```
inp w wzas
mul-x-0
add x-z
                                             a_{\epsilon} \in [1, 9]
mod x 26
div z 1
                                             [d:v a b]: 6 $0
add x 13 x = 13
                                             [modae]: a≥0
6>0
eql x w x= 91 = 13 = 0
eql x 0 x=1
muly 0
add y 25 y>?$
mulyx add y 1 y 226
<del>mul-z-y</del>
mul y 0 y \ge 0
add y w y \ge \alpha_1
add y 10 y \ge \alpha_1 + 10
mul-y-x
add z y z = a_1 + 10
inp w w≥a₂
mul x 0 \begin{cases} x = (a_1 + 10) \% 26 = a_2 + 10 \end{cases} add x z
div z-1
add x 11
eql x w
eql x 0
x = a_1 + 21 \neq a_2 = 1
```

```
mul y 0 add y 25 y \ge 26 mul y x add y 1 mul z y z = 26(a_1 + 10)
                                                             x = 1
y = a_1 + 10
z = a_1 + 10
mul y 0
add y w
add y 16
mul y x
add z y \geq 26(a_3+10)+a_2+16
inp w wzaz
mul x 0 \chi add x z \chi \chi \chi \chi \chi \chi \chi
div z 1
add \times 11
eql \times \times \times = \alpha_2+27 \ddagger \alpha_3=1
eql x 0
muly 0 add y 25 \frac{1}{3} muly x add y 1
mul z y z = 26(26(a_1+10)+a_2+16)
add y
```

```
muly x
add z y z=\frac{26(26(a_1+10)+a_2+16)+a_3}{2} \frac{3}{x=1}
inp w w=a_4
mul x 0 \frac{3}{2}
add x z \frac{3}{2} \frac
  mul \times 0 \uparrow add \times z \setminus x^{24}3 mod \times 26
  div-z-1
  add x 10 
eql x w X^2 a_3+10 \neq a_4=1
eql x 0
                                                                                                                                                                                                                                                                                                                                           | let c = 26 |
mul y 0 1

add y 25 y = 26

mul y x

add y 1

mul z y z = c^3(a_3+10) + c^2(a_2+16) + ca_3
 mul y 0 )
add y w
add y 13
mul y x
   add z y z= c3 (as+10) + c2 (a2+16) + ca3 + ay+13
    inp w w= °≤
 mul x 0 
add x z \begin{cases} x = a_4 + 13 \\ mod x = 26 \end{cases}
   \frac{1}{\text{div } z} = \frac{20}{2} \sum_{z=c}^{2} (a_{1}+10) + c(a_{2}+16) + a_{3}
    add x - 14 x = \alpha y - 1
```

```
W = 95
x = ay - 1
y = 95
2 = 62 = 100
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6 =
   eql x w x=as=ay-1
   eql x 0 x= 4s ‡ay-1 :ρ()
  mul y 0 
add y 25 
mul y x 
add y 1
  mul z y z= \rho(c_1-) =: c^2(a_1+10)+c(a_2+16)+a_3
add y 7 )

mul y x y = p(). (a_5 + 7)

add z y z = c^2(a_1 + 10) + c(a_2 + 16) + a_3

inp w weak

mul x a_5
 mul x = 0 ) add x = z
   mod \times 26
   div z 26 z = c(as+10) + a2+16
  add x - 4 = \alpha_3 - 4 \neq \alpha_6 70
   eql x 0
   mul y 0
  add y 25\sqrt{3=1}
mul y x
add y 1
  mulzy
   muly 0 y20
```

```
w = a_6

x = 0

y = 0

z = c(a_1 + 10) + a_2 + 16
 add y w ) add y 11 } } ? () mul y x
add z y

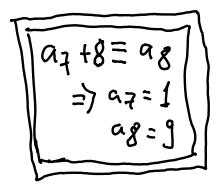
inp w w= a;
 div z 1
 add x 11 \begin{cases} x = \alpha_1 + \beta_1 \neq \alpha_1 = 1 \\ \text{eql x 0} \end{cases}
 muly 0 ) add y 25 y = 26 muly x add y 1
 mul z y z = c^2(a_1+10)+c(a_2+16)
 mul y 0 add y w y = a_1 + 11 add y 11 y = x
 add z y z = c^2(a_1+10) + c(a_2+16) + a_7+11
  inp w ω≥ag
 mul \times 0 \uparrow add \times Z \uparrow \times= \alpha_{7}+11
 mod x
```

```
div z 26 2 = c(a_2 + 10) + a_2 + 16

add x -3

eql x w \begin{cases} x = a_2 + 8 \neq a_8 \uparrow 0 \\ eql x 0 \end{cases}
mul y 0 add y 25 y = 1 mul y x add y 1
mul z y
mul y 0 add y 0 add y 10
 mul y x
<del>add z y</del>
 inp w w=ag
mul x 0 \begin{cases} x = \alpha_2 + 16 \end{cases}
 mod x 26
div z 1
add x 12 \rangle eql x w \rangle x= \alpha_2+28 \neq \alpha_5=1
 eql x 0
mul y 0 7 add y 25 y = 26 mul y x
 add y
```

$$w = ag$$
 $x = a_1 + 11$ 
 $y = a_2 + 11$ 
 $z = c^2(a_1 + 10) + c(a_2 + 16) + a_2 + 11$ 



```
mul z y z = c^{2}(\alpha_{4}+10) + c(\alpha_{2}+16)

mul y 0

add y w y = \alpha_{3}+16

add y 16

mul y x
add z y z = c^2(a_1+10)+c(a_2+10)+a_9+16
inp w w=aso
mod \times 26
div z 26 z = c(a_1+10) + a_2+16
add x -12 x = a_1 + y = a_10 7 0
eql x w
eql x 0
mul y 0 y = 1 add y 25 y = 1 mul y x
add y 1
mulzy
muly o add y w | y = 0 add y 8 | y = 0
mul y x
add z y
inp w wass
mul x 0 x 2 0
```

```
| w = a_{11} 
 x = 0 
 y = 0 
 z = c (a_{1}+10) + a_{2}+16 
add x z  \begin{cases} x = a_2 + 16 \\ x = a_3 + 16 \end{cases}
div z-1
add x 13 \begin{cases} x = a_2 + 29 \neq a_{11} = 1 \end{cases}
eql x 0
mul y 0 \frac{1}{2} add y 25 \frac{1}{2} \frac{1}{2} mul y x add y 1
mul z y z = c^2(a_1+10)+c(a_2+16)
mul y 0 7
add y w y = \alpha_{11} + 15
add y 15
mul y x
add z y z=c2(a1+10)+c(a2+16)+a11+15
inp w W ≒ a<sub>12</sub>
mul \times 0 1 \times = \alpha_{11} + 15 add \times Z
mod \times 26
div z 26 z=c(a1+10)+a2+16
add x -12 
eql x w = q_{11} + 3 + q_{12} = 0
eql x 0
                                                              a11+3=a12
mul y 0 1 add y 25 1 2
```

```
W = 0

Y = 25

Z = c(a_1+10) + a_2+16
 mul y x? add y 1)y=1
mu<del>l z y</del>
 mul y 0 }
add y w } \( \frac{1}{2} \)
add y 2 \
mul y x \
 <del>add z y</del>
 inp w w= a 13
 div z 26 2= 91+10
 add x -15 \rangle eql x w \rangle x= \alpha_2+1 \neq \alpha_{13} 70
                                                         \alpha_2+1\equiv\alpha_{13}
 eql x 0
 mul y 0 ) add y 25 (mul y x ) 3 1 add y 1
mulzy
 mul y 0 7 add y w 3 3 = 0 add y 5 mul y x
 add z y
```

inp 
$$w$$
  $w = a_{14}$   
mul  $x = 0$   
add  $x = 26$   
div  $z = 26$   
add  $z = 20$   
add  $z =$ 

a1-1=a14