# Exam Notes

Nicholas Land

Tuesday 23<sup>rd</sup> February, 2016

## Processes

## Process & Thread Synchronization

## Background

- Parallelism can provide a distinct way of conceptualizing problems
- Concurrent access to shared data may result in data inconsistency
- Maintaining data consistency requires mechanisms to ensure that the orderly execution of cooperating processes
- Suppose that we wanted to provide a solution to the consumer-producer problem that fills all the buffers
  - We can do so by having an integer count that keeps track of the number of full buffers
  - Initially the **count** is set to 0
  - It is incremented by the producer after it produces a new buffer
  - It is decremented by the consumer after it consumers a buffer

Race Condition Race conditions can occur when two operations on shared variables are not atomic

#### **Definitions**

- **Synchronization** using atomic operations to ensure cooperation between threads
- Critical Section piece of code that only one thread can execute at once. Only one thread at a time will get into this section of code
  - Mutual Exclusion ensuring that only one thread does a particular thing at a time
  - Progress selecting a thread to enter cannot postpone indefinitely
  - Bounded Waiting before entering the critical section

Important idea: all synchronization involves waiting

#### Peterson's Solution

- A solution for two processes
- Assum that the LOAD and STORE instructions are atomic
  - Atomic == cannot be interrupted

- The two processes share two variables
  - int turnBoolean flag[2]
- The variable turn indicates whos turn it is to enter the critical section
- the flag array is used to indicate if a process is ready to enter the critical section
  - flag[i] = true implies that  $P_1$  is ready

## Alogrithm for Process $P_1$

```
 \begin{tabular}{ll} \be
```

Algorithm 1: Peterson's Solution

## Semaphore

- Synchronization tool that does not require busy waiting
  - integer variable
  - Two standard operations
    - \*  $S.wait() \rightarrow P()$
    - \*  $S.signal() \rightarrow V()$