AP Statistics

would ignore the outlier.

[minimum, Q[1], median, Q[3], maximum]

2019-01-16 1.3 Describing Quantitative Data with Numbers

Notes taken by: Noah Overcash

```
The mean (average, x with bar on top) = (sum \ of \ all)/n
 \sum means "add them all up", so we can write:
   See "2019-01-16 1.3 Describing Quantitative Data with Numbers - Formula
   1.png"
 \mu refers to the mean of a population
 The mean is weak as it is sensitive to extreme observations (outliers)
   Therefore, it is not a resistant measure of the center.
To find the median (M):
 Sort items
 M = center, averaging if needed
 The median, unlike the mean, is a resistant measure.
 Symmetric distributions have similar means and medians
 Skewed distributions have the mean farther out into the tail
Interquartile range (IQR)
 Each quartile and the IQR are resistant as they are not affected by a few
 outliers
 IQR = Q[3] - Q[1]
Outliers are:
 More than 1.5 • IQR above Q[3] or
 Less than 1.5 • IQR below Q[1]
When outliers are found they should be explained.
 If they are due to bad measurements and/or data entry errors, they can be
 removed. Otherwise, statistical analysis should be done in a manner which
```

The five-number summary shows a distribution, center, and spread:

Drawing a box-and-whiskers plot

Draw a central box from Q[1] to Q[3]

Draw a line denoting the median in the box

Extend lines from the end to the minimum and maximum (disregarding outliers)

Mark outliners with asterisks (*)

Standard deviation (stddev)

S[x] = sample standard deviation

 $\sigma[x]$ = population standard deviation

n = sample size

v (variance) = (std dev)^2

Measures the average distance of objects from their mean

Because the standard deviation is based on the mean, it is not resistant. A few outliers can significantly increase the stddev.

The {sample/population}'s {measurement} vary about {stddev} from the mean {measurement}.

Median and IQR are better for describing skewed distributions.