1. f(p,q,r) = pq!r+pq+(p+q)(!q+r)

```
 \begin{split} & & \text{In}[1] \text{:=} \quad f\big[p_-, \ q_-, \ r_-\big] \text{ :=} \ \big(p \ \&\& \ q \ \&\& \ ! \ r\big) \ \| \ \big(p \ \&\& \ q\big) \ \| \ \big(p \ \| \ q\big) (! \ q \ \| \ r); \\ & & & \text{In}[2] \text{:=} \quad BooleanConvert}\big[f\big[p_+, \ q_+, \ r\big], \ "DNF"\big] \\ & & \text{Out}[2] \text{:=} \quad (p \ \&\& \ q) \ \| \ (p \ \| \ q) \ (! \ q \ \| \ r) \\ & & & & \text{In}[3] \text{:=} \\ & & & \text{In}[4] \text{:=} \quad dual[expr_] \text{ :=} expr \text{/.} \ \left\{ And \rightarrow Or, \ Or \rightarrow And, \ False \rightarrow True, \ True \rightarrow False \right\} \\ & & & & \text{In}[5] \text{:=} \quad dual[f\big[p_+, \ q_+, \ r\big] \big] \\ & & & & \text{Out}[5] \text{:=} \quad (p \ \| \ q \ \| \ ! \ r) \ \&\& \ (p \ \&\& \ q) \ (! \ q \ \&\& \ r) \\ & & & & & \text{In}[6] \text{:=} \\ \end{aligned}
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