

* Process synchronization

① Data synchronization

② control synchronization

↳ shared = 4 (common variable)

Process P₀

case 1 - A₁: reg 1 + shared; 4

case 2 - A₂: reg 1 = reg 1 + 3; 4+3

A₃: shared = reg 1 7

shared = 7

Process P₁

B₁: reg 2 = shared; 4 7

B₂: reg 2 = reg 2 - 3; 4-3 7-3

B₃: shared = reg 2; 1 4

shared = 1

↳ ① independently (case 1)

P₀ → shared = 7

P₁ → shared = 1

② sequentially (case 2)

P₀ → access first P₁ → access first (case 3)

shared = 7

shared = 1

P₁ → shared = 4.

P₀ → shared = 4

→ when a same code accessed again & again, generating different output → race condition.

type of process (share same variable & resource)

↳ concurrent process.

Issues in Data synchronization

→ The two processes are known as 'concurrent process' if they share same resource at the same time.

→ Process synchronization has 2-types

① Data synchronization

② control synchronization.

→ case 1 : Independently

when 2 process are executed independently;

Initially shared = 4

when P_0 gets executed, it makes shared = 7.

when P_1 gets executed, it makes shared = 1

case 2 :

when the process are executed sequentially ↗

P_0 is executed first, it makes shared = 7

↗ when P_1 (executed after P_0) it makes shared = 4.

case 3 :

when the process are executed sequentially ↗

P_1 is executed first ; it make shared = 1 ↗

when P_0 (executed after P_1) it makes shared = 4.

→ Looking into case 1, case 2 & case 3 , the processes P_0 & P_1 are executing the same code multiple times but generating different results.

→ When the process executes the same code again & again but generates different result at every input such condition is known as 'Race condition'.

② control synchronization

$P_0 \rightarrow$ producer

fills all empty cells

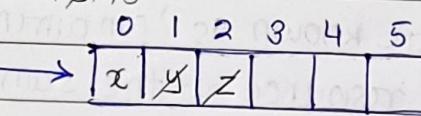
$$E = \frac{6}{5+4+3+5}$$

shared buffer

$P_1 \rightarrow$ consumer

Empty all filled cells.

$$F = 0 + 2^{P_2}$$



head

tail

control → P_0
 P_1

* Critical section

do {

while (1)

{

entry section();

critical section();

exit section();

} remaining section();

}

}

→ conditions for critical section:-

1. Mutual exclusion - single time → one process
2. Progress - If a process wishes to go into a critical section, then only ...

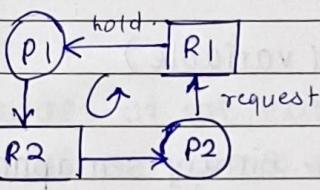
3. No deadlock -

* cycle is been
created;

entry & ending process

is same.

$$P_1 \rightarrow R_2 \rightarrow P_2 \rightarrow R_1$$



process holding
resource

∴ arrow from
resource to process

4. Bounded wait - process cannot remain in critical section for a long time.

→ - critical section is a small piece of code which is executed by many processes at several times.

- It is used to avoid the 'race condition'.

- The process should satisfy the following conditions before entering into a critical section.

1- mutual exclusion

- In this only one process can execute into a critical section at a single time.

2- Progress

- If a process wishes to enter into a critical section then only the system allows the process to enter into a critical section.

3- No deadlock

- A process can enter into a critical section which is not into a deadlock state.

4- Bounded wait

- No process can wait into a critical section for a longer period of time.

* Semaphores (variable)

Types — 1- Binary semaphores (0 & 1)

2- counting semaphores (0 to $+\infty$)

Operations — 1- wait \rightarrow dec value of semaphore by 1 ($s-1$)

2- signal \rightarrow inc value of semaphore by 1 ($s+1$)

do {

Initialize $s=1$

while (1)

{

entry section();

$s-1$

critical section();

$s=0$

exit section();

$s+1$

remaining();

}

→ Semaphores are the +ve integer variables which resides at entry & exit section of the critical section.

→ Types of semaphores :-

1. Binary semaphores

In this, the semaphore value will be 0 or 1

2. Counting semaphores

In this, semaphore value will be 0 to ∞ . or more than 0 to two integer value.

→ Operations of semaphores :-

1. wait operation

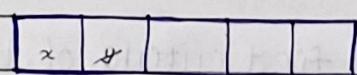
This operation resides at the entry section where it decrements the value of semaphore by 1 ($s--$)

2. signal operation

This operation resides at the exit section, where it increments the value of semaphore by 1 ($s++$).

* Producer - consumer problem

(binary semaphore) $s=1$



$n=5$ ↑(empty cells) $E=5$
 ↓(filled cells) $F=0$

$E \neq F$

Producer ()

consumer()

↳ counting
semaphores

while(1) {

while(1) {

 wait(E);

 wait(F);

 Entry(s) → wait(s); $\rightarrow +0$

$\rightarrow 0$ wait(s); ← entry

 cs → append(); stuck

 consume(); ← cs

 exit → signal(s); $\not\rightarrow +1$

$\not\rightarrow 1$ signal(s); ← exit

 signal(F); $\not\rightarrow +2$

$\not\rightarrow 4$ signal(E);

3

?

* Two solution problem

initially turn = 0

case 1 :- P₀

while(1)

{

 while (turn != 0);

 P₀ → CS;

 turn = 1;

 RS;

}

while(1)

{

 while (turn != 1);

 P₁ → CS;

 turn = 0;

 RS;

}

1) mutual
exclusion

2) progress

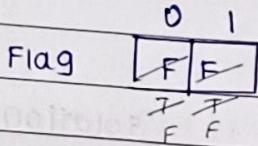
3) bounded
wait

4) no deadlock

→ Initially, variable turn = 0.

- Process P₀, wants to enter into a critical section hence, it checks the statement while (turn != 0); which is False & hence, P₀ enters into a CS.
- After the entire execution, P₀ makes turn = 1 & exits.
- Process P₁, wants to enter into a critical section.
 - It executes the condition while (turn != 1); which is false & hence P₁ enters into a CS.
- After the entire execution, P₁ makes turn = 0 & exits.
- In this case, the first criteria of the CS ie mutual exclusion is satisfied but it fails to satisfy progress condition / criteria.

case 2 :-



while (1)
{
Flag[0] = T; F
while (Flag[1].);
CS;
Flag[0] = F;
RS;
}

while (1)
{
Flag[1] = T; T
while (Flag[0]);
CS;
Flag[1] = F;
RS;
}

→ Initially, a flag is introduced with both of them as false.
(same as before).

* Reader-writer problem.

For writer

wait (wrt);
write operation;
signal (wrt);

for reader

wait (mutex);
readcount++;
if (readcount == 1)
wait (wnt);
signal (mutex);
read operation();
wait (mutex);
readcount--;
if (readcount == 0)
signal (wrt);
signal (mutex);

wrt = 1
mutex = 1
readcount = 0

* Dining-philosopher problem

solution 1

```
void philosopher (int i)
```

```
{
```

```
    while (1)
```

```
{
```

```
    think ();
```

```
    take (Ri);
```

```
    take (Li);
```

```
    eat ();
```

```
    put (Li);
```

```
    put (Ri);
```

```
}
```

solution 2

```
void philosopher (int i)
```

```
{
```

```
    while (1)
```

```
{
```

```
    think ();
```

```
    take (Ri);
```

```
    if (available (Li)),
```

```
{
```

```
    take (Li);
```

```
    eat ();
```

```
    put (Li);
```

```
    put (Ri);
```

```
}
```

```
else
```

```
{
```

```
    put (Ri);
```

```
    sleep ();
```

(P0)

(P4)

(P1)

(P2)



(P3)

(P2)

SOLUTION 3

```
void Philosopher (int i)
{
    while (1)
        think ();
        lock (mutex);
        take (ri);
        take (li);
        eat ();
        put (li);
        put (ri);
        unlock (mutex);
}
```

3 - DEADLOCK

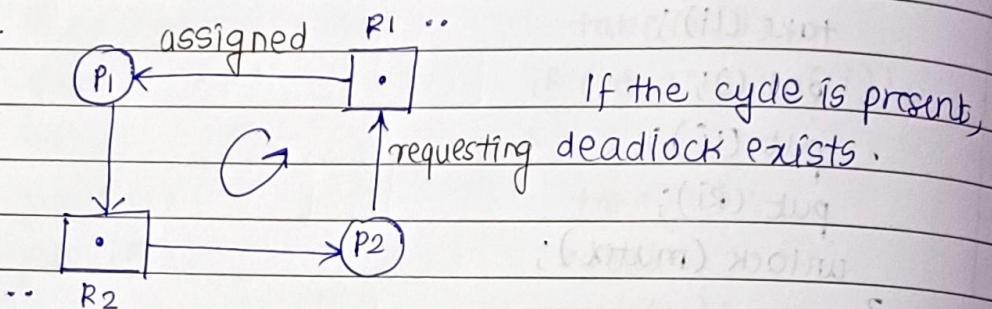
P = Process vertex

R = Resource vertex

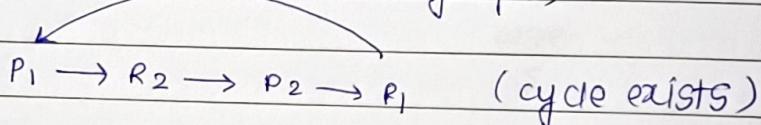
$P \leftarrow R$ = Allocated Edge / Holding / Assigned

$P \rightarrow R$ = Requesting Edge / ~~Holding~~

e.g:-



→ RAG (Resource Allocation graph)



→ Deadlock is defined as 'permanent blocking' of a set of processes that either compete for the system resources or communicate ~~for~~ for each other.

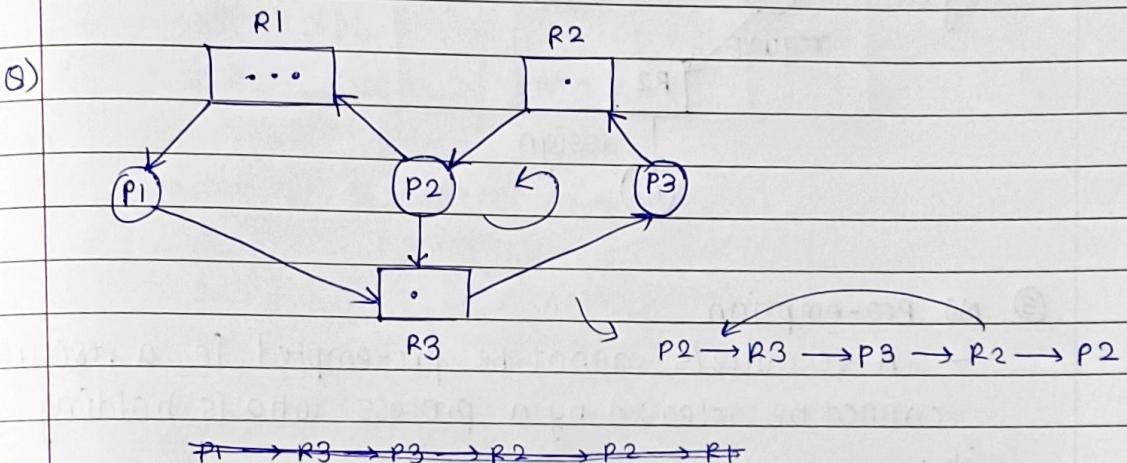
- In multi-processing system, several processes request for various resources.

→ RAG (Resource Allocation graph) :-

- It is a graphical representation of the process & the resources to identify or determine the deadlock is present or not & state whether the system is in safe or unsafe state.

- 2 vertices ie process vertex & resource vertex
- 2 edges
- If the edge is going from resource to process, then it indicates that it is the 'Allocated' edge.
- If the edge is going from process to resource, then it indicates that it is the 'Requesting' edge.

eg:- (from prv diag)

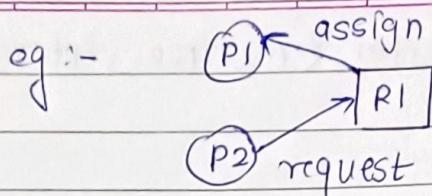


* conditions for deadlock

- ① Mutual Exclusion
- ② Hold & wait
- ③ No pre-emption
- ④ circular wait

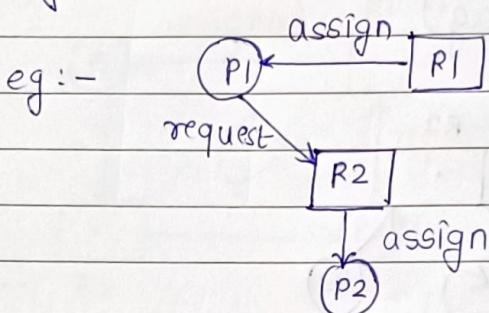
① Mutual Exclusion

- It works on non-shareable resources
- In this, no 2 processes can execute same resource at the same time.



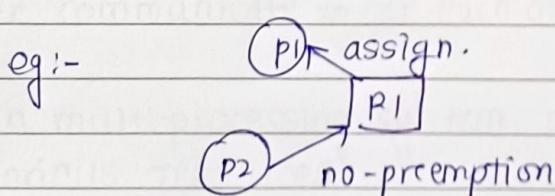
② Hold & wait

- There must exist a process that is holding at least one resource & is waiting to get allocated additional resources that are currently been held by some other process.



③ No pre-emption

- A resource/s cannot be pre-empted ie a resource cannot be released by a process who is holding it.
- It can be released only when the process completes its execution.



④ circular wait

- There must be set of processes ie P₁ to P_m requesting the resources, such that P₁ requests resource R₂ which is held by process P₂ & P₂ requests resource R₁ which is held by process P₁.

- In this case, when a process requests some other resource, which is been held by some another process, then circular wait occurs.

* Banker's Algorithm

1. Deadlock Detection — RAG
2. Deadlock Prevention
3. Deadlock Avoidance — Banker's Algorithm
4. Deadlock Recovery

- ① Maximum Matrix
 ② Allocated matrix
 ③ Available matrix
 ④ Need matrix

$$P = \text{Max}(i,j) - \text{Allocated}(i,j)$$

↑ ↓
process resource no.

~~if~~ if Need(i,j) ~~>~~ old available(i,j)

then,

$$\text{New available}(i,j) = \text{old available}(i,j) + \text{Allocated}(i,j)$$

(Q)		R1	R2	R3		R1	R2	R3		R1	R2	R3
P1	4	5	1			7	10	5		P1	2	2
P2	2	2	1							P2	1	1
P3	1	2	2							P3	1	0

maximum matrix Available matrix Allocated matrix.

→ (nextpage →)

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$$\begin{aligned} \text{New Available} &= [7 - (2+1+1)] [10 - (2+1+0)] [5 - (0+0+0)] \\ &= [3] [7] [5] \\ &\quad R_1 \uparrow \quad R_2 \uparrow \quad R_3 \uparrow \end{aligned}$$

$$\text{New Available} = \begin{array}{|c|c|c|} \hline & R_1 & R_2 & R_3 \\ \hline 3 & & 7 & 5 \\ \hline \end{array}$$

$$\text{Need matrix} = \text{Max}(i,j) - \text{Allocated}(i,j)$$

	R1	R2	R3	
P1	2	3	1	
P2	1	1	1	
P3	0	2	2	

For P1 ; Available ~~now~~ matrix now > Need matrix now

$$\begin{array}{lll} \text{Need}(P_1) & \text{Available}(P_1) & \text{Allocated}(P_1) \\ (2, 3, 1) & \leq & (3, 7, 5) \\ & & (2, 2, 0) \end{array}$$

Add available + allocated for (P1)

$$\begin{aligned} \text{New available} &= (3 7 5) + (2 2 0) \\ &= (5 9 5) \end{aligned}$$

For P2 ; ~~for~~ Available(P2) Need(P2)

$$(5, 9, 5) \geq (1, 1, 0)$$

$$\text{New Available} = (5 9 5) + (1 1 0)$$

$$= (6 10 5)$$

∴ system is in
safe state ↗

For P3 ; Available(P3) Need(P3)

$$(6, 10, 5) \geq (0, 2, 2)$$

↙ P1, P2, P3

$$\begin{aligned} \text{New Available} &= (6, 10, 5) + (1 0 0) \uparrow \\ &= (7 10 5) \end{aligned}$$

(8)

Max

Allocate

	R1	R2	R3			R1	R2	R3	
P1	3	2	2			P1	1	0	0
P2	6	1	3			P2	6	1	2
P3	3	1	4			P3	2	1	1
P4	4	2	2			P4	0	0	2

Initial Available matrix

calculate :-

R1	R2	R3
9	3	6

1. New available

2. Need

3. Check each process.



$$\text{New Available} = [9 - (1+6+2+0)] [3 - (0+1+1+0)] [6 - (0+2+1+2)] \\ = [0] [1] [1]$$

$$\text{New Available} = \begin{array}{|c|c|c|} \hline & R1 & R2 & R3 \\ \hline 0 & 1 & 1 \\ \hline \end{array}$$

$$\text{Need matrix} = \max(i_{ij}) - \text{Allocated}(i_{ij})$$

	R1	R2	R3
P1	2	2	2
P2	0	0	1
P3	1	0	3
P4	4	2	0

$$\text{For } P_1; \quad \text{Available}(P_1) \leq \text{Need}(P_1) \\ (011) \leq (222)$$

$$\text{For } P_2; \quad \text{Available}(P_2) \geq \text{Need}(P_2) \\ (011) \geq (001)$$

Date:

$$\begin{aligned}\text{New available} &= (0 \ 1 \ 1) + (6 \ 1 \ 2) \\ &= [6 \ 2 \ 3]\end{aligned}$$

$$\begin{array}{lll}P1; & \text{Available}(P1) & \text{Need} \\ & (6, 2, 3) & \geq (2, 2, 2)\end{array}$$

$$\begin{aligned}\text{New Available} &= (6 \ 2 \ 3) + (1 \ 0 \ 0) \\ &= [7 \ 2 \ 3]\end{aligned}$$

$$\begin{array}{lll}P3; & \text{Available}(P3) & \text{Need} \\ & (7, 2, 3) & \geq (1, 0, 3)\end{array}$$

$$\begin{aligned}\text{New available} &= (7 \ 2 \ 3) \cancel{(1 \ 0 \ 3)} (2 \ 1 \ 1) \\ &= \cancel{[7 \ 2 \ 3]} [9 \ 3 \ 4]\end{aligned}$$

$$\begin{array}{lll}P4; & \text{Available}(P4) & \text{Need} \\ & (9, 3, 4) & \geq (4, 2, 0)\end{array}$$

$$\begin{aligned}\text{New available} &= (9 \ 3 \ 4) + (0 \ 0 \ 2) \\ &= [9 \ 3 \ 6]\end{aligned}$$

∴ System is in safe state $\langle P2, P1, P3, P4 \rangle$