

$$\begin{array}{rcl}
 & \left\{ \begin{array}{r} 109 \\ - 64 \\ \hline 45 \\ - 32 \\ \hline 13 \\ \hline 13 \\ - 8 \\ \hline 5 \\ - 4 \\ \hline 1 \\ \hline 1 \\ - 1 \\ \hline 0 \end{array} \right. & \left. \begin{array}{l} 1 \\ 1 \\ 0 \\ 1 \\ 1 \\ 0 \\ 1 \end{array} \right\} \begin{array}{l} \text{Result} \\ \text{(from} \\ \text{top to} \\ \text{bottom)} \end{array}
 \end{array}$$

Working

Fig 10.6
Setting out for working using method 1.

$$\begin{array}{rcl}
 & \left\{ \begin{array}{r} 109 \\ \div 2 \\ \hline 54 \\ \div 2 \\ \hline 27 \\ \div 2 \\ \hline 13 \\ \div 2 \\ \hline 6 \\ \div 2 \\ \hline 3 \\ \div 2 \\ \hline 1 \\ \div 2 \\ \hline 0 \end{array} \right. & \left. \begin{array}{l} 1 \\ 0 \\ 1 \\ 1 \\ 0 \\ 1 \\ 1 \end{array} \right\} \begin{array}{l} \text{Result} \\ \text{(from} \\ \text{bottom} \\ \text{to top)} \end{array}
 \end{array}$$

Working

Fig 10.7
Setting out for working using method 2.

$$\begin{array}{rcl}
 & 10952 & \\
 \text{Working} \left\{ \begin{array}{r} - 8192 \\ \hline 2760 \\ - 2560 \\ \hline 200 \\ - 192 \\ \hline 8 \\ - 8 \\ \hline 0 \end{array} \right. & \begin{array}{l} 2 \\ 10=A \\ 12=C \\ 8 \end{array} & \left. \begin{array}{l} \text{Result} \\ \text{(from} \\ \text{top to} \\ \text{bottom)} \end{array} \right\}
 \end{array}$$

Fig 10.8
Setting out for working
using method 1.

$$\begin{array}{rcl}
 & 10952 & \\
 \text{Working} \left\{ \begin{array}{r} \div 16 \\ \hline 684 \\ \div 16 \\ \hline 42 \\ \div 16 \\ \hline 2 \\ \div 16 \\ \hline 0 \end{array} \right. & \begin{array}{l} 8 \\ 12=C \\ 10=A \\ 2 \end{array} & \left. \begin{array}{l} \text{Result} \\ \text{(from} \\ \text{bottom} \\ \text{to top)} \end{array} \right\}
 \end{array}$$

Fig 10.9
Setting out for working
using method 2.

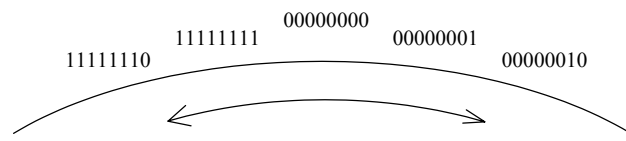


Fig 10.13
Section of an 8 bit circular number line.

Positive		Negative		Positive		Negative	
Decimal	Binary	Decimal	Binary	Decimal	Binary	Decimal	Binary
1	00000001	-1	11111111	97		-97	
2	00000010	-2	11111110	98		-98	
3	00000011	-3	11111101	99		-99	
4	00000100	-4	11111100	100		-100	
5	00000101	-5	11111011	101		-101	
6	00000110	-6	11111010	102		-102	
7	00000111	-7	11111001	103		-103	
8	00001000	-8	11111000	104		-104	
9	00001001	-9	11110111	105		-105	
10	00001010	-10	11110110	106		-106	
11	00001011	-11	11110101	107		-107	
12	00001100	-12	11110100	108		-108	
13	00001101	-13	11110011	109		-109	
14	00001110	-14	11110010	110		-110	
15	00001111	-15	11110001	111		-111	
16	00010000	-16	11110000	112		-112	
17		-17		113		-113	
18		-18		114		-114	
19		-19		115		-115	
20		-20		116		-116	
21		-21		117		-117	
22		-22		118		-118	
23		-23		119		-119	
24		-24		120		-120	
25		-25		121		-121	
26		-26		122		-122	
27		-27		123		-123	
28		-28		124		-124	
29		-29		125		-125	
30		-30		126		-126	
31		-31		127	01111111	-127	
32		-32				-128	10000000

Etc...

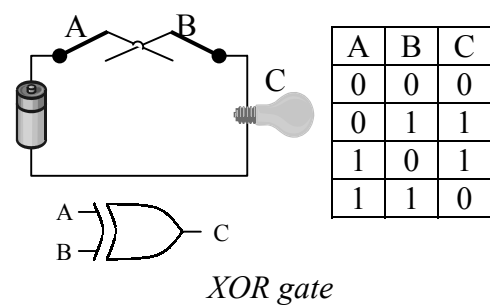
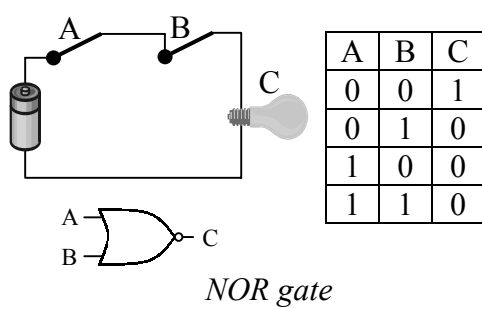
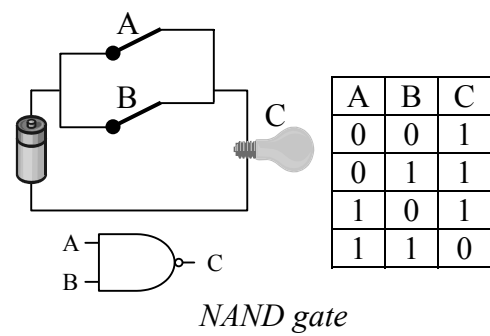
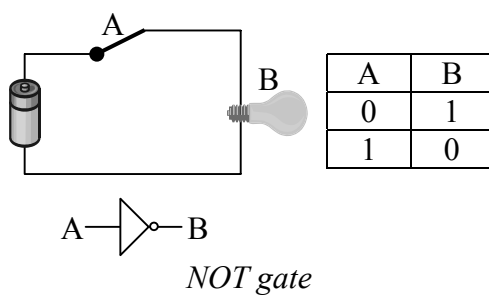
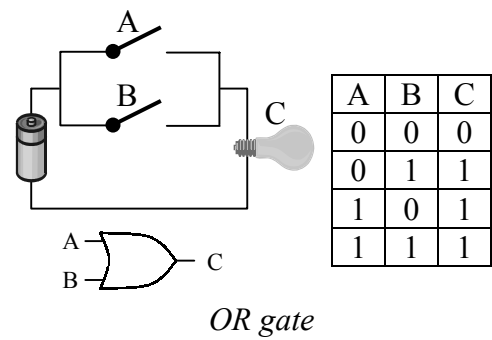
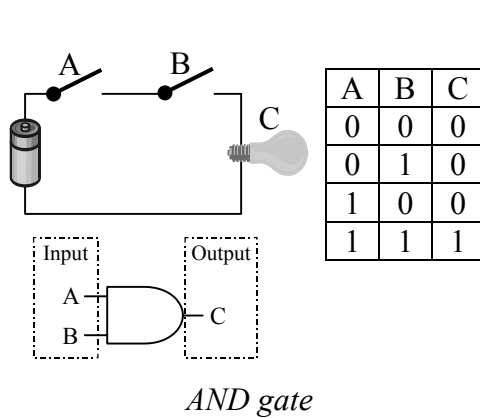
(Let's cheat and skip a few!)

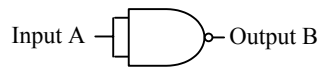
Phew finished!

```
BEGIN BinaryDivision
  Get Num1, Num2
  Divisor = Num2
  WHILE Left hand bit of divisor is 0
    Shift Divisor left
  ENDWHILE
  Remainder = Num1
  Quotient = 0
  WHILE Divisor ≥ Num2
    Shift Quotient left
    IF Remainder ≥ Divisor THEN
      Remainder = Remainder – Divisor
      Quotient = Quotient + 1
    ENDIF
    Shift Divisor right
  ENDWHILE
END BinaryDivision
```

Fig 10.29
Algorithm for binary division.

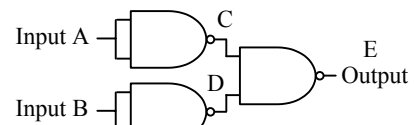
[illegible]





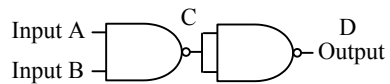
NOT gate

A	B
0	
1	



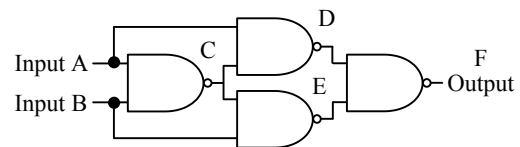
OR gate

A	B	C	D	E
0	0			
0	1			
1	0			
1	1			



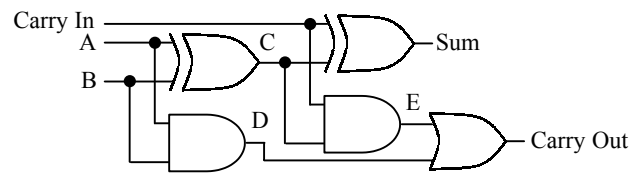
AND gate

A	B	C	D
0	0		
0	1		
1	0		
1	1		



XOR gate

A	B	C	D	E	F
0	0				
0	1				
1	0				
1	1				

*A full adder*

Carry In	A	B	C	D	E	Carry Out	Sum
0	0	0					
0	0	1					
0	1	0					
0	1	1					
1	0	0					
1	0	1					
1	1	0					
1	1	1					

