

AP Statistics

2019-02-01 5.3 Homework

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Pg. 329-332 63,65,67,69,77,79,83,85,91,93,97,99

Question 63

Part A

$$P(\text{"Almost Certain"}|M) = 597/2459 = 0.2428$$

Part B

$$P(F|\text{"Some chance but probably not"}) = 426/712 = 0.5983$$

Question 65

Part A

$$P(\text{"a good chance"}|F) = 663/2367 = 0.2801$$

Part B

$$P(\text{"a good chance"}) = 1421/4826 = 0.2944$$

Part C

They are not mutually exclusive; if they were independent then $P(\text{"a good chance"})$ would equal $P(\text{"a good chance"}|F)$. However, they do not.

Question 67

Part A

$$P(D|F) = 13/17 = 0.765$$

Given that the senator is female, there is a probability of 0.765 that she is a democrat

Part B

$$P(F|D) = 13/60 = 0.217$$

If a democrat is selected, there is a probability of 0.217 that they are female

Question 69

They are not. $P(D|F) = 0.765$, $P(D) = 0.6$

If they were independent, $P(D|F)$ would equal $P(D)$.

Question 77

See "2019-02-01 5.3 Homework - Question 77.png"

$$P = 0.2210526316$$

Question 79

$$P(\text{pirates}) = 0.29, P(\text{dont care}) = 0.67$$

$$P(\text{pirates} \cap \text{dont care}) = 0.1943$$

Question 83

See "2019-02-01 5.3 Homework - Question 83.png"

$$P(\text{credit card}) = .88*.28+.02*.34+.10*.43 = 0.2962$$

Question 85

$$P(\text{premium}|\text{credit card}) = P(\text{premium} \cap \text{credit card})/P(\text{credit card}) = 0.14517$$

Question 91

$$P(O-) = 0.072$$

$$P(\text{not } O-) = 1-0.072 = 0.928$$

$$P(10x \text{ not } O-) = P(\text{not } O-) \text{ occurring 10 times} = (P(\text{not } O-))^{10} = 0.928^{10} = 0.47367$$

$$\text{Therefore, probability of } P(10x \text{ not } O-) \text{ NOT occurring is } 1-P(10x \text{ not } O-) = 0.52633$$

Question 93

No - a single show running late is not independent of the next show running late.

Question 97

No - a single flight being late is likely to cause further delays at the terminal/gate, further delaying other flights.

Question 99

Part A: See "2019-02-01 5.3 Homework - Question 99.png"

Part B

$$P(+) = 0.01*0.9985 + 0.99*0.006 = 0.015925$$

Part C

$$P(\text{Antibody}|+) = P(\text{Antibody} \cap+)/P(+) = 0.627$$