

# FINANCIAL ECONOMETRICS 1 - M2 FTD

## EMPIRICAL APPLICATIONS

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# Introduction

something, probably describe how all applications make sense one after the other and what the research question we could have made ourselves when doing the applications, try to give a coherent look to the whole thing.

This document compiles all our applications for the Financial Econometrics course. Each section represents a specific application, but we tried to make them coherent across them around a broad question:

## 1 Series Dynamics

### 1.1 Data

*Note:* Depending on each exercise along these applications we might use different series. In this first section, we performed the stationarity and component analysis of all of them to be able to use them rapidly without having to worry about seasonality or the presence of UR. Therefore, this section encompasses more than the 3 series that were asked in the exercise.

In this work, we focus on the US market. We use the following series retrieved for the most part from FRED with its Python API (FRED tickers are in square brackets) :

**Inflation Expectation [MICH]** This data series is made public by the University of Michigan from their Survey of Consumers. The series represents the median expected value of the percent change in prices over the next year. The series is not seasonally adjusted.

**GDP deflator [A191RI1Q225SBEA]** As a measure of inflation, we decided to use the implicit price deflator of the US GDP. Unlike measures like the CPI deflators do not consider baskets of goods and therefore are broader measures of the price changes across the entire economy that measure the ratio of the GDP in value and volume. It is a measure produced by the US Bureau of Economic Analysis as a quarterly measure of percent change QoQ. The raw series is already seasonally adjusted at an annual rate.

**Unemployment rate [UNRATENSA]** It represents the share (in percent) of unemployed people over the labor force <sup>1</sup>. The source is the 'Current Population Survey (Household Survey)' of the US Bureau of Labor Statistics

**FED fund rate**

**S&P 500 price**

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<sup>1</sup>The labor force data in this context encompasses people older than 16, living in the continental US, who don't reside in institutions like prisons or homes for the aged, and who are not in active duty in the military.

## 1.2 Unit root and trends

As for any time series analysis, the first analysis to perform is regarding the presence of unit roots in the series that would make them non-stationary. To do so, we perform the Augmented Dickey-Fuller tests that evaluate the presence of a stochastic trend (a unit root), a deterministic trend, and an intercept or drift. Importantly, this test requires estimating three equations/specifications because it requires investigating the joint presence of both types of trends and drift, for them to discard elements one by one. Each specification tests a different data-generating process of the series. For all specifications, the main null hypothesis  $H_0$  is that the series exhibits a UR. The inference with this test is non-standard and requires to use of corrected critical values to assess significance with the t-statistics.

### 1.2.1 ADF - Test jointly for deterministic and stochastic trend (with drift)

We first run the following specification to the ADF test to *jointly* investigate the presence of a stochastic and a determinist trend for each series  $(X_t)_t$ :

$$\Delta X_t = \alpha + \beta t + \gamma X_{t-1} + \sum_{i=1,2,\dots} \rho_i \Delta X_{t-i} + \varepsilon_t \quad (1)$$

As per usual, the ADF test assumes  $H_0: \gamma = 0$  i.e. a unit root exists and the series is non-stationary. We use R's built-in function `ur.df` with `type='trend'` to get this estimation. This function gives us (i) a regression table per series and (ii) a summary table with the following test statistics:

- tau3 refers to the t-statistic associated to  $H_0: \gamma = 0$  i.e. the presence of a UR.  $H_1$  refers to the absence of said UR.
- phi2 refers to the F-statistic associated with  $H_0: \alpha = \beta = \gamma = 0$ <sup>2</sup>
- phi3 is also an F-statistic, now associated to  $H_0: \beta = \gamma = 0$

Remark that the critical value in both tables can be a little different. This is because they are sensitive to the number of observations in each series. In Table 1, the critical values correspond to those provided directly by R and are associated with  $N = 500$ , while in Table 2 we give the values for  $N = 250$ . Since we have 396 data points per series we preferred to refer to the higher critical values but it does not change the analysis done.

Let us examine each series' results, summarized in the following tables:

Table 1: ADF test - 1st regression with drift, deterministic trend and stochastic trend

	gdp	dpi	infl_e	deflator	rate	splong	CV 1pct	CV 5pct	CV 10pct
tau3	-2.150	-2.694	-4.650	-5.197	-1.709	-1.975	-3.980	-3.420	-3.130
phi2	14.496	7.880	7.375	9.097	2.015	3.875	6.150	4.710	4.050
phi3	2.388	3.849	11.061	13.644	2.917	1.997	8.340	6.300	5.360

<sup>2</sup>As with all F-tests, the alternative hypothesis is that at least one of these coefficients is non-null. Since this is general, we don't explicitly signal the  $H_1$  hereafter.

Table 2: ADF test - 1st regression t statistics

	gdp	dpi	infl_e	deflator	rate	splong
alpha	2.197	2.714	4.004	2.593	0.698	2.101
gamma	-2.150	-2.694	-4.650	-5.197	-1.709	-1.975
beta	2.094	2.577	1.265	1.166	-0.181	1.726
rho	16.326	-11.089	-0.255	14.255	15.719	4.099

Notes: With N=396, critical values at 5%: alpha = 3.09 ; gamma= -3.43 ; beta = 2.79

**GDP** We have  $t_\gamma = -2.15 > -3.42$  we cannot reject the presence of a UR ( $H_0$ ). We shall note that phi2 ie that all coefficients are null is rejected since  $F_{phi2} = 14.496 > 4.71$  while phi3 ( $\gamma = \beta = 0$ ) is not ( $F_{phi3} = 2.388 < 6.3$ ). This suggests the absence of a deterministic trend which is confirmed when assessing the significance of  $\beta$  using its non-standard critical value  $|t_\beta| = 2.094 < 2.79$  (nullity, ie  $H_0$  cannot be rejected). These results require us to keep testing the series with the next specification of the test.

**Disposable personal income** Similarly as before we find  $t_\gamma = -2.694 > -3.42$  and we fail to reject  $H_0$ . Regarding the joint nullity tests as before we reject phi2 ( $F_{phi2} = 7.88 > 4.71$ ) and cannot reject phi3 ( $F_{phi3} = 3.849 < 6.3$ ). We also fail to reject the nullity of  $\beta$  as  $|t_\beta| = 2.577 < 2.79$  and we shall test this series moving forward.

**Inflation expectation** We find  $t_\gamma = -4.65 < -3.43$  we reject  $H_0$  ie we can't say that the series has a UR. The F-statistics of phi2 and phi3 lead us to reject their null hypothesis:  $F_{phi2} = 7.375 > 4.71$ ,  $F_{phi3} = 11.061 > 6.3$ , leading us to believe that the series has either a drift and/or a deterministic trend. We, therefore, compare the t-statistics associated with  $\alpha$  and  $\beta$  to the standard interest threshold (the critical values below Table 2 are conditional on having a UR). Since  $|t_\alpha| = 4.004 > 1.96$  and  $|t_\beta| = 1.265 < 1.96$ , we fail to reject the presence of a deterministic trend while the drift term is significantly different from zero. We conclude that the series is *stationnary with a constant and without a deterministic trend*.

**GDP deflator** With  $t_\gamma = -5.197 < -3.43$ , as before we can reject  $H_0$  indicating that the series is stationary in levels. Since  $|t_\alpha| = 2.593 > 1.96$ , we reject the nullity of the drift. Finally, since  $|t_\beta| = 1.166 < 1.96$  we cannot reject the absence of a deterministic trend. We conclude that the series is *stationary with a constant and without a deterministic trend*

**Fed fund rate**  $t_\gamma = -1.709 > -3.43$ , we are in the same situation as the previous series where we cannot reject the existence of a UR. Because we cannot reject phi2 nor phi3 ( $F_{phi2} = 2.015 < 4.71$ ,  $F_{phi3} = 2.917 < 6.3$ ) we need to continue testing this series with the other specifications as we don't reject the existence of a stochastic trend and we cannot reject the nullity of the trend coefficient ( $|t_\beta| = 0.181 < 2.79$ ).

**S&P500** Without many surprises for price series,  $t_\gamma = -1.975 > -3.43$  and we cannot reject the existence of a UR. Moreover,  $F_{phi2} = 3.875 < 4.71$  and  $F_{phi3} = 1.997 < 6.3$  (non-rejection of the null for both tests) leads

to conclude that at least one of these coefficients is non-null (note that  $|t_\beta| = 1.726 < 2.79$  and thus we cannot reject the nullity of  $\beta$ ). We continue testing this series with the second specification of the test.

### 1.2.2 ADF - Test jointly for stochastic trend and drift

The second specification of the test models  $\forall (X_t)_t$ :

$$\Delta X_t = \alpha + \gamma X_{t-1} + \sum_{i=1,2,..} \rho_i \Delta X_{t-i} + \varepsilon_t \quad (2)$$

The null hypothesis still refers to  $H_0: \gamma = 0$  the presence of a unit root. We use now `type='trend'` in the `ur.df` function to get this estimation. The output of the test is similar to the previous specification and the same remarks on the critical values apply here. Now the test statistics reported refer to:

- tau2 refers to the t-statistic associated to  $\gamma = 0$
- phi1 refers to the F-statistic associated to  $\alpha = \gamma = 0$

Table 3: ADF test - 2nd regression with drift and stochastic trend

	gdp	dpi	rate	splong	CV 1pct	CV 5pct	CV 10pct
tau2	-0.621	-1.020	-2.412	-1.005	-3.440	-2.870	-2.570
phi1	19.382	8.378	3.014	4.300	6.470	4.610	3.790

Table 4: ADF test - 2nd regression t statistics

	gdp	dpi	rate	splong
alpha	0.983	1.127	1.508	1.258
gamma	-0.621	-1.020	-2.412	-1.005
rho	16.197	-12.106	15.984	3.977

Notes: With N=396, critical values at 5%: alpha = 2.53 ; gamma= -2.88

**GDP** We fail to reject the main null hypothesis (tau2) as  $t_\gamma = -0.621 > -2.88$ . Moreover, we do reject the joint nullity of  $\alpha$  and  $\gamma$  as  $F_{phi1} = 19.382 > 6.470$ . Since we cannot reject the nullity of the drift term ( $|t_\alpha| = 0.983 < 2.53$ ), we shall use the last specification of the test on this series.

**Disposable personal income** We fall in the same situation as with the previous series as tau2 is not rejected  $t_\gamma = -1.02 > -2.88$  while phi1 is  $F_{phi1} = 8.378 > 6.470$  and  $\alpha$  is non-significant ( $|t_\alpha| = 1.127 < 2.53$ ). We therefore also test this series with the last test specification.

**Fed fund rate** Given that  $t_\gamma = -2.412 > -2.88$ , we cannot reject the null hypothesis. We then check the F-statistic of the joint test *phi1*:  $F_{phi1} = 3.014 < 4.61$ : we cannot reject the null suggesting that the series has a UR and no drift. Supporting this, we also find that the drift term is not significantly different from zero as  $|t_\alpha| = 1.508 < 2.53$ . This leads us to use the third specification of the test.

**S&P500** Since  $t_\gamma = -1.005 > -2.87$ , we cannot reject  $H_0$ . By checking  $F_{phi1} = 4.3 < 4.61$  and  $|t_\alpha| = 1.258 < 2.53$ , we fall in the same case as before where we need to continue testing the series as it seems to have a UR and no drift

### 1.2.3 ADF - Test for stochastic trend only

The last specification of the test keeps only the stochastic trend,  $\forall (X_t)_t$ :

$$\Delta X_t = \gamma X_{t-1} + \sum_{i=1,2,..} \rho_i \Delta X_{t-i} + \varepsilon_t \quad (3)$$

The null hypothesis still refers to  $H_0: \gamma = 0$  the presence of a unit root and we use `type='none'`. The output of the test is similar to the previous ones but now there is only one test statistic reported referring to the null ( $\tau_1$ ). For this step, we only report the table with the t-statistics as its value for the "gamma" row is identical to the test statistics of  $\tau_1$ .

Table 5: ADF test - 3rd regression t statistics

	gdp	dpi	rate	splong
gamma	6.148	3.934	-1.935	2.647
rho	16.306	-12.122	15.950	3.976

Notes: With N=396, critical values at 5%: gamma= -1.95

**GDP** We have  $t_\gamma = 6.148 > -1.95$ . We clearly do not reject the presence of a UR ( $H_0$ ) and conclude that the *series has a unit root with no constant nor time trend*.

**Disposable personal income** Since  $t_\gamma = 3.934 > -1.95$  we do not reject  $H_0$  and conclude that the *series has a unit root with no constant nor time trend*.

**Fed fund rate** We find  $t_\gamma = -1.935 > -1.95$  thus we cannot reject the existence of a UR (this is a close call but seems adequate since we never rejected the UR and R's built-in `order_integration` also indicates a UR). We conclude that the *series has a unit root with no constant nor time trend*.

**S&P500** Similarly, we find  $t_\gamma = 2.647 > -1.95$  and we cannot reject  $H_0$  and conclude that the *series has a unit root with no constant nor time trend*.

### 1.2.4 Check stationarity of the series in deltas if UR in levels

Finally, to properly conclude that the previous series with UR are indeed  $I(1)$ , we need to check that the series of their first differences are stationary (i.e. the series in deltas is  $I(0)$ ). We perform the same ADF procedure to test these transformed series.

Table 6 reports the test results in the first specification of the ADF test. We easily see that all the  $t_\gamma$  (the statistic on  $\tau_3$ ) are sufficiently negative to reject  $H_0$  and conclude that none of the differentiated series has a UR. This

Table 6: ADF test - 1st regression with drift, deterministic trend and stochastic trend for series in deltas

	d_gdp	d_dpi	d_rate	d_splong	CV 1pct	CV 5pct	CV 10pct
tau3	-10.437	-19.070	-7.107	-13.317	-3.980	-3.420	-3.130
phi2	36.317	121.228	16.895	59.110	6.150	4.710	4.050
phi3	54.473	181.842	25.327	88.665	8.340	6.300	5.360

is sufficient to conclude that the series of GDP, of real disposable individual income, of the Fed fund rate, and of the returns of the S&P500 are indeed *integrated of order one*.

### 1.3 Decomposition of the series

All (monthly<sup>3</sup>) time series de can be decomposed into the following elements:

$$X_t = \underbrace{\alpha}_{\text{drift}} + \underbrace{\beta \times t}_{\text{deterministic trend}} + \underbrace{\gamma T t}_{\text{stochastic trend}} + \underbrace{\sum_{i=1}^{11} \rho_i \mathbb{1}_{\text{month}=i}}_{\text{seasonality}} + \underbrace{c_t}_{\text{cyclical component}}$$

Remark that the coefficients in the previous equation need not be the same as in the ADF test (the variable on the left-hand side is now in levels while AD tests the series in deltas).

We will apply this decomposition to stationary series. Therefore, the stochastic term  $\gamma T t = 0$  for all series.

Using R's built-in function `stl`<sup>4</sup>, we can decompose the time series. The results are plotted in Figure 1.

#### 1.3.1 Estimation of the parameters in the stationary series

We perform we estimate the following regression to test the significance of the deterministic trend, drift and seasonal components:

$$X_t = \alpha + \beta \times t + \sum_{i=1}^{11} \rho_i \mathbb{1}_{\text{month}=i} + c_t$$

The results of this estimation are found in Table 7 for the series that are  $I(0)$  in levels, and in Table ??



Table 7: OLS decomposition of I(0) series

	<i>Dependent variable:</i>	
	infl_e (1)	deflator (2)
trend	0.001** (0.0003)	0.002** (0.001)
M1	0.051 (0.166)	0.083 (0.347)
M2	0.050 (0.166)	0.097 (0.347)
M3	0.192 (0.166)	0.112 (0.347)
M4	0.239 (0.166)	0.127 (0.347)
M5	0.311* (0.166)	0.109 (0.347)
M6	0.262 (0.166)	0.091 (0.347)
M7	0.180 (0.166)	0.073 (0.347)
M8	0.252 (0.166)	0.016 (0.347)
M9	0.196 (0.166)	−0.041 (0.347)
M10	0.174 (0.166)	−0.098 (0.347)
M11	0.055 (0.166)	−0.049 (0.347)
Constant	2.745*** (0.132)	1.899*** (0.276)
Observations	396	396
R <sup>2</sup>	0.036	0.018
Adjusted R <sup>2</sup>	0.006	−0.012
Residual Std. Error (df = 383)	0.676	1.409
F Statistic (df = 12; 383)	1.208	0.600

Note:

\*p&lt;0.1; \*\*p&lt;0.05; \*\*\*p&lt;0.01

Table 8: OLS decomposition of the first difference of I(1) series

	<i>Dependent variable:</i>			
	d_gdp (1)	d_dpi (2)	d_rate (3)	d_splong (4)
trend	−0.00000 (0.00000)	−0.00000 (0.00001)	0.0003*** (0.0001)	−0.00000 (0.00002)
M1	0.0001 (0.001)	−0.005 (0.005)	0.019 (0.046)	−0.004 (0.009)
M2	0.0004 (0.001)	−0.007 (0.005)	0.013 (0.045)	−0.008 (0.009)
M3	0.0004 (0.001)	0.001 (0.005)	0.025 (0.045)	−0.013 (0.009)
M4	0.0004 (0.001)	−0.006 (0.005)	0.014 (0.045)	0.001 (0.009)
M5	0.002 (0.001)	−0.005 (0.005)	0.055 (0.045)	−0.004 (0.009)
M6	0.002 (0.001)	−0.007 (0.005)	0.083* (0.045)	−0.009 (0.009)
M7	0.002 (0.001)	−0.005 (0.005)	0.051 (0.045)	−0.007 (0.009)
M8	0.001 (0.001)	−0.006 (0.005)	0.048 (0.045)	−0.013 (0.009)
M9	0.001 (0.001)	−0.006 (0.005)	0.036 (0.045)	−0.017* (0.009)
M10	0.001 (0.001)	−0.006 (0.005)	−0.021 (0.045)	−0.017* (0.009)
M11	0.00001 (0.001)	−0.005 (0.005)	0.011 (0.045)	0.007 (0.009)
Constant	0.003*** (0.001)	0.007** (0.004)	−0.091** (0.036)	0.014** (0.007)
Observations	395	395	395	395
R <sup>2</sup>	0.021	0.019	0.048	0.037
Adjusted R <sup>2</sup>	−0.010	−0.012	0.018	0.007
Residual Std. Error (df = 382)	0.004	0.018	0.185	0.036
F Statistic (df = 12; 382)	0.668	0.602	1.598*	1.230

Note:

\*p&lt;0.1; \*\*p&lt;0.05; \*\*\*p&lt;0.01

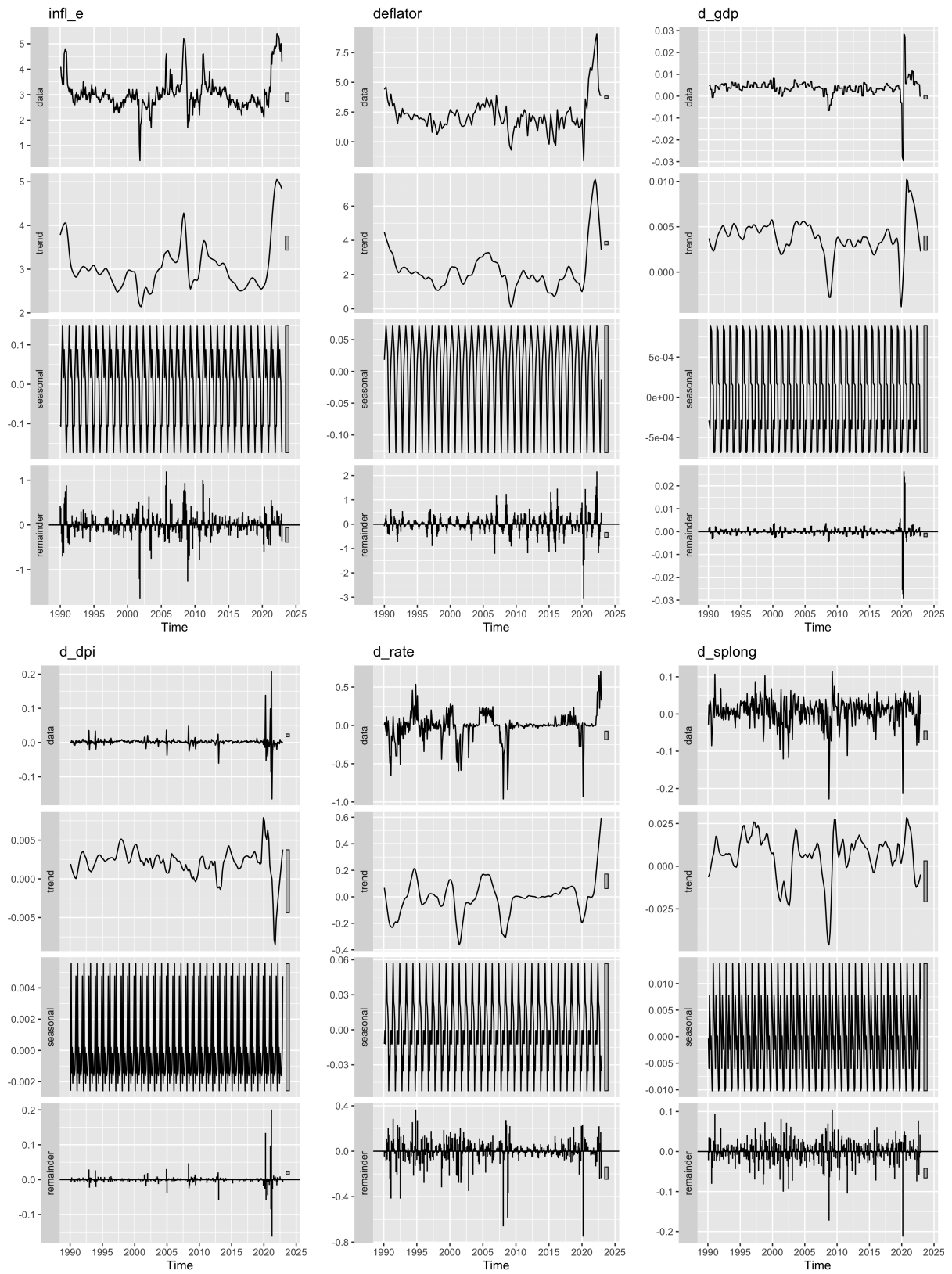


Figure 1: Time series decomposition of stationary series (levels and deltas)

Table 9: Canonical VAR in levels - Identify order

	1	2	3	4	5	6	7	8	9	10
AIC(n)	-10.01	-10.56	-10.59	-10.73	-10.88	-10.87	-10.93	-11.01	-11.00	-10.98
HQ(n)	-9.96	-10.48	-10.47	-10.57	-10.68	-10.64	-10.66	-10.71	-10.66	-10.60
SC(n)	-9.89	-10.35	-10.29	-10.33	-10.38	-10.29	-10.25	-10.25	-10.14	-10.03
FPE(n)	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00

#### 1.4 Cyclical component

## 2 Canonical VAR model application

## 3 Cointegration theory

## 4 Impulse Response Analysis

#### 4.1 Canonical IRF

#### 4.2 Structural IRF

## 5 Introduce non-linearities

#### 5.1 Markov-switching model

#### 5.2 STR model

## 6 Difference-in-Difference

<https://www.tidy-finance.org/r/difference-in-differences.html>

<sup>3</sup>One should adapt the number of indicators in the seasonal components according to the data frequency. To avoid multicollinearity issues, the number of dummies must be one less than the frequency of the series: here we have only 11 indicators.

<sup>4</sup>Seasonal Decomposition of Time Series by Loess

Table 10: Level VAR - Estimation

	<i>Dependent variable:</i>		
	deflator	unempl	splong
deflator.l1	1.830*** (0.051)	−0.199 (0.124)	0.026*** (0.008)
unempl.l1	0.120*** (0.022)	0.956*** (0.053)	0.003 (0.004)
splong.l1	0.556* (0.321)	−4.968*** (0.786)	1.174*** (0.053)
deflator.l2	−0.819*** (0.101)	−0.317 (0.246)	−0.042** (0.017)
unempl.l2	−0.117*** (0.031)	−0.131* (0.075)	−0.004 (0.005)
splong.l2	−0.553 (0.506)	5.816*** (1.237)	−0.246*** (0.083)
deflator.l3	−0.894*** (0.108)	1.008*** (0.264)	0.010 (0.018)
unempl.l3	0.014 (0.031)	0.182** (0.076)	0.002 (0.005)
splong.l3	0.149 (0.521)	−0.992 (1.275)	0.137 (0.085)
deflator.l4	1.526*** (0.113)	−0.716** (0.277)	0.019 (0.019)
unempl.l4	−0.013 (0.031)	−0.150** (0.076)	0.003 (0.005)
splong.l4	0.428 (0.523)	−0.516 (1.278)	−0.012 (0.086)
deflator.l5	−0.653*** (0.111)	−0.130 (0.271)	−0.021 (0.018)
unempl.l5	0.001 (0.031)	0.092 (0.076)	−0.008* (0.005)
splong.l5	−0.027 (0.527)	1.417 (1.288)	0.063 (0.086)
deflator.l6	−0.498*** (0.107)	0.609** (0.262)	−0.003 (0.018)
unempl.l6	0.004 (0.031)	−0.105 (0.075)	0.006 (0.005)
splong.l6	−1.048** (0.527)	−1.069 (1.290)	−0.302*** (0.086)
deflator.l7	0.834*** (0.103)	−0.476* (0.252)	0.019 (0.017)
unempl.l7	0.081*** (0.030)	0.088 (0.073)	−0.0004 (0.005)
splong.l7	0.954* (0.526)	−0.455 (1.287)	0.261*** (0.086)
deflator.l8	−0.350*** (0.054)	0.153 (0.131)	−0.010 (0.009)
unempl.l8	−0.075*** (0.021)	0.039 (0.052)	−0.001 (0.004)
splong.l8	−0.428 (0.340)	0.746 (0.832)	−0.078 (0.056)
const	−0.268* (0.149)	0.490 (0.365)	0.015 (0.024)
Adjusted R <sup>2</sup>	0.977	0.913	0.997
Residual Std. Error (df = 363)	0.210	0.515	0.034
F Statistic (df = 24; 363)	684.697***	170.695***	5,592.560***

Note:

\*p&lt;0.1; \*\*p&lt;0.05; \*\*\*p&lt;0.01

## Appendix A Code - Data Cleaning

```
1 #!/usr/bin/env python3
2 # -*- coding: utf-8 -*-
3 """
4 Financial Econometrics - Empirical Applications d
5 Data Gathering and Data Cleaning
6
7 @author: nataliacardenasf
8 """
9
10 import pandas as pd
11 import os
12 import datetime
13
14 from fredapi import Fred
15
16 os.chdir('/Users/nataliacardenasf/Documents/GitHub/PROJECTS_AP_FE/FinancialEconometrics1')
17
18 ### Initialize FRED API
19 fred = Fred(api_key='23edc2b1b61e17c07b83a97e7abfc02b')
20
21 ### Import all the data
22
23 # S&P 500
24 sp500 = pd.DataFrame(fred.get_series('SP500')) #daily close, NSA, Index
25 sp500.columns= ['sp500']
26
27 #Inflation expectations from survey UMich
28 infl_e = pd.DataFrame(fred.get_series('MICH')) #monthly, NSA, median expected in % over next
29         12 mo
30 infl_e.columns= ['infl_e']
31
32 #ICE BofA US Corporate Index Total Return Index
33 corp_debt = pd.DataFrame(fred.get_series('BAMLCC0AOCMTRIV')) #daily, close, NSA, Index
34 corp_debt.columns= ['corp_debt']
35
36
37 #MP rate
38 rate = pd.DataFrame(fred.get_series('DFF')) #daily, 7-Day, NSA, %
39 rate.columns = ['rate']
40
41 #Deflator
42 deflator = pd.DataFrame(fred.get_series('A191RI1Q225SBEA')) #Q, SA Annual Rate
43 deflator.columns = ['deflator']
44
45 #Unemployment
```

```

46 unempl = pd.DataFrame(fred.get_series('UNRATENSA')) #monthly, NSA, %
47 unempl.columns=['unempl']
48
49 # GDP
50 gdp = pd.DataFrame(fred.get_series('GDP')) # quarterly, Billions of Dollars, SA Annual Rate
51 gdp.columns = ['gdp']
52
53 # RPI (Real Personal Income)
54 rpi = pd.DataFrame(fred.get_series('RPI')) # monthly, SA rate, deflated
55 rpi.columns = ['rpi']
56
57 # Real Personal Disposable Income
58 dpi = pd.DataFrame(fred.get_series('DSPIC96')) # monthly, SA annaul rate, chained 2017 USD
59 dpi.columns = ['dpi']
60
61 # Manufacturing Sector
62 manufacturing = pd.DataFrame(fred.get_series('MPU9900063')) # annual, NSA => avoid this
63 manufacturing.columns = ['manufacturing']
64
65 fred.search("MPU9900063").T #this function gives of the info on every series
66
67
68 ### Resample into monthly data
69 sp500 = sp500.resample('1M').mean(numeric_only=True)
70 infl_e = infl_e.resample('1M').mean(numeric_only=True)
71 corp_debt = corp_debt.resample('1M').mean(numeric_only=True)
72 rate = rate.resample('1M').mean(numeric_only=True)
73 deflator = deflator.resample('1M').mean(numeric_only=True)
74 unempl = unempl.resample('1M').mean(numeric_only=True)
75 gdp = gdp.resample('1M').mean(numeric_only=True)
76 rpi = rpi.resample('1M').mean(numeric_only=True)
77 dpi = dpi.resample('1M').mean(numeric_only=True)
78 manufacturing = manufacturing.resample('1M').mean(numeric_only=True)
79
80 dta = [infl_e, rate, sp500, corp_debt, deflator, unempl, gdp, rpi, dpi, manufacturing]
81
82 ### Slice the df to relevant period
83 #Find common time span
84 min_date = max([min(i.index) for i in dta])
85 max_date = min([max(i.index) for i in dta])
86 print(min_date, max_date)
87
88 #Let us work on monthly data for the 1990-2022 period
89 start = datetime.datetime(1990,1,1)
90 end= datetime.datetime(2022,12,31)
91
92 ## SP500 series is too short, I am taking it from Yahoo Finance
93 import yfinance as yf

```

```

94 splong = yf.download('^GSPC', start=start,end=end)['Adj Close'].resample('M').mean(
    numeric_only=True)
95 splong = pd.DataFrame(splong)
96 type(splong)
97 splong.rename(columns={"Adj Close":'splong'}, inplace=True)
98
99 ##Get a single DF
100 dta.append(splong)
101 for i in range(len(dta)): #we had some indexes at end of month, others at 1st of month:
    harmonize to 1st each month
102     df = dta[i]
103     df.index = [pd.datetime(x.year, x.month, 1) for x in df.index.tolist()]
104     dta[i] = df.loc[start:end,:]
105 dta# we're good now
106 #merge into 1 df, 1 series per column
107 monthly = pd.concat(dta, axis=1)
108 #interpolate missing months for deflator data (Q): uses midpoints ie assumes that each month
    in the quarter contributes in the same fashion to the increase QoQ
109 m1 = monthly.interpolate(method='linear', limit_direction='forward')
110
111
112 m1.to_csv("DATA/data.csv")

```