

# AE333

## Mechanics of Materials

### Lecture 29 - Statically Indeterminate Beams

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## schedule

- 15 Apr - Statically Indeterminate Beams, HW 9 Due
- 17 Apr - Statically Indeterminate Beams
- 19 Apr - Statically Indeterminate Beams
- 22 Apr - Exam 3 Review, HW 10 Due
- 24 Apr - Exam 3

# outline

- superposition
- statically indeterminate beams

# superposition

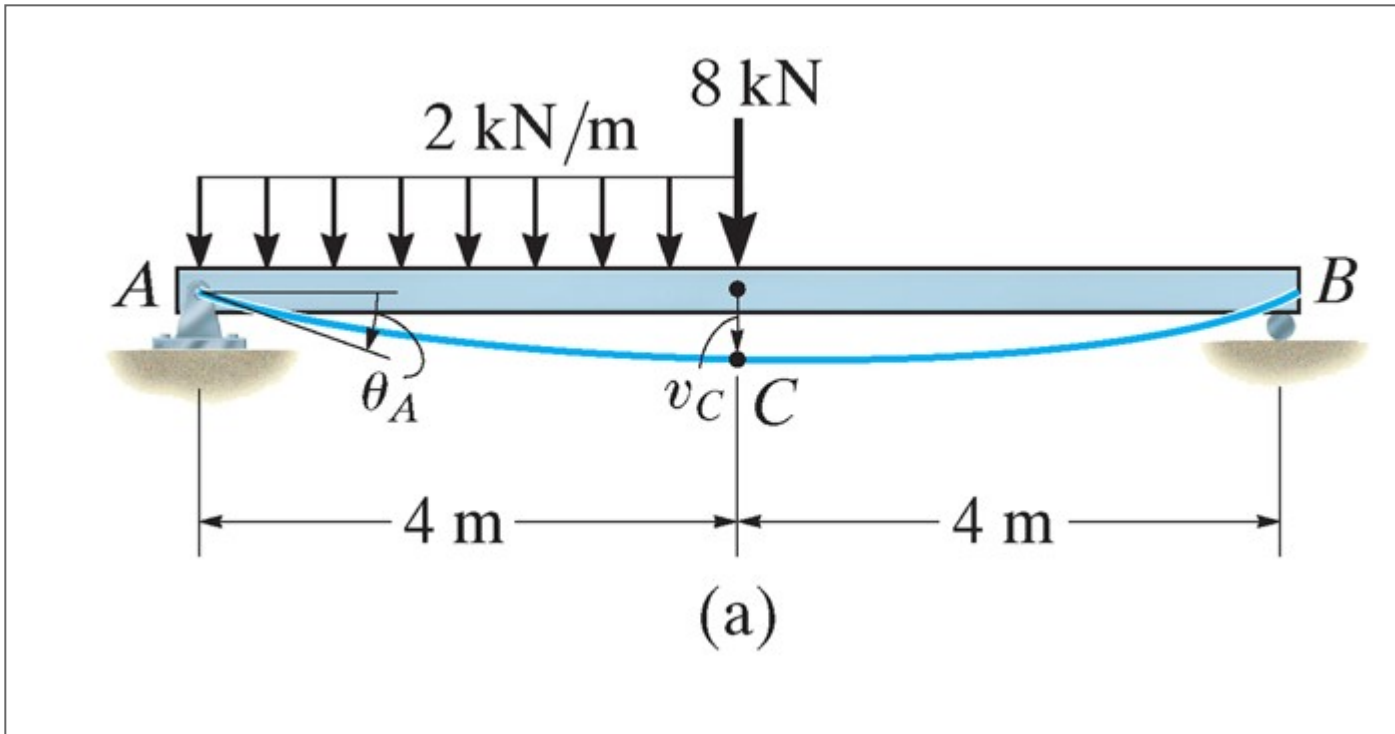
## superposition

- The differential equation  $EI d^4v/dx^4 = w(x)$  satisfies the requirements for superposition
- $w(x)$  is linearly related to  $v(x)$
- Load does not significantly change the shape of the beam

## superposition

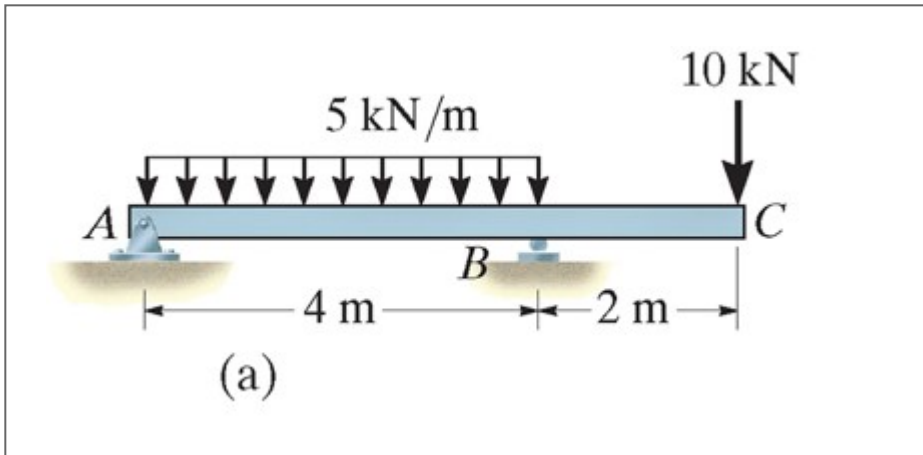
- This means we can superpose multiple deflection solutions from simpler cases
- Appendix C in the text has many solutions that can be superposed

### example 12.13



Use superposition to find the displacement at C and the slope at A

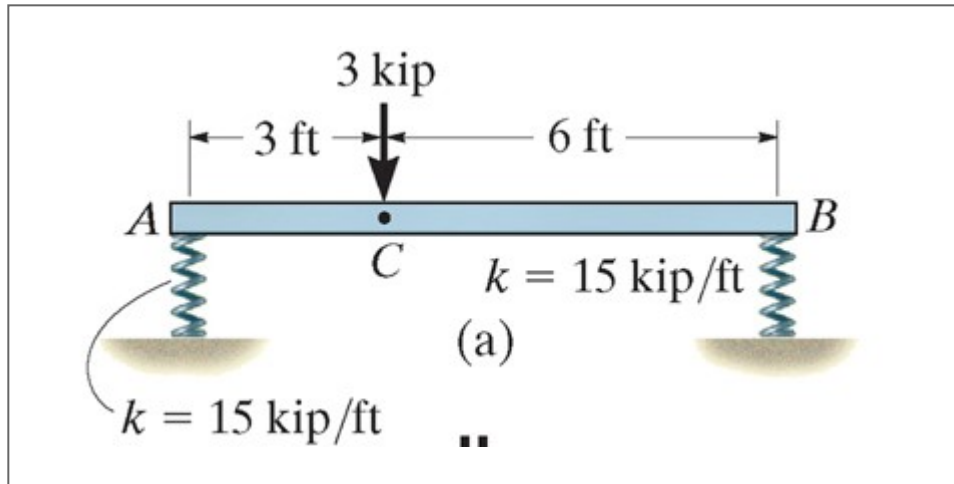
## example 12.15



Use superposition to find the displacement at C



## example 12.16



The steel bar is supported by springs with  $k=15 \text{ kip/ft}$  originally unstretched. For the force shown, determine the displacement at C. Take  $E_{st} = 29 \text{ Msi}$  and  $I = 12 \text{ in}^4$ .

# statically indeterminate beams

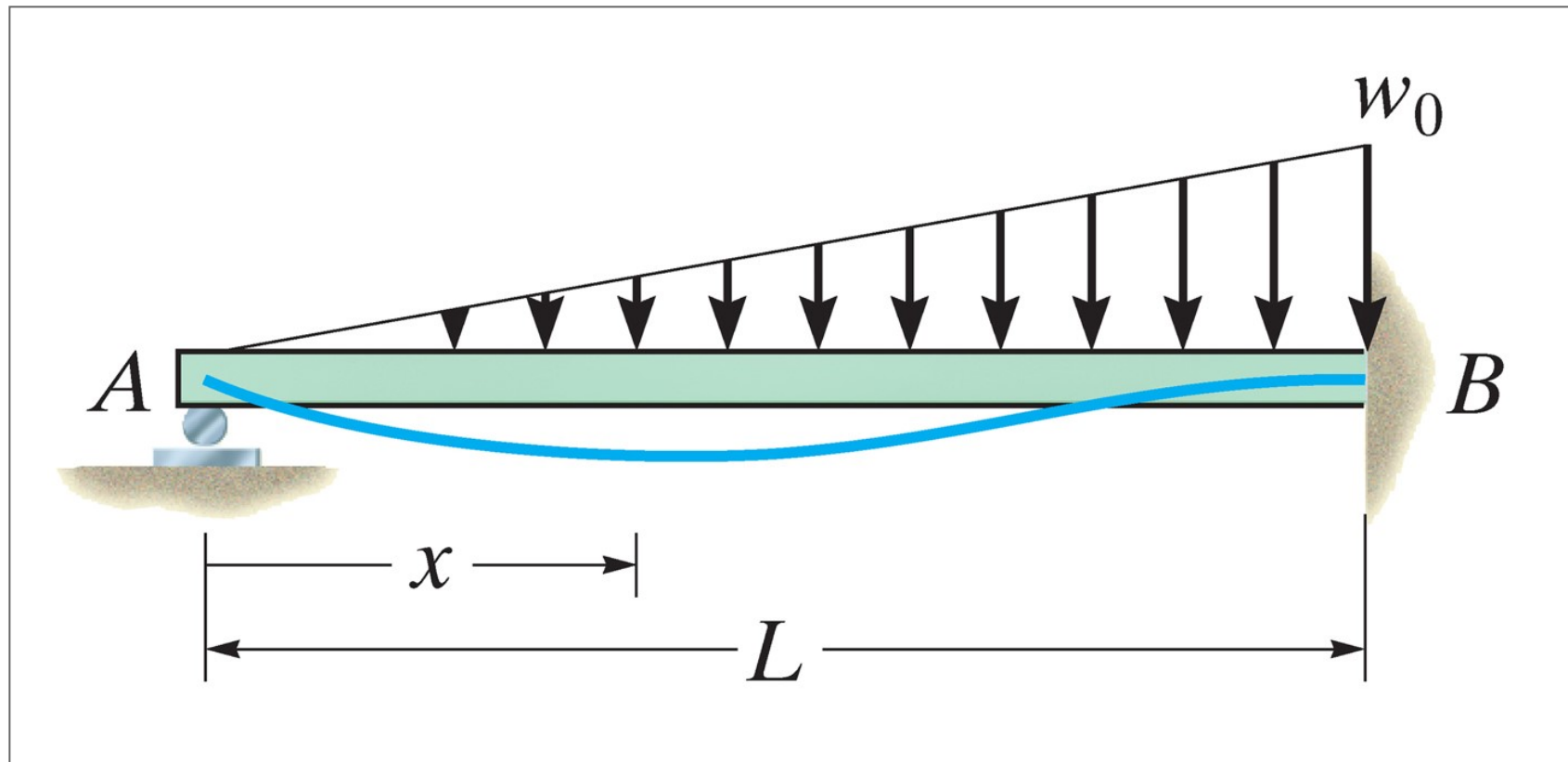
## statically indeterminate

- If we have redundant supports, we can have some difficulty finding the displacement
- There are several approaches to solve these problems, we will consider direct integration and superposition

## integration

- We can take the extra unknowns and include them in our formulation for  $M(x)$
- They will be solved for with the extra boundary conditions applied

## example 12.17



## example 12.18

