Activation Functions itemize

I f we use identity activation function, i.e.  $z^{(i)}(x) = x$ , then no matter how many layers are there, the fully connected neural network falls back to a linear regression.

Proof: The output of the first layer, with identity activation function, will be  $z^{(1)}(w^{(1)}x+b^{(1)})=w^{(1)}x+b^{(1)}$ . Then the output will be the input of the next layer, and hence the output of these condlayer will be  $z^{(2)}(w^{(2)}(w^{(1)}x+b^{(1)})+b^{(2)})=w^{(2)}w^{(1)}x+w^{(2)}b^{(1)}+b^{(2)}$ . Similar induction can be obtained formultiple layers. Hence if we use identity activation of the first layer, with identity activation of the proof of the first layer, with identity activation of the first layer, with identity activation function, will be  $z^{(1)}(w^{(1)}x+b^{(1)})=w^{(1)}x+b^{(1)}$ .

 $b^{(1)}) + b^{(2)}) = w^{(2)}w^{(1)}x + w^{(2)}b^{(1)} + b^{(2)}. Similar induction can be obtained formultiple layers. Hence if we use identity activation with ReLU (Rectified Linear Unit) as activation function i.e. <math display="block">z^{(i)}(x) = max(0,x), then the fully connected neural network Proof: The output with ReLU activation function, will be \\ z^{(1)}(w^{(1)}x + b^{(1)}) = max(w^{(1)}x + b^{(1)}, 0). Then the output will be \\ b^{(1)}) + b^{(2)}) = max(w^{(2)}w^{(1)}x + w^{(2)}b^{(1)} + b^{(2)}, 0). Similar induction can be obtained formultiple layers. Hence if we use identity the substitution of the context of the substitution of the context of t$