

# Certificate of Achievement

THIS CERTIFICATE IS PROUDLY  
PRESENTED FOR HONOURABLE ACHIEVEMENT TO

AWARDED THIS DAY OF \_\_\_\_\_

Name of The Student Neeraj Singh

Roll no. \_\_\_\_\_ Class B.Tech C8-Sec-24, P2

Examination Center \_\_\_\_\_

Date of the Practical Examination \_\_\_\_\_



Signature

Remarks: \_\_\_\_\_

# Index Of The Experiments Performed

S.NO	Resistor	Colour band	Calculated value of R( $\Omega$ )	measured value of R( $\Omega$ ) (error value)	Remark
1.	R <sub>1</sub>	Brown Red orange Silver	11.82 K $\Omega$	$12 \times 10^3 \pm 10\%$ .	
2.	R <sub>2</sub>	Red Red orange Gold	21.80 K $\Omega$	$22 \times 10^3 \pm 5\%$ .	
3.	R <sub>1</sub> and R <sub>2</sub>		34 K $\Omega$	$34 \times 10^3 \text{ K}\Omega$	(Series)
4.	R <sub>1</sub> and R <sub>2</sub>		7.66 K $\Omega$	$7.6 \times 10^3 \text{ K}\Omega$	(Parallel)

Experiment : 1

Date 20. 1.22

Page No. 2

Experiment - 1

Objective : To familiarize with measuring and testing equipments like multimeter / CRO, Function generator, Power supply etc and also familiarize with bread board, resistor, capacitor etc calculate the Resistance value according to colour.

CLASSTIME

## Experiment: 2A

Date \_\_\_\_\_

Page No. 3

**Aim:** To verify the Kirchhoff's current law (KCL)

**Objective:** The objective of this lab activity is to verify Kirchhoff's current law (KCL) using mesh and nodal analysis of the given circuit.

**Theory:** according to Kirchhoff's current law, in any network of wires carrying current, the algebraic sum of all current meeting at a junction is zero

**apparatus required:-** Regulated Power DC supply, PMMC ammeter  
- Resistance / rheostat, connecting wire.

**Observation**

S.No.	Reading of ammeter A <sub>1</sub> (J <sub>1</sub> )	Reading of ammeter A <sub>2</sub> (J <sub>2</sub> )	Reading ammeter A <sub>3</sub>	J <sub>2</sub> + J <sub>3</sub>

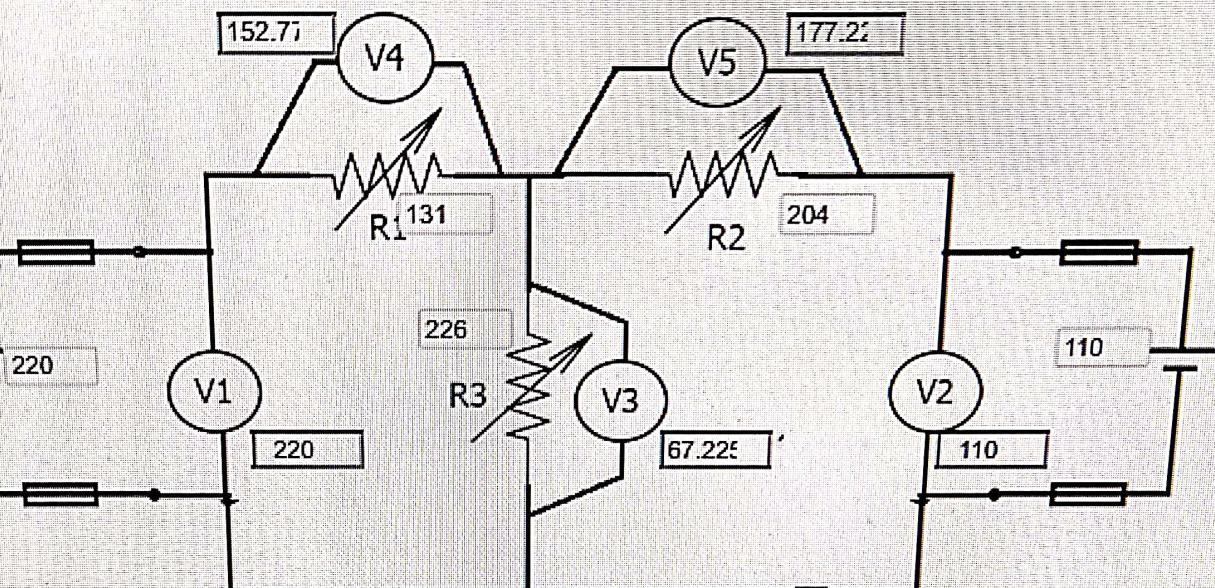
**Working principle**

The algebraic sum of current in a network of conductors meeting a point is zero. Recalling that current is a signed quantity reflecting direction towards or away from node;

$$\sum_{k=1}^n I_k = 0$$

CLASSTIME

# Experiment: Verification of Kirchoff's V



Input the value  
Then click on

**Observation Table**

SL No.	Voltmeter Readings					Verification of KVL	
	V1	V2	V3	V4	V5	V2+V4	-V3+V4
1	220	152.30769	177.69230	67.692307	110	219.99999	110.00000
2	220	153.86525	176.13474	66.134741	110	219.99999	110.00000
3	220	161.55578	168.44421	58.444218	110	220	109.99999
4	220	157.71768	172.28231	62.282310	110	220.00000	109.99999
5	220	152.77407	177.22592	67.225921	110	220.00000	109.99999

Click here to print

Experiment :

Date \_\_\_\_\_

Page No. \_\_\_\_\_

N is the total no. of branches.

Result

- (1) calculate the ideal voltage and current for each element in the circuit and compare them to the measured values
- (2) compare the percentage error in the measurements and provide a brief explanation for the error.

Precaution:

- all connection should be tight
- all steps should be followed carefully

CLASSTIME

## Experiment : 2B

Date \_\_\_\_\_

Page No. \_\_\_\_\_

Aim: To verify the Kirchhoff voltage law (KVL)

Objective: The objective of this lab activity is to verify Kirchhoff's voltage law (KVL) using mesh and nodal analysis of the circuit.

Theory:- According to Kirchhoff's voltage law, in any closed or mesh, the algebraic sum of voltages acting on circuit is equal to the algebraic sum of the product of the current and resistance of each part of the circuit.

Apparatus req: Regulated power supply, PMMC voltmeters, Resistance, connecting wires.

Observation

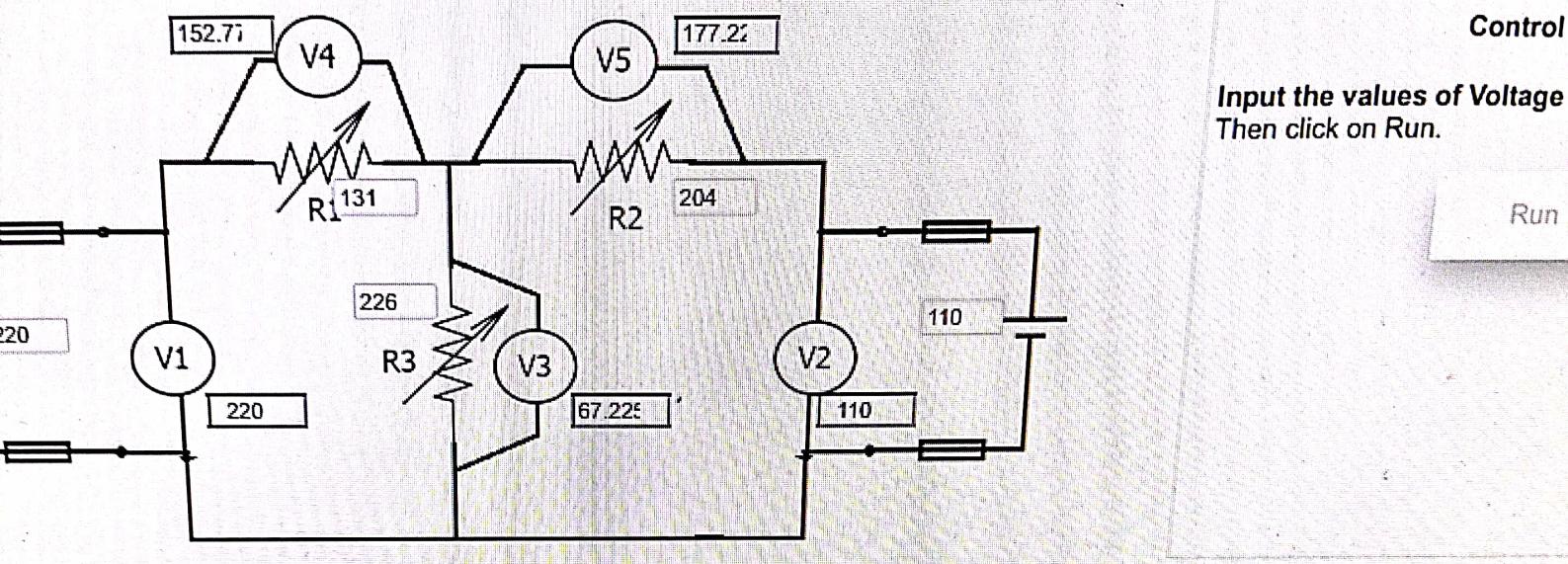
S.N.o.	Reading (V <sub>1</sub> )	(V <sub>2</sub> )	(V <sub>3</sub> )	(V <sub>4</sub> )	V = V <sub>1</sub> + V <sub>2</sub>	V <sub>2</sub> + V <sub>3</sub> + V <sub>4</sub>

Principle:- The sum of the voltages in any closed loop is equivalent to the sum of the potential drops in that loop.

$$\sum_{k=1}^n V_k = 0$$

, 16:49

## Verification of Norton's Theorem

**Experiment: Verification of Kirchoff's Voltage****Observation Table**

SL No.	Voltmeter Readings					Verification of KVL	
	V1	V2	V3	V4	V5	V2+V4	-V3+V4
1	220	152.30769	177.69230	67.692307	110	219.99999	110.00000
2	220	153.86525	176.13474	66.134741	110	219.99999	110.00000
3	220	161.55578	168.44421	58.444218	110	220	109.99999
4	220	157.71768	172.28231	62.282310	110	220.00000	109.99999
5	220	152.77407	177.22592	67.225921	110	220.00000	109.99999

[Click here to print](#)

Experiment :

Date \_\_\_\_\_

Page No. \_\_\_\_\_

Result:

- (1) calculate the ideal voltage and current for each element in the circuit and compare them to the measured values
- (2) compare the percentage error in the two measurements and provide a brief explanation for the error.

Precation

- all connection should be tight
- all steps should be followed carefully

## Experiment : 3

Date \_\_\_\_\_  
Page No. \_\_\_\_\_

Aim :- To verify the Norton theorem

Apparatus reqd:- two regulated DC power supply, P.M.M / voltmeter, P.M.M C ammeter, resistance / rheostats, connecting wires.

Theory:- according to the theorem if a resistor of  $R_L$  ohms be connected b/w any two terminals of a linear bilateral network, then the resulting current through load resistor will be equal to  $\frac{R_m I_2}{R_L + R_m}$ .

Observation

S.No	Short circuit current b/w terminals (I <sub>SC</sub> )	Equivalent resistance across the load	Load current	Measured I <sub>1</sub>
			$I = \frac{R_m I_{SC}}{R_L + R_m}$	

Calculation :-  $I_1 = \frac{R_m I_{SC}}{R_L + R_m}$

[Script alerts in your browser.](#)

resistances ( $R_1$ ,  $R_2$ ,  $R_3$  &  $R_L$ ) close to their maximum values. Choose any arbitrary values of  $V_1$

**ent Part Select:**

Switch of  $S_1$  to Power and  $S_2$  to Load and Simulate the system from Case 1 tab. Observe the result of load current.

## Short circuit current analysis:

Switch  $S_1$  to power and  $S_2$  to Short and Simulate the  
and read Norton short circuit current ( $I_{sc}$ ) from Case

#### **n Resistance analysis:**

Switch  $S_1$  to short and  $S_2$  to power and Simulate the circuit and read Norton resistance ( $R_N$ ) from Case 2(b) tab.

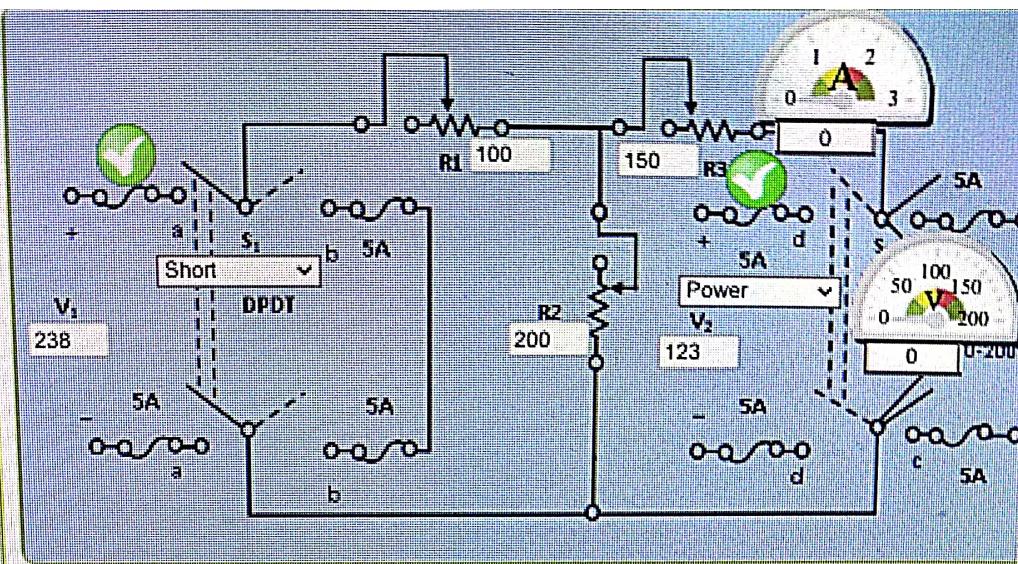
#### **Using $I_{sc}$ and $R_n$ determine Load Current**

Click the button to fill the data to the observation table.

## Moving Coil.

**T- Double pole Double throw.**

- All the resistances are in ohms.



## Case I

### Case 2(a)

Case 2(b)

Case 3

Click on simulate to get the Load Current( $I_L$ ) from the Thevenin equivalent parameter of the above ckt.

Load Current( $I_L$ ) :

A circuit diagram showing a current source  $I_{sc}$  in series with a resistor  $R_n$ . This combination is connected in parallel with a load resistor  $R_L$ .

Simul

**Fill data to tr**

#### Derivation Table:

Experiment :

Date \_\_\_\_\_

Page No. \_\_\_\_\_

### Result and Discussion

The value of short circuit  $I_{sc}$  is \_\_\_\_ Amp

The value of Norton resistance is \_\_\_\_  $\Omega$

It will be found that measured value of current through flowing through the load  $I_L$  is the same as determined by Norton's theorem.

### Precaution

- all connection should be tight
- all steps should be following carefully
- Reading and calculation should be taken carefully
- don't touch the live terminal

Aim: to verify the Thvenin's Theorem

apparatus required: two regulated DC Supply, PMM (voltmeter), PMM (ammeter), Resistors, connecting wire.

Theory: according to this theorem if a resistor of  $R_L$  ohms be connected b/w any two terminals of a linear bilateral network, then the resulting current through load resistor will be equal to  $\frac{V_m}{R_L + R_{th}}$  where  $V_m$  is pot. diff.

$$R_L + R_{th}$$

### Observation

S.No	open circuit voltage $R_L$	$R_{th}$	$I_L = \frac{V_m}{R_L + R_{th}}$	Measured $I_L$

### Precaution

- all connection should be tight
- all steps should be followed carefully
- Don't touch the live material

# Verification of Thevenin's Theorem

## Procedure:

Set all the resistances ( $R_1, R_2, R_3, R_L$ ) close to their respective maximum values. Choose any arbitrary values of  $V_1$  and  $V_2$ .

## Experiment Part Select:

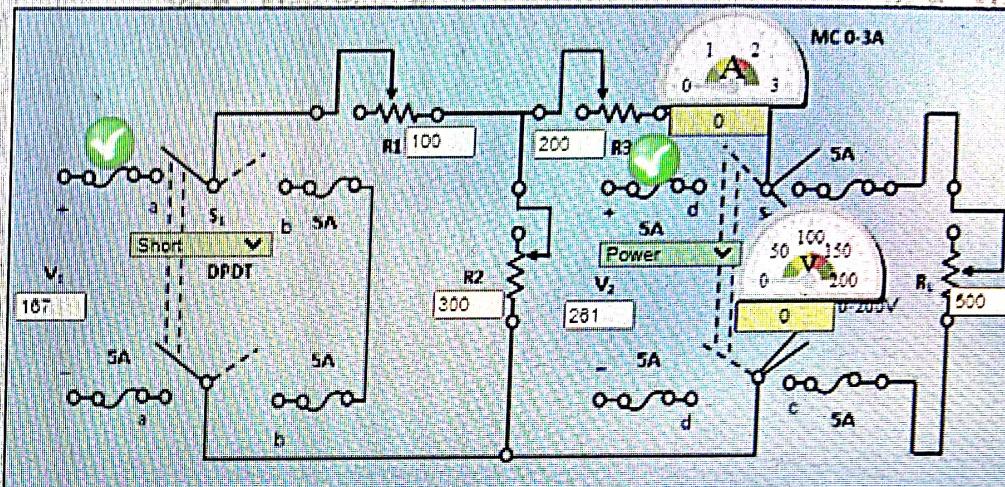
Case 1:  
Select switch of  $S_1$  to Power and  $S_2$  to load. Simulate the program. Observe the result from Table 1.

Case 2:  
Thevenin Voltage analysis:  
Select switch  $S_1$  to power and  $S_2$  to intermediate. Simulate the program. Read Thevenin voltage ( $V_{th}$ ) from Case 2 tab.

Thevenin Resistance analysis:  
Select switch  $S_1$  to short and  $S_2$  to power. Simulate the program. Read Thevenin resistance ( $R_{th}$ ) from Case 2 tab.

Case 3: Using  $V_{th}$  and  $R_{th}$  determine Load Current:  
Specify the load resistance in case of the result table as the load resistance entered in the main circuit. Simulate the program. Read Load current ( $I_L$ ) from Case 3 tab. Compare load currents ( $I_L$ ) obtained from above two cases.

Moving Coil.  
DT- Double pole Double throw.  
All the resistances are in ohms.



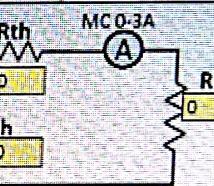
Case 1

Case 2(a)

Case 2(b)

Case 3

Click on simulate to get the Load Current( $I_L$ ) from the Thevenin equivalent parameter of the above circuit.



Load Current( $I_L$ ) :

Simulate

Fill data to the table



## Observation Table:

Table no. of observation	Load Current( $I_L$ ) from case 1	Load Voltage( $V_L$ )	Load Resistance ( $R_L = V_L/I_L$ )	Thevenin Voltage( $V_{th}$ ) from case 2(a)	2nd Voltage source(v) for case 2(b)	Ammeter Reading( $I$ ) from case 2(b)	Thevenin Resistance $R_{th} = V/I$	Load current ( $I_L = V_{th}/(R_{th} + R_L)$ )
1	0.10645	63.225	600	82.500	220	0.80000	275.00	0.10645
2	0.11613	58.065	500	90.000	230	0.83636	275.00	0.11613
3	0.13452	67.26	500	104.25	230	0.86909	275.00	0.13452
4	0.15000	75	500	110.25	250	0.90909	275.00	0.15000
5	0.16161	80.805	500	126.25	261	0.94909	275.00	0.16161

$S_1, S_2, S_3, R_L$  close to their maximum values. Choose any arbitrary values of

### Part Select:

of  $S_1$  to Power and  $S_2$  to load. Simulate the result from Table 1.

### Voltage analysis:

$S_1$  to power and  $S_2$  to intermediate. Simulate the load Thevenin voltage ( $V_{th}$ ) from Case 2 tab.

### Resistance analysis:

$S_1$  to short and  $S_2$  to power. Simulate the Thevenin resistance ( $R_{th}$ ) from Case 2 tab.

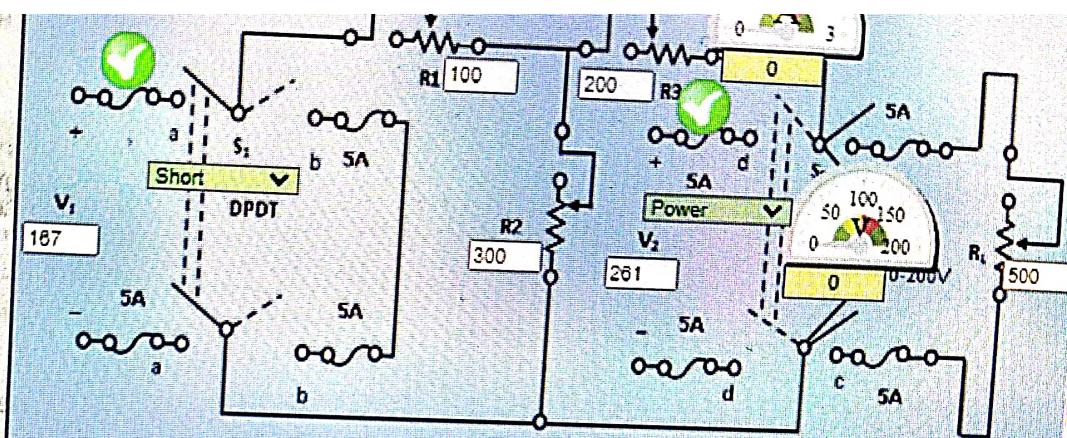
### $V_{th}$ and $R_{th}$ determine Load Current:

Load resistance in case of the result table as the resistance entered in the main circuit. Simulate the Load current ( $I_L$ ) from Case 3 tab. Compare results ( $I_L$ ) obtained from above two cases.

oil.

Double throw.  
distances are in ohms.

ble:



Case 1

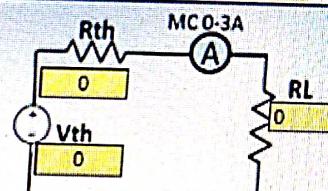
Case 2(a)

Case 2(b)

Case 3

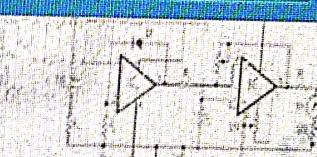
Click on simulate to get the Load Current( $I_L$ ) from the Thevenin equivalent parameter of the above circuit.

Load Current( $I_L$ ) :



Simulate

Fill data to the table



Current( $I_L$ ) from case 1	Load Voltage( $V_L$ )	Load Resistance ( $R_L = V_L/I_L$ )	Thevenin Voltage( $V_{th}$ ) from case 2(a)	2nd Voltage source(v) for case 2(b)	Ammeter Reading(I) from case 2(b)	Thevenin Resistance $R_{th} = V/I$	Load current ( $I_L = V_{th}/(R_{th} + R_L)$ )
0.10645	53.225	500	82.500	220	0.80000	275.00	0.10645
0.11613	58.065	500	90.000	230	0.83636	275.00	0.11613
0.13452	67.26	500	104.25	230	0.86909	275.00	0.13452
0.15000	75	500	118.25	250	0.90909	275.00	0.15000
0.16161	80.805	500	125.25	261	0.94909	275.00	0.16161

## Experiment : 5

Date \_\_\_\_\_

Page No. \_\_\_\_\_

Aim:- to observe the given waveform and calculate its frequency, peak value, Average value, RMS value and form factor

Theory:- Peak value =  $V_p$

Peak to peak value =  $V_{pp} = 2V_p$

Period =  $T [s]$

frequency  $f = \frac{1}{T} (\text{Hz})$

$\omega$  (angular freq.) =  $\omega = 2\pi f$  ( $\text{rad/s}$ )

phase =  $\phi$

apparatus req'd: function generator, CRO

Observation:

S.No.	Sine wave	triangular wave	Square wave
-------	-----------	-----------------	-------------

Peak voltage

Time period

Calculation :- calculate the listed electrical parameters using formula

precision:

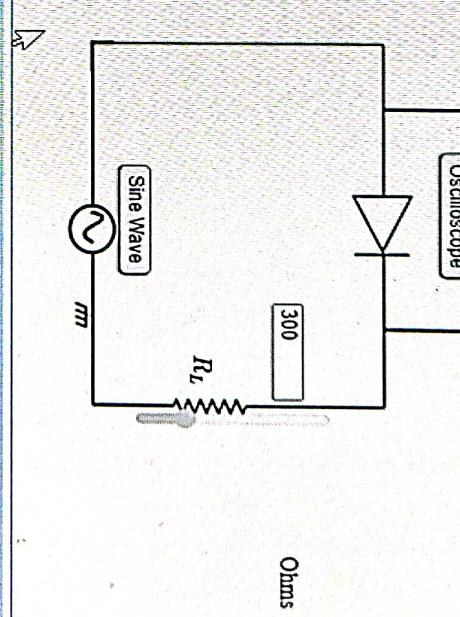
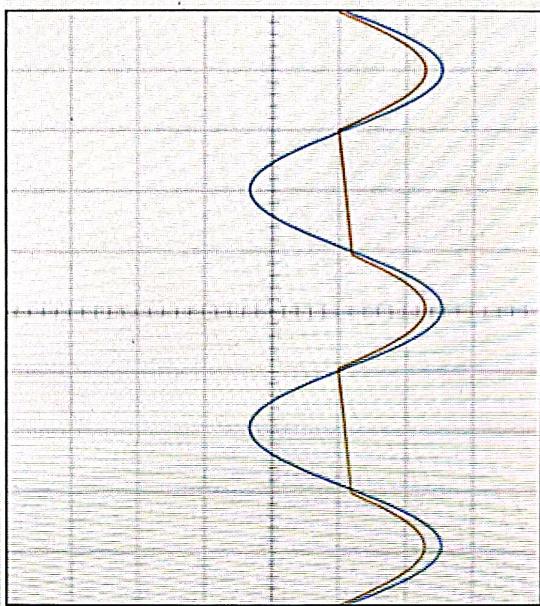
all connection should be tight

all steps should be followed carefully

## Half Wave Rectifier

### INSTRUCTION

#### OSCILLOSCOPE



### CIRCUIT

#### CONTROLS

0.9  
1  
 $\frac{dV}{dt}(V/V)$

Position-V Channel 1 Position-V Channel 2

0.1  
Position-X  
 $\frac{dI}{dt}(mA/mA)$

$V_{m_a} = \frac{V_m}{2}$ ,  $V_m$  is the peak voltage

$$V_{dc} = \frac{V_m}{\pi}$$

$$\text{Ripple Factor} = \frac{V_m}{V_d} \quad \text{Since, } V_{dc} = \sqrt{V_{m_a}^2 - V_{dc}^2}$$

Peak Current: 1.99999995349614 mA

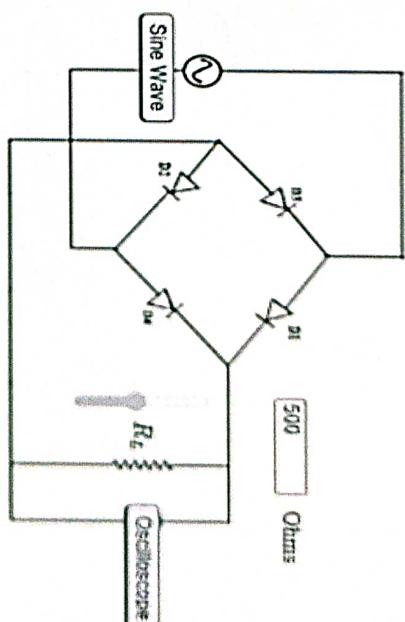
### CALCULATION



## Full Wave Rectifier

### INSTRUCTION

### CIRCUIT



### CONTROLS



Position-A Position-B

### CALCULATION

$$V_{rms} = \frac{V_m}{\sqrt{2}}$$

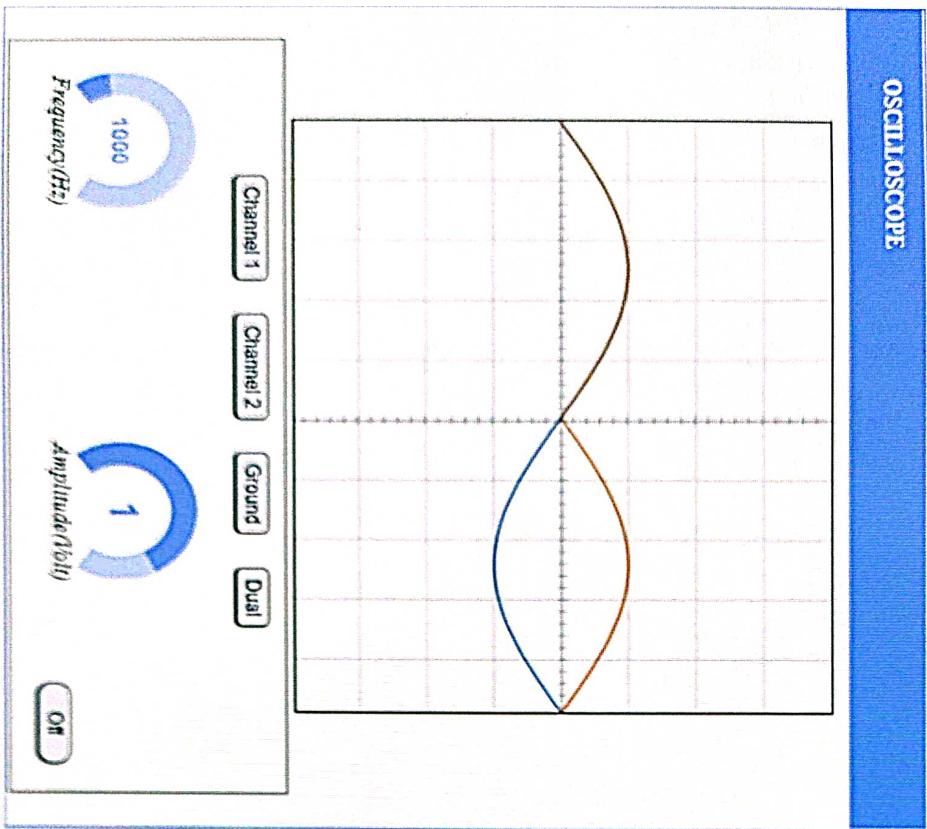
$V_m$  is the peak voltage

$$V_d = \frac{2 \cdot V_m}{\pi}$$

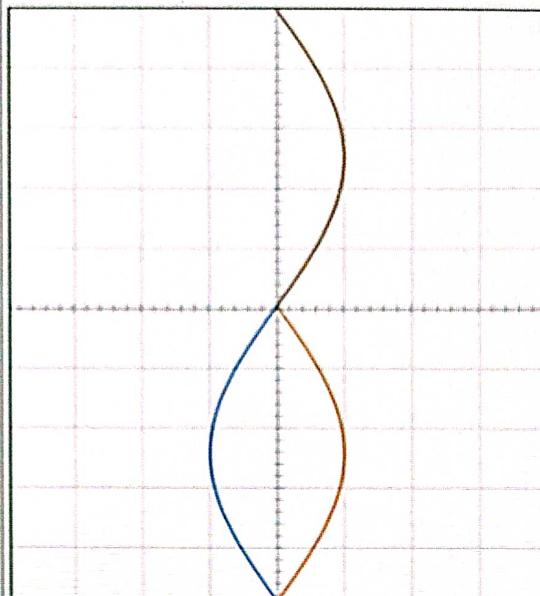
$$\text{Ripple Factor} = \frac{V_r}{V_d}$$

Since,  $V_r = \sqrt{(V_{rms}^2 - V_d^2)}$

Peak Current: 0.5555555555555556 mA



### OSCILLOSCOPE



## Experiment: 6

Date \_\_\_\_\_

Page No. \_\_\_\_\_

Aim: To verify the functionality of PN junction diode in forward bias and reverse bias.

Objective: To study Volt - ampere characteristics of P-N diode and also find cut-in voltage for pn junction diode

Theory: A PN junction diode is formed when a single crystal of semiconductor is doped with acceptor impurities on one side and donor impurities on the other side. It has two terminals called electrodes, one each from P-region and N-region. Due to two electrodes it is called Diode.

Biasing of PN junction diode:

Applying external D.C. voltage to any electronic device is called biasing. There is no current in the unbiased PN junction at equilibrium. Depending upon the polarity of the D.C. voltage externally apply to diode, the biasing is classified as forward biasing and reverse biasing.

forward bias operation: The P-N junction supports uni-directional current flow. If the terminal of the input supply is connected to anode (P-side) and the terminal of the input supply is connected to cathode. The diode is said to be forward biased.

Reverse bias operation: If a negative terminal of the input supply is connected to ~~cathode~~ anode (P-side) and the terminal of the input supply is connected to cathode (N-side) then the diode is said to be reverse biased.

Experiment :

Date \_\_\_\_\_  
Page No. \_\_\_\_\_

Diode current equation :

$$I = I_0 (e^{(V - V_0)/n} - 1)$$

Observations

forward bias

R.P.S voltage ( $V_S$ ) forward voltage forward current through  
across diode ( $V_f$ ) diode  $I_f$  (mA)

Reverse Bias :

R.P.S Voltage ( $V_S$ ) Reverse voltage Reverse current  
 $V_R$   $I_f$  (mA)

# Zener Diode - LOAD Regulator

## INSTRUCTION

## CONTROLS

[Print It](#)

DC volt :  Volt

Zener Diode( $V_Z$ ) :  Volt

Resistance( $R_g$ ) :  Ohms

Resistance( $R_L$ ) :  Ohms

Take another sets of Output  
Voltage for another Zener value

DC Voltage ( $V_{DC}$ ) :  V Zener Voltage( $V_Z$ ) :  V

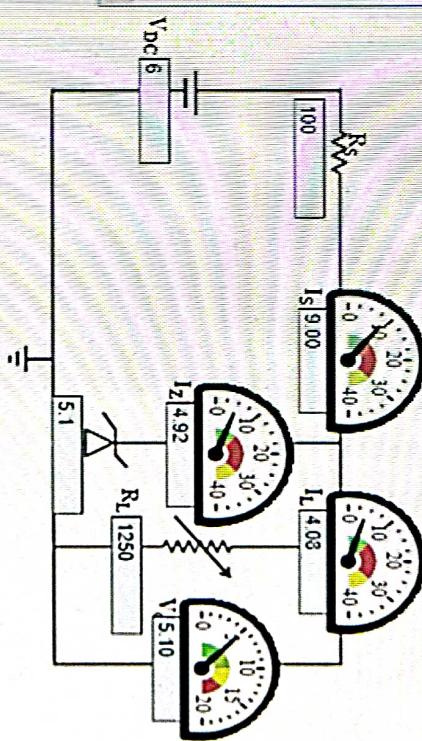
Series Resistance( $R_S$ ) :  k $\Omega$

[Add to Table](#)

[Plot](#)

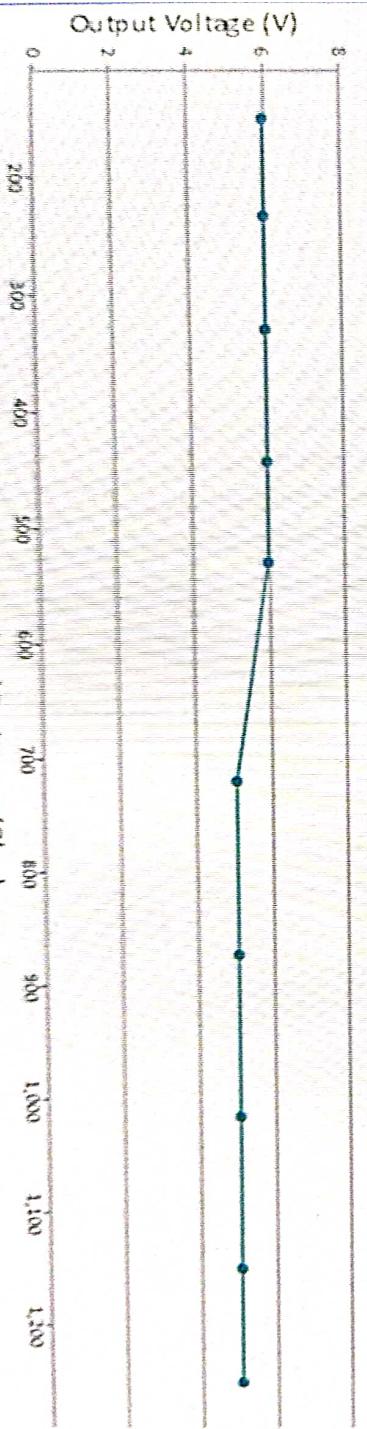
[Clear](#)

Serial No.	Load Resistance( $R_L$ ) Ohm	Load Current( $I_L$ ) mAmp	Zener Current( $I_Z$ ) mAmp	Regulated Output Voltage( $V_O$ ) V	% Voltage Regula-
1	150	34.0	0	6	40.0
2	232	22.0	0	6	30.1
3	328	15.5	0	6	23.4
4	442	11.5	0	6	18.5
5	558	9.66	0	6	15.9



## GRAPH PLOT

### R<sub>L</sub>-V<sub>O</sub> Plot



## Zener Diode - LINE Regulator

### INSTRUCTION

### CONTROLS

Print It

DC volt:  
Zener Diode(V<sub>Z</sub>):  
Resistance(R<sub>S</sub>):  
Resistance(R<sub>L</sub>):

Volt  
Volt  
Ohms  
Ohms

Volt

Volt

Ohms

Ohms

Take another sets of Output  
Voltage  
for another Zener value

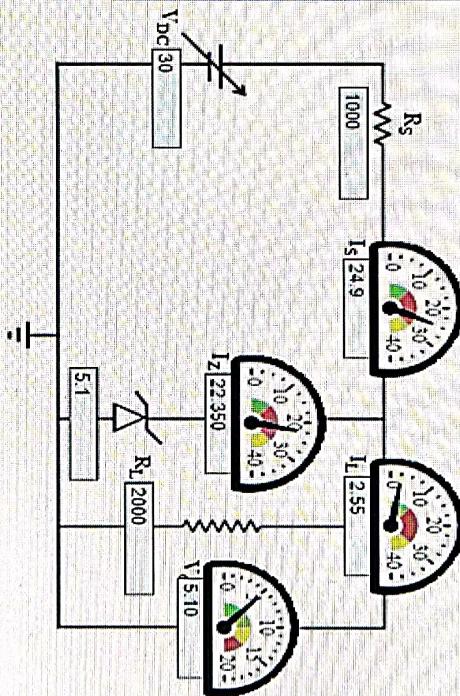
Zener Voltage(V<sub>Z</sub>): 5.1 V  
Series Resistance(R<sub>S</sub>): 1 KΩ  
Load Resistance (R<sub>L</sub>): 2 KΩ

Add to Table

Plot

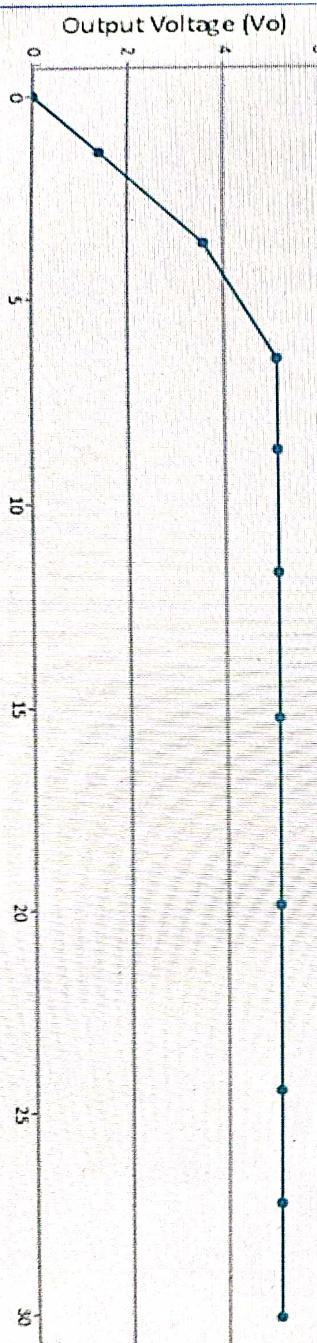
Clear

Serial No.	Unregulated supply voltage(V <sub>S</sub> )	Load Current(I <sub>L</sub> ) mAmp	Zener Current(I <sub>Z</sub> ) mAmp	Regulated Output Voltage(V <sub>O</sub> ) V	% Voltage Regulation
1	0	2.55	0	Nan	
2	1.4	2.55	1.4	100	
3	3.6	2.55	3.6	100	
4	6.4	2.55	1.250	5.10	83.3
5	8.6	2.55	0.950	5.10	62.5
6	11.6	2.33	3.950	5.10	45.5



### GRAPH PLOT

#### V<sub>s</sub>-V<sub>o</sub> Plot



## Experiment :

Date \_\_\_\_\_

Page No. \_\_\_\_\_

Result :

- (1) Calculate the ideal voltage and current for each element in the circuit and compare them to the measured value.
- (2) Compute the percentage error in the two measurement and provide a brief explanation.

Precaution

- while doing the experiment do not exceed the reading of the diode. This may lead to damaging of the diode
- connect voltmeter and ammeter in correct polarity as shown.

## Experiment: #

Date \_\_\_\_\_

Page No. \_\_\_\_\_

### Exp-7

Aim: To plot V-I characteristics and verify the functionality the regulation action of zener diode

Objective: to plot the Volt - ampere characteristics of zener diode and also find zener Breakdown voltage in reverse Biased

### Theory:

Zener diode are a special kind of diode which permits current to flow in forward direction . What makes them different from other diodes is that zener diode will also allow current to flow in the reverse direction when the voltage is above a certain value. This break down voltage is called as the zener voltage.

### an avalanche breakdown

when the diode is in the reverse bias condition , the width of the depletion region is more. If both p-side and n-type side of the diode are slightly doped , depletion region at the junction widens.

### zener breakdown

If both p-side and n-side of the diode are heavily doped , depletion region at the junction reduces compared to the width in normal doping . Applying in reverse bias causes a strong electric field get applied across the devices . As the reverse bias is increased , the electric field become strong enough to disrupt covalent bond .

### Zener diode as voltage regulator

The function of a regulator is to provide a constant output voltage to a load connected in parallel with it in spite of the ripple in the supply voltage or the variation in the load current and the zener diode will continue to regulate if permits current to flow in the forward direction is normal, but will also allow it to flow in the reverse direction when the voltage is above a certain value.

### Observation

**Result**

- (1) Calculate the ideal voltages and current for each element in the circuit and compare them to the measured values.
- (2) Compute the percentage error in the data measurement and provide a brief explanation for the error.

**Precautions:**

- 1) While doing the experiment do not exceed the reading of the voltmeter.
- 2) Connect voltmeter and ammeter in correct polarities as shown in the circuit diagram.

Experiment : 8

Date \_\_\_\_\_

Page No. \_\_\_\_\_

Aim: To study working of the half / full wave bridge rectifier and calculate its efficiency

Objective: To verify the working of full wave rectifier circuit and calculate its efficiency

Apparatus req: CRO, Multimeter, Transistor Kit, Bread Board, connecting wire, diode, Power supply.

Working: The full wave bridge rectifier circuit contains four diodes D<sub>1</sub>, D<sub>2</sub>, D<sub>3</sub>, D<sub>4</sub> connected to form a bridge. The ac supply to be rectified is applied to the diagonally opp. ends of the bridge through the transformer. Below other two ends of the bridge, the load resistance R<sub>L</sub> is connected.

Calculation: Ripple factor of FWR =  $\frac{\text{ac voltage}}{\text{dc voltage}}$  =

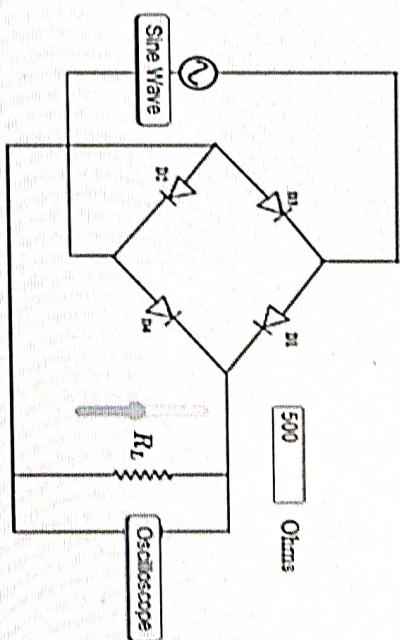
Result: - The output dc voltage is little less than the theoretical value.

Assume → There is little diff. b/w theor. and measured value of ripple factor

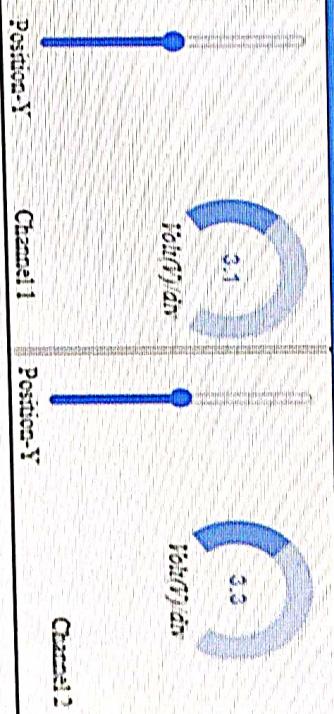


## Full Wave Rectifier

### CIRCUIT



### CONTROLS



### CALCULATION

Frequency(Hz)

Amplitude(mV)

On

Channel 1

Channel 2

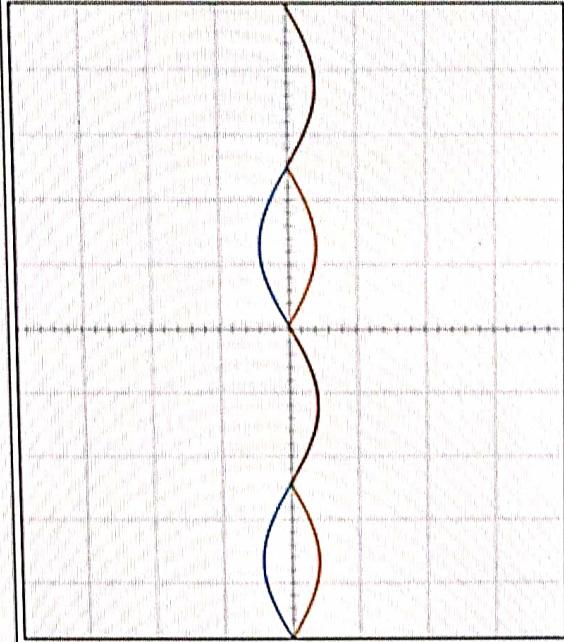
Ground

Dual

2000

1.3

### OSCILLOSCOPE



### INSTRUCTION

$V_{rms} = \frac{V_m}{\sqrt{2}}$ ,  $V_m$  is the peak voltage

$V_d = \frac{2 \times V_m}{\pi}$

Ripple Factor =  $\frac{V_r}{V_d}$  Since,  $V_d = \sqrt{(V_{rms}^2 - V_{dc}^2)}$