435737471
using namespace std;
11 exgcd(11 a,11 b,11 &x,11 &y) {
   if(b == 0) {
       x = 1;
       y = 0;
       return a;
   11 d = exgcd(b, a\%b, x, y);
   11 z = x ;
   x = y;
   y = z - y*(a/b);
   return d;
}
//逐一合并大法
11 \ 1cm = 0;
11 CRT(11 w[],11 b[],11 k)//w为除数,b为余数,k为有多少式子
    11 Wi=w[0], ret=b[0];
   for(int i=1;i<k;++i) {</pre>
```

```
ll wi=w[i];ll bi=b[i];ll x,y;
        11 gcd=exgcd(Wi,wi,x,y);11 c=bi-ret;
        if(c%gcd)//表示没有结果
           return -1;
        11 W=wi/gcd;
        ret+=Wi*(((c/gcd*x)%W+W)%W);
       Wi*=W;
   1cm = Wi;
   if(!ret)//表示余数全部为零
        ret=1;
       for(int i=0;i< k;++i)
           ret=ret*w[i]/__gcd(ret,(11)w[i]);//使用库函数求最小公倍数
       1cm = ret;
   }
   return ret;
}
int main() {
   int t;
   cin >> t;
   while(t--) {
       int n,m;
       cin >> n >> m;
       ll a[15],b[15];
        for(int i = 0; i < m; i++) {
           cin >> a[i];
        for(int i = 0; i < m; i++) {
           cin >> b[i];
       11 ans=CRT(a,b,m);
        if (ans==-1||ans>n)
           cout<<"0"<<end1;
        else
           cout<<(n-ans)/lcm+1<<endl;</pre>
   return 0;
}
```