

Implementation of Binomial Heap

Program

Struct Node

```
{ int data, degree;
    Node* child, * sibling, * parent;
}
```

```
Node* newNode(int key)
{
```

```
    Node* temp = new Node;
```

```
    temp->data = key;
```

```
    temp->degree = 0;
```

```
    temp->child = temp->parent = temp;
```

```
    temp->sibling = NULL;
```

return temp;
?

```
Node* mergeBinomialTree (Node* b1, Node* b2)
```

```
{ if (b1->data > b2->data)
```

```
    swap(b1, b2);
```

```
b1->parent = b1;
```

```
b1->child = b2;
```

```
b1->degree + 1;
```

return b1;

list <Node* > union BinaryHeap<list<Node*>> l1,
list<Node*> l2

if <Node* > new;

list <Node* > i1 iterat or it = l1.begin();

list <Node* > i2 iterat or it = l2.begin();

while (it != l1.end() && ot != l2.end())

if

if ((*it) -> degree <= (*ot->degree))

- new. pushBack(*it);

it++;

else

else

- new.pushBack(*ot);

ot++;

else

while (it != l1.end())

if

- new.pushBack(*it);

it++;

else

return new

else

list <Node* > adjList (currentNode-> heap)

if (heapSize() <= 1)

return -1;

list < Node* > new_Heap;

list < Node* > :: iterator it1, it2, it3

it1 = it2 = it3 = heap.begin();

if (heap.size() == 2)

{

it2 = it1;

it2++

it3 = heap.end();

}

else

{ it2 + 1,

it3 - 1,

it3 + 1)

}

while (it1 != heap.end())

{ if (it2 == heap.end())

{ it1++,

else if ((*it1) > degm & (*it1) > degu)

{ it1++,

it2++,

if (it3 == heap.end())

it3++

else if ($C[i-3] = \text{heap} \cdot \text{end}(1\&2)$

$\rightarrow i+1 \rightarrow \text{degn} = (i+2) \rightarrow \text{dgm}$

$(i+1-1) \rightarrow \text{degn} = (i+1) \rightarrow \text{dgm}$

{

$i+1++$

$i+2++$

$i+3++$

}

else if ($C[i] = \text{degn} = (i+1) \rightarrow \text{dgm}$)

{ Node * temp;

$\rightarrow i+1 = \text{mergeBinomialTrees}(i+1, i+2)$

$i+2 = \text{heap} \cdot \text{erase}(C[i+2]);$

if ($C[i+3] = \text{heap} \cdot \text{end}(1)$)

$i+3++$

{

return heap

}

$\text{list} + \text{Node} \times \text{Tree} \rightarrow \text{insertATreeInHeap}(\text{list} + \langle \text{Node} \rangle \cdot \text{heap}$

$\text{Node} \times \text{tree})$

{

$\text{list} + \langle \text{Node} \times \text{Temp} \rangle$

$\text{Temp} \cdot \text{push_last}(\text{tree});$

$\text{Temp} = \text{unionBinomialHeaps}(\text{heap}, \text{Temp})$

return $\text{adjustTemp}(\text{Temp})$

{

$\text{list} + \langle \text{Node} \times \text{Tree} \rangle \rightarrow \text{removeMinFromTree}(\text{Temp})$

$\text{Node} \times \text{heap}$

let $\langle \text{Node}^* \rightarrow \text{Heap} \rangle$
 $\text{Node}^* \& \text{temp} = \text{Node} \rightarrow \text{child}$

$\text{Node}^* \text{ do;}$
while (temp)

{ $\text{lo} = \text{temp}$ }

$\text{temp} = \text{temp} \rightarrow \text{ sibling}$

$\text{lo} \rightarrow \text{sibling} = \text{NULL}$

$\text{heap} = \text{push_begin_front}(\text{lo})$

?

return heap

?

$\text{list} \langle \text{Node}^* \rangle \text{ insert}(\text{list} \langle \text{Node}^* \rangle _ \text{heap}, \text{node})$

$\text{Node}^* \& \text{temp} = \text{newNode}(\text{key})$

return $\text{insertATreeInHeap}(\text{node}, \text{temp})$

?

$\text{Node}^* \& \text{getMax}(\text{list} \langle \text{Node}^* \rangle _ \text{heap})$

8 $\text{list} \langle \text{Node}^* \rangle :: \text{iterator } \text{it} = \text{heap.begin}$

$\text{Node}^* \& \text{temp} = * \text{it}$

while ($\text{it} != \text{heap.end()}$)

{ if ($(* \text{it}) \rightarrow \text{data} \neq \text{temp} \rightarrow \text{data}$)

$\text{temp} = * \text{it}$

$\text{it}++$

}

return temp

$\text{list} < \text{Node} & \geq \text{extract Min} (\text{list} < \text{Node} & \geq \text{heap})$

{}

$\text{list} < \text{Node} & \geq \text{new_heaps}(b);$

$\text{Node} = \text{temp};$

$\text{temp} = \text{get min} (-\text{heap});$

$\text{list} < \text{Node} & \geq \text{iterator it};$

$\text{it} = -\text{heap}.begin();$

$\text{while } (\text{it}) = \text{heap.end}();$

{ if ($*\text{it} = \text{temp}$)

{ new heap.push_back(*it);

}

$\text{it}++;$

{}

$b = \text{removeMinFromTreeReturnBHeap}(\text{temp});$

$\text{new_heap} = \text{new BinomialHeap}(\text{new_heap}, b);$

$\text{new_heap} = \text{adjust}(\text{new_heap})$

return new_heap

{}