

Bottom Up Parsing (Right-to-left in Reverse Order)

SRP (Shift Reduce Parse) :-
operator precedence Parser

$$E \rightarrow E + E \mid E * E \mid (E) \mid -E \mid \text{id}$$

- will in string = id + id * id

$$E \rightarrow E + E$$

$$E + E$$

id + id * id

$$E + E$$

$$E + E * E$$

E + id * id

$$E + E$$

$$E + id * id$$

id + id * id

SRP (Shift Reduce Parser) :-

Handle

$$(id + id * id)$$

Handle $\xrightarrow{\text{Terminal to Non-Terminal}}$

$$E + E * id$$

Handle pruning

Right side value
Replaces with left side

$$E * E \rightarrow E$$

Handle pruning

- (i) Shift :- The next input symbol is shifted on to the top of the stack.
- (ii) Reduce :- The parser replaces the handle within a stack with a non-terminal.
- (iii) Accept :- The parser announces successful completion of parsing.
- (iv) Error :- The parser discovers that a syntax error has occurred and calls an error recovery routine.

Conflict in SLR :-

→ Shift Reduce conflict →

→ Reduce Reduce conflict

$$G: F \rightarrow E+E \mid E*E \mid (E) \mid -E \mid id$$

Stack	input <<	Action
\$	bi * bi	
\$ id	bi id + id * id \$	shift id
\$ E	+ id * id \$	Reduce E → id
\$ F +	id * id \$	shift '+'
\$ F + id	* id \$	shift id
\$ E + E	* id \$	Reduce E → id
\$ E + E *	id \$	shift '*'
\$ E + E * id	\$	shift id
\$ E + E * E	\$	Reduce E → id.
\$ F + E	\$	(Here, Reduce Reduce Conflict occurs.)
\$ E	\$	Reduce E → E + E
\$ E	\$	Accept

$F \rightarrow FAF \quad | \quad (F) \quad | \quad id$

string :- id * id | id + id

~~A → + / - / * / /~~

$F \rightarrow F A F$
 $F \rightarrow F A F$
 $F \rightarrow F A F$
 \downarrow \downarrow \downarrow \downarrow
 $id * id$ id $+$ id
 \downarrow \downarrow \downarrow \downarrow
 $id * id$ $->$ $id + id$
 \downarrow \downarrow
 $id + id$

$\rightarrow F \rightarrow F + F \mid F * F \mid F - F \mid F / F \mid (F) \mid id$

$$F * F$$

$$\begin{array}{r} | \\ F / F \\ | \\ F + F \end{array}$$

F * F / F + F

$$F^* \models_{\mathcal{B}} /_{Ff} i_a +$$

$$F * F / id + id$$

CF* id lid + id

↳ id * id / id + id

H (F * id / id + id

$$F \xrightarrow{H} F / \text{id} + \text{id}$$

$$F \star F / F^4 \text{ id}_H$$

$$F^* F / (F + F^2) \rightarrow H$$

E^*E/E^2 H.P.

F E F F E H P

$$\frac{F \cancel{F} F R}{\cancel{F}} H.F.$$

Operating Precedence Parser

Grammar g is said to be operator precedence if it has following properties:

- (1) No production or the right hand side is null.
- (2) There should not be any production rule parsing two adjacent non-terminals at the right hand side.

Ex. $E \rightarrow EA E \mid (E) \mid -E \mid id$
 $A \rightarrow + \mid - \mid \cdot \mid /$

Precedence Table :

	+	-	*	/	id	()	\$
+	>	>	<	<	<	<	>	>
-	>	>	<	<	<	<	>	>
*	>	>	>	>	<	<	>	>
/	>	>	>	>	<	<	>	>
id	>	>	>	>	<	<	>	>
(<	<	<	<	<	<	>	>
)	>	>	>	>	<	<	>	>
\$	<	<	<	<	<	<	>	>

\$ has lowest precedence & id has highest precedence
 $(+, -, *, /)$ same

Q id + id * id

→ don't write

Step 1:

	id	+	*	\$
id	0	▷	▷	▷
+	◁	▷	◁	▷
*	◁	▷	▷	▷
\$	◁	◁	◁	A Accept

Step 2: Converted string: \$ r· id · r + r· id · r * r· id · r \$

Step 3: If non-terminal comes shift before

i.e. $\rightarrow \frac{S}{E}$

If LHS \geq RHS then shift else reduce.

stack	input	action
\$	id + id * id \$	\$ < id, shift id
\$ id	+ id * id \$	id > +, reduce E → id
\$ E	+ id * id \$	\$ < +, shift +
\$ F +	id * id \$	+ < id, shift id
\$ E + id	* id \$	id > *, reduce F → id
\$ E + F	* id \$	+ < *, shift '*'
\$ F + F *	id \$	* < id, shift id
\$ E + F * id	F	id > \$, reduce E → id
\$ E + F * F	F	* > \$, reduce E → E * F

$$\$ E + E$$

$$\$ E$$

$$\$$$

$$\$$$

$$+ > \$, \text{ reduce } E \rightarrow E + E$$

Accepted

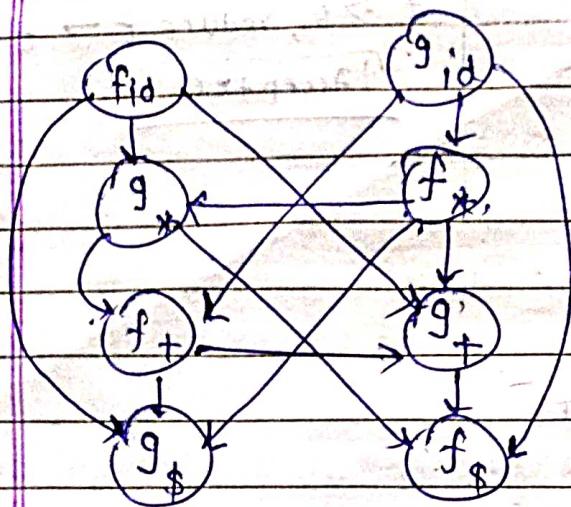
Advantages

- simple to implement

Disadvantages

- $+, -, *, /$, etc. such type of unary operators are difficult to handle by operator precedence parser.
- This is applicable for small class of grammars e.g. (E) from previous question.

Step-4 Precedence function graph

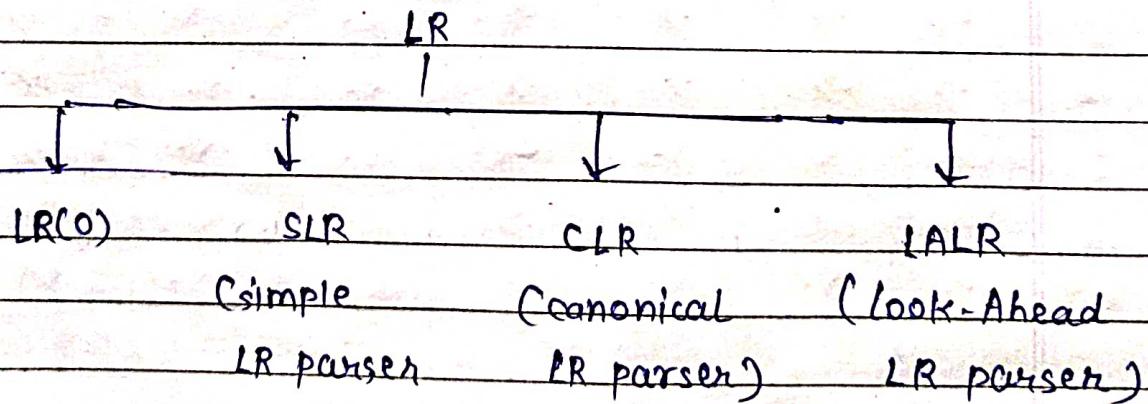


f g	id	+	*	\$
id		\succ	\succ	\succ
+	\prec	\succ	\prec	\succ
*	\prec	\succ	\succ	\succ
\$	\prec	\prec	\prec	\prec

Step-5 function table

f	id	*	+	\$	(Maximum path)
f	4	4	2	0	
g	5	3	1	0	

LR parser :-



Model of LR parser :-

L stands for left-to-right scanning.

R stands for right most derivative in reverse order,

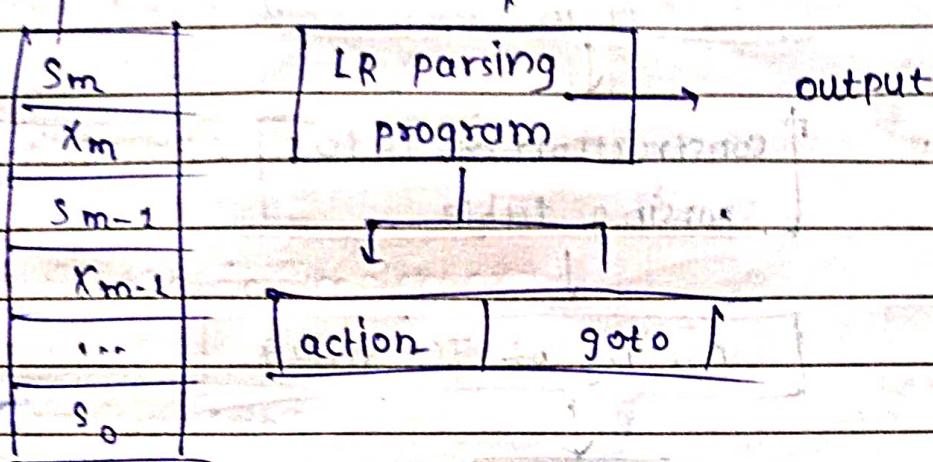
K is number of input symbol used to predict the input string

input buffer is used for storing the input stream

(continue...)

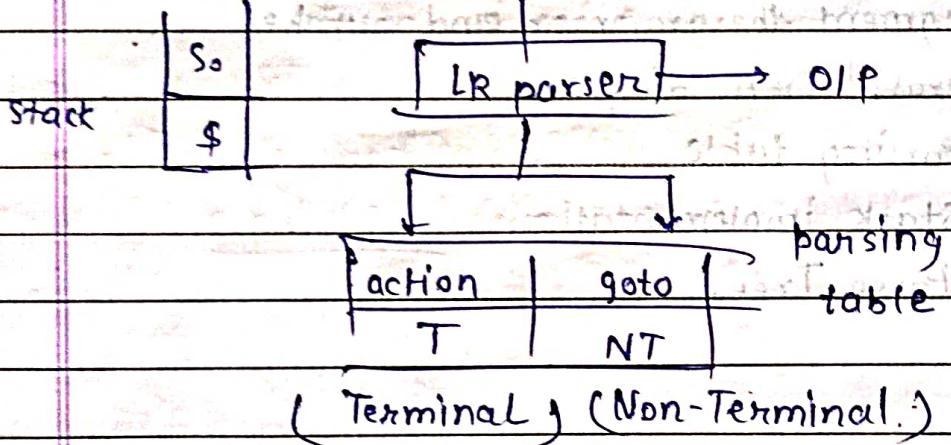
a_i	a_i	a_n	$\$$
-------	-------	-------	------

state



Eg.

a	$+ b$	$\$$
-----	-------	------



LR(0)

(Continue...) grammar symbol and output.

LR(1)

→ parsing table consist of two parts:-

1. Action

2. Goto

CLR

LALR

LR(0)context free grammarconstruction of set of itemsconstruction of LR(0)
parsing tableparsing of I/P stringoutputstep-1: Augment the grammar and number it.Step-2: Draw DFA diagramStep-3: Parsing tableStep-4: Stack implementationStep-5: Parse Tree.

②

$$E \rightarrow BB$$

$$B \rightarrow cB/d$$

string :- ccdd \$

Step 1:- $E' \rightarrow E \rightarrow_0$

$$B \rightarrow BB \rightarrow_1$$

$$B \rightarrow cB \rightarrow_2$$

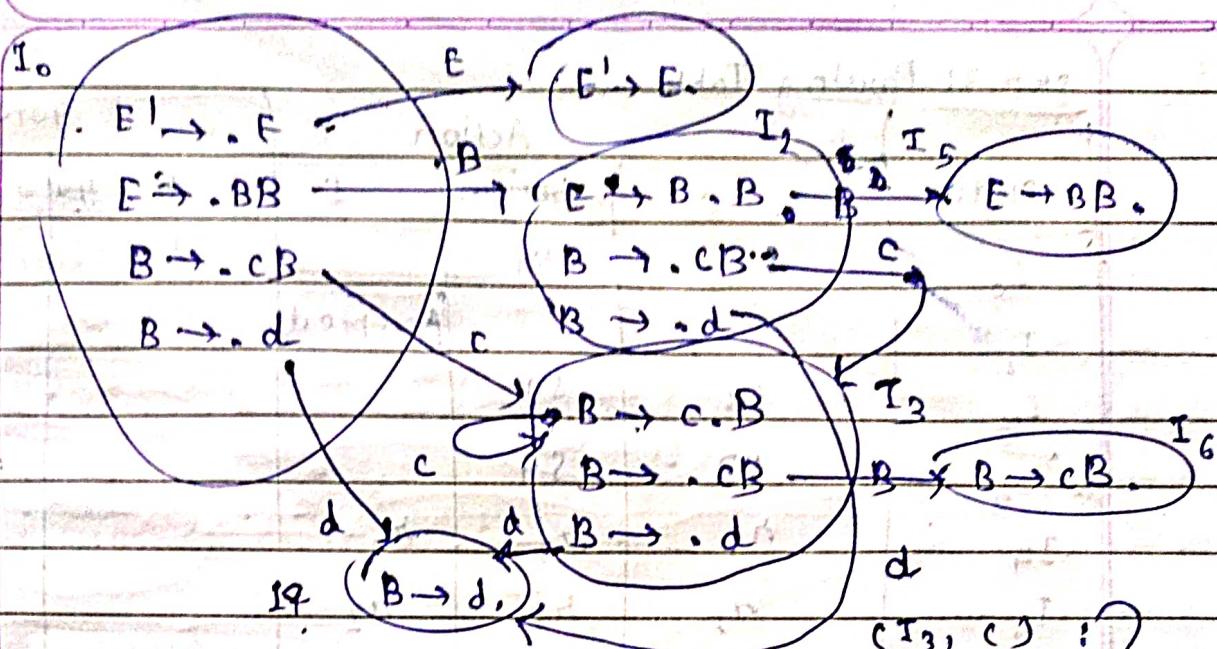
$$B \rightarrow d \rightarrow_3$$

Step 2:- $E' \rightarrow E \rightarrow_0$

$$E \rightarrow BB \rightarrow_1$$

$$B \rightarrow cB \rightarrow_2$$

$$B \rightarrow d \rightarrow_3$$



$$I = \text{closure } \{ E' \rightarrow .E \}$$

I₆?

$$E' \rightarrow E$$

$F \rightarrow BB$

B → cB

'B → d

$I_i = \text{goto } I_0, E;$

S

$$E' \rightarrow E.$$

$I_1 = \text{goto } (I_0, B)$;

3

E → B, B

$$B \rightarrow -c\beta$$

$$B \rightarrow d$$

2

$I_3 = \text{goto}(I_0, c) \vdash$

Write down
to 3 times

$$I_a = \text{goto } (I_n, d)$$

3

$$\underline{B \rightarrow d}$$

$I_5 = \text{goto}(I_2, B)$;

$$F \rightarrow BB,$$

$I_6 = \text{goto } (I_3, B)$

1

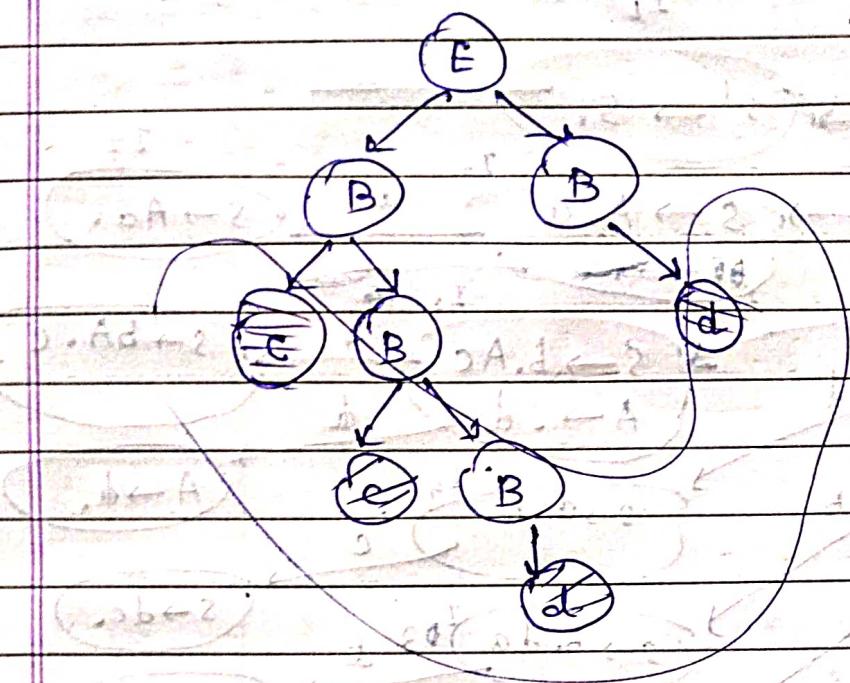
Step 3: Parsing Table

state	Action		90to		
	C	\$	A	E	B
I ₀	S ₃	S ₄			1
I ₁	S ₃	S ₄			2
I ₂	S ₃	S ₄			5
I ₃	S ₃	S ₄			6
I ₄	r ₃	r ₃	r ₃		
I ₅	r ₁	r ₁	r ₁		
I ₆	r ₂	r ₂	r ₂		

Reduce(r) Shift(S)

Step 4: Stack Implementation

stack	input	action
\$ 0	ccdd\$	shift C → S ₃
\$ 0C ₃	cdd\$	shift C → S ₃
\$ 0C ₃ C ₃	dd\$	shift d → S ₄
\$ 0C ₃ C ₃ d ₄	d\$	Reduce B → d
\$ 0C ₃ C ₃ B ₆	d\$	Reduce B → cB
\$ 0C ₃ B ₆	d\$	Reduce B → cB
\$ 0B ₂	d\$	shift d → S ₄
\$ 0B ₂ d ₄	\$	Reduce B → d.
\$ 0B ₂ B ₅	\$	Reduce E → BB
\$ 0E	\$	Accepted

Step 5: Parse Tree

(*) $S \rightarrow Aa \mid bAc \mid dc \mid bda$

$A \rightarrow d$

Step 1: $S' \rightarrow S \xrightarrow{0} \text{completes 0}$

$S \rightarrow Aa \xrightarrow{1}$

$S \rightarrow bAc \xrightarrow{2}$

$S \rightarrow dc \xrightarrow{3}$

$S \rightarrow bda \xrightarrow{4}$

$A \rightarrow d \xrightarrow{5}$

Step 2: $S' \rightarrow S \xrightarrow{0}$

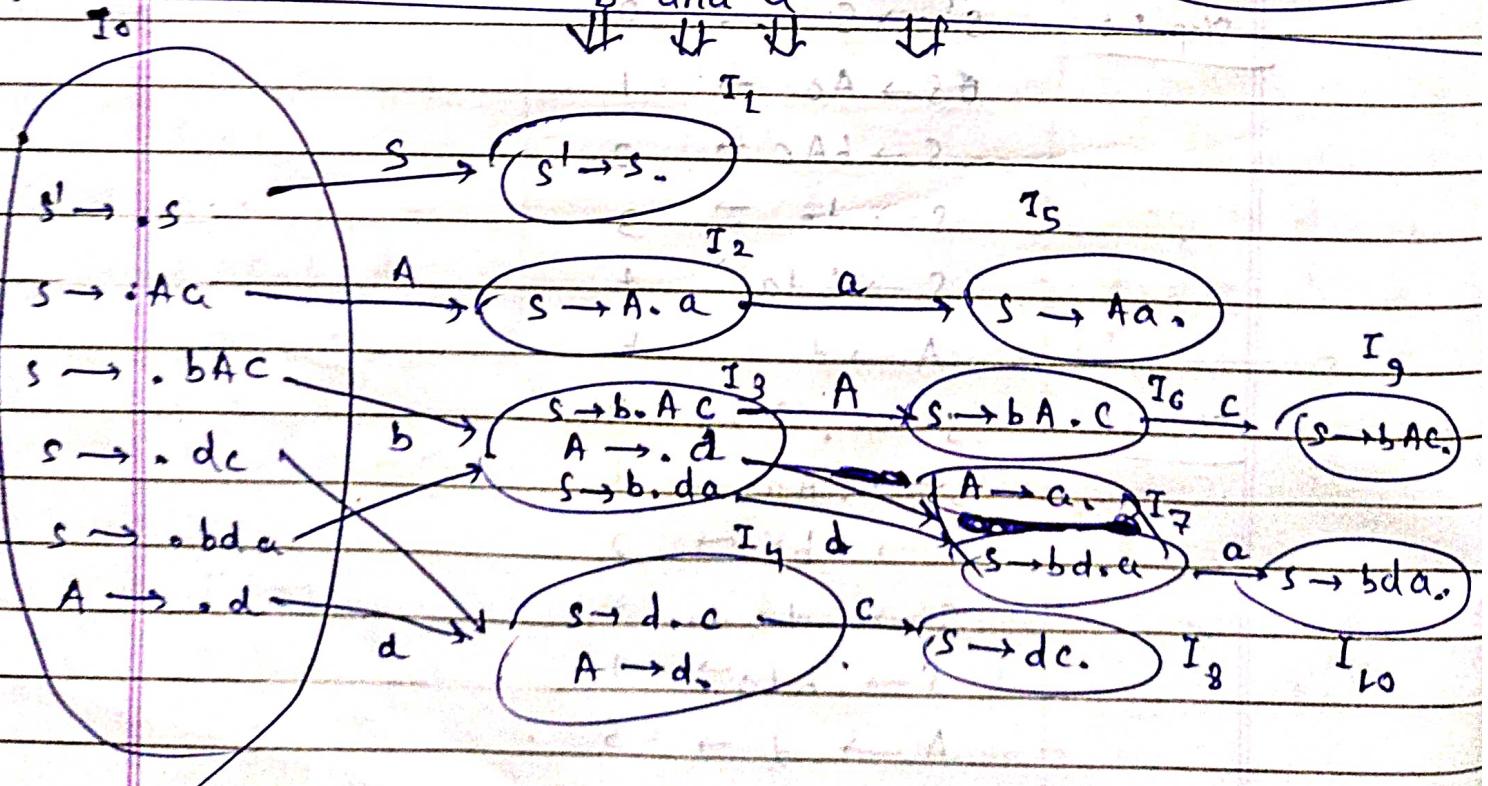
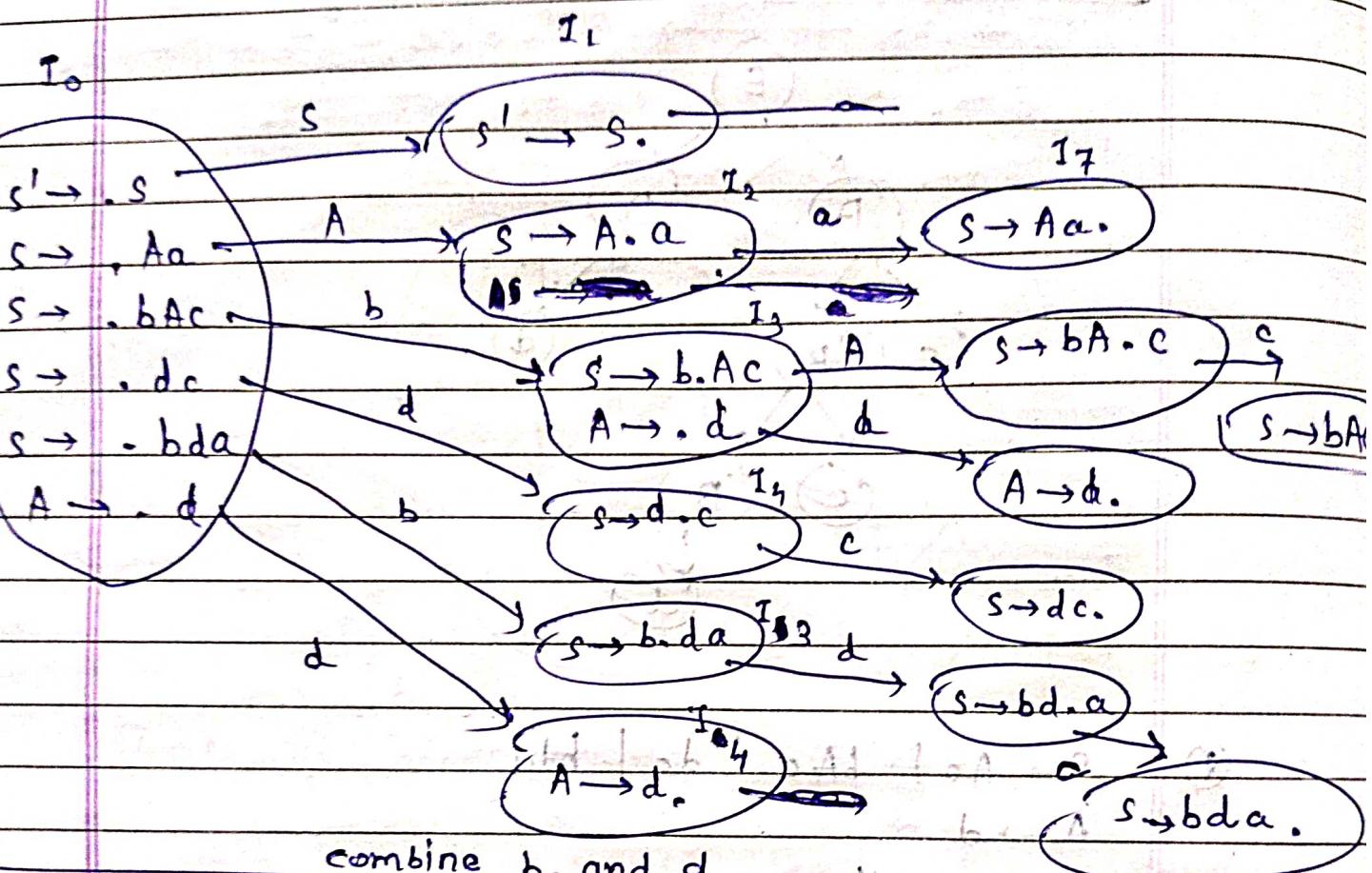
$S \rightarrow Aa \xrightarrow{1}$

$S \rightarrow bAc \xrightarrow{2}$

$S \rightarrow dc \xrightarrow{3}$

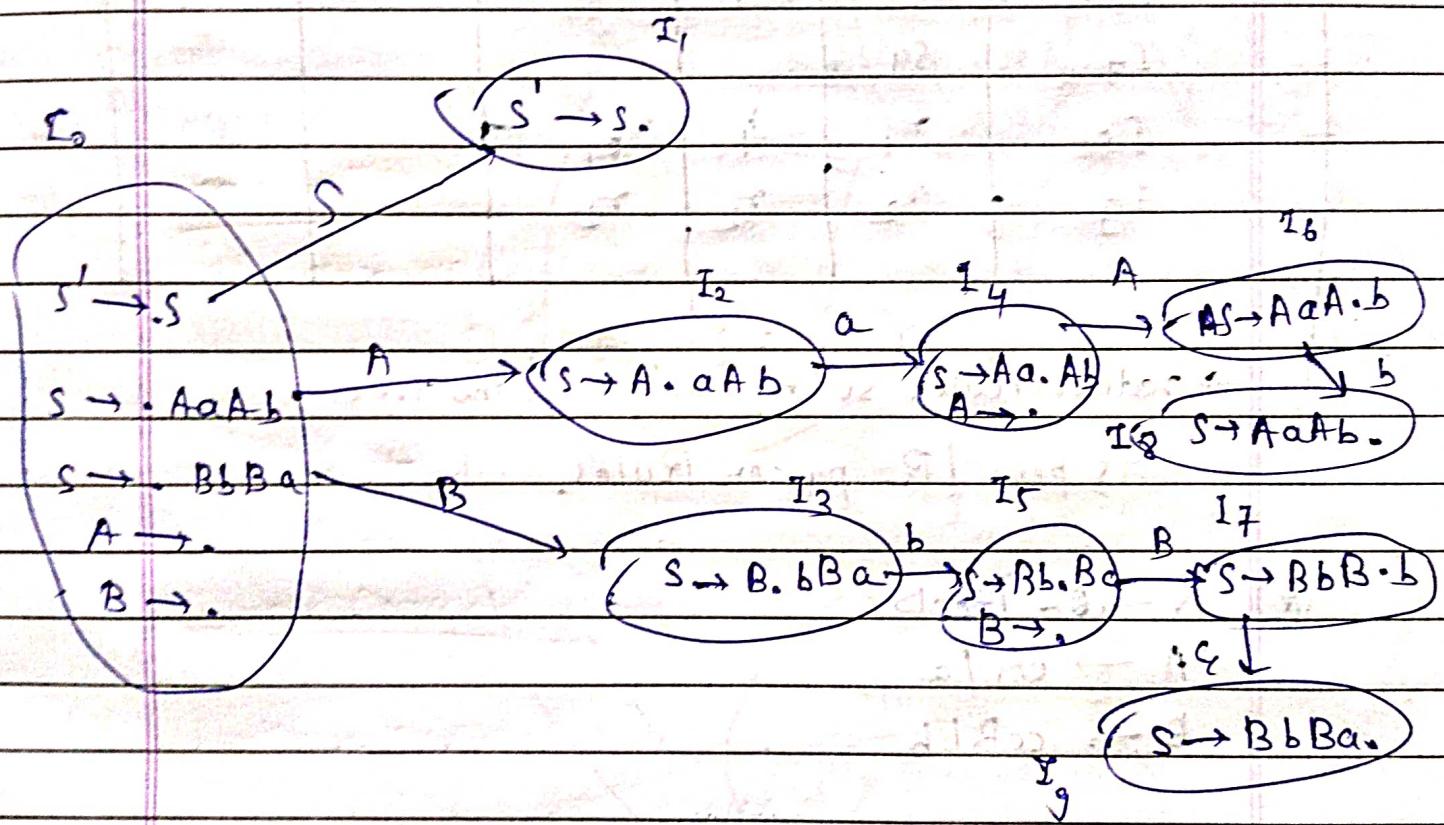
$S \rightarrow bda \xrightarrow{4}$

$A \rightarrow d \xrightarrow{5}$



Parsing table

state	Action					go to	
	a	b	c	d	\$	s	A
I ₀		s ₃		s ₄		i	2
I ₁							
I ₂	s ₅						
I ₃			s ₇				6
I ₄	r ₅	r ₅	(s ₂ /r ₅)	r ₅	r ₅		
I ₅	r ₁	r ₁	r ₁	r ₁	r ₁		
I ₆			s ₉				
I ₇	r ₅	r ₅	r ₅	r ₅	r ₅		
I ₈	r ₃	r ₃	r ₃	r ₂	r ₃		
I ₉	r ₂	r ₁	r ₂	r ₂	r ₂		
I ₁₀	r ₄	r _{2L}	r ₂	r ₄	r ₄		



	Action			Act b	S	A	B
	a	b	c		1	2	3
I ₀	r ₂ /r ₄	r ₃ /r ₄	r ₃ /r ₄				
I ₁				(Accent)			
I ₂	s ₄						
I ₃	r ₈	s ₅					
I ₄	r ₃	r ₅	r ₃				
I ₅	r ₂	r ₄	r ₄				
I ₆		s ₈					
I ₇	s ₉						
I ₈	r ₁	r ₁	r ₁				
I ₉	r ₂	r ₂	r ₂				

→ reduce/reduce so we can't pass the tree.

As per LR parser Rules.

$$(7) S \rightarrow A \mid ccB$$

$$A \rightarrow cA \mid a$$

$$B \rightarrow ccB \mid b$$

Step 1: → $\epsilon \rightarrow S$

1 $S \rightarrow cA$

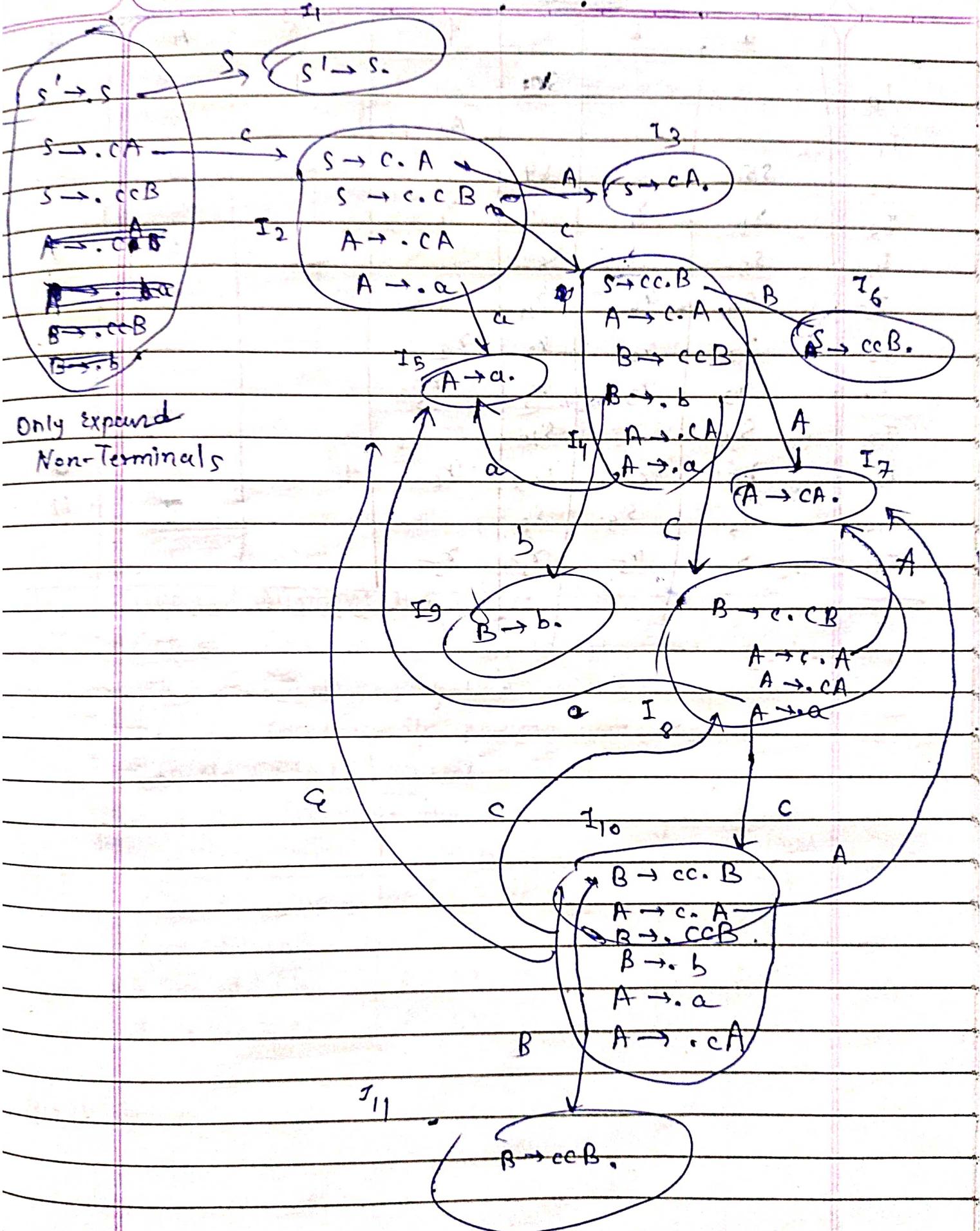
2 $S \rightarrow ccB$

3 $A \rightarrow cA$

4 $A \rightarrow a$

5 $B \rightarrow ccB$

6 $B \rightarrow b$



Action
Accept

	a	b	c	\$	s	A	B
I ₀				502			
I ₁					Accept		3
I ₂	S5			S4			
I ₃	r ₇	r ₇	r ₇	r ₇		7	6
I ₄	S ₅	S ₇	S ₈				
I ₅	r ₄	r ₄	r ₄	r ₄			
I ₆	r ₂	r ₂	r ₂	r ₂			
I ₇	r ₃	r ₃	r ₃	r ₃		7	
I ₈	S ₅			S ₁₀			
I ₉	r ₆	r ₆	r ₆	r ₆			
I ₁₀	S ₅	S ₉	S ₈			7	11
I ₁₁	r ₅	r ₅	r ₅	r ₅			

SLR (simple LR-parser)

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A

Context Free Grammar

Construction of set of items

Construction of SLR parsing table

parse the string

↓
output

step 1: Augment the grammar and number it.

step 2:- Find the first and follow.

step 3:- Construct the DFA.

step 4 :- Construct the parsing table.

step 5:- Stack implementation,

step 6:- Generate the parse Tree.

Step 1:- done

Step 2 :-

$s' \rightarrow s$

first

follow

$\$\$ \$$

$s \rightarrow cA / ccB$

{c}

$\$\$ \$$

$A \rightarrow cA / a$

{c, a}

$\$\$ \$$

$B \rightarrow ccB / b$

{c, b}

$\$\$ \$$

Step 3:-

done

Step 4'	Actions				Go-to		
	a	b	c	\$	s	*	b
I ₀				s ₂			
I ₁					(Accept)		
I ₂		s ₅		s ₄			3
I ₃					r ₁		
I ₄	s ₅	s ₉	s ₈		r ₂		7 6
I ₅					r ₃		
I ₆							
I ₇							
I ₈			s ₁₀				7
I ₉					r ₆		
I ₁₀			s ₈				7 11
I ₁₁					r ₅		

Note:- We have to entry for reduce only in follow of particular state of production.

String ccccb\$

(B) $S \rightarrow cAd$

$A \rightarrow ab/e$

Step 1

0 $S' \rightarrow S$
1 $S \rightarrow cAd$
2 $A \rightarrow ab$
3 $A \rightarrow e$

Step 2 :

$S' \rightarrow S$
 $S \rightarrow cAd$
 $A \rightarrow ab$
 $A \rightarrow e$

first

{c}
{e, a, b}

follow

{c, b}
{c, d}
{c, b, e}

Step 3 :

I_0

I_1

I_2

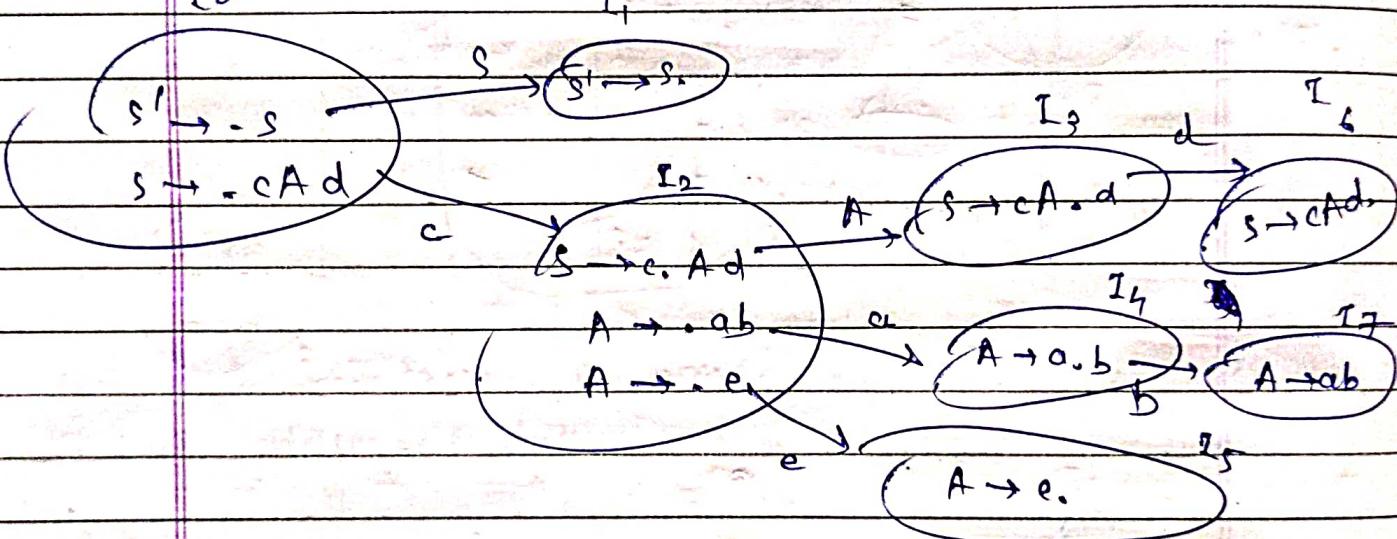
I_3

I_4

I_5

I_6

I_7



Step 4 :

Action

goto

	a	b	c	d	ae	s	s'	A
I_0							1	
I_1								
I_2	s_4							
I_3								
I_4			s_7					
I_5								
I_6								
I_7								

Accept

steps

ced string

stack

Input

Action

\$ 0

ced \$

shift c \rightarrow s_2 \$ 0 c₂

ed \$

shift e \rightarrow s_5 \$ 0 c₂ e₅

d \$

reduce aA \rightarrow e\$ 0 c₂ A₃

d \$

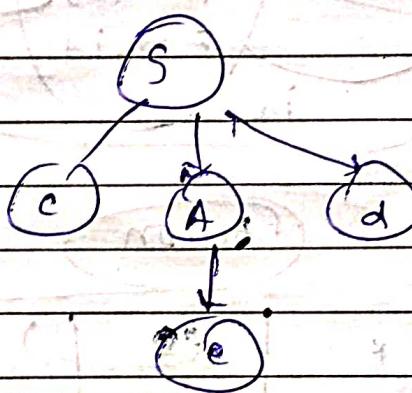
shift d \rightarrow s_6 \$ 0 c₂ A₃ d₆

\$

reduce S \rightarrow cAd\$ 0 S₁

\$

Accepted

Step 6

①

F' \rightarrow FF \rightarrow F + T | TT \rightarrow T * E | RF \rightarrow (F) | id

5 6

Step 1

Step 2

first

follow

E'

{c, id}

{d, y}

E

{c, id}

{+, \$,)}

T

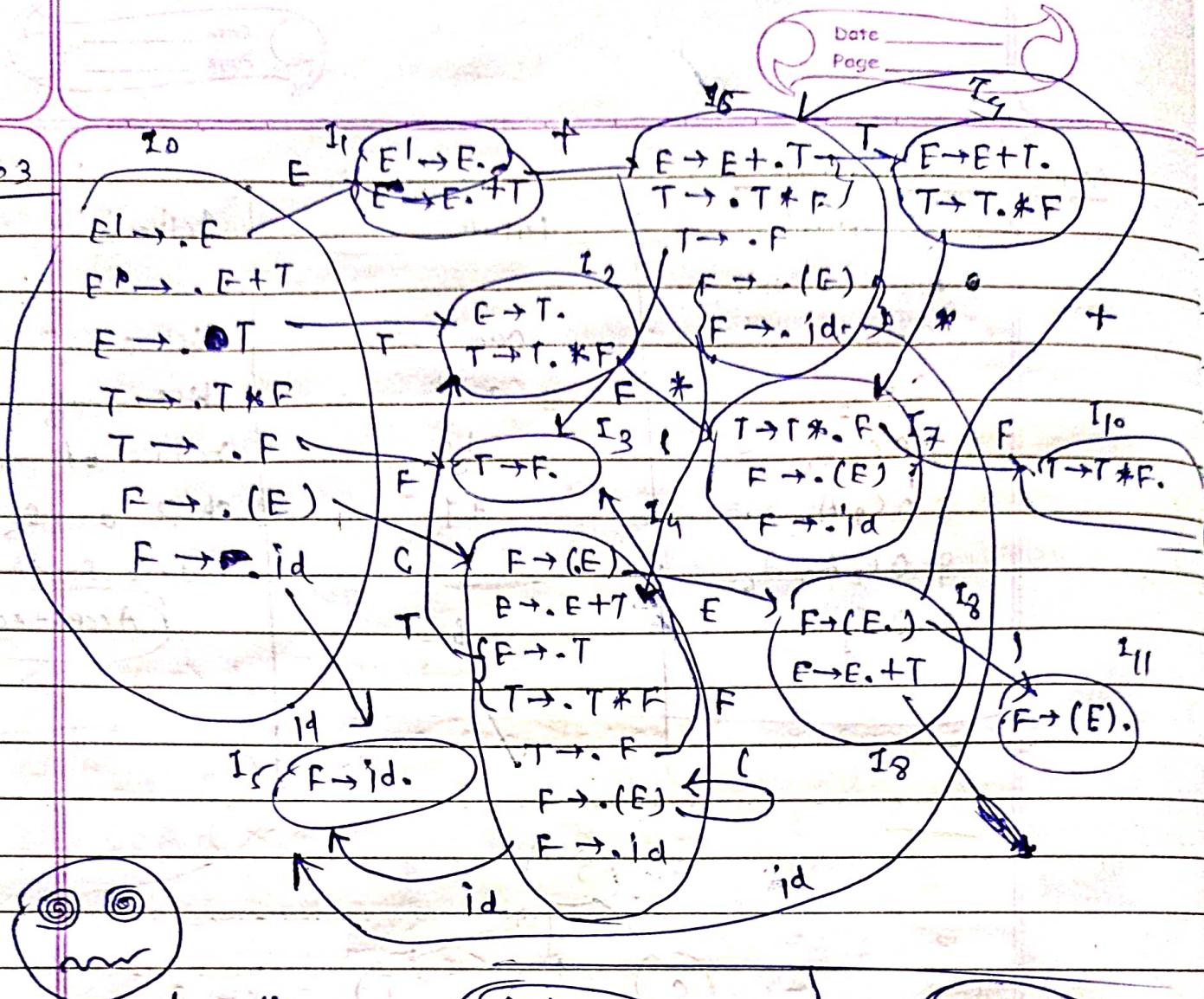
{c, id}

{+, \$,), *, }

F

{c, id}

{+, \$,), *, }

Step 3

Looks like

Action

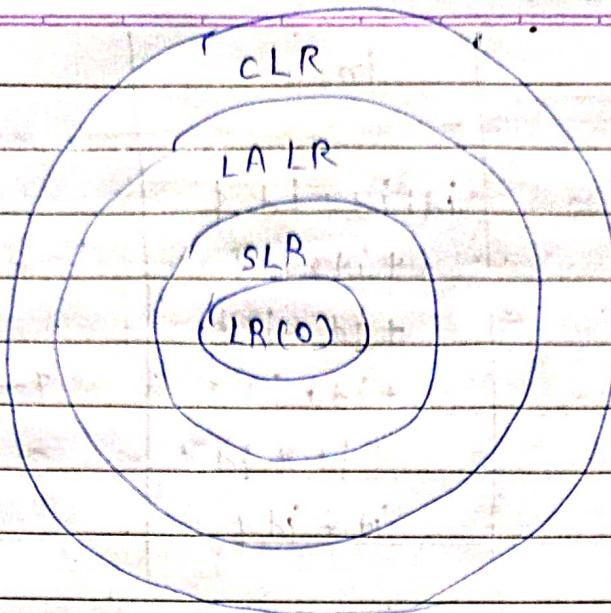
goto

Step 4

	id	+	*	()	\$	E	T	F
I_0	s_5				s_4				
I_1			s_6						
I_2		r_2	s_7	.		r_2	r_2		
I_3		r_4	r_4			r_4	r_4		
I_4	r_5				s_4		8	2	3
I_5		r_6	r_6			r_6	r_6		
I_6	s_5				s_4			9	3
$\rightarrow I_7$	s_5				s_4				10
I_8		s_6				s_{11}			
I_9		r_1	s_7			r_1	r_1		
I_{10}		r_3	r_3			r_3	r_3		
I_{11}		r_5	r_5			r_5	r_5		

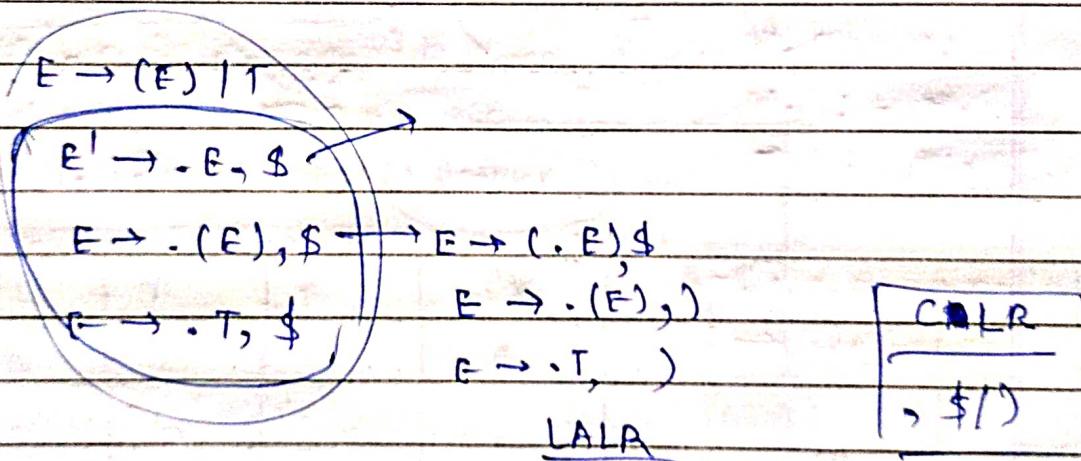
⑧ id + id * id

stack	Input	Action
\$ O	id + id * id \$	
\$ O id \$	+ id * id \$	F → id
\$ O F \$	+ id * id \$	
\$ O T \$	+ id * id \$	T → F
\$ O E \$	+ id * id \$	
\$ O E +	'id * id \$	



$SLR \Rightarrow 1$ LookAhead

Because we are finding follow of string
 $so, SLR(1) \quad \left\{ \begin{array}{l} LR(1) \\ LR(0) \end{array} \right\}$ it is called or known



4. Syntax Directed Translation

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Syntax Direction Defination :-

(SDD) = CFG + Semantics rules

- Attributes are associated with grammar symbols
- Semantic rules are associated with production.
- Attributes may be numbers, strings, references, datatypes,

$x.a$ = value at node x , $x, y \rightarrow \text{symbol}$

$y.b$ = value at node y . $a, b \rightarrow \text{Attribute}$

[Table 4.1]

Production	Semantic Rules
<u>Ans</u> $L \rightarrow E_1$ $E \rightarrow E_1 + T$	$\text{print}(E.\text{val}) \rightarrow$ $E.\text{val} = E_1.\text{val} + T.\text{val}$
$E \rightarrow T$	$E.\text{val} = T.\text{val}$
$T \rightarrow T_1 * F$	$T.\text{val} = T_1.\text{val} * F.\text{val}$
$T \rightarrow F$ $F \rightarrow (E)$ $F \rightarrow \text{digit}$	$T.\text{val} = F.\text{val}$ $F.\text{val} := E.\text{val}$ $F.\text{val} := \text{digit}.1\text{erval}$

Q. Syntax' directed Defination of simple desk calculation

or

Q. SDD evalution of given expression.

or

Q. Annotated parse tree for given expression.

- Note:-
- The token digit has a synthesized attribute lexval whose value is assumed to be supplied by lexical analyser.
 - The Rule associated with the production $L \rightarrow E_n$ for the starting non-terminal L is just a procedure that prints as output value of the arithmetic expression generated by E .

Types Of Attributes :-

- 1) Synthesized Attribute \rightarrow (It will takes value from its child)
- 2) Inherited Attribute =
- 3) If a node will takes value from its ~~child~~ or its Parent sibblings, then it is called
- a) Inherited Attribute

Ex. $w \rightarrow xyz$

$$y.i := w.i$$

$$\boxed{w.i = y.i}$$

$$y.i = z.i$$

$$y.i = x.i$$

$$Ex. \quad w.s := x.s$$

$$w.s := y.s$$

$$w.s := z.s$$

$$\cancel{y.s = w.s}$$

$x, y, z, w \rightarrow$ nodes

$s \rightarrow$ Synthesized Attribute

Synthesized Attribute

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Parse Tree

Expression :- $3 * 5 + 4n$ (using Table 4.1)

$E \cdot val = 19 \quad E \quad n$

$E \cdot val = 15 \quad E \quad + \quad T, \quad val = 54$

$T \cdot val = 15 - \quad F$

$T \cdot val = 3 \quad T \quad * \quad F, \quad val = 5$

$F \cdot val = 3 \quad F$

digit. lexval = 3

(*) $(4 * 7 + 1) * 2$

$E \cdot n$

T

(E)

$F + T$

T

$+ F$

$digit$

Inherited Attribute

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Production

$$D \rightarrow TL$$

$$T \rightarrow \text{int}$$

$$T \rightarrow \text{real}$$

$$L \rightarrow L, ID$$

$$ID \rightarrow \text{id}$$

$$ID \rightarrow \text{id}$$

Semantic Rules

$$L.in = T.type$$

$$T.type = \text{integer}$$

$$T.type = \text{real}$$

$$L.in = L.in \text{ addType(id.entry, } L.in)$$

$$\text{addType(id.entry, L.in)}$$

Note

- In the nonterminal T has a synthesized attribute type, whose value is determined by the keyword in the declaration then the semantic rule will be,

Rules:-

$$\text{Eg. keyword is Integer. } (1) F \rightarrow \text{real}$$

$$T.type = \text{integer} \quad (2) F.type = \text{real}$$

(2)

$$D \rightarrow TL$$

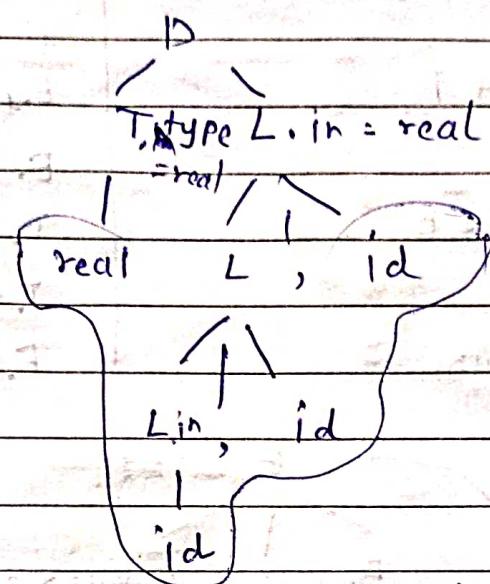
$$L.in := T.type$$

(3)

$$L \rightarrow ID$$

$$\text{addType(id.entry; L.in)}$$

Ex. real · id, id, id



Dependency Graph:-

advantages:-

flow of the information among the Attributes in a parse tree
it determines.

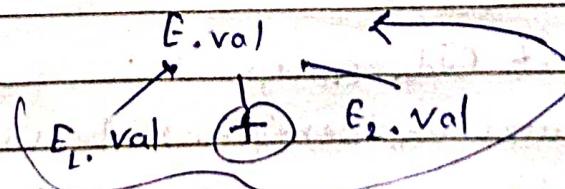
Determines the evaluation model, while we make the annotated parse tree it shows the value of attributes which is determined by dependency graph. Dependency Graph.

Production

$$E \rightarrow E_1 + E_2$$

Semantic rule

$$E.\text{val} = E_1.\text{val} + E_2.\text{val}$$



Top-Down Approach & Left to Right

$3 + 2 * 4$

Production

$$E \rightarrow E + T$$

$$E \rightarrow T$$

$$T \rightarrow T * F$$

$$T \rightarrow F$$

$$F \rightarrow \text{num}$$

Semantic rule

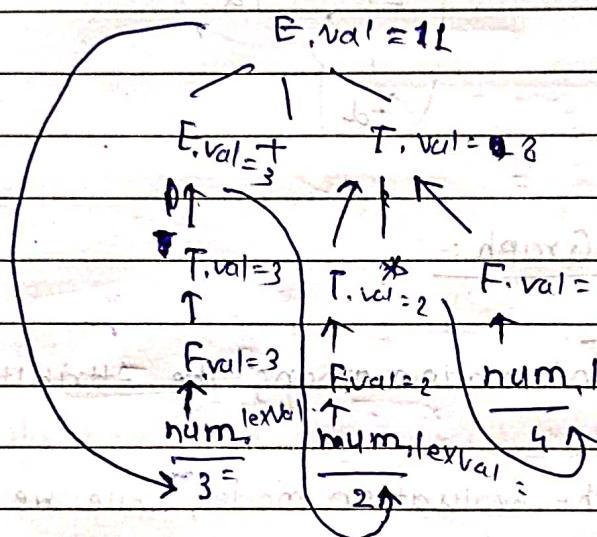
$$E.\text{val} = E.\text{val} + T.\text{val}$$

$$E.\text{val} = T.\text{val}$$

$$T.\text{val} = T.\text{val} * F.\text{val}$$

$$T.\text{val} = F.\text{val}$$

$$F.\text{val} = \text{num.lexVal}$$

Construction of Syntax Tree :-(1) `mknode(op, left, right)`

It creates an operator node with label op or and two fields containing pointers to left and right.
 Eg -

(2) `mkleaf(id, entry)`

It creates an identifier node with label id and a field containing entry, a pointer to the symbol table entry for the identifier.

Tg. $P_1 = \text{mkleaf}(id, \text{entry} - sc)$

(3) mkleaf (num, Val)

Creates a number node with label num and a field containing val, the value of the number.

Eg. 7

$P_2 = \text{mkleaf}(\text{num}, 7)$

Eg. $x + 7$ mknod ('+', P₁, P₂)

a - 4 + c

Symbol

operation

a

$P_1 = \text{mknod}(\text{id}, \text{entry}-a);$

-

$P_2 = \text{mkleaf}(\text{num}, 4) \rightarrow P_3 = \text{mknod}(-, P_1, P_2)$

4

+

$P_5 = \text{mknod}(+, P_3, P_4);$

c

$P_4 = \text{mkleaf}(\text{id}, \text{entry}-c);$

Production

rule

$E \rightarrow E + T$

$\{ E.\text{nptr} =$

$\text{mknod}('+' , E.\text{nptr}, T.\text{nptr})$

$E \rightarrow E - T$

$\rightarrow E.\text{nptr} = \text{mknod}('-', E.\text{nptr}, T.\text{nptr})$

~~$T \rightarrow T * S$~~

$\rightarrow E.\text{nptr} = T.\text{nptr}$

~~$T \rightarrow T / S$~~

$\rightarrow E.\text{nptr} = T.\text{nptr}$

~~$E \rightarrow E * S$~~

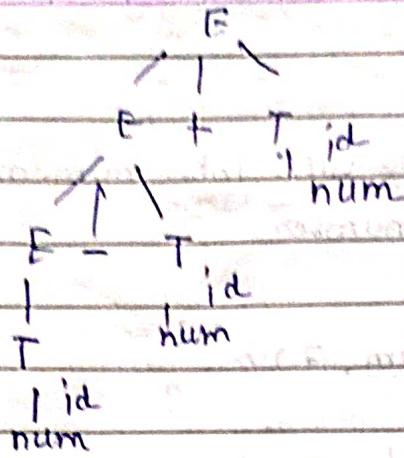
$\rightarrow T.\text{nptr} = \text{mkleaf}(\text{num}, \text{num}, \text{val})$

$T \rightarrow id$

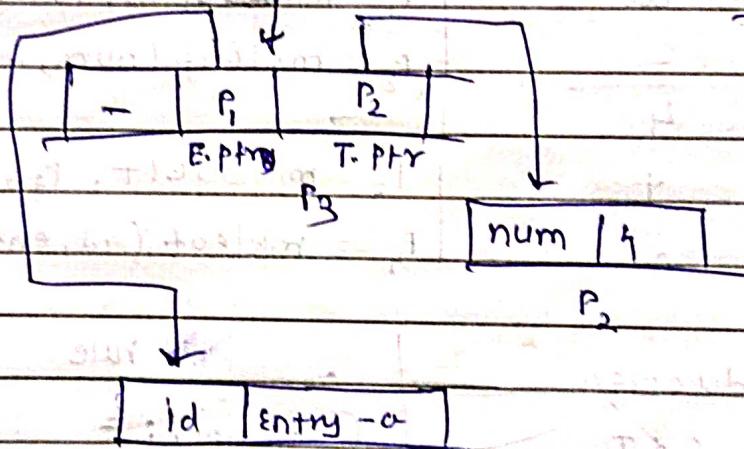
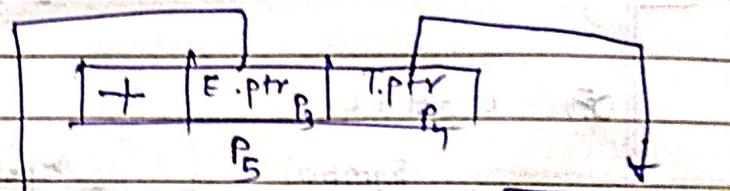
$\rightarrow T.\text{nptr} = \text{mkleaf}(\text{id}, \text{entry}-\text{id})$

E.

$a - 4 + c$



Date _____
Page _____



Eg.

$a + b - 3 + c$

Productions

$E \rightarrow E + T$

$E \rightarrow E - T$

$E \rightarrow E * T$

$T \rightarrow num$

$T \rightarrow id$

$E.nptr = \text{mkleaf}(\text{node } +, E.nptr, T.nptr)$

" " " "

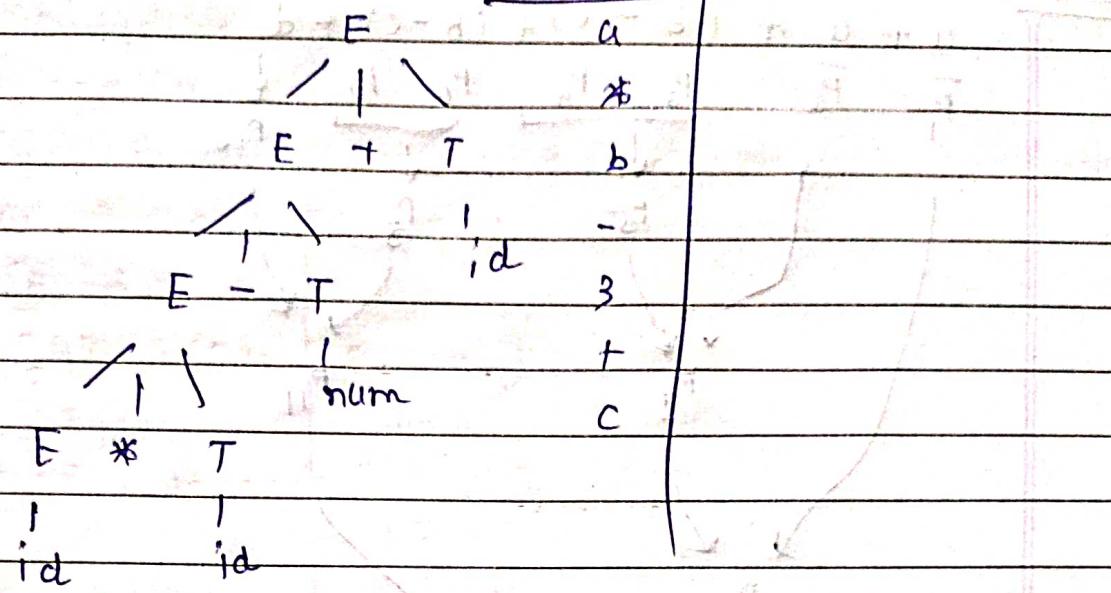
$\rightarrow E.nptr = T.nptr$

$\rightarrow T.nptr = \text{mkleaf}(\text{num}, num, val)$

$T.nptr = \text{mkleaf}(id, entry - id)$

Symbol

operation



$P_7 \quad |+| P_5 | P_6$

$| - | P_3 | P_4$

$| id | entry-c$

$P_3 \quad |+| P_1 | P_2$

P_5

P_6

$num | 3$

P_7

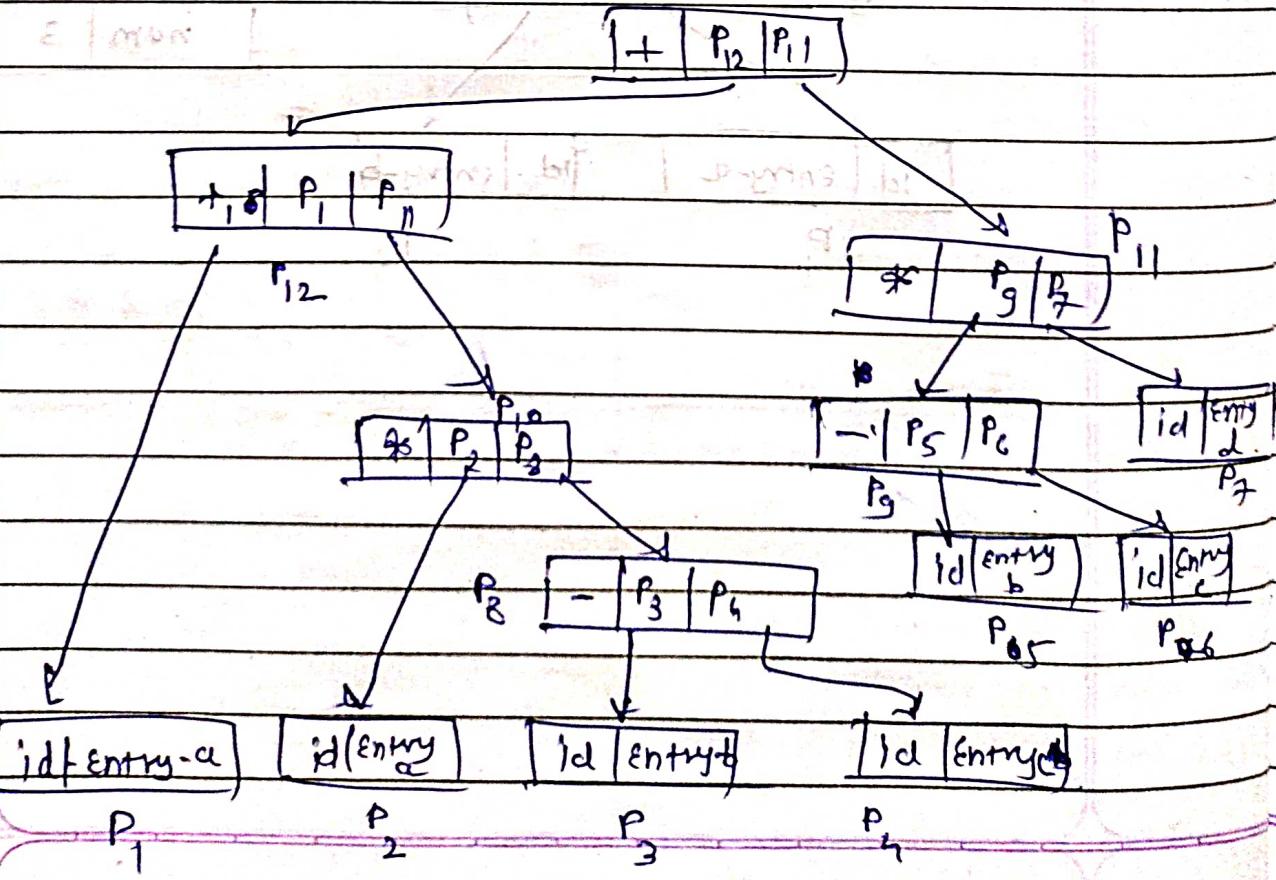
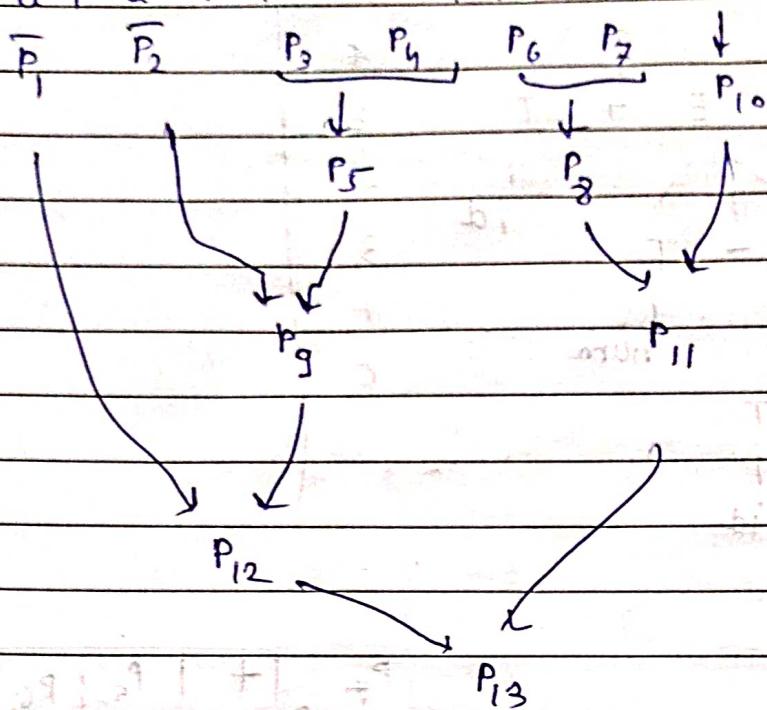
$| id | entry-a | id | entry-b$

P_1

P_2

Eg.

$$a + a * (b - c) + (b - c) * d$$



Productions

$$E \rightarrow E + T$$

$$E \rightarrow E - T$$

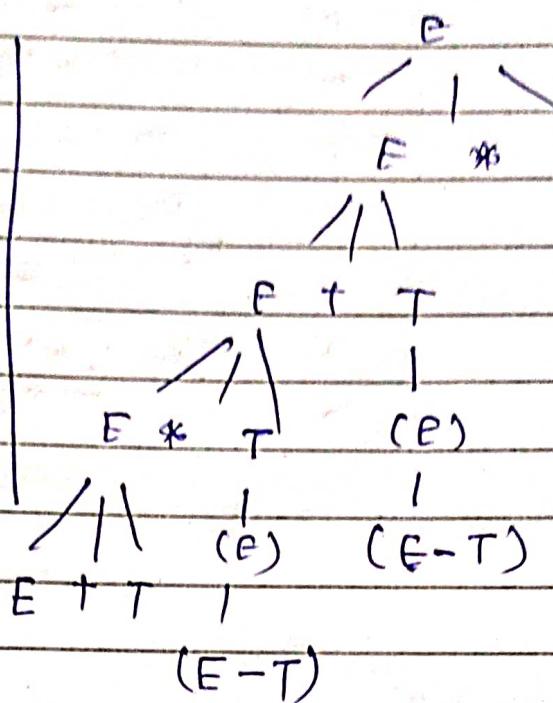
$$E \rightarrow E * T$$

$$E \rightarrow T$$

$$T \rightarrow (E)$$

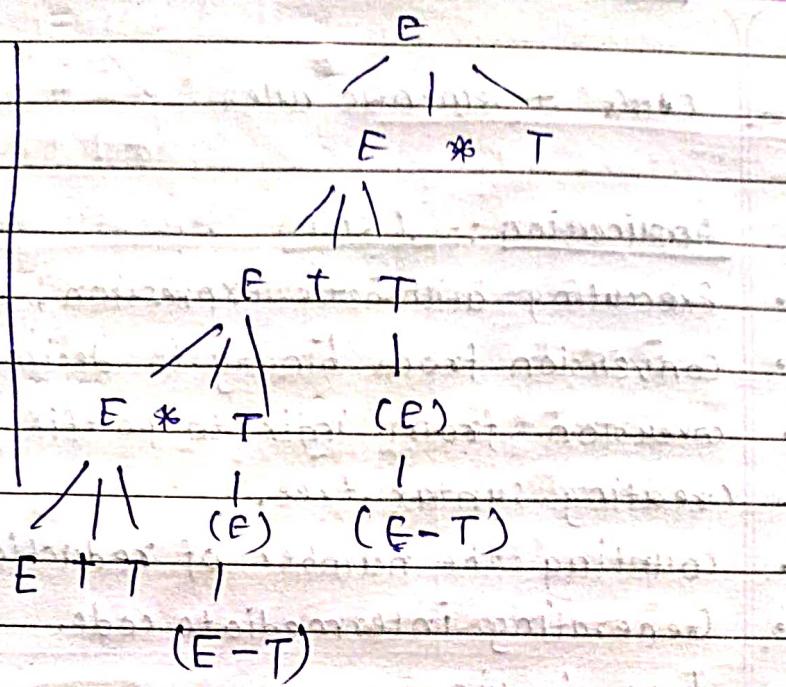
$$T \rightarrow \text{num}$$

$$T \rightarrow \text{id.}$$



pdf cont'd... part (2)

$E \rightarrow E + T$
 $E \rightarrow E - T$
 $E \rightarrow E * T$
 $E \rightarrow T$
 $T \rightarrow (E)$
 $T \rightarrow \text{num}$
 $T \rightarrow \text{id.}$

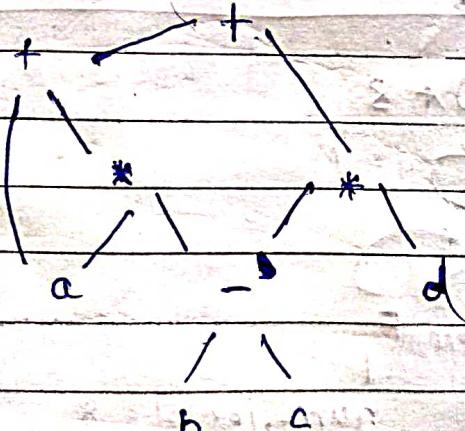


Directed Acyclic Graph for Expressions:- (DAG)

Leaf node:- It may be an identifier or a variable.

INTERNAL node (parent node) :- operators

$$a + a * (b - c) + (b - c) * d$$



Syntax Directed Translation (SDT)

CFG + semantic rules

Application :- (SDT)

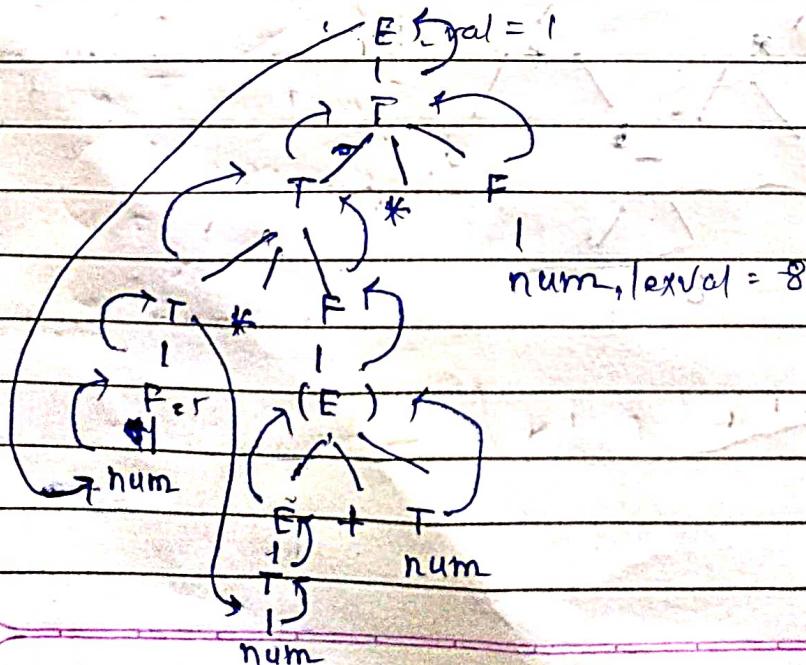
- Executing arithmetic expression,
- Conversion from binary to decimal.
- conversion from infix-to postfix or prefix.
- creating syntax tree.
- counting the number of reductions.
- Generating intermediate code.
- Type checking,

grammar

rules

$E \rightarrow E + T$	$\{ E.val := E.val + T.val \}$
$E \rightarrow T$	$\{ E.val := T.val \}$
$T \rightarrow T * F$	$\{ T.val := T.val * F.val \}$
$T \rightarrow F$	$\{ T.val := F.val \}$
$F \rightarrow (E)$	$\{ F.val := E.val \}$
$F \rightarrow \text{num}$	$\{ F.val := \text{num.lexval} \}$

String : 5 * (6 + 7) * 8



SDT for Infix to Postfix

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(contd....)	$E \rightarrow E + T$
	$E \rightarrow T$
	$T \rightarrow F \& F$
	$F \rightarrow P$
	$P \rightarrow (E)$
	$F \rightarrow \text{num.}$
	$E \rightarrow E - T$

Semantic Actions

{ print ('+') ; }

{ print '-' }

{ print ('*') ; }

-

-

{ print (num.lexval) ; }

{ print ('-'') ; }

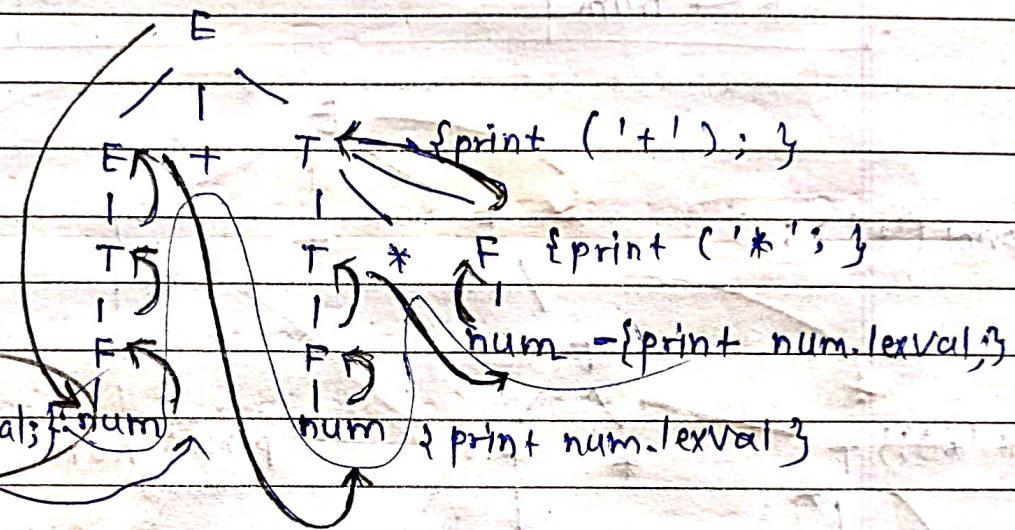
String :- 1+2*3

1	2	3	*	+
---	---	---	---	---

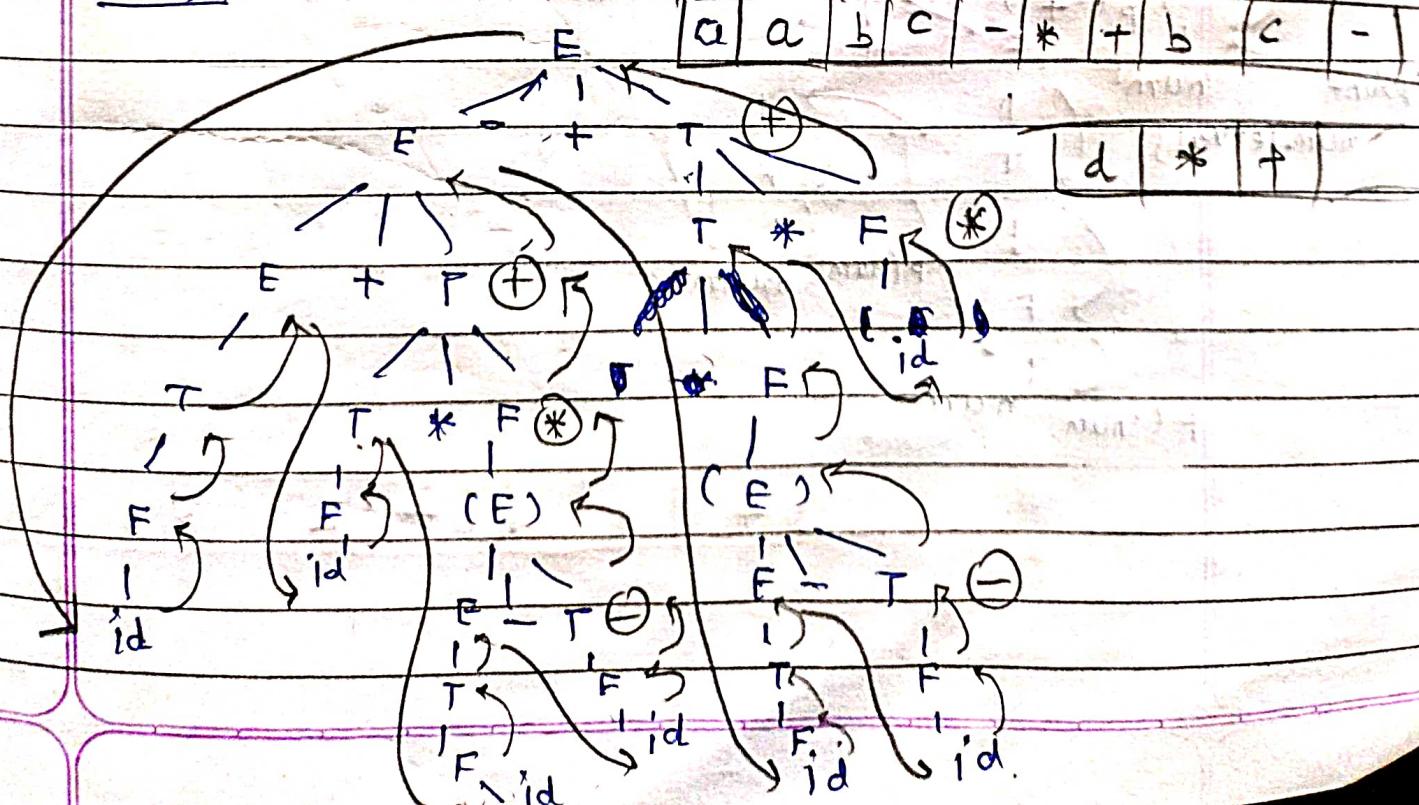
for postfix

it must be
in right side

{ print num.lexval; } num



String :- a + a * (b - c) + (b - c) * d



SDT for infix to prefix conversion

$$Q. 1 * (2 + 3) + 5$$

$$1 * (2 + 3) + 5 \Rightarrow * 1 + 23 + 5$$

Grammar:

$$E \rightarrow E + T$$

$$E \rightarrow T$$

$$T \rightarrow T * F$$

$$T \rightarrow F$$

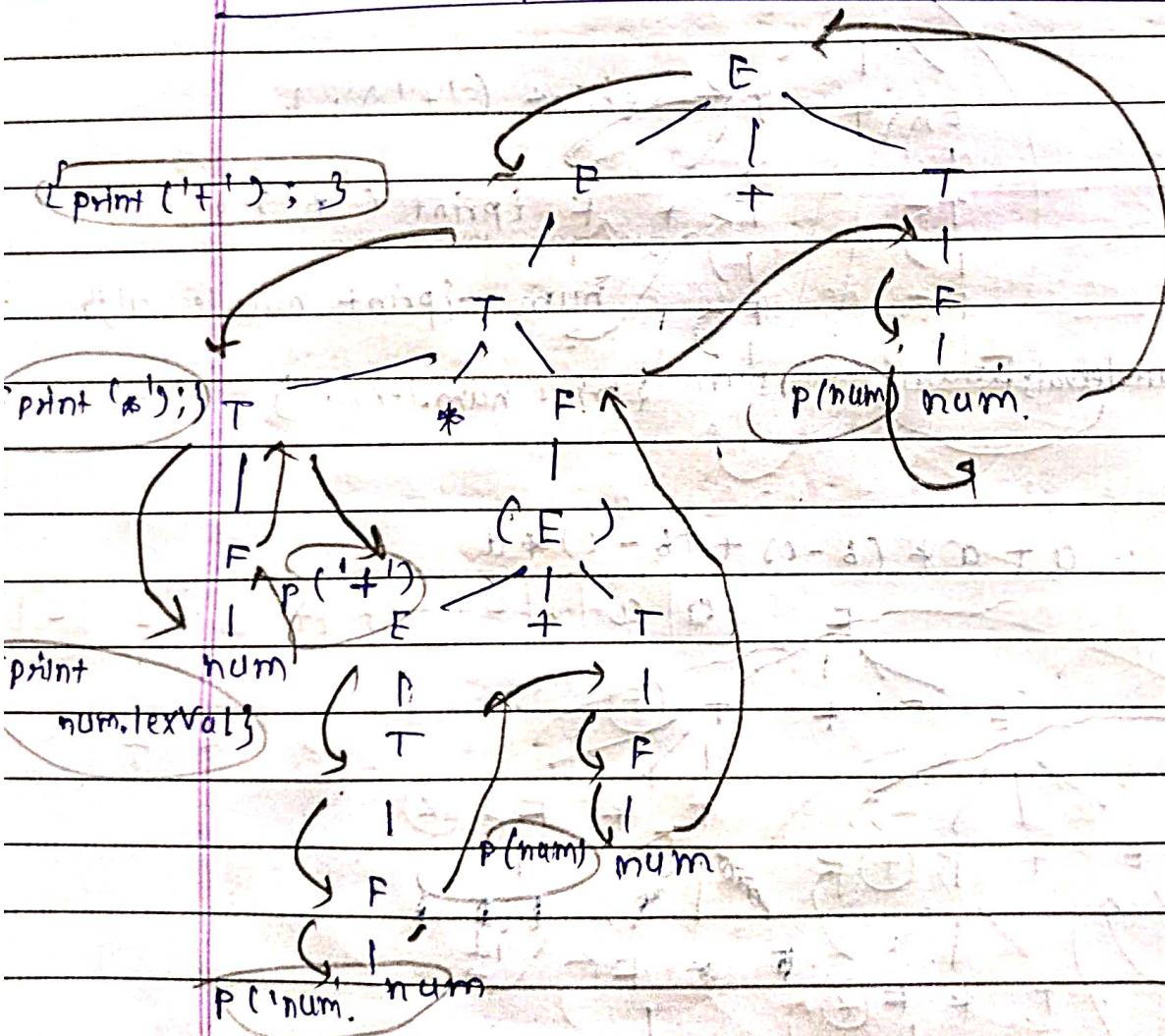
$$F \rightarrow (E)$$

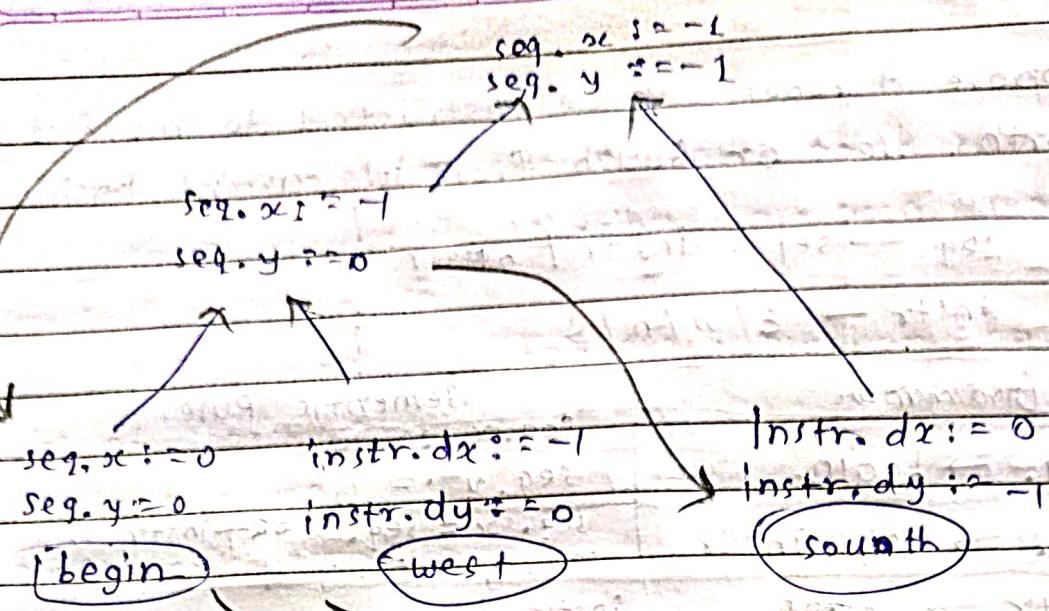
$$F \rightarrow \text{num}$$

Sementics rules:

$$F.\text{val} := E.\text{val} + T.\text{val}$$

Sementic Actions:

$$\text{print}('+');$$


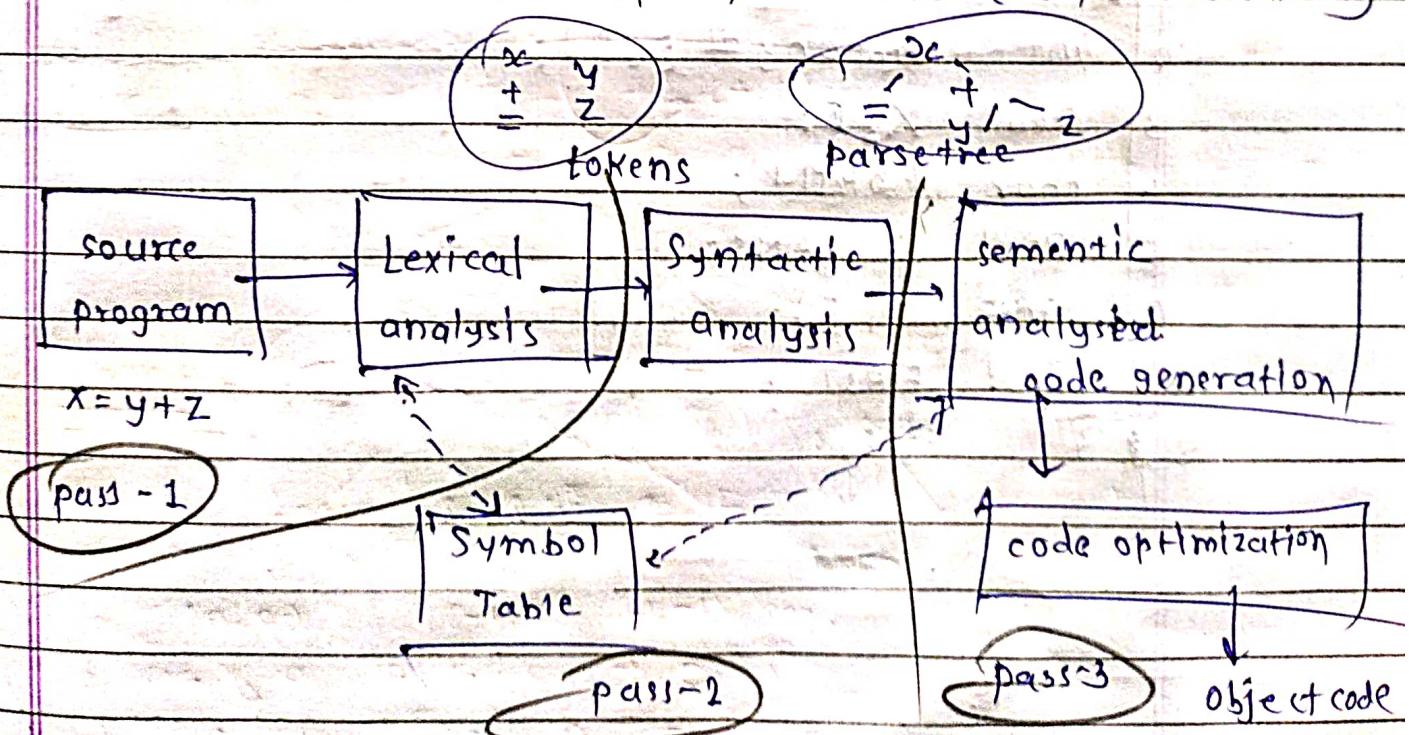


Symbol Table

- Symbol Table is an 'important' data-structure created and maintained by compilers in order to store information about the occurrence of various entities such as variable names, function names, objects, classes, interfaces, etc.
- Symbol Table is used by both the analysis & synthesis part of compiler.

* Purpose of the Symbol Table:-

- To store the names of all entities in a structured form at one place
- To verify if a variable has been declared
- To implement type checking by verifying assignments and expressions in the source code are semantically correct.
- To determine the scope of a name. (Scope Resolution)



Symbol Table Context

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Page _____

Typical view of symbol table

- A symbol table is a series of rows each row containing a list of attribute values, that are associated with the particular variable.
 - It is not compulsory that every program has every attribute.
- List of Attributes:
1. Variable name
 2. Object code address
 3. Type
 4. Dimension or no. of parameters for a procedure
 5. Dimension Source line no. at which the variable is declared
 6. " " " " " " Is referenced
 7. Link field for listing in alphabetical order

Eg. 1. void main() {

```
2 int company# [ ] [ ];
3 Real X3 [];
4 char FORM1;
5 Real B, ANS;
6 int M [];
7 Real FIRST;
8 }
```

Typical view of symbol Table.

it is require for semantic type checking

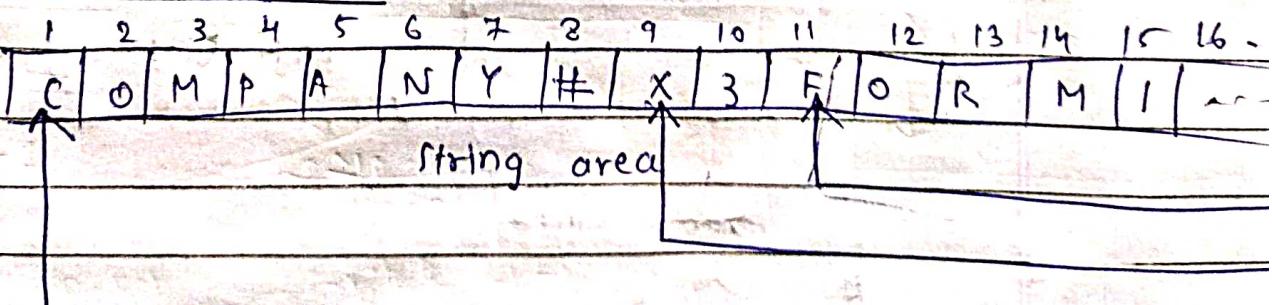
pointer	Variable Name	Address	Type	Dimension	Line No Declared	Line References
③	company #	40	int	2	2	-
⑦	x ₃	42	Real	0	3	-
④	FORM1	32	char	0	84	-
②	R _{ANS}	45	Real	0	5	-
①	ANS	60	Real	0	5	-
⑥	M	61	str	1	6	-
⑤	FIRST	62	Real	0	7	-
		↑ nam		↑		

Ordered list

any you want is different

Alphabetical order

Cross-Reference Listing :- Alphabetical order we have to arrange in variable name & pointer column is not there.

String Descriptor :-

Variable name	position	length									
	1	5									
	9	2									
	11	5									

(b) Remaining all as it is as previous one.

insert() — insert(a, int)

lookup() — lookup(a)

deletes() — delete(a)

Scope Management -

↳ for identifying variable at locally or globally.

(*)

int a;

void f1()

{

 int b;

{

 int c;

 int d;

 int e;

}

 void f2()

{

 int f;

{

 int g;

 int h;

{

 int i;

}

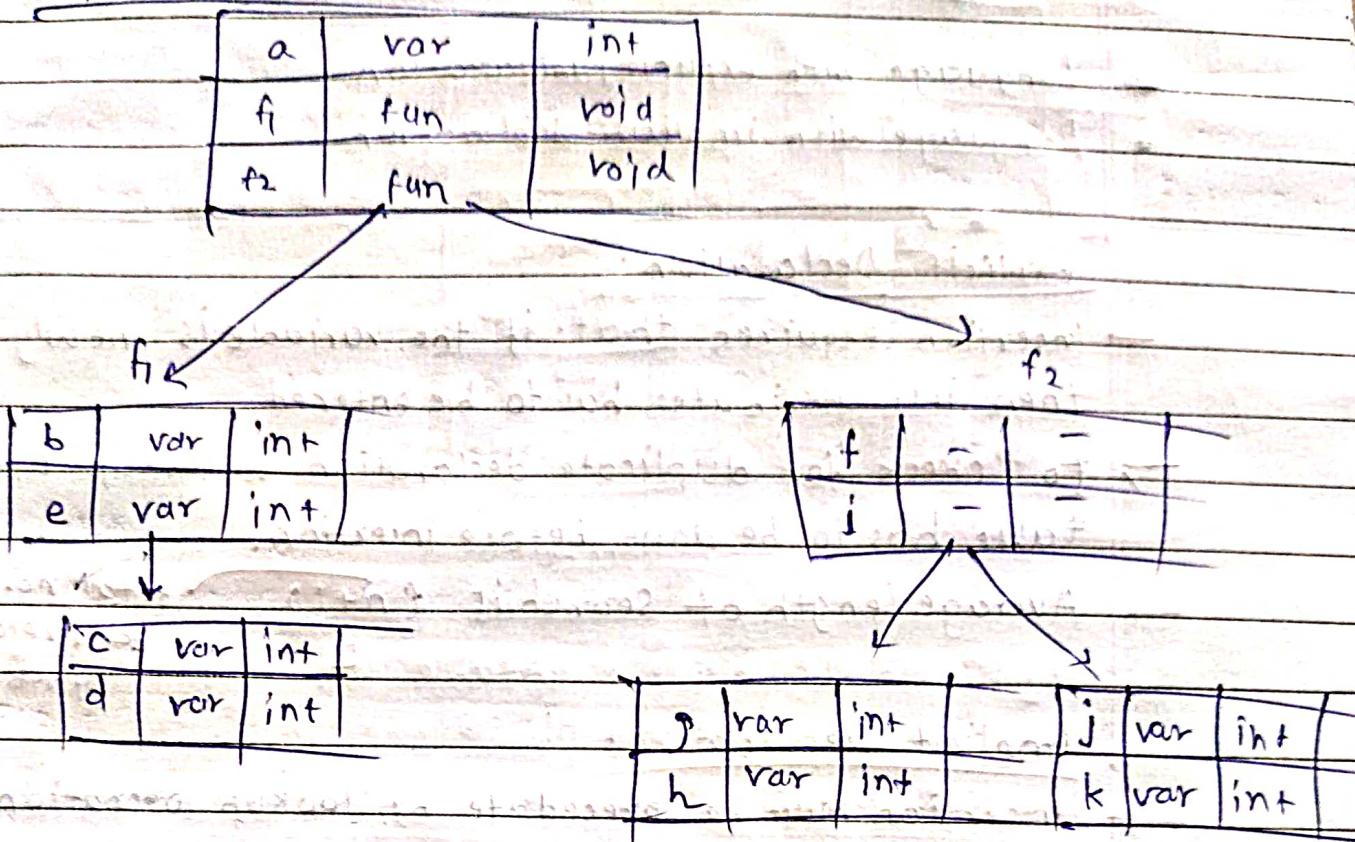
 int j;

 int k;

Var int

a

b

Symbol Table EntrySymbol Table Organization for non-block structured languages :-

- unordered symbol table
- (1) List → ordered symbol table
 - (2) Binary Search Tree (BST)
 - (3) HashTable

(1) Unordered Symbol Table

- Language with explicit declaration
- Language with implicit declaration

Explicit Declaration:-

- Insertion requires that if the variable is newly defined then its attributes has to be entered.
- To check for duplicate declaration a lookup of entire table has to be done before insertion.
- Average length of search is $\frac{n+1}{2}$ total no. of variables / records in symbol table

Implicit Declarations

- Insertion must be preceded by lookup operation if the lookup fails variable attributes must be inserted because they are not present.

Ordered Symbol Table

- Variables are alphabetically ordered.
- Insertion requires to lookup where the attribute should be placed.

(2) Tree Structure Symbol Table

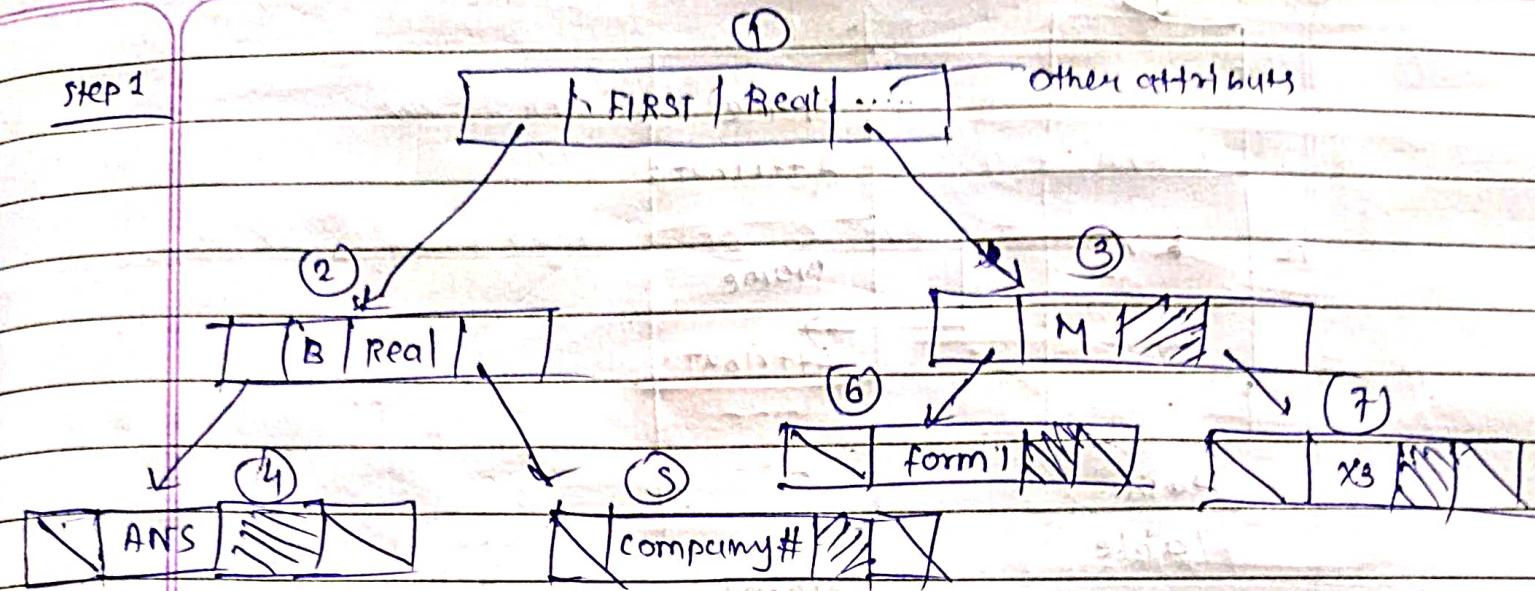
Variables:-

First, B, ANS, companyfl, M, FORM1, & x3

Step 1: Logical Relationship

Step 2: Physical Representation

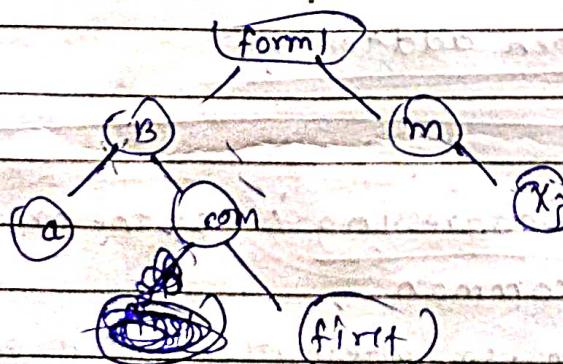
Step 1

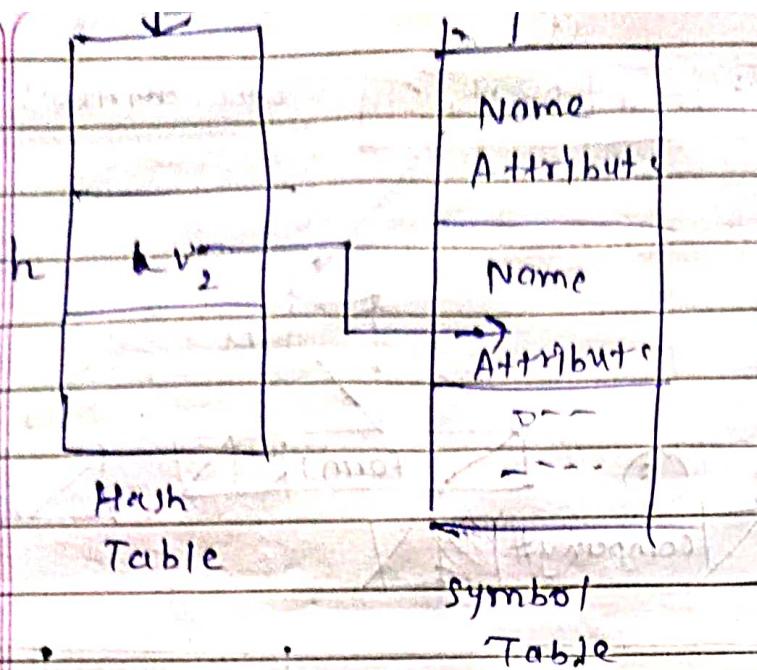


Step 2

Table position	Name field	Type of attributes	Other Attributes	Left pointer	Right pointer
1	first	Real	add dimensioned pointer	40 2 2 3 . 2	3
2	B	Real	like	4	3
3	M	Int	use	6	7
4	ANS	Real	as per previous table	0	0
5	company#	Int		0	0
6	form1	Char		0	0
7	x3	Real		0	0

Ex FORM1, B, COMPANY#, ANS, M, X3, and FIRST





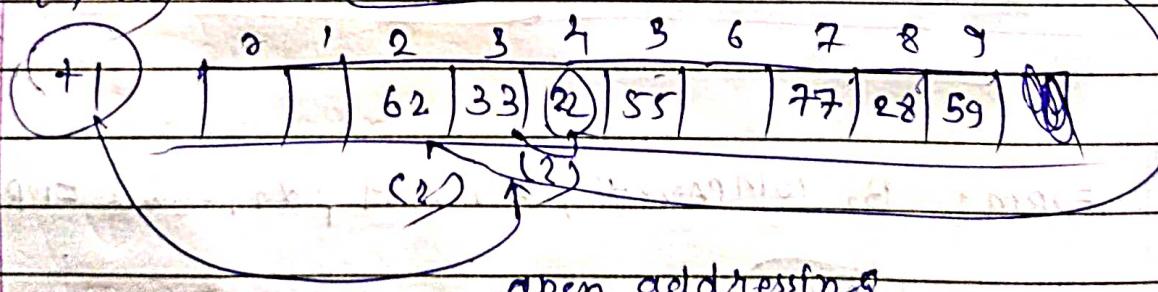
→ HashTable Technique is suitable for searching.

Hash function :- hash function is the mapping b/w an item and the place in the hash table where that item resides.

→ The hash function takes a collection item & returns an integer in the range of slot names from 0 to $m-1$

e.g. i 59, 77, 62, 55, 33, 98, 22

$$i \% m \rightarrow (m=10)$$



Disadvantage of open addressing is as the array fields collision become more common.

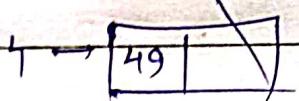
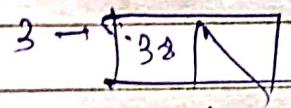
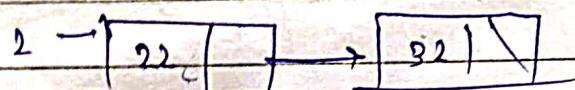
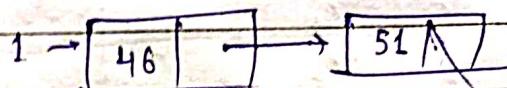
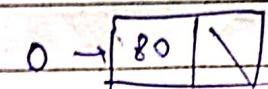
Table size is a problem so, alternative soln is separate chaining.

Saperate Chaining

- The Hash Table is an array of pointers to linked list which is called as buckets.
- Collections are addressed by adding a new identifier into a linked list.

Ex. 22, 38, 32, 43, 46, 49, 51, 53, 56, 71, 73, 79, 80

$m=5$



likewise

Done