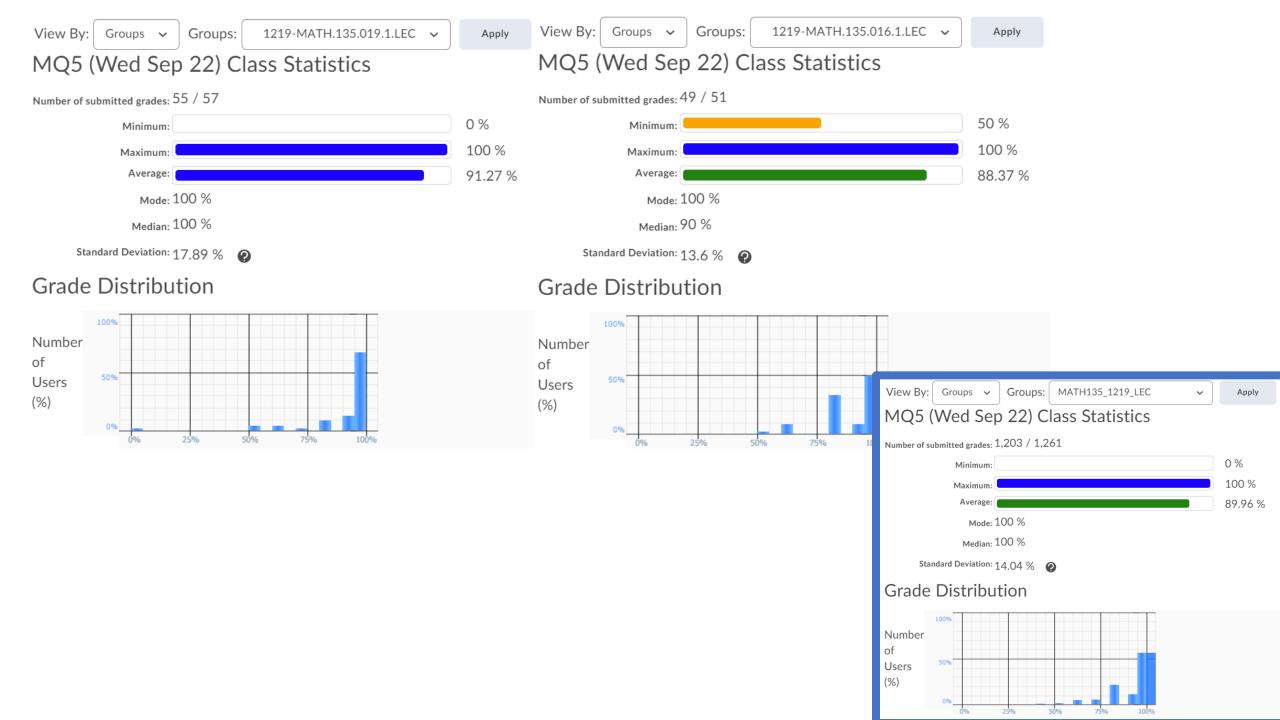


- Friday 24 September:
 - Mobius Quiz 6
- Sunday 26 September:
 - Complete reading up to the end of Section 0.3 (Polynomials)
- Monday 27 September:
 - Mobius Quiz 7
- Tuesday 28 September:
 - Look at your WA02 results thoroughly! Where did you lose marks?
- Tuesday 28 September:
 - Complete reading from Chapter 3.6 up to 4.4 of the course notes. Pages 55-75.
- Wednesday 29 September:
 - Complete Written Assignment 3: WA3
- Wednesday 29 September:
 - Mobius Quiz 8
- Thursday 30 September:
 - WA03 solutions will be posted, hopefully before 12pm: Check the solutions in detail!



Mobius quizzes are open book!

Don't be afraid to get help on written assignments either!

Someone put $(|x| + 1)^0 < y$, when the answer was $x \le y$

Wouldn't have happened if you saw what others were asking at tutorial centre, office hours, Piazza, etc.

If you had to do everything *entirely* by yourself, then why do we offer all these resources?

If you're not using these resources in order to challenge yourself, then why not learn the whole course by yourself?

Office Hours: Monday/Wednesday 5-6pm in MC 4059

MATH 135: Lecture 8

Dr. Nike Dattani

24 September 2021

Before coming to UW....

How many of you have been in a math class with < 15 students?

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< 20 students?
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- < 30 students?
- < 40 students?

40 or more?

- Now look around you, and this is half the usual MATH 135 size (COVID).
- Now imagine what the next stage will be like: law school, med school? PhD?
 - Only 8 law schools in Ontario,
 - Only 6 medical schools in Ontario
- The instructor to student ratio will converge to 0.
- For the next 4 years, learn to read the textbook on your own!

- Transitivity
 - a relates to b, b relates to c, then a relates to c.
- D.I.C.
 - If $a \mid b$ and $a \mid c$, then $a \mid bx + cy$
- Is converse of D.I.C. true?
- Prove it
 - If $a \mid bx+cy$, then $a \mid b(1) + c(0)$. So $a \mid b$.

Assignment 3

- 1a) Brute force is okay
- 1d) Try brute force on m, what if it starts to look like the statement is false?
 - negate and prove that negation is true.
 - **∀**n in Z, ¬A V ¬B.
 - Case 1: ¬A true.
 - Case 2: $m^2 5$ is even => ^{7}B true.

Assignment 3

- For many cases:
 - ½ the marks are for correct answer,
 - ½ for correct argument

(even for 1-pont questions)

Q2a)

 $\forall x \in \mathbb{R}, P \Rightarrow Q \vee R$

Case 1: Assume P=>Q is true. Then statement is true in this case.

Case 2: Assume P=>Q is false. Then R turns out implied by P.

b) Converse?

$$\forall x \in \mathbb{R}, Q \lor R \Rightarrow P$$

Q2a)

- $\forall x \in \mathbb{R}, P \Rightarrow Q \vee R$
 - Case 1: Assume P=>Q is true. Then statement is true in this case.
 - Case 2: Assume P=>Q is false. Then R turns out implied by P.
- b) Converse?
 - $\forall x \in \mathbb{R}$, Q V R => P (quantifier doesn't change!)
- c) Case 1: Assume Q. Does it imply P?
 - Case 2: Assume R. Does it imply P?

Q3)

 \forall a,b $\in \mathbb{N}$, A \wedge B => C \vee D

Converse?

 \forall a,b $\in \mathbb{N}$, C \vee D => A \wedge B

Quantifier stays same!

List all methods you use (e.g. Transitivity, D.I.C., contrapositive, etc.)

Q4) If it's false:

give a correct counter-example, and explain why counter-example is correct

If it's true:

prove it, using words! e.g. prove **c** is even, then prove **a** and **b** have same **parity**