AP Statistics

2019-03-05 7.3 Assignment

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Pg. 454-456 49,51,53,55,57,59,61,63,65-68
Ouestion 49
  \mu[^p] = \mu[^x] = p = 225 \text{ seconds}
  The mean of the sample distribution is equal to the paramter.
  stddev[\bar{x}] = stddev[p]/sqrt(10) = 60 sec/sqrt(10) = 18.97 sec
Ouestion 51
  stddev[\bar{x}] = 30 sec = 60 sec/sqrt(n)
  n = 4
Ouestion 53
  Part A
    The population is normal, therefore, the sample is normal.
    The sampling distribution mean is the same as the parameter and
    population's mean, so \mu[\bar{x}] = \mu[p] = 188 \text{ mg/dl}
    stddev[\bar{x}] = stddev[p]/sqrt(n) = 41 mg/dl/sqrt(100) = 4.1 mg/dl
  Part B
    stddev[\bar{x}] = 4.1 mg/dl.
    z[lower] = (185 - 188)/4.1 = -0.73
    z[upper] = (191 - 188)/4.1 = 0.73
    P(\bar{x} = 188 \text{ mg/dl} \pm 3) = \text{normalcdf}(z[lower], z[upper], 0, 1) = 0.5346
  Part C
    stddev[\bar{x}] = stddev[p]/sqrt(n) = 1.297 mg/dl
    z[lower] = (185 - 188)/1.297 = -2.31
    z[upper] = (191 - 188)/1.297 = 2.31
    P(\bar{x}' = 188 \text{ mg/dl} \pm 3) = \text{normalcdf}(z[lower], z[upper], 0, 1) = 0.9791
    The larger sample is better as it is significantly more likely to match
    the population's mean.
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Part A

$$z = (295 - 298)/3 = -1$$

$$P(x < 295) = normalcdf(-\infty, -1, 0, 1) = 0.1587$$

Part B

$$stddev[\bar{x}] = stddev[p]/sqrt(6) = 1.225$$

$$z = (295 - 298)/1.225 = -2.45$$

$$P = 0.0071$$

Ouestion 57

We do not know that as the sample could be too low for the CLT to apply or that the population distribution itself is normal.

Question 59

Part A

The CLT requires at least 30 songs.

Part B

The CLT allows us to represent the sampling distribution with a normal curve as long as $N \ge 30$. This condition is met.

$$stddev[\bar{x}] = 60/sqrt(36) = 10$$

$$z = (240-225)/10 = 1.5$$

$$P(z > 1.5) = 0.0668$$

Question 61

Part A

This cannot be calculated because the distribution of the population is not normally distributed.

Part B

 $n \ge 30$, so the CLT applies for $\sum x$ for a full plane of 30 passengers.

6000 pounds across 30 passengers requires the mean of each to be at least 200 lbs

$$stddev[x] = 35 lbs/sqrt(30) = 6.390$$

$$z = (200 lbs - 190 lbs)/6.390 = 1.56$$

$$P(z > 1.56) = 0.0594$$

Question 63

The CLT applies $(n \ge 30)$, so x is normally distributed.

stddev[x] = 300/sqrt(10000) = 3

z = (275 - 250)/3 = 8.33

P(z > 8.33) = 0.0001

The company can safely sell these policies as the probability of an overall loss is 0.0001.

Question 65: A

Question 66: C

Question 67: B

Question 68: D