Nick Montana

Professor Yan Yan

Intro to Machine Learning

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Project 1 Report

Introduction: Project 1 consists of completing various functions. Significant code snippets and outputs can be found below:

computeCost.m:

computeCostMulti.m:

featureNormalize.m:

```
% ================ YOUR CODE HERE ====================
% Instructions: First, for each feature dimension, compute the mean
               of the feature and subtract it from the dataset,
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               storing the mean value in mu. Next, compute the
               standard deviation of each feature and divide
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               each feature by it's standard deviation, storing
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               the standard deviation in sigma.
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               Note that X is a matrix where each column is a
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               feature and each row is an example. You need
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               to perform the normalization separately for
               each feature.
% Hint: You might find the 'mean' and 'std' functions useful.
m = size (X, 1);
n = size (X, 2);
mu = mean (X, 1);
sigma = std(X, 1);
X \text{ norm} = X;
for j = 1:n
    for i = 1:m
       X \text{ norm } (i, j) = X (i, j) - mu (j);
    end
end
for j = 1:n
    for i = 1:m
        X \text{ norm } (i, j) = X \text{ norm } (i, j) / \text{ sigma } (j);
    end
end
```

gradientDescent.m:

```
a = h(i) - y(i);
     cost sum = cost sum + a*(X(i, 1));
   end
  update = (alpha / m) * cost sum; %This is the - " " part
   temp0 = theta (1) - update;
                            %Updates theta and stores in temp
                             % variable
   %Follows the same process from theta 0
   cost sum = 0;
   for i = 1:m
     a = h(i) - y(i);
     cost sum = cost sum + a*(X(i, 2));
   end
  update = (alpha / m) * cost sum;
  temp1 = theta (2) - update;
                      %This actually updates theta
  theta (1) = temp0;
  theta (2) = temp1;
end
% -----
```

gradientDescentMulti.m:

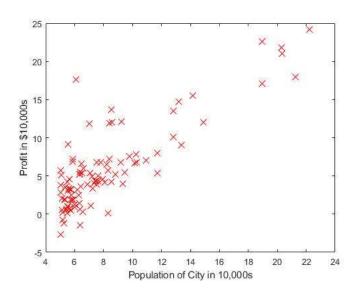
```
% ============== YOUR CODE HERE =================
   % Instructions: Perform a single gradient step on the parameter vector
                  theta.
   % Hint: While debugging, it can be useful to print out the values
          of the cost function (computeCostMulti) and gradient here.
   h = X*theta;
                    %This gives the h theta values in a 97-length array.
                    %This is basically the prediction in our model.
   temp = zeros (1, size (X, 2));
   for j = 1:size (X, 2)
       cost sum = 0; %Starting with sum being 0.
                     %This calculates the summation part
       for i = 1:m
           a = h(i) - y(i);
           cost sum = cost sum + a*(X(i, j));
       end
```

```
update = (alpha / m) * cost sum; %This is the - " " part
      temp (j) = theta (j) - update;
                                   %Updates theta and stores in
                                  % temp variable
   end
   for i = 1:size (X, 2)
      theta (i) = temp (i);
   end
   normalEqn.m:
% Instructions: Complete the code to compute the closed form solution
           to linear regression and put the result in theta.
8 -----
theta = inv(X'*X)*(X'*y);
plotData.m:
% ============= YOUR CODE HERE ================
ylabel('Profit in $10,000's');
                                 % Set the y-axis label
xlabel('Population of City in 10,000s'); % Set the x-axis label
% Instructions: Plot the training data into a figure using the
            "figure" and "plot" commands. Set the axes labels using
            the "xlabel" and "ylabel" commands. Assume the
            population and revenue data have been passed in
            as the x and y arguments of this function.
% Hint: You can use the 'rx' option with plot to have the markers
     appear as red crosses. Furthermore, you can make the
      markers larger by using plot(..., 'rx', 'MarkerSize', 10)
warmUpExercise.m:
% ======== YOUR CODE HERE ========
% Instructions: Return the 5x5 identity matrix
            In octave, we return values by defining which variables
            represent the return values (at the top of the file)
```

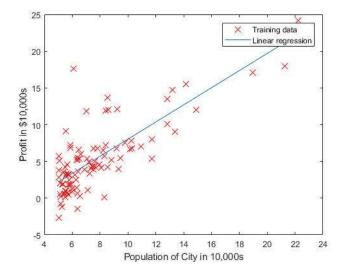
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A = eye (5);

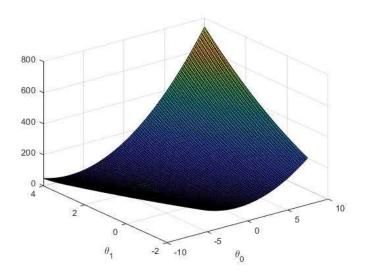
ex1 Figure1:



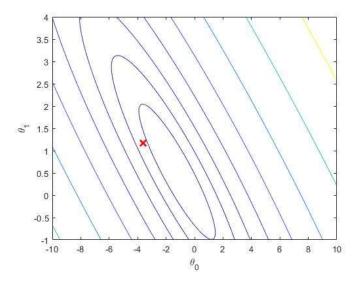
ex1 Figure 1 with Line:



ex1 Figure 2:



ex1 Figure 3:



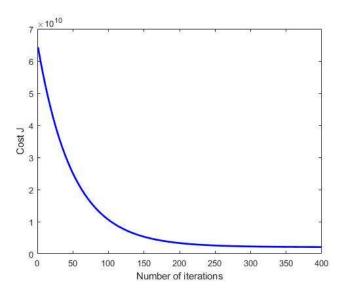
ex1 Output:

Command Window

New to MATLAB? See resources for Getting Started.

```
Running warmUpExercise ...
  5x5 Identity Matrix:
  ans =
      1 0 0 0 0
            1
                0
                      0
            0
                 1
                       0
      0
           0
                0
                      1
      0
            0
                 0
                      0
  Program paused. Press enter to continue.
  Plotting Data ...
  Program paused. Press enter to continue.
  Testing the cost function ...
  With theta = [0; 0]
  Cost computed = 32.072734
  Expected cost value (approx) 32.07
  With theta = [-1; 2]
  Cost computed = 54.242455
  Expected cost value (approx) 54.24
 Program paused. Press enter to continue.
  Running Gradient Descent ...
  Theta found by gradient descent:
  -3.630291
  1.166362
 Expected theta values (approx)
  -3.6303
   1.1664
 For population = 35,000, we predict a profit of 4519.767868
 For population = 70,000, we predict a profit of 45342.450129
 Program paused. Press enter to continue.
  Visualizing J(theta_0, theta_1) ...
f_{x} >>
```

ex1_multi Figure 1:



ex1_multi Output:

```
Command Window
New to MATLAB? See resources for Getting Started.
  Loading data ...
  First 10 examples from the dataset:
  x = [2104 \ 3], y = 399900
  x = [1600 3], y = 329900
  x = [2400 \ 3], y = 369000
  x = [1416 \ 2], y = 232000
   x = [3000 \ 4], y = 539900
   x = [1985 4], y = 299900
   x = [1534 3], y = 314900
  x = [1427 3], y = 198999
  x = [1380 \ 3], y = 212000
  x = [1494 \ 3], y = 242500
  Program paused. Press enter to continue.
  Normalizing Features ...
  Running gradient descent ...
  Theta computed from gradient descent:
  334302.063993
  99411.449474
  3267.012854
  Predicted price of a 1650 sq-ft, 3 br house (using gradient descent):
  $289221.547371
  Program paused. Press enter to continue.
  Solving with normal equations...
  Theta computed from the normal equations:
  89597.909543
  139.210674
  -8738.019112
  Predicted price of a 1650 sq-ft, 3 br house (using normal equations):
  $293081.464335
```